

NASA Contractor Report 4199

An Analysis for High Speed Propeller-Nacelle Aerodynamic Performance Prediction

Volume II—User's Manual

T. Alan Egolf, Olof L. Anderson,
David E. Edwards, and Anton J. Landgrebe

CONTRACTS NAS3-20961,
NAS3-22142, and NAS3-22257
DECEMBER 1988

(NASA-CR-4199-Vol-2) AN ANALYSIS FOR HIGH
SPEED PROPELLER-NACELLE AERODYNAMIC
PERFORMANCE PREDICTION. VOLUME 2: USER'S
MANUAL (United Technologies Research
Center) 307 p

N89-15897

Unclas
0189711

CSCL 01A H1/02



NASA Contractor Report 4199

An Analysis for High Speed Propeller-Nacelle Aerodynamic Performance Prediction

Volume II—User's Manual

T. Alan Egolf, Olof L. Anderson,
David E. Edwards, and Anton J. Landgrebe
*United Technologies Research Center
East Hartford, Connecticut*

Prepared for
Lewis Research Center
under Contracts NAS3-20961,
NAS3-22142, and NAS3-22257



National Aeronautics
and Space Administration

Scientific and Technical
Information Division

1988

SUMMARY

A user's manual for the computer program developed for the prediction of propeller-nacelle performance reported in Volume I, "An Analysis for High Speed Propeller-Nacelle Aerodynamic Performance Prediction - Theory and Initial Application" is presented. The manual describes the computer program mode of operation requirements, input structure, input data requirements and the program output. In addition, it provides the user with documentation of the internal program structure and software used in the computer program as it relates to the theory presented in Volume I. Sample input data setups are provided along with selected printout of the program output for one of the sample setups.

PRECEDING PAGE BLANK NOT FILMED

TABLE OF CONTENTS

	<u>Page</u>
SUMMARY	iii
INTRODUCTION	1
DESCRIPTION OF THE PROGRAM OPERATION	2
Input Mode Control	4
Propeller Portion	5
Major Input Features	5
Detailed Description of Propeller Data Input and Setup	8
Optional Generalized Wake Geometry Input Coefficients	17
Optional Input Wake Geometry	19
Description of Propeller Solution Output	20
Description of Failure Modes	24
Nacelle Portion	27
General Features of the Program	28
Description of Input	32
Description of the Output	41
Description of Failure Modes	45
DETAILED PROGRAM DOCUMENTATION	50
Propeller Program	51
List of Subroutines	51
Description of the Subroutines Used in the Propeller Portion	56
Labeled Common Blocks Used in the Propeller Portion	96
Nacelle Program	109
List of Subroutines and External Functions	110
Description of Subroutines and External Functions	113
List of Flags	245
APPENDICES	
A - Sample Input Setups	247
B - Example of PANPER Analysis Program Output	252
C - List of Symbols	270
REFERENCES	276
FIGURES	278

INTRODUCTION

The purpose of this manual is to provide the user with sufficient documentation to run the computer code for the propeller-nacelle performance analysis (PANPER) developed by the United Technologies Research Center (UTRC) under contract to the NASA Lewis Research Center. The computer analysis is capable of predicting the performance for high speed propeller-nacelle configurations for either single or coaxial counter-rotating propellers for either an internal flow condition (wind tunnel) or external flow conditions (free flight). The analysis was developed by combining and modifying existing propeller performance prediction capabilities applicable to the high speed flight problem with an existing axisymmetric through flow analysis modified to calculate external flow problems. The resulting combined analysis couples the separate solution procedures by including in each solution portion in a consistent manner the appropriate effects due to the respective portions of the two solution procedures. The basic program structure is shown in the flow diagram of figure 1. The propeller performance solution is obtained including the influence of the nacelle body, and the flow field and nacelle performance are calculated including the influence of the work done by the propeller on the fluid. Either of the performance solutions (propeller or nacelle) can be obtained without the other if so desired. The technical aspects of the solution procedure are detailed in reference (1) and will not be explained here. This manual has been written under the assumption that the reader has read the technical report (reference 1) and is familiar with the theoretical features of the analysis.

This manual consists of two major portions: 1) a description of the setup and input data required to run the computer code; and 2) documentation of the internal program software as it relates to the technical aspects of the analysis.

The input portion is broken into three sections, describing the basic program setup requirements and program mode operation, the propeller related setup and input and the nacelle related setup and input, in this order. The documentation portion consists of two sections which describe the subroutines and labeled common blocks used in the computer program for the propeller and nacelle portions of the analysis, respectively.

DESCRIPTION OF THE PROGRAM OPERATION

This section is intended to describe the general features, program setup and input data of the PANPER computer program in sufficient detail so that the program can be operated successfully by the user. Input to this program consists of three parts; the program mode control data, propeller data and nacelle data, in this order. The input data for each of these parts will be described in the following subsections.

The first subsection describes the various modes that the program will operate in and the input control switches. Special attention should be paid to these mode switches since this program may in effect solve one of three problems:

- (1) Propeller Lifting Line Analysis only
- (2) Nacelle Analysis only
- (3) Combined Propeller-Nacelle Analysis

The second and third subsections present a detailed description of the input, output and diagnostics of the Propeller Lifting Line Analysis and Nacelle Analysis portions of the program, respectively.

The computer program was written and developed in FORTRAN V Computer Language for use on a UNIVAC 1110 computer. Before execution of the PANPER Program, fourteen files must be assigned in the JCL RUNSTREAM. Information about these files is given in Table (I). Sample Runstreams for three cases are presented in Appendix A, and selected output for the second case is presented in Appendix B.

TABLE I

PANPER FILE ASSIGNMENTS

<u>Unit No.</u>	<u>Array Name</u>	<u>Length (WDS)</u>	<u>No Block</u>	<u>Subroutine</u>	<u>Purpose</u>	<u>Program Mode</u>
NDRUM=8	F(NEQ,3,IST)	LNCT3=3,000	IS=100	SOLVI	Store viscous solution	NOPPF=0,1
JDRUM=9	Q(19,IST)	ISL=1900	IS=100	COORST	Store duct geometry	NOPPF=0,1
CDRUM=10	FF(7,2,IST)	IFFS=3400	IROW=10	FORCE	Store blade forces	NOPPF=0,1
LDRUM=11	AFF(LNCT2)	LNCT2=6600	IST/30+1	SOLVI	Store matrix coef.	NOPPF=0,1
IWAKE=12						
JDBLD=13	See BLDOUT	556	IROW=10	BLDOUT	Store lifting line geometry dimensionless	NOPPF=0,1
NCALV=14	CINP(4,IST)	LCALV=400	IS=100	CALINV	Store inviscid solution	NOPPF=0,1
JDBLDD=16	See BLDOUT	556	IROW=10	BLDOUT	Store lifting line geometry dimensional	NOPPF=0,1
20	See WAKCOR	300	IROW-2	WAKCOR	Wake displacement effect	NOPPF=-1,1
1	GCDIMZ,GCDIMT,GCDIMR	180	180	SETMAT	Lifting line geometry influence coefficient	NOPPF=-1,1
2	GCDIMZ,GCDIMT,GCDIMR	180	180	SETMAT	Lifting line geometry influence coefficient	NOPPF=-1,1
3	GCDIMZ,GCDIMT,GCDIMR	180	180	SETMAT	Lifting line geometry influence coefficient	NOPPF=-1,1
4	GCDIMZ,GCDIMT,GCDIMR	180	180	SETMAT	Lifting line geometry influence coefficient	NOPPF=-1,1
30	See REDMAT	360	360	REDMAT	Save matrix coefficient lifting line	NOPPF=-1,1

Input Mode Control

This subsection describes the mode control input data card required to operate the PANPER Program. Information from this card will determine which mode of operation the PANPER Program will perform in. On this card the Mode of operation control information is read in as described below:

<u>Name</u>	<u>Column</u>	<u>Format</u>	<u>Comments</u>
NØPPF	1-2	I2	NØPPF = -1, The propeller analysis is performed without including the nacelle effects calculated directly from the nacelle portion of the program. NØPPF = 0, The nacelle analysis is performed uncoupled from the propeller lifting line code. The blade forces may be considered through input. NØPPF = 1, The propeller and nacelle analysis is performed through coupling of the nacelle portion and the propeller lifting line portion of the code.
NØPPC	2-4	I2	Indicates number of passes through the viscous flow algorithm of the nacelle portion and the propeller portion. See reference 1, Section entitled: Description of the Combined Analysis Solution Procedure.

It should be observed that for NØPPF = 0, the propeller data will not be read in and for NØPPF = 1, the nacelle data will not be read in. Descriptions of the propeller and nacelle data are given in the following subsections of this section. Samples of this card can be seen in Appendix A. Finally, it must be noted that NØPPC is a cycle counter on the number of passes through the viscous propeller-nacelle flow solution. It may be desirable to cycle through the viscous flow solution and propeller solution until the propeller blade forces do not significantly change. However, experience to date has not demonstrated a necessity to perform this cycle for propeller performance applications.

Propeller Portion

Major Input Features

The major input features consist of four basic groups of input data along with the appropriate program control data. These four groups of data are blade geometry, airfoil characteristics, inflow properties and the wake geometry. In the following subsections, these groups of input are described in some detail so that the user will understand their importance.

Blade Lifting Line Geometry

The geometric description of the blade lifting line representation of the blade is of primary importance for obtaining the most accurate solutions given the assumptions inherent in the analysis. The hub-pitch axis centered cartesian coordinates for each lifting line segment boundary must be input (XSB, YSB, ZSB) consistent with the input blade twist distribution (THET) so that the program can correctly rotate this geometry about the pitch axis for the required blade angle. The coordinates for the definition of the blade tip for the tip Mach cone calculations (XMC, YMC, ZMC) must also be input consistent with the twist distribution. For counter rotating coaxial propellers, each set of coordinates is input referenced to its respective hub and pitch axis centers. The technical description of this coordinate system is detailed in reference 1, see figure 2. The selection of the blade segmentation is of primary importance in regions of severe loading gradients. For these regions (generally the tip of the blade) finer segmentation is required as compared with regions of weak gradients.

Propeller Blade Airfoil Characteristics

To calculate the blade airloading, it is necessary to specify the distribution of airfoil type along the blade radius. There are three different sets of airfoil data available in this analysis: two sets of NACA 16 series isolated airfoil data, whose characteristics are described in reference 1, and one cascade airfoil data set for NACA 65 series, also described in the above noted reference. The user specifies the use of these airfoil data sets by specifying the radial location which denotes the outer boundary of the region (RADCAS) for which it is desired to use the cascade data set. Outboard of this region, the distribution of the identification number (23 or 24) for the isolated airfoil data sets is input through the airfoil type designation number distribution input (AIRN). If desired, it is possible to model the cascade effects on the isolated airfoil data by application of an analytical cascade correction (CASCAD). This model is also described in reference 1. The use of this model may be desirable for two

reasons: first, if the inboard section of the propeller blades is not adequately modeled with NACA 65 series airfoil sections, and second, if the cascade influence extends beyond the region where the NACA 65 series airfoil types apply.

Once the distribution of airfoil type and cascade regions are determined for the design under consideration, the particular airfoil characteristics are defined by additional input. These characteristics are: the design lift coefficient (DECL), the thickness to chord ratio (TØVC), and the chord (CØRD).

Inflow Properties at the Blade Row

This analysis allows the user the ability to describe the noninduced inflow properties at the propeller blade rows if run independent from the nacelle portion of the analysis. It is therefore possible to prescribe the nacelle's influence (or any desired influence) on the inflow conditions at the propeller blades without running the nacelle portion of the analysis. This may be desirable if the variation of the nacelle's influence is small for slight changes in the propeller designs. The inflow properties are the axial (VØVO) and radial (URVO) noninduced inflow velocity ratio distributions, and the density (DENS) and speed of sound (SØUN) ratio distributions along the blade radius. These distributions scale the respective freestream values to define the local inflow conditions at the blade rows.

Wake Model Description

The description of an accurate wake geometry for the flight condition under investigation is of primary importance for accurate predictions of the induced inflow solution and the resulting propeller blade air loading. The wake models available have been described in detail in the technical section of reference 1; however, a brief review of the applicable wake models for the different flight regions follows.

For static thrust conditions, the generalized wake model should be used (figure 3). It has been clearly demonstrated to be the most accurate model available and is necessary for accurate performance solutions. Wake rollup modeling must also be used for this flight condition (figure 4). In low speed flight conditions, the classical (figure 3) or modified classical wake model (standard model for high speed flights) is probably sufficient for reasonable performance predictions; however, it is clear that the wake model must have some of the features of the generalized wake model (radial contraction, in particular). Because of this, it is possible to use the generalized wake model for nonzero flight speed conditions. In this case the generalized wake model will have the inflow velocity distribution superimposed on it to describe the wake geometry. Thus, with careful selection of the input generalized wake coefficients, it is possible to model a low speed wake geometry if

the required characteristics are known. Wake rollup modeling should probably be used for these flight conditions. For high speed flight conditions, the wake is carried away from the propeller so rapidly that it is doubtful that any model other than the classical or modified classical wake will be required. Generally no wake rollup modeling is required at these flight speeds.

Similar considerations must be given to the influence of the nacelle on the wake geometry. For static thrust conditions, the nacelle influence cannot be modeled by using the nacelle portion of the analysis. However, if the displacement of the wake due to the presence of the nacelle is known, it can be modeled through the wake geometry input option. For all other flight conditions, the nacelle's influence can be included directly in the analysis.

If it is desired for any reason to use a wake model which is not geometrically compatible with the basic wake models available, the wake geometry can be input in cylindrical coordinate form. This allows for a wide range of possible wake modeling capabilities in this analysis.

Detailed Description of Propeller Data Input and Setup

Standard Input Data and Setup

The propeller input data is grouped into 3 distinct data sets, the first set consists of input data which describes the propeller analysis modeling options, freestream flight conditions and primary propeller characteristics. The second set of data defines the physical location of the blade lifting line segment boundaries and the coordination used to define the location of the tip Mach cone. These items are referenced to their respective centers of rotation. The third set of data is used to describe the local blade element flight inflow properties (based on the freestream flight condition) and secondary blade characteristics. This data set consists of interpolation tables for the required items. All of these input data sets are described in the following subsections. For coaxial propellers, the second and third data sets are repeated for the second propeller following all of the data sets for the first propeller. Two sample propeller input data decks are listed in Appendix A (case 1 and case 3) for an isolated propeller mode and a combined coaxial propeller-nacelle mode. Each data set is initiated by a header card with an alphanumeric label in card columns 1 through 6 (left justified) and terminated by a card with the alphanumeric label END in card columns 1 through 3. Within a given data set, there is no ordering dependency for the input items and if duplicity of the item occurs, the last value read will be used. All numbers are input in FORTRAN floating point or exponential format.

Data Set I

The header card for this data set consists of the characters INPUT in card columns 1 through 5. The input data required for this data set is input one card at a time following the header card. Each card has a label and value punched on it. The label designates the item and the value for that item follows the label on the card. The label is an alphanumeric, three to six character name, left justified in card columns 1 through 6, with the input value following in a FORTRAN E20.8 format (columns 7 through 26). The description of the labels and corresponding input data items are listed below. For items with the numeric characters 1 or 2 on the end of the label, the 1 and 2 designate the first and second propeller quantities respectively for a coaxial condition. If the input item is omitted, a value of 0.0 is used internally.

Input Label

Description

BLADE1, BLADE2

Blade number per propeller

CASCAD

Option switch to use an analytical cascade correction on isolated airfoil data, a value of 1.0 requests the model based on flat plate theory, a value of 2.0 uses a model based on empirical correlations of reference 44 in Volume I.

<u>Input Label</u>	<u>Description</u>
CBWAKE	Option control for including the effects of compressibility on the induced velocity calculation from the bound lifting line vortex (this model is of questionable validity). A value of 1.0 sets this option, a value of 2.0 sets this option but the bound influence on the blade generating the effect is neglected. Should use 0.0.
CNSECT	Fraction of the chord measured from the leading edge, used to determine the tip Mach cone intersection location on the blade for the Evvard tip correction, generally the trailing edge (1.0) is used. A zero input sets this value to 1.0.
CØFLOW	Option control for overriding the limitation that the wake and bound vortex compressibility effects be applied only when the section Mach numbers are greater than 1.0. (This model is of questionable validity.) An input value of 1.0 engages this option. Should use 0.0, see section entitled: Compressibility Considerations for Induced Velocity, of reference 1.
CØMPRS	Option control for including the effects of compressibility on the induced velocity calculation from the trailing wake geometry. A value of 1.0 sets this option. This option should be used.
CPI	Requested power coefficient for performance iteration. A zero value assumes no iteration. This iteration option will not work for coaxial propellers.
CTI	Requested thrust coefficient for performance iteration. A zero value assumes no iteration. This iteration option will not work for coaxial propellers. The power iteration will override this option if both are requested.
DCPDT	The derivative of power coefficient with respect to blade angle. If the power coefficient iteration is requested and this value is nonzero, the input value is used to determine the second iteration blade angle value, otherwise a change of 1.5 degrees in blade angle is used for the second iteration.

<u>Input Label</u>	<u>Description</u>
DCTDT	The derivative of thrust coefficient with respect to blade angle. If the thrust coefficient iteration is requested and this value is nonzero, the input value is used to determine the second iteration blade angle value, otherwise a change of 1.5 degrees in blade angle is used for the second iteration.
DEBUG	Intermediate print option control, generally not used (0.0). A value of 1.0 requests printout of many quantities associated with the geometry transformations, geometric influence coefficients, circulation matrix and intermediate aerodynamic quantities. A value of 2.0 requests a full debug printout and should not be used.
DENSTY	Freestream air density (slugs/ft ³)
DFRNAC	Input skin friction drag (lbf) due to the nacelle. Included in the performance calculation if input A positive value is opposite the direction of positive thrust.
DPRNAC	Input pressure drag (lbf) due to the nacelle. Included in the performance calculation if input. A positive value is opposite the direction of positive thrust.
DPSI	Maximum size of the azimuth increment (degrees) allowed to define the wake geometry and azimuthal interval in either single or coaxial mode. The program internally calculates the actual value.
EVAARD	Option switch to request tip relief model. An input value of 1.0 requests tabled values for the Evvard model be used, a value of 2.0 requests that a functional form for the Evvard model be used which is slightly different than the tabled values, a value of 3.0 requests that conical flow theory be used with a variable Mach number distribution, while a value of 4.0 uses a fixed Mach number.
G400	Option switch to couple via an external file to an aeroelastic response analysis. If nonzero, the value identifies the device unit number to be used.

<u>Input Label</u>	<u>Description</u>
HUBQ1, HUBQ2	Input hub torque (ft-lb _f). This input value will be included in the performance calculations and performance iteration loops. A positive value represents a power loss which the engine must overcome. However, the fluid does not sense this loss.
PRINTI	Option to delete vector input listing, nonzero to perform this function.
PRMAT	Geometric Influence Coefficient print option, generally not used (0.0). A value of 1.0 requests the printout of the geometric influence coefficients used to compute the induced velocity in both the cylindrical coordinate system and the blade element coordinate system.
PRNTOP	Option to delete performance printout of spanwise distribution quantities, nonzero to perform this function.
PROPT	Wake geometry print option, generally not used (0.0). A value of 1.0 requests that the wake coordinates be printed.
PROPNM	Number of propeller blade rows (1 or 2).
RAD1, RAD2	Input blade radius (along the pitch axis), this value may not be the true radius if the blade is swept off of the pitch axis (ft).
RDCAS1, RDCAS2	Outermost fraction of the blade radius for which the cascade airfoil data will be applied. If zero no cascade airfoil data is used.
RDTRN1, RDTRN2	Maximum radius to which the airfoil transition interpolation model can be applied. This value is also the flag which requests this option.
REV	Number of revolutions of wake geometry used to model the actual wake. The value chosen should be sufficient in length to approximately model an infinite wake's influence. Low flight speeds require a larger number of revolutions of wake geometry than high speed conditions. For high speed conditions use 2.0.

<u>Input Label</u>	<u>Description</u>
RØLUP1, RØLUP2	Option switch to model trailing wake rollup. A nonzero value requests that the input value represents the number of outer filaments to be rolled up into the tip vortex filament at a specified azimuth position behind the blade. When this model is requested, the remaining filaments are implicitly rolled up into a remaining or root vortex. See figure 4. The value to use should correspond to the maximum circulation location.
RPMRF1, RPMRF2	Reference rpm for twist increment due to steady airloads.
RPM1, RPM2	Propeller rotation speed (rpm).
SKINØP	Option switch which requests a skewed flow drag model. An input value of 1.0 requests this option.
SØUND	Freestream speed of sound (fps).
STACK	Fraction of chord measured from the leading edge to define the position of the lifting line on each blade element, generally the quarter chord line is used (0.25).
STN	Number of inflow stations per blade. Maximum of 15. Generally at least 10 are used.
TAUEXP	Exponent for airfoil transition interpolation function.
THETA1, THETA2	Input reference blade angle (degrees). This reference angle rotates the input twist distribution about the pitch axis. If the performance iteration is requested this value will be changed internally and the input value is the first iteration value. Positive leading edge up.

<u>Input Label</u>	<u>Description</u>
TRUCI1, TRUCI2	Azimuth position behind the blades for which the root rollup occurs, a zero value assumes rollup starts immediately at the blade. Because there is generally no root vortex formed, a large value should be input when rollup is requested (degrees).
TRUCT1, TRUCT2	Azimuth position behind the blades for which the tip rollup occurs, a zero input assumes rollup starts immediately at the blades (degrees).
TYPCAS	Option switch to select cascade type. An input of 0.0 requests no cascade data be used. A value of 1.0 uses the correlation from reference ___, while a value of 2.0 requests the correlation of reference ____.
VIMØM1, VIMØM2	Input momentum induced velocity, used to define the wake geometry. If a performance iteration is requested, this value is internally corrected to match the resultant performance (fps).
VKTAS	Freestream flight velocity (knots).
VØRCØR	Fraction of the blade radius to define a vortex core for geometric influence coefficient calculations. Generally 10 percent of the chord is used.
WAKEØP	Option control for wake model selection. A zero value requests the standard wake model (modified classical wake) defined by the momentum-induced velocity and the radially varying input axial inflow velocity distribution be used. A value of 1.0 requests a wake model defined by the flight velocity and momentum input velocity be used (classical wake). A value of 2.0 requests that the wake geometry be input to the analysis and a value of 3.0 requests that the wake coefficients for the generalized wake model be input.
WAKNAC	Option control for including the effects of the nacelle on the wake geometry through the use of a displacement correction to the requested wake model. The option generally requires that WAKEØP = 1.0 so that double accounting of the nacelle's influence on the wake geometry does not occur. An input value of

Input LabelDescription

1.0 requests this option. If the standard wake model (WAKEØP = 0.0) is requested with this option, the program execution will be terminated because of this double accounting of the nacelle's influence. If it is actually desired to use the standard wake model, this feature can be overridden by adding to the program input, immediately following the input data, a card with the alphanumeric characters ØVER in card columns 1 to 4.

ZHUB

Nondimensional (radius of propeller one) displacement between the propeller disc centers for coaxial propellers. A positive value places the second propeller behind the first. Must be consistent with input for nacelle portion of the analysis.

Data Set II

The header card label for this data set is BLADE, in card columns 1 through 5. The first input after the header card must be the integer value for the number of blade segment boundaries, free field format. Following this input card, the data items are input. For each set of blade segment boundary items (STN+1), a labeled header card is input with the alphanumeric labels described below, followed by the free field formatted vector* (root to tip) on the next card for the item in question. For the tip Mach cone definition quantities, this format is identical but the vector item is replaced by a single value. All of these items should be input.

Input LabelDescription

XSB

Input cartesian coordinate vector, X, inboard to outboard, to define the blade lifting line segment boundaries. Nondimensionalized by the blade segment radius boundary value (RAD1). Maximum of 16 boundaries (15 segments).

YSB

Input cartesian coordinate, Y, to define the blade lifting line segment boundaries, nondimensionalized by the last segment boundary value (RAD1). Maximum of 16 boundaries (15 segments).

* Free field format consists of a series of numbers (Fortran floating point or exponential) separated by commas. If more than 80 card columns are needed for an input vector, the vector continues on the following card.

<u>Input Label</u>	<u>Description</u>
ZSB	Input cartesian coordinate, Z, to define the blade lifting line segment boundaries. Nondimensionalized by the last segment boundary value (RAD1). Maximum of 16 boundaries (15 segments).
XMC	Input cartesian coordinate, X, to define the blade leading edge tip location for the tip Mach cone definition. Nondimensionalized as noted above.
YMC	Input cartesian coordinate, Y, to define the blade tip location for the tip Mach cone definition. Nondimensionalized as noted above.
ZMC	Input cartesian coordinate, Z, to define the blade tip location for the tip Mach cone definition. Nondimensionalized as noted above.

Data Set III

The header card for this data set is labeled VARDAT. The input interpolation tables for each item in this data set are input with a header card with the label for the particular item on it, followed on the next card by the integer number of interpolation stations in free field format (minimum of 4, maximum of 20). The independent vector (non-dimensional X-wise coordinate) for the particular item follows on the next card (root to tip) in free field format. The dependent vector values then start on a new card following the independent vector in the corresponding order. An example of the format for one input item follows:

Format

Label	(Alphanumeric)
N	(Integer)
$X_1, X_2, X_3, \dots, X_n$	(Floating Point)
$Y_1, Y_2, Y_3, \dots, Y_n$	(Floating Point)

The required input items are described below.

<u>Input Label</u>	<u>Description</u>
AIRN	Airfoil type designation number distribution. There are only two values for input, 23.0 which requests the Manoni airfoil data tables and 24.0 which requests the NACA airfoil data tables (reference 1). Because the values used internally are computed by interpolation from this input vector and then converted to integer values, the input values of 23.1 and 24.1 are generally used to guarantee that the integer values of 23 and 24 are used internally. These values start at the hub even if the cascade data is used.
CØRD	Chord distribution in feet.
THET	Built in blade twist distribution in degrees. Leading edge up (direction of positive rotation) is positive.
DECL	Design lift coefficient distribution.
TØVC	Airfoil thickness to chord ratio distribution.
DENS	Local blade row density to freestream density ratio distribution. Overridden if Nacelle portion of the analysis is used.
SØUN	Local blade row to freestream speed of sound ratio distribution. Overridden if Nacelle portion of the analysis is used.
URVO	Local blade row radial inflow velocity to freestream velocity ratio distribution. Overridden if Nacelle portion of the analysis is used.
VØVO	Local blade row axial inflow velocity to freestream velocity ratio distribution. Overridden if Nacelle portion of the analysis is used.
BETA	Dynamic twist distribution, internally scaled by the ratio of rpm to reference rpm squared. Incrementally added to static twist distribution, degrees.

Optional Generalized Wake Geometry Input Coefficients (WAKEØP = 3.0)

In order to maintain flexibility with regard to the generalized wake model, the generalized wake geometry equations are included in a separate subroutine which requires the input of a set of generalized wake coefficients if this model is requested. In this subroutine the input wake parameters are applied to the wake equations to compute the wake filament coordinates. The input instructions for the wake geometry subroutine (RWZW7) are included herein.

The wake equations for the generalized wake model, containing the input generalized wake coefficients, and graphs showing the applicable wake regions of the equations are presented in figure 5 (in which program symbols are used). The designations $r = 0$ and $r = 1$ indicate nondimensional radial coordinates at the axis of rotation and at a distance of one propeller radius from the axis of rotation, respectively. The wake representation is also explained in reference 2; however, for the wake equations therein: (1) AK30 and AK31 are not included, (2) it is assumed that AK10 is zero and (3) the axial coordinate for the tip vortex and the vortex sheet extension to $r = 1$ is relative to the blade tip instead of the propeller hub.

Input for Generalized Wake Geometry

<u>Card No.</u>	<u>Column</u>	<u>Program Symbol</u>	<u>Description of Input Item</u>
1	9-10	IØPT	Option for the vortex sheet boundary within a wake azimuth of 360./BL and the blade (fixed point, right adjusted). Normally, set IØPT = 1 to establish a parabolic vortex sheet boundary through: (1) the origin of the outermost vortex sheet filament at the blade, (2) the rolled up tip filament coordinates at an azimuth of 360./BL and (3) the intersection of the vortex sheet at an azimuth of 360./BL and the tip vortex boundary. IF IØPT = 0, a linear vortex sheet boundary is established between (1) and (3) above. See reference 2 for more detail.
	11-20	A	Curve fit constant, A, in the tip vortex radial coordinate equation (see figure 5).
	21-30	LAMBDA	Curve fit constant, LAMBDA, in the tip vortex radial coordinate equation (see figure 5).

<u>Card No.</u>	<u>Column</u>	<u>Program Symbol</u>	<u>Description of Input Item</u>
	31-40	PHINPO	Wake aximuth angle, PHINPO, that separates the axial velocity regions AK20 and AK30 for the vortex sheet extension to $r = 0$, degrees (see figure 5).
	41-50	PHINP1	Wake azimuth angle, PHINP1, that separates the axial velocity regions AK21 and AK31 for the vortex sheet extension $r = 1$, degrees (see figure 5).
2	1-10	AK1T	Axial velocity of the tip vortex between the blade and the passage of the following blade at wake azimuth 360./BL (nondimensionalized by rotor tip speed; negative down).
	11-20	AK2T	Axial velocity of the tip vortex after the passage of the following blade at the wake azimuth 360./BL (nondimensionalized by rotor tip speed; negative down).
	21-30	AK10	Axial velocity of the vortex sheet extension to the center of rotation in the wake azimuth region between the blade and the passage of the following blade at the wake azimuth 360./BL (nondimensionalized by rotor tip speed; negative down).
	31-40	AK20	Axial velocity of the vortex sheet extension to the center of rotation in the wake azimuth region between the passage of the following blade at the wake azimuth 360./BL and the wake azimuth PHINPO (nondimensionalized by tip speed; negative down).
	41-50	AK30	Axial velocity of the vortex sheet extension to the center of rotation following the wake azimuth PHINPO (nondimensionalized by tip speed; negative down).
	51-60	AK11	Axial velocity of the vortex sheet extension to $r = 1$ in the wake azimuth region between the blade and the passage of the following blade at the wake azimuth 360./BL (nondimensionalized by rotor tip speed; negative down).

<u>Card No.</u>	<u>Column</u>	<u>Program Symbol</u>	<u>Description of Input Item</u>
	61-70	AK21	Axial velocity of the vortex sheet extension to $r = 1$ in the wake azimuth region between the passage of the following blade at the wake azimuth 360./BL and the wake azimuth PHINP1 (nondimensionalized by tip speed; negative down).
	71-80	AK31	Axial velocity of the vortex sheet extension to $r = 1$ following the wake azimuth PHINP1 (nondimensionalized by tip speed; negative down).

Optional Input Wake Geometry (WAKEOP = 2.0)

If desired, an arbitrary wake geometry model may be used in the analysis by input of the complete wake geometry. The only constraints for the wake model are that the description of the geometry is assumed identical for each blade (a required assumption in the solution procedure) and that the coordinates be input in the cylindrical coordinate system for equally spaced wake azimuth positions consistent with the blade azimuth increment and inflow station boundaries. This model allows for the most exact description of the wake geometry, if known, given the inherent assumptions of the analysis. The description of the input format follows.

The wake geometry is input in separate sets for each trailing wake filament, inboard to outboard. Each set contains subsets for each revolution of wake geometry requested. Each subset will start with a new card. The radial and axial coordinates are paired (radial, axial) for the trailing wake segment boundary for each wake azimuth position (wake age) starting at the youngest and ending with the oldest wake segment boundary. Thus, the wake azimuth position is implicitly assumed to be consistent with the input blade azimuth (DPSI) increment and the number of trailing segments must be constant with the number of wake revolutions. The FORTRAN format used is 10F8.4 for each card of data. There are KTOT (number of trailing filament) sets of cards. Each set of cards contains NTOT (number of wake revolutions) subsets, with each subset containing JTOT1 (number of wake azimuth positions per revolution + 1) pairs of wake coordinates. Because each subset of data will contain a complete definition of a revolution of wake geometry, the first coordinate pair of each subset will be identical to the last coordinate pair of the previous revolution, excepting the first subset. The total number of input data pairs is then $(KTOT) \times (NTOT) \times (JTOT1)$. For a typical high speed condition using two revolutions of wake, 12 segment boundaries and a blade azimuth increment of 15 degrees, the number of pairs would be $(12) \times (2) \times (25) = 600$ or 1200 single values.

Description of Propeller Solution Output

The propeller output section can be broken into three distinct portions, initial, intermediate and final output. The program user has a large number of print options which control the amount of intermediate output. The initial and final output are not optional. The descriptions of the output quantities are presented in the following sections. A sample printout for selected portions of the propeller solution portion is presented in Appendix B. It should be noted that in the description to follow there is only one propeller and propeller position for a single propeller configuration. For coaxial propellers the intermediate output is repeated for each propeller.

Initial Output

During the reading of the propeller input data, the data as read in is immediately printed out. This information is entitled: PRINTOUT OF INITIAL DATA AS READ IN, and if the program execution terminates during the reading of an input data item, the user will see the item which was last read before program termination. This feature has two advantages: first, if an incorrect item is attempted to be read in, the user can quickly determine the incorrect item; and second, a complete listing of the propeller input data as used in the analysis is available for later review if desired. This output section always occurs during the input of the propeller data. If the combined analysis (propeller and nacelle) mode is being used, this output occurs long before (precedes the nacelle inviscid solution) the other portions of the propeller output. This feature can be partially suppressed if desired by the input control, PRINTI. This option will suppress the vector printout quantities if requested.

The next output for this initial output is a section entitled: PROGRAM INPUT SUMMARY, and consists of the input data displayed in a structured format. The propeller modeling options used for the particular execution are listed in the following form. The integer value of the input modeling option is displayed with a brief description of the model used. The freestream conditions are listed next, (VKIAS, SØUND, DENSTY) followed by the propeller operating characteristics (PRØPNM, BLADEN, RPM, ZHUB). The parameters which define the wake and blade geometry segmentation are displayed next (STN, STACK, DPSI, REV, CNSECT) followed by the propeller characteristics (RAD1, HUBQ1, THETA1, RDCAS1, VIMØM1) of each propeller. The printout of the propeller characteristics includes: the blade lifting line segment boundaries coordinates (XSB, YSB, ZSB, BETA); the inflow station coordinates and the blade properties at the segment centers as interpolated from the input distributions (AIRN, CØRD, THET, DECL, TØVC, VØVO, URVO, SØUN, DENS).

Intermediate

The intermediate output is described below. Generally it is limited to the minimum amount possible since most of the output is repeated in the final output section. The intermediate output is repeated for each iteration in blade angle. If there is no performance iteration it is printed only once for the input blade angle. This output is entitled: PROGRAM OUTPUT FOR PROPELLER PERFORMANCE ITERATION NUMBER X.

The first output data for this section is not optional; it consists of a table of the blade lifting line segment center and boundary coordinates for the reference blade angle and the blade angle value in degrees. The coordinates are listed in cartesian and cylindrical form for the centers and boundaries. Following this table, the coordinates for the definition of the tip Mach cone location are listed in cartesian form for the blade angle in question. If no optional printouts are requested, the wake transport velocity distribution is printed as a function of blade radial location. If optional printouts are requested this print does not follow immediately, but occurs later in the output. All other output for the intermediate portion is optional. The input option controls (in parentheses) and the respective descriptions of the output follow (output labels in parentheses if not noted).

The output of the trailing wake geometry coordinates (PRØPT) is presented in the cylindrical coordinate system and tabulated as a function of wake azimuth position and blade radial position. This output is entitled: WAKE COORDINATES. The radial coordinates are tabulated first, starting with the values at the blade and ending with the oldest element. A table of the axial coordinates is then presented in the same format.

The printout (PRMAT) of the summed geometric influence coefficients for each inflow station at each propeller position for each propeller as a function of the appropriate inflow station and propeller position of each propeller is presented in the cylindrical coordinate system and in the blade element coordinate system. This printout is entitled: CYLINDRICAL GEOMETRIC INFLUENCE COEFFICIENTS or BLADE ELEMENT GEOMETRIC INFLUENCE COEFFICIENTS. The propeller and propeller position indices are so noted on the printout, while the inflow station indices are not, since the values are presented for the inboard station to the outboard station for each propeller and propeller position.

For detailed intermediate output (DEBUG) the following extensive list of items is presented in the same format as noted above for the propeller, propeller position and inflow station indices. Generally this printout should not be used. A section of detailed blade element properties consisting of the magnitude (if it applies) and unit vector direction cosines in the cylindrical coordinate system is output for each of the following: the blade segment

lifting (SB, ALSRAD, ALSPHI, ALSAXL), input chord (CINPUT, ALCIRD, ALCIPH, ALCIAX), the normalwise unit vector (ALNRAD, ALNPHI, ALNAXL), the blade element chord nondimensionalized by blade radius (CHØRD, ALCRAD, ALCPHI, ALCAXL), input blade element thickness to chord ratio (TØVERC, ALTIRD, ALTIPH, ALTIAX), the blade element thickness to chord ratio magnitude only (THK) and the blade element design lift coefficient (DESCLP). This section is entitled: DETAILED BLADE ELEMENT ØUPUT. The next section consists of detailed blade element velocities and unit vector direction cosines (VTØT, ALVRAD, ALVPHI, ALVAXL) in the cylindrical coordinate system along with the direction cosines in the blade element coordinate system (VS, VC, VN) and the angle of attack (ALPHAN), and inplane aerodynamic skew angle (SKEW), all computed without including the propeller induced velocities, entitled: DETAILED VELOCITY RELATED OUTPUT (EXCLUDING INDUCED VELOCITY TERMS). The indices associated with the internal program "DO LOOPS" for the geometric influence calculations are then output, along with the cosine and sine functions for the respective inflow stations inplane lag angle and propeller azimuth position and a counter rotation flag with each line of output marked: INTERMEDIATE OUTPUT. Following this output, the normalwise blade element geometric influence coefficients are printed in the circulation matrix form for each propeller at each propeller position for each inflow station. The title of the output is: GEOMETRIC INFLUENCE COEFFICIENT. Following this output some untitled cascade related items are listed. The chord-to-gap ratios (TAU) and gap-to-chord ratios (SIGMA) are listed along with the geometric angle between the propeller direction of rotation and the local blade element chordwise vector (THETAG) which represents the compliment of the cascade stagger angle. Tip Mach cone quantities (untitled) are then output. The Mach cone angle is listed and then the angle between the blade tip and the location of the specified fraction of the blade chord for each inflow station is listed. The tip Mach number value is listed next. The station location index (NSTAT) for the intersection of the Mach cone and the fraction of the blade chord is listed and the resulting Evaard Tip Relief correction factor (XKCØNE) for each blade inflow station is presented. The blade element Mach number (SMACH) and the total Mach number (CMACH) distributions are listed along with the blade element geometric angle of attack (excluding induced terms) distribution in radians (ALPHA). Following this output, the linearized lift curve slope (AA), an aerodynamic quantity ($D = \frac{8 R}{ac}$), the matrix constant vector (CØNST) and the blade element geometric blade angle (THETA) in degrees are listed. The induced velocity component distributions (VIN, VIC, VIS) in the blade element coordinate system at each inflow station of each propeller for each propeller position are presented due to each propeller, followed by the total of both propellers for each inflow station (VINT, VICT, VIST), entitled: DETAILED INDUCED VELOCITY OUTPUT. This output is followed by the total velocity magnitude (VTØT), the blade element angle of attack (ALPHA), the blade element aerodynamic skew angle (SKEW) and blade element inflow angle (PHI) distributions which include the induced velocities. It is titled: DETAILED VELOCITY RELATED OUTPUT.

The above output starting from the Mach cone correction and ending with the inflow angle is repeated for each iteration of the nonlinear circulation matrix solution. The intermediate circulation solution output consists of the nonlinear correction quantities (CØRPHI, CØRVEL, CØRCL) used in the solution technique, the resulting corrected constant vector of the circulation matrix (CØNHSD), the actual correction vector (CFDP), the uncorrected constant vector (CØNST), the current angle of attack (ALPHA), and previous angle of attack (SAVALP), the current lift coefficient (CLSAV), the current circulation (CIRC) and previous circulation (SAVCIR), and the current normalwise induced velocity (VIN) for each inflow station for each propeller position of each propeller for each iteration of the matrix solution. Once the final circulation iteration solution is obtained, the final lift, drag and minimum drag coefficients are printed (CLSAV, CDSAV, CDO). Following this output the total blade forces are listed in terms of the magnitude and direction cosines (FTØT, ALFRAD, ALFPHI, ALFAXL) and the respective lift and drag components of the force (FLTØT, ALFLRD, ALFLPH, ALFLAX, FDTØT, ALFDRD, ALFDPH, ALFDAX). This output is marked: DETAILED BLADE FORCE SUMMARY.

Final Output

The final output consists of tabled values of many of the output items listed in the intermediate printout and integrated performance quantities. This output section is entitled: PROPELLER PERFORMANCE. It is repeated for each performance iteration and presented for each propeller for each propeller position as a function of blade inflow station location (X/R). The description of each of the tabulated items is included on the printout of Appendix B and will not be described here. It is labeled: BLADE SPANWISE VARYING QUANTITIES. Only the descriptions of the sections of integrated quantities will be presented. The first of these integrated sections is labeled BLADE CHARACTERISTICS and contains the blade characteristics for each propeller position for each propeller; thrust per blade (lb_f), torque per blade ($ft-lb_f$), power per blade ($ft-lb_f/sec$) and horsepower per blade (hp). Following this section of integrated quantities, the combined (all blades, both propellers) instantaneous values of thrust and power for each propeller position are presented. It is titled: INSTANTANEOUS TOTAL PROPELLER PERFORMANCE FOR PROPELLER POSITION X. This is followed by a section of integrated values averaged over all propeller positions for each propeller, entitled: INTEGRATED PROPELLER CHARACTERISTICS FOR PROPELLER X. This section contains the total thrust (lb_f), thrust coefficient (T/n^2D^4), forward velocity

(knots), torque (ft-lb_f), power coefficient ($P/\rho n^3 D^5$), advance ratio ($V_\pi/\Omega R$), profile torque (ft-lb_f), propeller efficiency (CTXJ/C_p), reference blade angle (degrees), induced torque (ft-lb_f), power ($\text{ft-lb}_f/\text{sec}$), horsepower (hp) and the momentum induced velocity (fps). The combined propeller performance follows if coaxial propellers are used. This output is followed by the nacelle and combined nacelle-propeller quantities. These items for the nacelle are the pressure and skin friction drag (lb_f), the respective drag coefficients and the combined drag and drag coefficients using the same units and definitions as used for the propellers. The combined nacelle and propeller thrust, thrust coefficient, power and power coefficient and efficiency then follow. Following this output, the force components per blade per unit span are presented in the cylindrical coordinate system (lb_f/ft) for each propeller, and labeled: FORCE PER BLADE PER UNIT SPAN.

Description of Failure Modes

Generally, if the input data is correct and reasonable for the flight condition being investigated, the propeller solution procedure will not fail. To help assist the user in running the computer program, certain failures which could occur because of incorrect data setup or incorrect data values are checked internally by the computer program. If the input is incorrect, diagnostic output will occur to inform the user and allow him to make the required corrections.

General Input Format

As noted in the section describing the input data setup, certain labeling formats have been specified for the input data. If these formats are violated, explicit output diagnostics will not generally be printed; however, program termination will occur immediately with the last item which was attempted to be read in printed as the last output. Termination on the input of these labels will occur for the following reasons:

- (1) Data set labels not in the required order
- (2) Data set labels misspelled
- (3) Input item labels misspelled
- (4) Missing END labels for the data sets

Missing Input Data

Assuming all of the input data is read in correctly, the program then checks for missing input that is required for successful program execution. The following diagnostic messages could occur if certain data is missing. Explanations of the messages are noted, if required, for clarity.

- (1) "PROPELLER DISK DISPLACEMENT NOT INPUT, EXECUTION TERMINATED"

This message informs the user that the hub displacement between the propellers was not input in the coaxial mode of operation.

- (2) "RPM NOT INPUT, EXECUTION TERMINATED"

- (3) "SOUND NOT INPUT, EXECUTION TERMINATED"

This message informs the user that the freestream value of the speed of sound was not input.

- (4) "DENSITY NOT INPUT, EXECUTION TERMINATED"

This message informs the user that the freestream value of the density of air was not input.

- (5) "RADIUS NOT INPUT, EXECUTION TERMINATED"

This message informs the user that a blade radius input is missing.

- (6) "DPSI NOT INPUT, EXECUTION TERMINATED"

- (7) "NUMBER OF WAKE REVOLUTIONS NOT INPUT, EXECUTION TERMINATED"

- (8) "NUMBER OF BLADES NOT INPUT, EXECUTION TERMINATED"

Incorrect Data Input

If data is input to the program which is incompatible with the requirements of the computer analysis, diagnostic messages will also occur. The messages are listed below along with explanation, if required.

- (1) "POWER COEFFICIENT ITERATION NOT ALLOWED FOR TWO PROPELLERS, EXECUTION TERMINATED"
- (2) "THRUST COEFFICIENT ITERATION NOT ALLOWED FOR TWO PROPELLERS, EXECUTION TERMINATED"
- (3) "COMPRESSIBLE BOUND VORTEX MODEL NOT FUNCTIONAL FOR TWO PROPELLERS, EXECUTION TERMINATED"

This message informs the user that he has requested a combination of modeling options which are not compatible. The compressible bound vortex model was not derived for coaxial propellers, and thus cannot be used for coaxial propeller configurations.

- (4) "INPUT ERROR 360/DPSI IS NOT A MULTIPLE OF B. WILL STOP PROGRAM.
JTOT=X, B=X"

This message informs the user that the requested blade azimuth increment is not an integer multiple of 360 degrees. The number of blade azimuth positions (JTOT) and the number of blades (B) that were requested are listed in the locations marked by X respectively.

- (5) "***BJTOT IS NOT AN INTEGER MULTIPLE OF THE NUMBER OF PROPELLER
DISKS, EXECUTION TERMINATED"

This message informs the user that the number of azimuth intervals between blades is not an integer multiple of the number of propellers. It checks to be sure that for a coaxial configuration, the half blade spacing is an integer multiple of the azimuth increment.

There are also a series of diagnostic messages associated with internal program core allocations. If a combination of input quantities exceeds the internal dimension limits, self-explanatory messages are output which inform the user of the problem, the values input and the allowable limits. Because the messages are self-explanatory, they will not be listed here. The required corrective action will be clear to the user if they do occur.

Nacelle Portion

This section is intended to describe the general features of the nacelle portion of the PANPER program. The technical aspects of this analysis are described in reference 1. The first subsection describes what problems can be solved and what problems cannot be solved. It also describes any special care which should be used in exercising the various options. The second and third subsections present a detailed description of the input which is required in the operation of the computer program and the interpretation of the printed output. Since any complicated computer program may fail due to inconsistencies in the input or failure of the theory, the computer program is provided with self-diagnostics which notify the user of the type of failure. The last subsection deals with these program diagnostics as well as helpful hints to correct problems which may be encountered.

Since this computer program is intended for a wide variety of users, some note should be made of the nomenclature. The term "duct" refers to any flow passage including inlet nozzles, diffusers, or transition ducts or external flow problems where the outer wall is replaced with the appropriate boundary condition. Typically, such ducts may have struts, compressor or propeller blades, inlet guide vanes, or exit guide vanes and these terms are used almost interchangeably in the discussion. Depending on the user, the duct wall dimensions may be referred to as hub and tip walls or inside diameter (ID) and outside diameter (OD) walls respectively. Some users may use the terms centerbody and outerbody when referring to ID and OD walls respectively. The subscript notation, Fortran symbols, and computer printout generally uses the subscript W for either wall without distinction and H and T for hub and tip wall. Finally, the term "slot injection" refers to the injection of flow tangent to the wall at a discrete axial location, while "mass bleed" refers to injection of flow normal to the wall.

General Features of the Program

Types of Fluids

The fluid may be any compressible gas as defined by its thermodynamic properties ρ , C_p , C_v , μ , P_{RL} , P_{RT} . If not otherwise specified, the gas is assumed to be air. The reference conditions for the gas properties must be specified at standard sea-level conditions.

Types of Flow Situations

External or internal, transonic, turbulent, swirling or nonswirling flows may be calculated, including flows with radial total pressure distortion. Two-dimensional flows may be calculated by constructing an annular duct in which the inner to outer radius approaches 1.0.

Geometry Options (IØPT3)

The flow through any axisymmetric duct may be calculated provided that the flow is generally in the axial direction. Duct flows normal to the axis of symmetry or which reverse direction cannot be calculated due to logic limitations in Subroutine CØØR. Ducts with sharp discontinuities, such as a step, which produce separation also cannot be calculated.

Provision is made in the program to either read the duct coordinates from input data cards (IØPT3=2), or to calculate the duct coordinates analytically (IØPT3>4) from a few input duct shape parameters. If the duct coordinates are read from input cards, care should be taken that the input coordinates have sufficient smoothness to calculate the first and second derivatives using numerical finite-difference equations. When the second option is used (IØPT3>4), the user must program his own calculation in Subroutine GDUCT. Sample programs (IØPT=1, 3, 4) are given in Subroutine GDUCT for the user's reference. For ducts with no centerbody a zero radius must be specified.

An important restriction to the computer program is that the inlet and exit flow must have no normal pressure gradients produced by streamline curvature, although it may have normal pressure gradients due to swirl. Many ducts do not satisfy this requirement; however, these ducts can still be treated if the duct is extended. For curved annular ducts exhausting to atmosphere, the exit flow may have curvature. This phenomena may be simulated by extending the duct to approximate the curvature of the exit flow.

If the IØPT3=2 option is used, and the number of input points is less than the number of specified streamwise stations, the program smooths the input data and interpolates the required mesh points.

Inlet Flow Options (IØPT1)

The computer program is provided with two methods to describe the inlet flow. When IØPT1=1, the inlet flow is calculated by prescribing the stagnation conditions (P_o, T_o) on Card No. 6, the inlet Mach number M , the swirl angle α_1 , and the boundary layer parameters δ^* and n , which are the boundary layer displacement thickness and power law velocity profile exponent, on Card No. 5, respectively. The core flow is then calculated from isentropic flow relations, and boundary layers added using power law velocity profile relations. When stagnation conditions are not specified, the calculation assumes sea level conditions.

When IØPT1=2, the inlet flow is prescribed from input data cards which specify the stagnation pressure P_o , static pressure P , swirl angle α , and stagnation temperature T_o , as a function of the fractional distance across the inlet. This data need not be specified at equidistant points since a linear interpolation is used to specify the data at the mesh points used in the calculation. If experimental data is not used, care should be taken that the data is self-consistent and that it satisfies the radial equilibrium equation. Since the initial growth of the boundary layer is sensitive to the wall shear stress, data describing the boundary layers should be accurately specified. When this is not possible, boundary layers may be added to each wall by specifying δ^* and n . Special care should be exercised in using the IØPT1=2 option, with or without the feature of adding in the wall boundary layers. If the stress distribution across the duct is not smooth and realistic, numerical instabilities might originate in the inlet flow and grow rapidly to a point where the calculation is terminated. This may take the form of an unrealistically early separation.

When IØPT1=3, the inlet free stream flow is calculated the same as IØPT1=1. The boundary layers on each wall, however, are calculated from Coles' profiles (reference 3) using Function FCØLES. The IØPT1=4 option is the same as the IØPT1=2 option, except that Coles' profiles are used for the boundary layers.

For IØPT1=1, 2, 3, or 4 there are no restrictions on δ^* other than it must be greater than zero and that the transverse grid must be chosen such that at least 5 to 10 mesh points exist for $0 \leq Y^+ \leq 10$. A printout of $U^+(Y^+)$ is provided by setting IØPT4=0. In absence of other information a value of δ^* of one percent of the inlet height is an adequate approximation for a thin initial boundary layer. If the boundary layer thickness is not small compared to half-height, the correct input value of δ^* must be obtained

from other sources such as data correlation, experimental measurements, etc. Most zero pressure gradient boundary layers follow a $1/7$ th power law profile and it is recommended that this value be used. For $IØPT1=3$ or 4 in which Coles' profiles are used, a shape factor is computed from the input values is used δ^* and n . This shape factor is used to compute a wake parameter and a compatible wall stress for use in Coles' profiles. As shown in reference 3, specification of the wake parameter and wall stress uniquely defines the Coles' velocity profile.

Boundary Conditions (T_w, m_w)

Either the adiabatic wall or the heat transfer case may be calculated. The program assumes adiabatic walls unless the wall temperature is specified. Any wall temperature distribution may be specified, either on input cards when the duct coordinates are read, or calculated when the duct coordinates are calculated. The case of wall bleed may also be treated in a similar manner; wall bleed flow rate is zero, unless otherwise specified. At the present state of development of the computer code, only the $IØPT3=1$ option allows a specification of wall temperature as a boundary condition. For all other $IØPT3$ options adiabatic walls are assumed.

Force Option

Subroutine $FØRCE$ is provided with two options. For $IØPT2 \neq 0$ and $NØPPF = 1$, the blade force is calculated from data taken from the propeller lifting line portion of the code. For $IØPT2 \neq 0$ and $NØPPF = 0$ the blade forces are read in as input data.

Failure Modes

In the event of failure in the calculation, the program prints an error message called "diagnostic". These "diagnostics" are in addition to the computer diagnostics and are clearly labeled as such. These "diagnostics" terminate the calculation only when very serious. A list of these "diagnostics" appears in a later section. Included with this list is an identifying number for the "diagnostic", the location (Subroutine), and the immediate cause of the failure. Where possible, suggestions are made to correct the calculation.

Debug Options ($IDBGN$)

Auxiliary printout which was originally used to debug the computer program is available to the user by setting the appropriate $IDBGN$ option. However, the user must refer to the program listing or compilation to determine the meaning of this printout.

Grid Selection

The grid selection parameters appear on the third input card and are given by DDS, KL, JL, KDS. The number of streamwise stations is divided into a coarse grid of $JL \leq 100$. The number of streamlines including the wall boundaries is given by $KL \leq 100$ points and a fine grid of $JL \cdot KDS$ points. The solution is numerically stable; however, truncation errors may get large if too large a streamwise step size is used. The streamwise step size may be made smaller without recalculating the coordinate system by increasing KDS. It should be noted that computing time is proportional to $JL \cdot KDS$. The parameter DDS distorts the normal coordinate by placing more streamlines near the wall.

Mesh Distortion

The numerical solution of turbulent boundary layers requires accurate integration of the mean profile in the turbulent mixing layer. For high Reynolds number flows, practical considerations require distributing more mesh points near the wall in some systematic manner. This is done using an exponential transformation given by

$$n(\eta) = \frac{(c+1/2) \exp \left[2 \ln \left(\frac{c+1/2}{c-1/2} \right) (\eta-1/2) \right] - (c-1/2)}{1 + \exp \left[2 \ln \left(\frac{c+1/2}{c-1/2} \right) (\eta-1/2) \right]} \quad (1)$$

where

$$0 \leq n \leq 1$$

$$0 \leq \eta \leq 1$$

The parameter c is chosen so as to place the first mesh point at approximately $Y^+ = 1$. Then for equal increments in $\Delta\eta$, equation (1) distributes the mesh points Δn so as to place more mesh points near the wall.

Separation

The separation point is determined when the streamwise component of wall stress goes to zero. However, the calculation can continue past the separation point. When the region of reverse flow becomes too large, greater than 2.0 percent, the calculation stops.

Description of Input

This subsection describes the loading of input data cards for running the nacelle portion of the computer program. The input specification follows the convention that a blank or zero value for any parameter implies no action by the computer program. Numbered cards must be loaded. The remaining cards must be loaded only if the proper option is selected. Care should be taken in loading the program because of the input changes depending on the options chosen in the second data card. Multiple cases can be run simply by stacking the cases in order. The last case is followed by two blank cards.

Card No. 1: Title Card

Name	Col.	Format	Comments:
TITLE	1-72	12A6*	Any alphanumeric characters.

Card No. 2: Option Card

Name	Col.	Format	Comments:
IØPT1	1-2	I2	(FLOWIN Option) IØPT1=3 The inlet flow is computed by specifying the data on card 5. IØPT1=4 The inlet flow is read from 2xKLL data cards following card 5. IØPT1=9 Laminar flow, inlet flow is calculated using a Blasius profile.
IØPT2	3-4	I2	(FORCE Option) IØPT2=0 No blades or struts exist in the duct and these cards are not loaded. IØPT2=3 The strut forces are input on cards (2xKLL cards following card 3). IØPT2=4 The blade forces are calculated from lifting line theory if NØPPF=1. If NØPPF=0 blade forces are read from data cards.
IØPT3	5-6	I2	(GDUCT option) IØPT3=1 Calculate a straight annular duct IØPT3=2 Read coordinates IØPT3=3 Calculate a straight wall annular diffuser IØPT3=4 Do not use IØPT3=5 Calculate curved wall diffuser No. 1. IØPT3=8 Straight walled duct

* 12A6 UNIVAC system
18A4 IBM systems

Card No. 2: Option Card (Cont'd)

Name	Col.	Format	Comments:
IØPT4	7-8	I2	Print solution every IØPT4 stations. For example, if IØPT4=3 every third station is printed. If IØPT4=1 every station is printed. If IØPT4=-1 additional output at each station is printed.
IØPT5	9-10	I2	Strut data input (see IØPT2=3) used to calculate strut forces from experimental data measured upstream and downstream of strut. IØPT5=1 Read in required profiles. IØPT5=2 The upstream and downstream strut data cards are identical to the inlet and exit flow cards and need not be loaded.
IØPT6	11-12	I2	IØPT6=0 Strut force plus thickness effects. IØPT6=1 Strut thickness effects only.
IØPT7	13-14	I2	Axisymmetric compressible streamline curvature corrections. 0 = No curvature correction 1 = Curvature correction
IØPT8	15-16	I2	WBLEED option. = 0 No Bleed = 1 Bleed OD wall = 2 Bleed ID wall = 3 Bleed OD and ID wall
IØPT9	17-18	I2	IØPT9=0 Approximate CØØR calculation. IØPT9=1 Exact CØØR calculation. IØPT9=2 Store CØØR calculation on mass storage device (Unit 9) and stop. IØPT9=3 Read CØØR calculation from mass storage device (Unit 9) and stop. For normal running, set IØPT9=1. Subroutine CØØR is described in a later section.
IØPT10	19-20	I2	IØPT10=1 Internal flow problem. IØPT10=0 External flow problem.
IØPT11	21-22	I2	IØPT11=1 External flow problem. IØPT11=0 Internal flow problem.

Name	Col.	Format	Comments:
IØPT12	23-24	I2	Not used.
IØPT13	25-26	I2	Not used.
IØPT14	27-28	I2	Not used.
IØPT15	29-30	I2	Start flow calculation at station IØPT15. Default = 1.0.
IØPT16	31-32	I2	End flow calculation at station IØPT16. Default = JL.
IØPT17	33-34	I2	Not used.

Card No. 3: Mesh Parameters

DDS	1-10	F10.3	Mesh distortion parameter, default determined internally.
KL	11-13	I3	Number of streamlines including wall, $2 \leq KL \leq 100$.
JL	14-16	I3	Number of streamwise stations, $JL \leq 100$.
KDS	17-19	I3	Number of steps per streamwise station. Default = 2.
KLL	20-22	I3	Number of streamlines of data input (see IØPT1, IØPT2). If $KLL < KL$, inlet flow is interpolated from KLL inlet data cards on the KL streamlines used for calculating flow. $KLL \leq 31$.
JLAST	23-25	I3	Number of CØØR records stored on drum. Used for tape storage of coordinate functions. Not used in this version.
JLPTS	26-28	I3	Number of input duct coordinate points, if IØPT3 = 2. Note: If $JLPTS < JL$, points are smoothed and interpolated. Not used in this version.
LFILE	29-31	I3	Case stored on tape file LFILE used for tape storage of coordinate functions. Not used in this version.

Card No. 4: GDUCT

Name	Col.	Format	Comments:
------	------	--------	-----------

These input cards are read in subroutine GDUCT as programmed by the user.

The following duct geometries (designated as IØPT3=1,2,3, and 5) have been programmed (see figure 6).

Card No. 4: (IØPT3=1) Straight Annular Duct

Name	Col.	Format	Comments:
Z1	1-10	F10.0	Length (ft)
RH1	11-20	F10.0	Centerbody radius (ft)
RT1	21-30	F10.0	Outerbody radius (ft)
TWH	31-40	F10.0	Centerbody wall temperature (deg R)
TWT	41-50	F10.0	Outerbody wall temperature (deg R)
AMWH	51-60	F10.0	Centerbody wall bleed (lb/ft ² sec)
AMWT	61-70	F10.0	Outerbody wall bleed (lb/ft ² sec)

Card No. 4: (IØPT3=2) Arbitrary Duct Input

Name	Col.	Format	Comments:
Z1	1-10	F10.0	Duct length (ft)
RNOPE	11-20	F10.0	One more than the number of curve fits used for smoothing the input geometry. Default 5.0.
XNOSE	21-30	F10.1	Distance to nacelle nose (ft)

Cards Following Card No. 4: (IØPT3=2) For JLPTS equally spaced points, thus
$$Z(J)=Z1*(J-1)/(JLPTS-1)$$

Name	Col.	Format	Comments:
R(1,1,J)	1-80	8F10.0	Outerbody radius (ft)
R(2,1,J)	1-80	8F10.0	Centerbody radius (ft)

Card No. 4: (IØPT3=3) Straight Wall Annular Diffuser

Name	Col.	Format	Comments:
Z1	1-10	F10.0	Duct length (ft)
RH1	11-20	F10.0	Centerbody radius (ft)
RT1	21-30	F10.0	Outerbody radius (ft)
ZTHRO	31-40	F10.0	Length of throat (ft)
ANGH	41-50	F10.0	Centerbody wall angle (deg)
ANGT	51-60	F10.0	Outerbody wall angle (deg)

Card No. 4: (IØPT3=5) Curved Wall Annular Diffuser No. 1

Name	Col.	Format	Comments:
Z1	1-10	F10.0	Duct length (ft)
RT1	11-20	F10.0	Inlet outerbody radius (ft)
RH1	21-30	F10.0	Inlet centerbody radius (ft)
RTL	41-50	F10.0	Exit centerbody radius (ft)
RHL	51-60	F10.0	Exit outerbody radius (ft)
AT	61-70	F10.0	Power outerbody wall AT_2
AH	71-80	F10.0	Power centerbody wall AH_2

Card No. 4: (IØPT3=6) Not Used

Card No. 5: Inlet Flow Distribution (See figure 7)

Name	Col.	Format	Comments:
AMS1	1-10	F10.0	Nominal inlet Mach number
ALP1	11-20	F10.0	Nominal swirl angle at hub (deg to axis)
DSH	21-30	F10.0	Boundary layer displacement thickness on hub wall (ft)

Name	Col.	Format	Comments:
DST	31-40	F10.0	Boundary layer displacement thickness on tip wall (ft)
ANH	41-50	F10.0	Power law exponent for hub boundary layer
ANT	51-60	F10.0	Power law exponent for tip boundary layer. For boundary layers of approximately 10 percent of inlet height, nominal values for DSH and DST are 0.0125 times inlet height and ANH, ANT equal to 7.0.

2xKLL Inlet Flow Cards Following Card 5 (Only if IØPT1=4)

Name	Col.	Format	Comments:
BINPUT(1,K)	1-10	F10.0	Fractional distance across duct Y
BINPUT(2,K)	11-j20	F10.0	Total pressure (lb/ft ² abs) P ₀
BINPUT(3,K)	21-30	F10.0	Static pressure (lb/ft ² abs) P
BINPUT(4,K)	31-40	F10.0	Swirl angle to axis (deg) α
BINPUT(5,K)	41-50	F10.0	Total temperature (deg R) T ₀
The first KLL cards describe the inlet flow. The second KLL cards describe the exit flow. If the exit flow is not known, KLL blank data cards must be used. If $\delta_H^* > 0$ on Card 5, boundary layers are added according to Card 5.			

Blade Row Data Card Following Card 5 (Only if IØPT#0)

This sequence of data cards is repeated for each blade row. This data must be consistent with the propeller input geometry.

Name	Col.	Format	Comments:
ZCLI	1-10	F10.0	Axial location of blade centerline
NBLADE	11-13	I3	Number of blades
ISHAPE	14-16	I3	Blade shape index

Name	Col.	Format	Comments:
NUM	17-19	I3	Number of points defining blade segment boundaries
OMEGZ1	20-29	F10.0	Rotational velocity (rpm)
LROW	30-32	I3	Blade row counter
NROW	33-35	I3	Number of blade rows

Blade Row Geometry Cards

The blade row geometry cards are read in if the nacelle portion of the program is operating without the propeller portion.

NUM times the blade row geometry cards (root to tip) noted below, follow each blade row data card (IØPT2≠0, NØPPF=0)

Name	Col.	Format	Comments:
CONST1(1,K)	1-10	F10.0	Blade radius (ft)
CONST1(2,K)	11-20	F10.0	Chord angle to blade face (deg)
CONST1(3,K)	21-30	F10.0	Chord (ft)
CONST1(4,K)	31-40	F10.0	Thickness/Chord
CONST1(6,K)	41-50	F10.0	Axial location at blade quarter chord (ft)

Arbitrary Strut Thickness Distribution (ISHAPE = 4)

Name	Col.	Format	Comments
KBLADE	1-10	I10	No chordwise stations (KBLADE \leq 50)

Chordwise location

Name	Col.	Format	Comments:
X(K)	1-80	8F10.0	Chordwise location
Y(K)	1-80	8F10.0	Thickness/maximum thickness distribution

2xKLL Strut Data Cards Following (IØPT5 ≠ 0, IØPT2 = 3)

Name	Col.	Format	Comments:
AINPUT(1,K)	1-10	F10.0	Fractional distance across duct Y
AINPUT(2,K)	11-20	F10.0	Stagnation pressure (lb/ft ² abs) P ₀
AINPUT(3,K)	21-30	F10.0	Static pressure (lb/ft ² abs) P
AINPUT(4,K)	31-40	F10.0	Swirl angle to axis (deg) α
AINPUT(5,K)	41-50	F10.0	Stagnation temperature (deg R) T ₀
The first KLL cards describe the inlet flow of the strut row. The second KLL cards describe the exit flow (see Card 2).			

Card No. 6: Performance Point

If this card is left blank, the default values shown in parentheses are used.

Name	Col.	Format	Comments:
PRESO	1-10	F10.0	Inlet stagnation pressure (2117. lb/ft ² abs)
TEMPO	11-20	F10.0	Inlet stagnation temperature (519. deg R)
ACI	21-26	F6.0	Clauser constant (0.016)
AKI	27-32	F6.0	Von Karman constant (0.41)
API	33-38	F6.0	Van Driest constant (26.0)
PRTI	39-44	F6.0	Turbulent Prandtl number (0.8)
PRLI	45-50	F6.0	Laminar Prandtl number (0.9)
CPR	51-60	F10.0	Specific heat at constant pressure (5997 ft ² /sec ²)
CVR	61-70	F10.0	Specific heat at constant volume (4283 ft ² /sec ²)

Name	Col.	Format	Comments:
VISCR	71-80	F10.0	Viscosity (0.37E-06 lb/sec ft ²) at Standard Conditions.

Card No. 7: Wall Bleed Card

CDISH	1-10	F10.0	Discharge coefficient for holes (dimensionless) CDISH < 1.0
AHAS	11-20	F10.0	Ratio of hole area to surface area
TTP	21-30	F10.0	Plenum total temperature (°F)
PTP	31-40	F10.0	Plenum total pressure (psta)
XBF	41-50	F10.0	Wall distance - start wall bleed (ft)
XBL	51-60	F10.0	Wall distance - end wall bleed (ft)

Blade Force Card

NUM blade force cards following Card 6 (only if IØPT2≠0 and NØPPF≠0). Repeat for each blade row.

Name	Col.	Format	Comments:
FRCI(N,1)	1-10	F10.0	Radial force/span
FRCI(N,2)	11-20	F10.0	Tangential force/span
FRCI(N,3)	21-30	F10.0	Axial force/span

N=1, NUM

Description of Output

Title Page

The output presented on this page is self-explanatory except for the following variables

$$m_1 = \int_{r_H}^{r_T} g_B \rho U_s dr$$

$$a_1 = \int_{r_H}^{r_T} g_B dr$$

$$\bar{p}_1 = \frac{1}{m_1} \int_{r_H}^{r_T} g_B \rho U_s p_1 dr = \text{PRES1}$$

$$\bar{q}_1 = \frac{1}{m_1} \int_{r_H}^{r_T} g_B \rho U_s (1/2 \rho U_1^2) dr = \text{DYNP1}$$

$$\bar{M}_1 = \frac{1}{m_1} \int_{r_H}^{r_T} g_B \rho U_s M_1 dr = \text{MACH1}$$

$$\text{WFL} \phi = 32.2 N_B m_1$$

$$\text{USR} = m_1 / \rho_r / a_1 = U_r$$

$$REY = r_r U_r / \rho_r / \mu_r$$

Wall Conditions Page

This page presents a table of Z , r_T , \dot{m}_T , T_T , r_H , \dot{m}_H , T_H which was calculated in Subroutine GDUCT.

Blade Geometry Page (If IØPT2 ≠ 0)

This page presents a table of blade geometry properties at each discrete point of the lifting line. These properties are radius r_{CL} , stagger angle α_{SL} , chord C_L , thickness T/C , and axial location Z_{CL} . Also, the number of blades per row and the blade shape are printed.

Gap Average Inviscid Flow Page

This page presents the solution for the inviscid flow variables across the duct at selected stations depending on IØPT4. A table of values for Y , P_o , P , α , T_o , T , M , U , U_s , U_z , U_r , speed of sound a , and P are given. Also printed is the pressure coefficient at the inner wall where

$$C_{PW} = \frac{2}{\gamma M_\infty^2} \left[\left(\frac{2 + (\gamma - 1) M_\infty^2}{2 + (\gamma - 1) M^2} \right)^{\frac{\gamma}{\gamma - 1}} - 1 \right]$$

where M_∞ = freestream Mach number.

Inviscid Nacelle Drag Page

This page prints the nacelle pressure drag calculation of the nacelle.

Nacelle Wake Corrections Page (If IØPT2 ≠ 0)

This section indicates the location of the propeller lifting line in the (s, n, ϕ) coordinate system. The flow conditions of the lifting line are also presented. These problems are U_{r_L} , U_{z_L} , ρ_L , a_{z_L} , $\sin(T)$, and $\cos(T)$ where $T = \theta$.

Gap Average Viscous Flow Page

This page presents the solution for the flow variables across the duct at selected streamwise stations depending on IØPT4. A table of values for Y , U_S , U_ϕ , α , Π , θ , M , Π_0 , θ_0 , C_p are given where

$$C_p = (\Pi - \Pi(0,0))/\bar{q}_1$$

In addition, the wall values for Z , \dot{m} , $C_{f\phi}$, C_{fs} , Q are printed, where $C_{f\phi}$ and C_{fs} are defined by

$$C_{f\phi} = \tau_{n\phi}/\bar{q}_1$$

$$C_{fs} = \tau_{ns}/\bar{q}_1$$

The one-dimensional characteristics of the flow are also given: area ratio A/A_1 , Mach number (isentropic flow) M_1 , incompressible and compressible flow pressure coefficient CPINC and CPCØMP.

Wall Surface Conditions Page

This output page presents a summary of the wall conditions along the length of the duct. This includes Z_H , C_{PH} , C_{FH} , T_{WH} , A_{SH} , Q_{SH} , Z_T , C_{PT} , C_{FT} , T_{WT} , A_{ST} , Q_{ST} .

Wall Radiation Summary Page

This output page presents a summary of information which is useful in computing radiation effects. The wall temperature T_{WH} , T_{WT} , on a differential area dA_H , dA_T , located at point (Z_H, r_H) , (Z_T, r_T) with the \sin (wall angle) is given.

Viscous Nacelle Drag Page

This page prints the nacelle pressure drag, pressure drag coefficient, friction drag, and friction drag coefficient of the nacelle.

IDBGØ Pages

Intermediate printouts which were used to debug the program may be called by setting the debug options IDBGØ=1. IDBGØ may be specified on the option input card. The user should refer to the program listing in each subroutine to determine the printout variables.

<u>Debug Print Out</u>	<u>Subroutine - Purpose</u>
IDBG1	TURB - Debug
IDBG2	FCØRCT - Debug
IDBG3	FLØWIN - Debug
IDBG4	Not Used
IDBG5	SØLVI - Debug
IDBG6	CØØR - Debug
IDBG7	FØRCE - Debug
IDBG8	MINVRT - Debug
IDBG9	SMØØTH - Debug
IDBG10	GDUCT - Debug
IDBG11	Not Used
IDBG12	SØLVI - Debug #2
IDBG13	CKINPT - Debug
IDBG14	Set Number of Streamlines
IDBG15	Automatic Step Size Debug, Number of Streamlines Calculated (default = 25)
IDBG16	Suppress Freestream Instability
IDBG17	Not Used
IDBG18	GEØMCL - Debug
IDBG19	WAKCØR - Debug
IDBG20	PERFNA and PERFN2 - Debug

Description of Failure Modes

The nacelle portion of the computer program can diagnose the cause of certain failure modes for this portion of the analysis and a printed message of the following form is given.

****DIAGNOSTIC NO. XX FOR ANNULAR DIFFUSER DECK****

The number XX identifies the type of failure from the list below.

1) IØPT3 OUTSIDE RANGE OF ALLOWABLE DUCT OPTIONS

This failure occurs in Subroutine ALTMN. The input option must be between $1 \leq \text{IØPT3} \leq 6$.

2) No solution exists in AMFOR

This failure occurs in Subroutine AMFOR. This subroutine solves the Mach number function

$$N = M \left(1 + \frac{\gamma-1}{2} M^2 \right)^{1/2} / (1 + \gamma M^2)$$

for M given N. This function has a maximum at $M = 1$. Hence

$$N(1) = [2(1 + \gamma)]^{-1/2}$$

Solutions do not exist for values of $N > N(1)$.

3) MASS FLOW EXCEEDS THE MAXIMUM MASS FLOW POSSIBLE

This failure occurs in Subroutine AMINLT which solves the Mach number function

$$N = M \left(1 + \frac{\gamma-1}{2} M^2 \right)^{-\frac{\gamma+1}{2(\gamma-1)}}$$

for M given N. This function has a maximum for $M = 1$ given by

$$N(1) = \left(\frac{\gamma+1}{2} \right)^{-\frac{\gamma+1}{2(\gamma-1)}}$$

corresponding to choked flow.

4) Not Used

5) FOR BEST RESULTS ADD A STRAIGHT ANNULAR CHANNEL INLET

This diagnostic occurs in Subroutine CØØR1. In the construction of the duct coordinates, it is assumed that the inlet has no curvature as shown in figure 8. This is not a fatal error because small inlet curvatures may be tolerated. In order to avoid problems, the best procedure is to add a straight annular section to the inlet as shown by the dotted line in figure 8.

6) PROGRAM ASSUMES INLET FLOW HAS CURVATURE

This diagnostic occurs in Subroutine CØØR1. Same as diagnostic 5.

7) WALL CURVATURE IS TOO LARGE AT STATION X.

This diagnostic occurs in Subroutine CØØR1 usually with bad input data describing the duct contour resulting in a numerically discontinuous change in wall curvature shown in figure 2.

8) Not Used

9) GREATER THAN 1. PERCENT NORMAL PRESSURE GRADIENT ERROR RECALCULATE STATIC PRESSURE

This diagnostic occurs in Subroutine ERPIN. This subroutine integrates the radial equilibrium equation

$$P_T - P_H = \gamma M_r^2 \int_0^1 \left[\frac{-\rho}{V} \frac{\partial V}{\partial n} U_s^2 + \frac{\rho}{R} \frac{\partial R}{\partial n} U_\phi^2 \right] \frac{d\eta}{XY}$$

and compares $(P_T - P_H)$ to that computed for the input inlet flow $(P_T - P_H)_1$. If the error given by

$$E = \left| 1 - \frac{P_T - P_H}{(P_T - P_H)_1} \right|$$

is greater than 0.01, the input initial static pressure distribution is replaced by the above pressure equation and the flow is recalculated.

10) Not Used

11) MASS FLOW REQUIRED EXCEEDS MAXIMUM MASS FLOW POSSIBLE

This diagnostic occurs in Subroutine CKINPT. Choked flow may exist in the duct, and this diagnostic will be printed out. The weight flow must be reduced.

12) PRESSURE RISE EXCEEDS PERMISSIBLE PRESSURE RISE

This diagnostic occurs in Subroutine CKINPT. This error occurs with the failure by the deck to properly set up flow entering duct. Check input for errors.

13) Not Used

14) BOUNDARY LAYER TOO THIN FOR MESH SPACING

This diagnostic occurs in Subroutine FLØWIN. The viscous flow calculation requires a finite initial boundary layer thickness. In addition, it requires enough mesh points to describe the inlet boundary velocity profile. The deck assumes arbitrarily that at least five mesh points are required. Thus, if this diagnostic occurs, increase the number of mesh points, KL, increase the mesh distortion parameter, DDS, or increase the assumed inlet boundary layer thickness. Setting DDS = 0 automatically sets the mesh distortion parameter for turbulent flow.

15) TOTAL PRESSURE IS LESS THAN STATIC PRESSURE

This diagnostic occurs in Subroutine FLØWIN. A check is made on the input data for IØPT1 = 4, to be sure that $P_T > P$.

16) INPUT DATA NOT IN RADIAL EQUILIBRIUM CORRECTIONS APPLIED TO STATIC PRESSURE

This diagnostic occurs in Subroutine FLØWIN. A check is made of the input data for IØPT1 = 4. If the data is not in radial equilibrium, it is assumed that the static pressure is in error, and the other inlet data is correct. Then the static pressure is computed from

$$\frac{d\Pi}{d\eta} = 2 \frac{\gamma}{\gamma-1} \left[\frac{-1}{XV} \frac{\partial V}{\partial \eta} \cos^2 \alpha - \frac{1}{XR} \frac{\partial R}{\partial \eta} \sin^2 \alpha \right] \Pi \left(\frac{\Pi_o}{\Pi} \right)^{\frac{\gamma-1}{\gamma}-1} \right)^{1/2}$$

with the ID wall static pressure as a boundary condition.

17) INPUT DDS MUST BE SPECIFIED

This diagnostic occurs in Subroutine FNØRM. At this time there is no algorithm to automatically select the mesh distortion parameter DDS for laminar flow.

18) BLADE DATA ERROR IN CKINPT ROUTINE

This diagnostic occurs in Subroutine CKINPT. Blade data input is incorrect. It must be rearranged with increasing Y.

19) NO UNIQUE SOLUTION FROM MINVRT

This diagnostic occurs in Subroutine MINVRT. If the matrix set up to solve the turbulent flow solution is singular, no solution can be obtained. This may occur from numerical truncation error problems.

20) LEADING OR TRAILING EDGE INDEX OF STRUT OUT OF RANGE

This diagnostic occurs in Subroutine SLETE. In order to compute blade forces, the strut must be wholly contained within the duct length. This problem may be eliminated by extending the duct length in a realistic manner as shown in figure 10.

21) Not Used

22) Not Used

23) BOUNDARY LAYER OVERLAP OR TOO LARGE

This diagnostic occurs in Subroutine FLØWIN. For internal flow, the sum of the two boundary layer thicknesses must be less than the duct inlet height. Check input data.

24) SET TOTAL TEMPERATURE, PRESSURE; ANGLE TO VALUE AT EDGE OF BOUNDARY LAYER
- CORRECTIONS APPLIED

This diagnostic occurs in Subroutine FLØWIN. For IØPT1 = 4, calculated boundary layer profiles are matched to experimentally measured inlet flow. Good matching occurs only if the inlet flow data shows constant P_T in the boundary layer region as shown in figure 11 by the dotted line.

25) TRUNCATION ERROR CANNOT BE REDUCED BY STEP SIZE

This diagnostic occurs in Subroutine SØLVI. When the step size KDS is not specified, it is automatically selected by checking the truncation error at each step. When an instability occurs, the program attempts to reduce the truncation error by reducing the streamwise step. If the truncation error cannot be reduced below a minimum value, the calculation stops with this error message.

26) NUMERICAL INSTABILITY

This failure occurs in Subroutine FCØRCT. Temperature and pressure are checked for negative values. Calculation stops with this error.

27) Not Used

28) Not Used

29) SOLUTION REQUIRES REVERSE FLOW, INCREASE WFLOW

This diagnostic occurs in Subroutine CKINPT. For flows with radial pressure gradients, there is a minimum weight flow below which reverse flow exists. This is corrected by increasing weight flow.

30) Not Used

31) Not Used

32) NORMAL COORDINATE OF LIFTING LINE IS NEGATIVE
BLADE DATA DOES NOT CORRESPOND TO GEOMETRY OF DUCT

This diagnostic occurs in Subroutine GEØMCL. Blade geometry was inputted incorrectly to program. This will produce a fatal error.

DETAILED PROGRAM DOCUMENTATION

This section is intended to provide sufficient documentation to the user so that the internal operation of the program can be related to the analysis presented in the technical report (Reference 1). It is assumed that the user desiring this information has the required background in aerodynamics and computational fluid dynamics or access to the required technical support to understand the pertinent aspects of the program code as they relate to the theory.

This section contains two major subsections, the propeller solution portion and the nacelle solution portion, respectively. These subsections contain, (1) an alphabetic list of the subroutines and external functions and a brief description of each, (2) a more detailed description of each subroutine in alphabetical order and, (3) a description of the label common blocks and variables used in alphabetical order. Flow charts and figures are provided in the subroutine descriptions where deemed necessary to understand the program structure and technical features.

The subroutines and external functions are all described with the same format using the name of the subroutine with its argument list given as a title. A list of options and FORTRAN symbols used only in the named subroutine are then given. Any special or additional theory used in the subroutine is presented but well known numerical methods are not described.

Propeller Program

Within this section brief descriptions of the subroutines used in the lifting line portion of the analysis are presented followed by the labeled common blocks used in the analysis. The objective of a particular subroutine is noted, along with a list of symbols which are not in labeled common blocks and which are felt to be necessary for the understanding of the particular subroutines in question. These lists of symbols have been kept brief. A brief explanation of the theory is also included for selected subroutines. Generally, descriptions of the options which control the flow of a particular subroutine are also included. The subroutines are presented in alphabetical order. The labeled common blocks used in the analysis are also listed in alphabetical order with brief descriptions of each variable referenced. Brief flow diagrams of the major computational subroutines (GCWAKE, PRØP, SØLVEL and SØLVEN) are included in the description of each of these subroutines.

List of Subroutines

<u>Name</u>	<u>Description</u>
AFFIDC	Calculate blade activity factor and integrated design lift coefficient
AF65A	Calculate cascade airfoil data
AIRFL	Control type of airfoil data to be used
AIRFLT	Airfoil package control routine
AIRFMN	Main airfoil package control routine for interfacing interpolation, cascade data and isolated airfoil data
AIR23	Control lift and drag calculations for airfoil type number 23
AIR24	Control lift and drag calculations for airfoil type number 24
ASSOC	Test input variable label
AVECTR	Create a column vector from scalar input values
BILINE	Interpolation routine
BLDGEØ	Calculate blade geometry

<u>Name</u>	<u>Description</u>
CALCGC	Calculate geometric influence coefficient
CALWAK	Control flow of wake geometry calculations
CASARF	Control routine for analytical cascade correction
CASDAT	Control selection of type of cascade data
CHKINP	Check input parameters for obvious errors
CLFACT	Calculate lift curve slope factor
CØMBWK	Calculate effective displacement of bound vortex
CPITER	Calculate blade angle for next power performance iteration
CRØSSP	Calculate cross product of two vectors
CSCD1	Cascade airfoil data subroutine (reference ____)
CTITER	Calculate blade angle for next thrust performance iteration
DØTP	Calculate dot product of two vectors
DRAG24	Calculate drag coefficient for airfoil type number 24
DZRØAL	Calculate lift offset due to cascade influence
ELIP2	Approximate Elliptic Integral of second kind
FINAIR	Control final airfoil data calculation
FSQRT	Calculate magnitude of three component vector
FVECTR	Calculate blade forces
GAUSS	Solve system of simultaneous linear equations (direct method)
GCBØUN	Calculate geometric influence coefficients for bound vortex

<u>Name</u>	<u>Description</u>
GCCØRE	Calculate vortex core model
GCFILA	Calculate geometric influence coefficient for trailing vortex filament
GCWAKE	Control basic flow of geometric influence coefficient calculations
G400LD	Calculate lift and drag using linearized airfoil data
INDVEL	Calculate induced velocities
INITIAL	Initialize data and print out selected quantities
ISØAFL	Control selection of isolated airfoil data type
ISØARF	Control isolated airfoil data calculation
LDDATA	Read in propeller data
LIFT24	Calculate lift coefficient for airfoil type number 24
LINEAR	Linear interpolation algorithm
LINTER	Control interpolation of data arrays
MVMULT	Multiply single dimension vector with two dimensional vector
MCØNE	Calculate Evvard Tip Relief Correction
NSTACØ	Calculate Mach cone intersection station index
PAGE	Advance output device to new page
PCHØUT	Punch spanwise distributions of aerodynamic quantities
PERFØR	Calculate propeller performance
PERIØD	Calculate propeller periodicity quantities

<u>Name</u>	<u>Description</u>
PERPRT	Print spanwise distributions of aerodynamic and geometric quantities
PHICAL	Calculate wake azimuth information
PLABEL	Print a label
PN	Calculate a special function
PRØP	Main propeller subroutine
PRDATA	Print label and vector
PRG400	Write output quantities for aeroelastic response analysis (reference 12)
PRINTP	Print label and vector
PRTF15	Print label and floating point variable vector, maximum of 15
PRTF16	Print label and floating point variable vector, maximum of 16
PRTGCM	Print geometric influence coefficient matrix
PRTI15	Print label and integer index for maximum of 15 integers
PRTI16	Print label and integer index for maximum of 16 integers
PRTLf	Print label field and single floating point variable
PRTLl	Print single integer and label
PRTRZW	Print radial or axial wake coordinates
PRWZW	Print wake geometry
RDSCAL	Controls read of scalar inputs
RDVECT	Controls read of vector inputs

<u>Name</u>	<u>Description</u>
READWR	Reads a vector string and outputs it to printer
RELAXG	Relaxation subroutine for circulation solution
REDMAT	Read geometric influence coefficient in matrix form from disc
RWZWIN	Input wake geometry from cards
RWZW1	Calculate classical or modified classical wake
RWZW7	Calculate generalized wake
SBFUNC	Special function subroutine for cascade data, reference 11
SETMAT	Set up geometric influence coefficient matrix
SIEDEL	Solve system of simultaneous equations (indirect method)
SØLVEL	Control linearized aerodynamic solution
SØLVEN	Control nonlinear aerodynamic solution
SØLVIT	Control solution procedure
SPLIN3	Interpolate with spline fit
STARC	Convert design lift coefficient to equivalent camber angle
STØRE	Transfer data from one vector to another
SWPCØR	Calculate conical flow theory tip loss
THITER	Control blade pitch iteration
TITER	Extrapolate or interpolate on blade pitch angle versus C_T or C_p
TITLE	Print title information
UNBAR	Interpolation routine

<u>Name</u>	<u>Description</u>
UNINT	Interpolation routine
VECTØR	Compute velocity and velocity related quantities including induced velocities
VVECTR	Compute velocity and velocity related quantities including induced velocities
WAKMØD	Modify wake geometry due to nacelle influence
WRITGC	Write geometric influence coefficient to disc
ZERØAL	Calculate zero lift angle
ZERØGC	Set influence coefficient matrices to zero

Description of the Subroutines Used in the Propeller Portion

Subroutine AFFIDC (ITØT, DECL, BØD, SCØ, AF, CLI, X, XB, R)

Object To calculate the blade activity factor and integrated design lift coefficient.

List of Symbols

AF Blade activity factor
CLI Integrated design lift coefficient

Theory

The activity factor is defined as

$$AF = \int_{sco}^1 \left(\frac{c}{D} \right) \left(\frac{x}{R} \right)^3 d\left(\frac{x}{R} \right)$$

where C/D is the blade chord to propeller diameter ratio and x is the spanwise location along the blades.

The integrated design lift coefficient is

$$CLI = 4(1-sco) \int_{sco}^1 C_{\ell_d} \left(\frac{x}{R} \right)^2 d\left(\frac{x}{R} \right)$$

where SCØ is the root cutout and C_{ℓ_d} is the section design lift coefficient.

Subroutine AF65A (Argument List)

Object Compute airfoil lift and drag from cascade correlations.

List of Symbols

Argument List

AMACH	M_1	,	Upstream Mach number	(INPUT)
ALP	α	,	Angle of Attack	(INPUT)
TM	t	,	Maximum Airfoil Thickness	(INPUT)
THETA	θ	,	Pitch angle	(INPUT)
CB	C_B	,	Design Lift Coefficient	(INPUT)
SØLD	g/c	,	Cascade Solidity	(INPUT)
CL(1)	C_L	,	Lift Coefficient	(OUTPUT)
CD(1)	C_D	,	Drag Coefficient	(OUTPUT)

Cascade Correlation

ALPS	α_s	,	Stagger Angle (degrees)
ALP1	α_1	,	Inlet Air Angle (degrees)
PHIC	ϕ_c	,	Camber Angle
AKDELS	k_{δ_s}	,	Shape Parameters
AMSIG	M_σ	,	Camber Parameter
B	b	,	Exponent
DEL	δ_{oo}	,	Deviation Angle, $\phi_c = 0$
AKDELT	K_{δ_t}	,	Thickness Parameter
DELO	δ_o	,	Deviation Angle (degrees)
AIOO	i_{oo}	,	Incidence Angle, $\phi_c = 0$ (degeees)
AN	n	,	Power
AKIT	K_{it}	,	Thickness Parameter

AIMO	i_{mo}	,	Minimum Loss Incidence Angle (degrees)
D	D	,	Diffusion Parameter
ZLØSM	Z_{sm}	,	Minimum Loss Coefficient
AINCO	i	,	Incidence Angle (degrees)
ZLØSS	Z_s	,	Loss Coefficient
DALST		,	Stall Angle Correction
ALPH2	α_2	,	Exit Air Angle
RHØCX	$(\rho U_s)_2 / (\rho U_s)_1$,	Mass Flow Ratio

Additional Symbols

$(\alpha_2, Z_s) \rightarrow (C_L, C_D)$

T1	T_{01}/T_1	,	Upstream Total Static Temperatures
AMACH2	M_2	,	Downstream Mach Number
T2	T_{02}/T_2	,	Downstream Total Static Temperature
PO2PO1	P_{02}/P_{01}	,	Total Pressure Ratio
P2P1	P_2/P_1	,	Static Pressure Ratio
FS	F_S	,	Streamwise Force Coefficient
FP	F_p	,	Tangential Force Coefficient
WS	W_s	,	Streamwise Induced Velocity
WP	W_p	,	Tangential Induced Velocity
ALIND	α_i	,	Induced Flow Angle
ANG	α	,	Angle of Attack

Theory See section of reference 1 entitled: "Cascade Airfoil Data".

Subroutine AIRFL

Object Controls which type of airfoil data will be used, either isolated data or isolated data corrected for cascade effects.

Options

IDL = 0 print title
IDL ≠ 0 obtain airfoil data
ICASDE = 0 obtain isolated airfoil data
ICASDE = 1 obtain isolated airfoil data corrected for cascade effects

Subroutine AIRFLT (IQ,IFQ,IDQ,ICASDQ,ALPHQ,THETAQ,
TAUBQ,ZMQ,DECLQ,HØBQ,CL3Q,CDQ)

Object Control combinations of airfoil data characteristics to be obtained.

Options IDQ = 0 print title
IDQ = 1 obtain C_L and C_D
IDQ = 2 obtain C_L only

Subroutine AIRFMN (IC,IFL,I,NSTAT,RADCAS,RDTRAN,
XMTIP,RSC,SMACH,THK,THETAG,DESCL,SIGMAX,TAU,
ALP,CL,CD,FTRAN1,FTRAN2,TAUEXP)

Object Control calculation of airfoil and cascade data and the interpolation between isolated and cascade data when requested.

Options NG400 ≠ 0 use linearized airfoil data from aeroelastic response analysis (reference 12)

ICAS = 0 use isolated airfoil data

ICAS ≠ 0 use cascade data

If cascade data is used, interpolation between cascade data and isolated data is controlled by value of RDTRAN.

Argument List

IC	controls lookup of C_L alone or C_L and C_D , or output of title information
IFL	airfoil type index
I	blade station index
NSTAT	blade station limit for tip loss model correction
RADCAS	outermost radial location for direct cascade data application
RDTRAN	outermost radial location for direct cascade/isolated airfoil interpolation procedure application
XMTIP	tip Mach number
RSC	radial station
SMACH	section Mach number

THK	section thickness ratio
THETAG	section geometric pitch angle with the plane of rotation
DESCL	section design lift coefficient
SIGMAX	section solidity
TAU	section gap to chord ratio
ALP	section angle of attack
CL	section lift coefficient
CD	section drag coefficient
FTRAN1	section cascade/airfoil interpolation scaling function value for C_l
RTRAN1	section cascade/airfoil interpolation scaling function value for C_d
TAUEXP	exponent used in interpolation function

Subroutine AIR23

Object Calculate Manoni airfoil characteristics from internally tabulated data bank using transonic similarity rules.

Options

IDL = 1 obtain C_L

IDL = 2 obtain C_D

IDL = 3 dummy feature

Theory

Using transonic similarity rules, empirical data has been reduced to a set of tabulated coefficients which can be used to reconstruct the airfoil characteristics (C_L and C_D) for a wide range of parameters.

Subroutine AIR24

Object Control selection of calculation of lift or drag coefficients for the published NACA data.

Options

IDL = 1 obtain lift

IDL = 2 obtain drag

IDL = 3 dummy feature

Subroutine ASSOC (*,S,FDUM,S1,S2,X)

Object To transfer input value of a dummy parameter to its correct allocation if the input label matches one in the argument list. If transfer is made, returns to labeled statement in calling routine.

Argument List

S input label as read
FDUM input dummy parameter
S1,S2 input label list
X allocation for transfer of dummy parameter

Subroutine AVECTR (A1,A2,A3,V)

Object load three scalars into a vector of length three.

Argument List

A1,A2,A3 input scalars
V output vector

Subroutine BILINE (T,I,XI,YI,Z,K)

Object Bivariant or univariant interpolation on input vectors using various interpolation options.

Options T(I + 1) = 0 use first table value
T(I + 1) = 1 use linear interpolation
T(I + 1) = 2 use third order interpolation
T(I + 3) = non zero, requests bivariant interpolation

Argument List

T = vector with interpolation data
I = starting location for data table
XI = input x for interpolation
YI = input y for interpolation
Z = output value
K = error code

Theory

Using either bivariant or univariant data, this subroutine will interpolate on the data using standard interpolation schemes as noted above - see listing for more detail.

Subroutine BLDGEØ (IC)

Object Rotate input lifting line segment geometry to the requested blade angle about the pitch axis and compute the inflow station geometry for this blade angle. Print the table of the lifting line segment and center coordinates.

List of Symbols

IC = print control flag
DRØØP = angle between the coordinate origin (hub center) and the axial displacement for the coordinate point in question for blade element center.
DRØØPB = angle between the coordinate origin (hub boundary) and the axial displacement for the coordinate point in question for the blade element boundary.

Theory Standard geometric operations applied to the input geometry to rotate the coordinates to a different blade angle position.

Subroutine CALCGC (Argument List)

Object To calculate the geometric influence coefficients for a selected field point in the cylindrical coordinate system.

Options

NCBWAK = 0 no compressibility effects on the bound vortex induced velocity calculation

NCBWAK = 1 compressibility effects included on the bound vortex induced velocity calculations

NCBWAK = 2 compressibility effects included in the bound vortex induced velocity calculation, except for the calculation for the particular blade bound vortex system on itself

LJUNK = 0 no vortex core model
 LJUNK = 1 vortex core model used
 IDEBUG = 0 no intermediate printout
 IDEBUG = 1 intermediate printout
 NCØMPRS = 0 no wake compressibility model
 NCØMPRS = 1 wake compressibility model used
 NCFLØW = 0 wake compressibility applied only on vortex segments from inflow sections with Mach numbers greater than 1.0
 NCFLØW = 1 relaxes the above restriction

Argument List

NCØMP = compressible wake option switch
 IBIP = blade index
 LLINK = blade position index
 NBX = number of blades
 ITØT = number of blade element segments
 LTØT = number of blade positions
 KTØT = number of blade element boundaries
 MTØT = number of filament segments
 KTRUCT = number of filaments for tip vortex rollup model
 JTRUCT = wake rollup truncation angle
 JTRUCI = inboard wake truncation angle
 DPSIBR = azimuth interval in radians
 FS = sign (± 1.0) for axial induced velocity calculation
 RSCI = radial location of field point
 PHICI = lag angle of field point
 ZSCI = axial location of field point
 CPD = cosine of blade element angle
 SPD = sine of blade element angle
 RSBB = blade element boundary radial position
 ZSBB = blade element boundary axial position
 PHIBB = blade element boundary azimuth position
 CØSLB = blade element boundary cosine of azimuth position
 SINLB = blade element boundary sine of azimuth position
 CMACH = local blade element Mach number
 MU = local blade element advance ratio
 DTIPM = blade tip Mach number
 VØRCØR = vortex core radius

Theory Using the Biot-Savart relationship for the geometric influence coefficients for straight line vortex segments (see Appendix A of reference 1), these coefficients are calculated, summed and stored in cylindrical system form. See the technical approach for the propeller analysis in reference 1.

Subroutine CALWAK (IWK)

Object Control selection of wake models

Options IWAKØP = 0 classical wake geometry
 IWAKØP = 1 classical wake geometry
 IWAKØP = 2 input geometry
 IWAKØP = 3 generalized wake geometry
 NACWAK ≠ 0 modify wake geometry by nacelle influence
 IPRØPT ≠ 0 print wake geometry

Subroutine CASARF

Object Controls the calculation procedure for the computation of the isolated airfoil data corrected for cascade effects.

Options IDL = 1 calculate C_L and correct for cascade influence
 IDL = 2 calculate C_D
 IDL = 3 dummy feature

List of Symbols

CLKFAC = cascade correction scaling factor

THETAZ = geometric blade angle corrected for camber and angle of zero lift

Theory

The lift coefficient is corrected for cascade effects by applying an analytical correction for the cascade influence on flat plates. The details of this correction are presented in reference 1.

Subroutine CASDAT (Argument List)

Object Control selection of cascade data source.

Options ICAS = 0 terminate execution of code
 ICAS = 1 cascade data using correlation from reference 13
 ICAS = 2 cascade data using model of reference 11

Argument List

ICAS = option switch for type of cascade data
MACH = local section Mach number
AL = local section angle of attack
THK = local section thickness ratio
THET = local section blade angle
DESCLP = local section design lift coefficient
SIG = local section solidity ratio
CL = local section lift coefficient
CD = local section drag coefficient

Subroutine CHKINP

Object To check input data for correct input values on selected items
 and make sure items that are necessary for successful execution
 are input.

Subroutine CLFACT (THETA,TAUB,CLKFAC)

Object Obtain tabled value of lift curve slope scaling factor for input
 parameters.

List of Symbols

THETA = geometric blade angle corrected for camber and angle of
 zero lift
TAUB = gap-to-chord ratio
CLVFAC = lift curve slope scaling factor

Theory Table of data for the lift curve slope scaling factor was
 derived analytically for flat plates by Weinig. The table of
 data was obtained from reference 4.

Subroutine COMBWK (Argument List)

Object To compute an effective axial displacement correction on the bound vortex location for incorporating the phase shift of the induced influence of the bound wake on an inflow station.

Argument List

RA = radial location of the midpoint of a bound vortex segment
RB = radial location of the inflow station
DZ = axial location of a bound vortex segment
MU = flight speed divided by tip speed
DTIPM = tip Mach number
DPSI = azimuthal position of bound vortex segment
Z = effective axial displacement
PHI = effective phase angle

Theory The first real positive root of a transcendental equation is solved by a simple root searching algorithm and a Newton-Raphson iteration procedure. This root represents an effective phase angle associated with the finite delay time for a signal to reach an inflow station point if it originally emanated from a bound vortex source inside a zone of silence of a Mach cone.

Subroutine CPITER (Argument List)

Object To calculate either a first guess on blade angle or subsequent iterations values for the blade angle when the power performance iteration feature is requested.

Options

NCP = 1 obtain first guess from tabled values

NCP = 2 obtain second value from one of two methods

NCP = 3,...,10 obtain all subsequent values by linear interpolation or extrapolation from previous iteration information

DPDT = 0.0 for NCP = 2 use a new blade angle of ± 1.5 degrees from the first iteration value

DPDT \neq 0.0 for NCP = 2 use DPDT as the linear slope to define the next blade angle

Argument List

ITOT = number of blade elements
BL = number of blades
ZJI = advance ratio
RSC = inflow station segment radial centers
RSB = inflow station boundary radial locations
DESCL = design lift coefficient
BØD = chord over diameter ratio
CPWANT = requested power coefficient
DPDT = input linear slope of the power coefficient versus
blade angle relationship
RAD = blade radius

Theory

Using standard interpolation and extrapolation techniques, the blade angle for each iteration of the power performance iteration is determined. For the first iteration tabled values are used if requested and for the second iteration one of two methods can be used to determine the new blade angle. All subsequent iteration values are obtained using linear extrapolation or interpolation based on previous iteration information.

Subroutine CRØSSP (V,A,R1,R2,R3)

Object

Calculate cross product of two vectors and place results in three scalars.

Subroutine CSCD1 (IND,CB,TH,SOL,ST,RN,AM,ILF,SLF,CL,CD)

Object Calculate cascade lift and drag coefficients from reference 13.

Argument List

IND = controls selection of airfoil type
CB = section camber
TH = section thickness ratio
SOL = section solidity
ST = section pitch angle
RN = Reynolds number (fixed at 500000)
AM = section angle of attack
CL = section lift coefficient
CD = section drag coefficient

Subroutine CTITER (CTWANT,DCTDT)

Object To calculate either the first or all subsequent blade angles when the thrust iteration has been requested.

Options NCP = 1 use a fixed value of 60.0 degrees for the first guess
NCP = 2 use one of the two methods to determine the second value

NCP = 3,...,10 use linear interpolation or extrapolation based on the previous iterations to determine the next value

DCTDT = 0.0 for NCP = 2 use a new blade angle of ± 1.5 degrees from the first iteration value

DCTDT \neq 0.0 for NCP = 2 use the value of DCTDT as the linear slope to define the next blade angle

Theory Using standard interpolation and extrapolation techniques, the blade angle for each iteration of the thrust iteration cycle is determined. For the first iteration, a fixed value is used if requested and for the second iteration one of two methods can be used to determine the new blade angle. All subsequent iterations values are obtained using linear interpolation or extrapolation based on previous iteration information.

Subroutine DØTP (V,A)

Object Calculate dot product of two vectors, each of length three.

Subroutine DRAG24

Object Calculate drag coefficient from the NACA airfoil data.

Theory Using linear interpolation techniques applied to a set of tabulated airfoil drag coefficients which are functions of Mach number, angle of attack, thickness to chord ratio and design lift coefficient, the drag coefficient is found for a specified combination of the above parameters (reference 1).

Subroutine DZRØAL (THSTAR,TAUB,THETAT,DELAØL)

Object Determine increment in angle of zero lift for cascade correction procedure.

Argument List

THSTAR = effective blade camber angle
TAUB = gap-to-chord ratio
THETAT = effective blade angle
DELAØL = increment in angle of zero lift

Theory Using trivariate interpolation techniques, the increment in the angle of zero lift is determined from a set of tabulated data for double circular arc aifoils (reference 5).

Subroutine ELIP2 (X)

Object Calculate approximation for elliptic integral of the second kind.

Argument List

X = argument of approximation function

Subroutine FINAIR

Object Control final calculation procedure for airfoil characteristics.

Options

IDEBUG = 0 no printout
IDEBUG > 0 printout of final values for the airfoil characteristics is requested

ICAS = 0 no cascade airfoil data is used
ICAS ≠ 0 cascade airfoil data is used out to a requested radial location

Function FSQRT (X,Y,Z)

Object Calculate magnitude of vector of components X, Y, and Z

Theory $FSQRT = (X^2 + Y^2 + Z^2)^{1/2}$

Argument List

X,Y,Z = components of vector

FSQRT = resultant

Subroutine FVECTR

Object Calculate components of blade forces at each blade inflow station.

Options IDEBUG \neq 0 request printout of component forces

List of Symbols

ALFLC = lift force in the chordwise direction

ALFLN = lift force in the normalwise direction

ALFLS = lift force in the spanwise direction

ALFDC = drag force in the chordwise direction

ALFDN = drag force in the normalwise direction

ALFDS = drag force in the spanwise direction

Theory Using a calculated blade section lift and drag coefficients and the appropriate aerodynamic quantities, the forces in the blade element coordinate system are calculated and these forces are transformed to the cylindrical coordinate system.

Subroutine GAUSS (Augument List)

Object Solve a system of simultaneous linear equations in matrix form using a direct solution technique.

Argument List

NRØWM = row dimension of the coefficient matrix

N = number of rows and columns used in the matrix solution

A = coefficient matrix

B = constant vector and on output contains the solution vector

DET = mantissa of the value of the determinant in base ten
IDET = integer power to the base ten of the determinant
LSING = singularity flag

Theory

Using a standard Gauss-Jordan reduction method a system of simultaneous linear equations is solved and the determinant of the matrix is calculated.

Subroutine GCBØUN (RSC,CP,SP,ZSC,RSB,ZSB,PHIB,
CØSLB,SINLB,CMACH,MU,TIPM,VCØR)

Object

Calculate geometric influence coefficients at a specified load point for the bound vortex segments which represent the propeller blade lifting line.

Argument List

RSC = radial position of load point at which induced influence is to be calculated
CP = cosine of azimuthal position of load point
SP = sine of azimuthal position of load point
ZSC = axial position of load point
RSB = radial location of bound vortex segment endpoints
PHIB = azimuthal position of bound vortex segment endpoints
CØSLB = cosine of azimuthal position of bound vortex segment endpoints
SINLB = sine of azimuthal position of bound vortex segment endpoints
CMACH = mach number of bound vortex segment endpoints
MU = advance ratio of propeller disk
TIPM = tip mach number of propeller disk
VCØR = vortex core radius

Theory

Uses the potential flow solution for the induced influence of a finite length straight vortex filament, formulated in a cylindrical coordinate system. See Appendix B, Volume I.

Subroutine GCCØRE (IB,IFILA,IDEBUG,IFLAG,RARB,
ZAZB,RASQ,RBSQ,CP,DSCA,DSCA,VCØR)

Object Tabulate induced influence of a vortex segment if the load point
is within the core radius.

Argument List

IB = type of vortex segment indicator (bound or trailing)
IFILA = vortex segment number
IDEBUG = debug output trigger
IFLAG = flag

RARB = intermediate geometric quantity needed for the
 calculation, see Appendix B, Volume I

ZAZB = intermediate geometric quantity needed for the
 calculation, see Appendix B, Volume I

RASQ = intermediate geometric quantity needed for the
 calculation, see Appendix B, Volume I

RBSQ = intermediate geometric quantity needed for the
 calculation, see Appendix B, Volume I

CP = intermediate geometric quantity needed for the
 calculation, see Appendix B, Volume I

DSCA = intermediate geometric quantity needed for the
 calculation, see Appendix B, Volume I

DSCA = intermediate geometric quantity needed for the
 calculation, see Appendix B, Volume I

VCØR = vortex core radius

Theory If the load point at which the induced influence due to a vortex
segment is within a specified core radius, the induced influence
is modeled by a solid body rotation model. This removes the
singular behavior due to a purely potential flow vortex.

Subroutine GCFILA (K,NCØMPT,IBIWK,LBTØT,LLIWK,
RSCI,CP,SP,ZSCI,KTRUCT,JTRUCT,JTRUCI,MTØT,KTØT,
LTØT,CØSLB,SINLB,DTIPM,VØRCØR)

Object Calculate geometric influence coefficients at a specified load point for the trailing vortex segments of a specified filament which represent the wake geometry.

Options NCØMPT = 0 no compressible wake
NCØMPT ≠ 0 use compressible wake
KTRUCT ≠ 0 wake rollup model used beyond this filament index value
VØRCØR ≠ 0 vortex core option requested

Argument List

K = vortex filament index
NCØMPT = option control for compressible wake model
IBIWK = blade index for wake
LBTØT = blade and rotor position index
LLIWK = rotor position index of wake
RSCI = radial position of load point
CP = cosine of azimuthal position of load point
SP = sine of azimuthal position of load point
ZSCI = axial coordinate of load point
KTRUCT = filament index defining boundary for tip vortex rollup model
JTRUCT = filament azimuth position index for wake truncation associated with tip rollup model
JTRUCI = filament azimuth position index for wake truncation for inboard wake
MTØT = number of segment endpoints
KTØT = number of filaments
LTØT = number of rotor positions
CØSLB = cosine of filament azimuth position at blade
SINLB = sine of filament azimuth position at blade
DTIPM = reciprocal of blade tip Mach number
VØRCØR = vortex core radius

Theory Uses the potential flow solution for finite length straight vortex segment, formulated in a cylindrical coordinate system. See Appendix B, Volume I.

Subroutine GCWAKE

Object Controls flow of the geometric influence coefficient calculations. A flow diagram is presented in figure 12.

Options

- IWAKØP = 0 standard wake model (modified classical wake)
- IWAKØP = 1 classical wake model
- IWAKØP = 2 input wake geometry
- IWAKØP = 3 generalized wake model
- NACWAK ≠ 0 obtain nacelle corrections for wake geometry
- IPRØPT ≠ 0 print wake geometry

Subroutine G400LD (I,ALPHA,CL,CD)

Object Calculate lift and drag airfoil characteristics obtained from an external source.

Argument List

I = blade segment index
ALPHA = section angle of attack
CL = section lift coefficient
CD = section drag coefficient

Theory The lift and drag characteristics for each blade element segment are obtained from an external source by curve fitting a quadratic polynomial about the angle of attack at each station. The lift and drag are reconstructed in this subroutine for use in the solution procedure.

Subroutine INDVEL

Object Compute induced velocities.

Option IDEBUG ≠ 0 print the calculated induced velocities

Theory Reading the stored geometric influence coefficients in a defined order from a disc, the induced velocities are calculated by multiplying and summing over the appropriate indices of the matrix quantities.

Subroutine INTIAL

Object To calculate selected data and printout initial input data.

Subroutine ISØAFL

Object Control selection of type of isolated airfoil data tables to use (Manoni or NACA).

Options

- IDL = 1 lift only
- IDL = 2 drag
- IDL = 3 dummy feature
- IFL = 23 use Manoni data
- IFL = 24 use NACA data
- IFL < 23 or > 24 use Manoni data

Subroutine ISØARF

Object Control the flow of isolated airfoil data module.

Options

- IDL = 0 return to calling routine
- IDL = 1 compute lift
- IDL = 2 compute drag

Subroutine LDDATA

Object Read in required initial propeller input data and calculate selected data from input quantities.

Subroutine LIFT24

Object Calculate lift coefficient from tabulated airfoil data tables containing the NACA data.

Theory Using linear interpolation techniques this subroutine computes the lift coefficient from a table of NACA airfoil data which is a function of Mach number, angle of attack, design lift coefficient and thickness to chord ratio (reference 1).

Subroutine LINEAR (Argument List)

Object Interpolate and extrapolate linearly on an input set of data.

Argument List

NW = print output file number
N = number of data points in the interpolation vectors
XIN = independent data vector
YIN = dependent data vector
XOUT = requested interpolation point
YOUT = interpolated value
LOFF = interpolation flag

Theory Simple linear interpolation algorithm; if off scale on the low or high end, the flag is set (1 or 2 respectively) and the boundary slope is used to extrapolate to the requested interpolation point.

Subroutine LINTER (Argument List)

Object Control the interpolation of selected data arrays from input interpolation tables.

Options NERR = 1 use lower boundary value
NERR = 2 use upper boundary value

Argument List

N = number of data points in the interpolation vector
K = number of requested interpolation points
XIN = independent interpolation vector
YIN = dependent interpolation vector
X = vector of requested interpolation points
Y = vector of interpolated values

Subroutine MCØNE (Augument List)

Object Calculate Evvard Tip Relief Correction.

Options NEVARD = 0 no correction
 NEVARD = 1 used tabled values
 NEVARD = 2 use equation

Argument List

NEVARD = option control for method of calculation
IP = propeller index
L = propeller position index
RSC = radial location of inflow station
C = chord
R = propeller radius
ITØT = number of inflow stations
CNSECT = fraction of chord
XMTIP = tip Mach number
NSTAT = station index for boundary for Mach cone intersection
XKCØNE = tip relief correction vector
RTIP = tip radius

Theory See section of reference 1 entitled: "Evvard Tip Relief for Propellers".

Subroutine MVMULT (V,M,R1,R2,R3)

Object Multiply a three by three matrix by a vector of length three.
 Store the result in three separate scalars.

Argument List

V = vector
M = matrix
R1,R2,R3 = resultant scalars

Subroutine NSTACØ (Argument List)

Object Calculate Mach Cone intersection station index.

Options IDEBUG > 0 requests printout of selected data

Argument List

NSTAT = station index where intersection occurs

XMTIP = tip Mach number

IP = propeller index

L = propeller position index

Theory Using relative geometry the angle XNETA is computed for each station and compared with the Mach cone angle, BETA, until the station where the intersection of the Mach cone with the specified fraction of the blade chord is determined.

Subroutine PAGE (NWRITE)

Object Print new page.

Argument List

NWRITE = print output file number

Subroutine PCHØUT (NUNIT)

Object Output spanwise distributions of aerodynamic and geometric quantities to specified output device number.

Argument List

NUNIT = output file number

Subroutine PERFOR

Object Compute and print out the propeller performance parameters.

Theory Uses standard integration techniques to obtain the integrated thrust and power from the blades force components in the cylindrical coordinate systems.

$$\text{Thrust} = \int_{\text{Root}}^{\text{Tip}} F_z c dr \quad \text{Torque} = \int_{\text{Root}}^{\text{Tip}} F_\phi r c dr$$

where

c = chord
F_z = axial force per unit area
F_φ = tangential force per unit area
r = local blade radius

Subroutine PERIOD

Object Calculate propeller disc periodicity and related quantities.

Theory For single propeller disc configurations, the geometric relationship between the wake and blades is fixed. However, for a coaxial propeller, the geometric relationships are periodic with half-blade spacing if the number of blades and rotational speeds are equal. For unequal blades and/or unequal rotational speed, the relationship defining the periodicity (t) of the wake and blade geometry is

$$t = \frac{2\pi}{b_{\max}(\Omega_1 + \Omega_2)}$$

where Ω_1 and Ω_2 are the rotational speeds of the two propellers, and b_{\max} is the maximum number of blades of the two propellers.

Subroutine PERPRT (NW,L,IP)

Object Print spanwise distributions of aerodynamic and geometric quantities to a specified output unit.

Argument List

NW = output unit number
L = propeller position index
IP = propeller index

Subroutine PHICAL (MTØT,DPSI)

Object Compute wake azimuth positions and trigonometric relationships for all propeller azimuth positions.

Argument List

MTØT = number of wake filament segments
DPSI = azimuthal increment

Theory Using the requested blade azimuth increment, the wake azimuth position and the sine and cosine functions for such are computed and stored. The fact that the sine and cosine functions are periodic is made use of to reduce the actual number of sine and cosine values which are stored.

Subroutine PLABEL (NWRITE,NSLB,NSLF,NSP,NL,LABEL)

Object Print a label field.

Argument List

NWRITE = output device number
NSLB = number of lines to skip before label is output
NSLF = number of lines to skip after label is output
NSP = number of units of 10 spaces to skip before label is output
NL = length of label in increments of 6
LABEL = label vector

Function PN (N,R,S)

Object Compute special functions of R and S.

Options $N = 0$ $PN = 1$
 $N = 1$ $PN = 1 / (R-S)$
 $N \geq 2$ $PN = R^{N-2}$

Subroutine PRØP

Object Control sequencing of propeller lifting line solution procedure.
 A flow diagram is presented in figure 13.

Options $CPI \neq 0$ requests power iteration (overrides thrust iteration)
 $CTI \neq 0$ requests thrust iteration

Subroutine PRDATA (T,IUNIT,N,X)

Object Output label vector and floating point vector to specified
 output unit number using 7A6/8E10.4/8E10.4 format.

Argument List

T = label vector
IUNIT = outut unit number
N = length of floating point vector
X = floating point vector

Subroutine PRG400

Object Output required velocity quantities to specified unit number in a format compatible with an aeroelastic response analysis (reference 22).

12

Subroutine PRINTP (NWRITE,IFCØDE,N,FDATA,LABEL)

Object Output label vector and floating point vector with specified format of form 7A6,10F9.X.

Argument List

NWRITE = output unit number
IFCØDE = format code index
N = length of floating point vector
FDATA = floating point vector
LABEL = label vector

Subroutine PRTF15 (NWRITE,IFCØDE,N,FDATA,LABEL)

Object Output label vector and floating point vector of specified length to a specified unit number using a format of form 3A6,15F8.X.

Argument List

NWRITE = output unit number
IFCØDE = format code index
N = length of floating point vector
FDATA = floating point vector
LABEL = label vector

Subroutine PRTF16 (NWRITE,IFCØDE,N,FDATA,LABEL)

Object Output label vector and floating point vector of specified length to a specified unit number using a format of form 3A6,16F7.X.

Argument List

NWRITE = output unit number
IFCØDE = format code index
N = length of floating point vector
FDATA = floating point vector
LABEL = label vector

Subroutine PRTGCM (NWRITE,IØP,NRØW,NCØL,GCMAT)

Object Output two-dimensional influence coefficient matrix to specified unit number, in one of two formats.

Argument List

NWRITE = output unit number
IØP = format option index
NRØW = row dimension of matrix
NCØL = column dimension of matrix
GCMAT = matrix

Options IØP = 0 use format 15F8.5
 IØP = 1 use format 15F8.3

Subroutine PRTI15 (NWRITE,N,LABEL)

Object Output to specified unit number a label and integer index with format of form 2A6,17,14I8.

Argument List

NWRITE = output unit number
N = length of integer index
LABEL = label vector

Subroutine PRTI16 (NWRITE,N,LABEL)

Object Output to specified unit number a label vector and integer index with format of form 3A6,16,15I7.

Argument List

NWRITE = output unit number
N = length of integer index
LABEL = label vector

Subroutine PRTL F (NWRITE,F,LABEL)

Object Output label vector and single floating point scalar with format of form 5A6,F15.5.

Argument List

NWRITE = output unit number
F = floating point scalar
LABEL = label vector

Subroutine PRTL I (NWRITE,N,LABEL)

Object Output label vector and single integer value with format of form 5A6,I10.

Argument List

NWRITE = output unit number
N = integer value
LABEL = label vector

Subroutine PRTRZW (NWRITE,RSB,PHI,RZW,MTØT,KTØT,IRZ)

Object Output floating point vectors to specified unit number with integer indices with specified format.

Options IRZ = 0 use format of form 16F7.3
 IRZ = 1 use format of form 16F7.2

Argument List

NWRITE = output unit number
RSB = floating point vector
PHI = floating point vector
RZW = floating point vector
MTØT = length of column vector
KTØT = length of row vector
IRZ = option for format type

Subroutine PRWZW (RSBB)

Object Control print of wake coordinates.

Argument List

RSBB = blade element segment boundary radius

Subroutine RDSCAL (IVPRNT)

Object Read scalar input parameters necessary to run program.

Options NG400 \neq 0 read data from external unit source for necessary scalar input for coupling with aeroelastic response analysis (reference 12)

Argument List

IVPRNT = print option for vector input listing

Subroutine RDVECT (IVPRNT)

Object Read vector inputs necessary to run.

Options IVPRNT \neq 0 no listing of inputs as read in
NG400 \neq 0 read vector inputs from external source for coupling with aeroelastic response analysis (reference 12)

Argument List

IVPRNT = option flag to terminate listing of input vector as read in

Subroutine READWR (*,NREAD,NWRITE,IT,S,ST,X)

Object Read input vectors if label fields match.

Argument List

* = return 1
NREAD = input unit number
NWRITE = output unit number
IT = length of vector
S = input label field
ST = test label field
X = input vector

Subroutine RELAXG (ITER,ICØV,RELAXF,GAMMA)

Object Relaxation of circulation solution and convergence flag set in this subroutine.

Argument List

ITER = iteration index
ICØV = convergence flag
RELAXF = relaxation factor
GAMMA = temporary single dimension variable for solution storage

List of Symbols

CIRC = current circulation stored in this matrix
SAVCIR = previous iteration circulation stored in this matrix

Subroutine REDMAT (Argument List)

Object Read all geometric influence coefficients from disk and create the geometric influence coefficient matrix.

Argument List

NM = dimension for the maximum number of rows in the matrix
MSIZE = number of rows used in the matrix
GCN = geometric influence coefficient matrix

Subroutine RWZWIN (IWK)

Object Input wake geometry coordinates.

List of Symbols

PHI = wake azimuth position
RW = radial coordinates of wake
ZW = axial coordinates of wake
IWK = wake index number

Subroutine RWZW1 (IWK)

Object Compute wake coordinates for classical or modified classical wake model.

Options IWAKØP = 0 use prescribed inflow distribution and the momentum induced velocity to define the wake geometry (modified classical wake)

 IWAKØP = 1 use the freestream velocity and the momentum induced velocity to define the wake geometry (classical wake)

List of Symbols

PHI = wake azimuth position
RW = radial coordinates of wake
ZW = axial coordinates of wake
IWK = propeller wake index number
VWAKE = propeller wake transport velocity

Theory Classical wake.

$$VWAKE = -VKTAS*1.688+VIMØM$$

Modified classical wake

$$VWAKE = VZERØB(I)+VIMØM$$

Subroutine RWZW7 (IWK)

<u>Object</u>	Compute generalized wake geometry.
<u>Options</u>	IØPT = 0 linear fit for wake geometry between tip filament and non-rolled up filaments outboard of the outer sheet filament IØPT = 1 parabolic fit for filaments as noted above

List of Symbols

PHI = wake azimuth position
RW = radial coordinates of wake
ZW = axial coordinates of wake
IWK = wake index number

Theory	See reference 1.
---------------	------------------

Function SBFUNC (X)

Object	Calculate value of special function.
--------	--------------------------------------

Argument List

X = specified independent parameter
SBFUNC = function value for specified X

Theory A special function for the stall bucket (reference 11) is tabulated for interpolation on the independent parameter X. Beyond the range of tabulated data, the following function is used.

$$\text{SBFUNC} = e^{X-2.139}$$

Subroutine SETMAT

<u>Object</u>	Read from a disk in a specified order the geometric influence coefficients and combine them on another disk for the matrix solution algorithm.
---------------	--

List of Symbols

NPRØP = number of propellers
 LTØT = number of propeller positions
 ITØT = number of inflow stations
 MSIZE = matrix row size
 GCC = chordwise influence coefficients
 GCN = normalwise influence coefficients
 GCS = spanwise influence coefficients

Subroutine SØLVEL

Object Calculate required quantities associated with the propeller aerodynamics and control the linearized solution procedure. A flow diagram is presented in figure 14.

Options

- IDEBUG ≠ 0 print out intermediate quantities
- NEVARD ≠ 0 use Evvard Tip Relief Correction
- ICAS ≠ 0 use cascade airfoil data inboard of requested radial station
- IPRMAT ≠ 0 print matrix related quantities
- MATSØL = 0 use direct matrix solution technique
- MATSØL = 1 use iteration matrix solution technique
- INPT ≠ 0 print circulation solution

Theory See section entitled: "Linearized Aerodynamics" of reference 1.

Subroutine SØLVEN

Object Calculate required quantities for propeller aerodynamics and control the nonlinear matrix solution procedure. A flow diagram is presented in figure 15.

Options

- ICAS ≠ 0 use cascade airfoil data inboard of requested radial solution
- IPNT ≠ 0 print intermediate circulation solutions
- MATSØL = 0 use direct matrix solution technique
- MATSØL = 1 use iterative matrix solution technique
- IDEBUG ≠ 0 print out intermediate quantities

Theory See section entitled: "Nonlinear Aerodynamics" of reference 1.

Subroutine SØLVIT

Object Control flow of solution procedure.

Options ITYPES = 0 linear aerodynamic solution only
 ITYPES = 1 nonlinear aerodynamic solution

Subroutine SPLIN3 (Argument List)

Object Interpolate using spline fit.

Options NWØT = controls calculation of derivatives

Argument List

XDATA = independent interpolation variable vector
YDATA = dependent interpolation variable vector
NDATA = number of interpolation table data points
XIN = vector of requested interpolation table data points
YØUT = interpolation values at the interpolation points
YPRIME = vector of derivatives at the interpolation points
NXY = number of requested interpolation points
NWØT = option control on derivatives

Theory Standard spline fitting technique.

Subroutine STARC (Argument List)

Object Convert design lift coefficient to equivalent camber angle.

Argument List

DECL = design lift coefficient
THSTAR = effective camber angle

Theory Using second order interpolation technique on a prestored table of data, the design lift coefficient is converted to the equivalent camber angle for a double circular arc airfoil.

Subroutine STØRE (I,J,K,X,Y)

Object Store the vector X into the vector Y where X and Y can be externally dimensioned as three dimensional arrays.

Argument List

I,J,K = dimension limits of the X and Y arrays
X = input vector (array)
Y = output vector (array)

Function SWPCØR (S,CØ,MACH,LAMLE,LAMTE,Y)

Object Calculate tip loss factor for propeller blade using conical flow theory.

Argument List

S = semispan of wing which is used to approximate swept propeller tip
CØ = midspan chord of wing
MACH = Mach number
LAMLE = leading edge sweep angle
LAMTE = trailing edge sweep angle
Y = spanwise position on wing measured from midspan
SWPCØR = scaling result

Theory Conical flow theory for a thin sweep wing with subsonic leading edge and supersonic trailing edge is used to obtain the three-dimensional section C_l . This solution is divided by the equivalent thin wing two-dimensional solution to obtain a scaling function to apply to actual two-dimensional tabulated C_l data.

Subroutine THITER

Object Control selection of C_p or C_T blade angle iteration.

Subroutine TITER (N,T,DQDT,QWANT,QCALC,TØL,IQØK)

Object Linearly interpolate or extrapolate on input vector to obtain required T at requested Q.

Argument List

N = iteration index
T = output vector
DQDT = initially assumed slope of Q versus T curve
QWANT = requested Q
QCALC = input Q vector
TØL = tolerance or solution
IQØK = iteration control flag

Subroutine UNBAR (Argument List)

Object Bivariant Interpolation on data vector.

Argument List

T = table of bivariant interpolation data (Z vs. X and Y)
IK = starting location of data
XIN = requested interpolation point (X)
YIN = requested interpolation point (Y)
ZZ = interpolated value
KK = interpolation flag

Theory Use standard bivariant interpolation algorithm with degree choice internally coded.

Subroutine UNINT (Argument List)

Object Univariant interpolation.

Argument List

NW = print output file number
N = number of interpolation data points
XA = vector of independent interpolation data
YA = vector of dependent interpolation data
X = requested interpolation point
Y = resulting interpolated data values
Z = interpolation flag

Theory Interpolates over a four point interval using a variation of a 2nd degree interpolation to produce a continuity of slope between adjacent intervals.

Subroutine VECTOR

Object Compute velocity related quantities required for propeller aerodynamics.

Options IDEBUG \neq 0 printout of selected intermediate quantities

Theory Using vector algebra, the direction cosines of the local velocity vectors at the blade are calculated neglecting induced velocity terms, along with other related quantities.

Subroutine VVECTR

Object Compute velocity related quantities for the propeller aerodynamics.

Options IDEBUG = 0 printout intermediate quantities.

Theory Using vector algebra, the direction cosines of the local velocity vectors at the blade are compiled including effects along with other related velocity quantities.

Subroutine WAKMØD (KTØT,MTØT,IDEBUG)

Object Read wake displacement corrections from disk and modify the internally calculated wake geometry.

Options IDEBUG ≠ 0 printout selected quantities

List of Symbols

PHI = wake azimuth position
RW = radial wake coordinate
ZW = axial wake coordinate
KTØT = number of wake filaments per blade
NTØT = number of wake revolutions
JTØT = number of wake azimuth positions per wake revolution
JTØT1 = JTØT+1
IDEBUG = print option

Theory See section entitled: Nacelle Influence on Wake Geometry of reference 1.

Subroutine WRITGC (Argument List)

Object Convert vectors of geometric influence coefficients to the blade coordinate system in the order in which they are calculated and write them to disk for later retrieval.

Options IPRMAT ≠ 0 printout geometric influence coefficients

Argument List

IX = local blade station index specifying the particular blade element station to transform the influence coefficients vectors from cylindrical to blade element coordinate system
LL = propeller position index
IWK = propeller wake index
IBB = blade index
IP = propeller index
IWRITE = disk number to write influence coefficients onto

Theory Standard geometric transformation applied to the cylindrical coordinate system influence coefficients to transform them to blade element coordinate system, before storing the disk for later retrieval.

Subroutine ZEROGC (MK,N2,N3,GC)

Object Set an externally dimensioned three dimensional array to zero.

Argument List

 MK,N2,N3 = external dimensions of array GC
 GC = input array

Subroutine ZEROAL (THSTAR,APZL)

Object Calculate angle of zero lift for isolated airfoils.

Argument List

 THSTAR = effective camber angle
 APZL = angle of zero lift

Theory The angle of zero lift is calculated for the requested isolated airfoil type by computing the linear lift curve slope near zero angle of attack and solving for the intercept of the straight line with the resultant linear lift curve slope.

Labeled Common Blocks used in the Propeller Portion

Included herein is a list of the labeled common blocks in alphabetical order used in the propeller portion of the analysis and a description of each variable used in them (NDN designates a non-dimensional number).

<u>Common Block Name (Object)</u>	<u>Variable Names</u>	<u>Description of Variables</u>
AERDAT (Store Miscellaneous Aerodynamic Quantities)		
	AA	Linearized lift curve slope (per radian)
	DIAG	Diagonal element vector of geometric influence coefficient matrix (per ft.)
	CØNST	Constant vector of circulation solution matrix (ft ² /sec)
	CMACH	Local total Mach number (NDN)
	SMACH	Local section Mach number (NDN, normal to lifting line)
	CFDP	Constant vector correction term (ft ² /sec)
	SKEW	Aerodynamic skew angle (degrees)
AFDATX (Store Isolated Airfoil Data Package Quantities)		
	I	Inflow station index
	IFL	Airfoil type flag
	IDL	C _L , C _D calculation flag
	ICASDE	Cascade correction flag
	ALPHA	Local angle of attack (degrees)
	THET	Local blade angles (degrees)
	TAUB	Chord-to-gap ratio (NDN)
	ZM	Local Mach number (NDN)
	DECL	Design lift coefficient (NDN)
	HØB	Thickness-to-chord ratio (NDN)
	ZMCRØM	Critical Mach number (NDN)
	CL2	Lift coefficient (NDN)
	CL3	Temporary lift coefficient (NDN)
	CD	Drag coefficient (NDN)
	DCDCL	Change in drag coefficient with lift coefficient (NDN)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
BIGMAT (Large Storage Matrix, used primarily for wake geometry and matrix coefficient storage)		
	PHI	Wake segment azimuth angles (degrees)
	CØSPHI	Cosine of wake azimuth angles
	SINPHI	Sine of wake azimuth angles
	RW	Radial coordinate of wake segments (NDN)
	ZW	Axial coordinate of wake segments (NDN)
CASDT (Store Cascade and Airfoil Related Data)		
	SIGMAX	Section cascade solidity, gap-to-chord ratio (NDN)
	THETAG	Geometric angle between section chordwise vector and rotation plane (degrees)
	THETAB	Section angle of attack neglecting induced terms (degrees)
	TAUB	Section chord-to-gap ratio (NDN)
CDPER (Store Nacelle Drag Quantities)		
	DFR	Nacelle skin friction drag (lb)
	DPR	Nacelle pressure drag (lb)
CCØM (Store Section Chord Data)		
	CHØRD	Blade element section chord length (feet)
	ALCRAD	Blade element section chord length radial direction cosine (NDN)
	ALCPHI	Blade element section chord length tangential direction cosine (NDN)
	ALCAXL	Blade element section chord length axial direction cosine (NDN)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
CINCØM (Store Input Chord Data)		
	CINPUT	Input chord length (feet)
CLCDDT (Store Circulation Solution and Airfoil Characteristics)		
	CLSAV	Section lift coefficient (NDN)
	CDSAV	Section drag coefficient (NDN)
	ALPHA	Section angle of attack (degrees)
	PHINSØ	Section inflow angle (degrees)
	CD _o	Section minimum drag coefficient (NDN)
	CIRC	Section circulation (ft ² /sec)
	SAVGIR	Section circulation from previous iteration (ft ² /sec)
	FTRAN	Interpolation function (NDN)
CØNSTI (Store Input Data)		
	RPM	Propeller rotational velocity (rmp)
	SØUND	Freestream speed of sound (fps)
	DENSTY	Freestream density (slugs/ft ³)
	VIMØM	Momentum induced velocity (fps)
	BL	Number of propeller blades per propeller
	R	Blade radius (feet)
	STN	Number of inflow stations
	THETAØ	Blade angle (degrees)
	HUBQ	Hub torque (ft-lb _f)
	DPSI	Blade azimuth increment (degrees)
	REV	Number of wake revolutions
	CPI	Requested power coefficient (NDN)
	TØL	Matrix solution tolerance (NDN)
	CNSECT	Fraction of blade chord measured from leading edge (NDN)
	SCØ	Not used
	RADCAS	Blade radius denoting the end of the cascade region (NDN)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
	VØRCØR	Vortex core (NDN)
	DCPDT	Change in power coefficient with blade angle (per degree)
	STACK	Position of lifting line as a fraction of the blade chord measured from the leading edge (NDN)
	CTI	Requested thrust coefficient (NDN)
	DCTDT	Change in thrust coefficient with blade angle (per degree)
	ZHUB	Coaxial hub displacement (NDN)
	VKTAS	Freestream velocity (knots)
	TIPM	Tip Mach number (NDN)
	RDTRAN	Interpolation radius limit (NDN)
	RPMREF	Reference rpm for steady load induced twist (rpm)
	DPSIB	Blade spacing azimuth interval (degrees)
	OMEGA	Propeller rotational speed (rad/sec)
	DTIME	Periodic blade/wake geometry time interval (sec)

CØNST1 (Store Internal Constants)

PI	π
RC	$\pi/180$ (radial degree)
R4PI	$4\pi \times$ blade radius (feet)
ØNØ4PI	$1/R4PI$ (per ft.)

CØNST2 (Store Miscellaneous Quantities)

DIA	Propeller diameter (feet)
ØMGR	Propeller tip speed (fps)
ZMSQ	Freestream Mach number squared (NDN)
UAX	Freestream velocity (fps)
ZJI	Freestream advance ratio (NDN)
MU	Freestream velocity/tip speed (NDN)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
CØNST3 (Store Input Option Scalars)		
	PRØPMN	See description for scalar inputs
	PRMAT	"
	PRØPT	"
	DEBUG	"
	PCHPLT	"
	WAKEØP	"
	WAKNAC	"
	CØMPRS	"
	EVAARD	"
	SKINØP	"
	CASCAD	"
	TPCAS	"
	CBWAKE	"
	CØFLOW	"
	TAUEXP	"
CPHET (Store Performance Related Quantities)		
	NCP	Performance iteration counter
	ICPØK	Performance iteration control flag
	THETO	Blade angle storage vector (degrees)
	CPCALC	Power coefficient storage vector (NDN)
	CTCALC	Thrust coefficient storage vector (NDN)
FCØM (Store Force Data)		
	FTØT	Total force per unit area (lb_f/ft^2)
	ALFRAD	Total force per unit area radial direction cosine (NDN)
	ALFPHI	Total force per unit area tangential direction cosine (NDN)
	ALFAXL	Total force per unit area axial direction cosine (NDN)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
	FLTØT	Lift force per unit area (lb_f/ft^2)
	ALFLRD	Lift force per unit area radial direction cosine (NDN)
	ALFLPH	Lift force per unit area tangential direction cosine (NDN)
	ALFAX	Lift force per unit area axial direction cosine (NDN)
	FDTØT	Drag force per unit area (H_{ef}/ft^2)
	ALFDRD	Drag force per unit area radial direction cosine (NDN)
	ALFDPH	Drag force per unit area tangential direction cosine (NDN)
	ALFDAX	Drag force per unit area axial direction cosine (NDN)
FLIGHT (Store Freestream Quantities)		
	ZMO	Local station rotational Mach number (NDN)
	ZJO	Local station advance ratio (NDN)
FLOWDT (Store Inflow Distribution Data)		
	DENS	Section density ratio (NDN)
	SØUN	Section speed of sound ratio (NDN)
	VØNVO	Section axial inflow velocity ratio (NDN)
	URØNVO	Section radial inflow velocity ratio (NDN)
	VZERØ	Section center axial inflow velocity (fps)
	VZERØB	Section boundary axial inflow velocity (fps)
GCDIMD (Store Geometric Influence Coefficients)		
	GCDIM	Radial, tangential and axial geometric influence coefficients (per ft)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
GCKDAT (Store individual trailing filament and bound vortex influence coefficients)		
	GCKRTZ	Radial, tangential and axial trailing vortex filament influence coefficients
	GCRTZB	Radial, tangential and axial bound vortex influence coefficients
GEØDAT (Store Blade Geometry Quantities)		
	RSB	Input x-wise segment boundary coordinate (NDN)
	ZSB	Input axial segment boundary coordinate (NDN)
	YSB	Input y-wise segment boundary coordinate (NDN)
	RSBB	Segment boundary radius (NDN)
	ZSBB	Segment boundary droop (axial) displacement (NDN)
	YSBB	Segment boundary lag displacement (NDN)
	PHIBB	Segment boundary lag angle (degrees)
	RSC	Input segment center radial coordinate (NDN)
	RSCC	Input segment center radial coordinate (NDN) after blade angle rotation
	ZSCC	Input segment center axial displacement (NDN) after blade angle rotation
	YSCC	Input segment center lag displacement (NDN) after blade angle rotation
	PHICC	Input segment center lag angle (degrees)
	XSBB	Segment boundary x-wise location (NDN)
	XSCC	Segment center x-wise location (NDN)
	COSLB	Cosine of blade segment boundary lag angle
	SINLB	Sine of blade segment boundary lag angle

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
GEØINP (Store Input Interpolation Arrays)		
	VØNVØX	Axial inflow ratio distribution (NDN)
	CX	Input chord distribution (feet)
	DTHETX	Input pitch angle distribution (degrees)
	TØVERX	Input thickness-to-chord ratio distribution (NDN)
	BETAB	Load induced twist increment at blade segment boundary points (degrees)
	BETAC	Load induced twist increment at blade segment boundary points (degrees)
GEØMØD (Store Design Lift Coefficient)		
	DESCLP	Section design lift coefficient (NDN)
GEØØUT (Store Blade Section Properties)		
	DTHETA	Input section pitch angle (degrees)
	AFØIL	Section airfoil type (NDN)
	DESCL	Input section design lift coefficients (NDN)
	TØVERC	Section thickness-to-chord ratio (NDN)
	BØD	Section chord-to-diameter ratio (NDN)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
G400DT (Store Quantities from Aeroelastic Response Analysis)		
	NG400	Option flag
	NSEG	Number of blade stations in the response analysis
	XYZCG	Segment center coordinates of blade stations used in the response analysis
	G400CL	Quadratic coefficients for segment C_l from the response analysis
	G400CD	Quadratic coefficients for segment C_D from the response analysis
IØUNIT (Store Standard Input/Output Unit Numbers)		
	NREAD	Standard input unit
	NWRITE	Standard print unit
	NPUNCH	Standard punch unit
INTDTL (Store Indexing Limits)		
	ITØT	Number of inflow stations
	KTØT	Number of inflow station boundaries
	JTØT	Number of blade azimuth stations
	NREV	Number of revolutions of wake geometry
	NBLØØP	Number of blade loops
	LTØT	Number of propeller positions
	NPRØP	Number of propellers
	MTØT	Number of segment endpoints
	MSIZE	$LTØT * JTØT * JTØT$
	NBCALC	Number of blade calculations
	IFL	Airfoil type index vector

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
INTDT2 (Store Program Option Flags)		
	NCØMPR	Wake compressibility flag
	NEVARD	Evvard Tip Relief flag
	IPRMAT	Matrix print flag
	IPRØPT	Wake geometry print flag
	NCFLØW	Section Mach number test flag
	IWAKØP	Wake model flag
	NACWAK	Nacelle wake correction flag
	IVØRT	Vortex core model flag
	ISKIN	Skewed flow skin friction drag addition flag
	ICASDE	Analytical cascade correction flag
	ICAS	Cascade airfoil flag
	IDEBUG	Intermediate print flag
	NCBWAK	Compressible bound wake flag
	IPCH	Card punch option flag
	ITYPCS	Cascade option flag
	IBLN	Blade number control flag
IUNITD (Store Disc Unit Numbers)		
	IUNIT	Disc unit number storage vector for geometric influence coefficients
	MUNIT	Disc unit number for matrix solution coefficients
MCØNED (Store Tip Mach Cone Coordinates)		
	XMC	Input tip Mach cone definition coordinate x (NDN)
	YMC	Input tip Mach cone definition coordinate y (NDN)
	ZMC	Input tip Mach cone definition coordinate z (NDN)
	XMCT	Tip Mach cone definition coordinate x (NDN)
	YMCT	Tip Mach cone definition coordinate y (NDN)
	ZMCT	Tip Mach cone definition coordinate z (NDN)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
MHCONE (Store Mach Cone Correction Quantities)		
	NSTAT	Inflow station index where tip Mach cone intersects specified fraction of chord line
	XKCONE	Evaard Tip Relief correction factor (NDN)
NORCOM (Store Section Normal Data)		
	ALNRAD	Blade element section normal radial direction cosine (NDN)
	ALNPHI	Blade element section normal tangential direction cosine (NDN)
	ALNAXL	Blade element section normal axial direction cosine (NDN)
PHICOM (Store Nacelle Induced Wake Azimuthal Distortion Quantities)		
	NPHI	Number of azimuth increments affected by nacelle
	DELPHI	Incremental azimuthal distortion (degrees)
	COSDPH	Cosine of distortion angle
	SINDPH	Sine of distortion angle
ROLL (Storage of Wake Rollup Quantities)		
	TRUNCT	Tip filament rollup truncation angle (degrees)
	TRUNCI	Inboard filaments truncation angle (degrees)
	ROLLUP	Number of filaments for rollup

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
STACØM (Store Section Span Data)		
	STABAR	Blade element section length (NDN)
	ALSRAD	Blade element section length radial direction cosine (NDN)
	ALSPHI	Blade element section length tangential direction cosine (NDN)
	ALSAXL	Blade element section length axial direction cosine (NDN)
THICKD (Store Thickness Data)		
	THK	Blade element thickness (NDN)
UICØM (Store Induced Velocity)		
	UIR	Radial induced velocity (fps)
	UIT	Tangential induced velocity (fps)
	UIZ	Axial induced velocity (fps)
UUCØM (Store Input Noninduced Velocity Data)		
	UR	Radial noninduced velocity (fps)
	UT	Tangential noninduced velocity (fps)
	UZ	Axial noninduced velocity (fps)

<u>Common Block Name</u>	<u>Variable Names</u>	<u>Description of Variables</u>
VCØM (Store Noninduced Velocity Data)		
	ALPHAN	Noninduced angle of attack (radians)
	VS	Spanwise noninduced velocity direction cosine (NDN)
	VC	Chordwise noninduced velocity direction cosine (NDN)
	VN	Normalwise noninduced velocity direction cosine (NDN)
	VTØT	Total noninduced velocity (fps)
	ALVRAD	Radial noninduced velocity direction cosine (NDN)
	ALVPHI	Tangential noninduced velocity direction cosine (NDN)
	ALVAXL	Axial noninduced velocity direction cosine (NDN)
VIDAT (Store Induced Velocity)		
	VIS	Spanwise induced velocity (fps)
	VIC	Chordwise induced velocity (fps)
	VIN	Normalwise induced velocity (fps)
WAKDAT (Store Wake Rollup Data)		
	KTRUCT	Filament station index for rollup
	JTRUCT	Wake azimuth position index for tip rollup
	JTRUCI	Wake azimuth position index for root rollup

Nacelle Program

A detailed description of the nacelle portion of the computer program is given in this section. The subroutines and external functions are described individually in alphabetical order. The labeled common blocks are briefly described along with the FORTRAN variables used in them. Flow charts and figures are provided whenever necessary to understand the objectives and theory for the subroutines or external functions.

List of Subroutines and External Functions

<u>Name</u>	<u>Object</u>
ALTMN	Control I/O and calculation flow
AMF	Compute isentropic nozzle flow
AMFLØ	Calculate Mach number from area ratio
AMU	Compute molecular viscosity
BATCH	Main routine
BILINE	Calculate neighboring points on output line
BLDGEO	Locate blade centerline
BLDØUT	Store blade parameters on drum
BLKDAT	Load block data
BLKRED	Read data records from mass storage device
BLPARM	Compute boundary layer parameters
BPLUSR	Compute law of wall integration constant
CALDRM	Read inviscid or viscous solution from drum
CALINV	Calculate inviscid flow field
CDS	Calculate Roberts' mesh distortion parameter
CKINPT	Check input data for radial equilibrium
CØØR	Interpolate coordinates
CØØRST	Control flow of coordinate calculation
CØØR1	Compute approximate coordinates
CØØR3	Compute coordinate functions
CØØR4	Compute Schwartz-Christoffel parameters
CØØR5	Interpolate wall curvature at station 5
CPLX1	Evaluate Schwartz-Christoffel transform
DAMU	Find derivative of molecular viscosity

<u>Name</u>	<u>Object</u>
DRØBRT	Compute derivative of Roberts' transformation
DRØUT	Drum I/O routine
DRUTPE	Transfer data drum to tape
ERPIN	Check normal pressure gradient
FAMACH	Calculate Mach number from velocity
FAVER2	Compute mean flow
FCØLES	Compute Coles velocity profile
FCØRCT	Correct truncation error
FCPLX	Evaluate complex functions
FETA	Calculate distorted mesh
FINTG	Integrate complex functions
FLØWIN	Set inlet flow
FNØRM	Normalize input variables
FØRCE	Compute blade forces
FØRCL	Compute local blade force
FTHIK	Compute blade thickness
GBLADE	Compute blade geometry
GDUCT	Compute duct shape
GEØMCL	Calculate coordinates of lifting line
INITQ	Initialize data file parameters for Q array
INTFRE	Initialize freestream conditions
LØADRR	Loader formatted input
MINVRT	Inverts block matrix
MYTIME	Dummy time trap

<u>Name</u>	<u>Object</u>
ØUTPUT	Print title page
PERFNA	Compute viscous nacelle drag
PERFN2	Compute inviscid nacelle drag
PØIS	Solve Poisson equation
PØISCF	Set initial quantities in solution procedure
PØISØN	Calculate axisymmetric streamline curvature
QINTER	Interpolate curvature
READPF	Read P and F files
READPG	Read variable for curvature calculation
RØBRTS	Compute distorted mesh using Roberts' transformation
RØUND	Round corners on straight wall ducts
SCURVA	Calculate curvature from potential flow solution
SLETE	Find blade control surfaces
SMØØTH	Smooth duct wall contour
SØLVI	Integrate equations of state
SPLIN3	NASA Spline Fit routine
STRESI	Compute initial stress distributions
STRT	Find inlet flow locations
TPRINT	Call CPU time
TURB	Compute turbulent viscosity
UBLAS	Calculate velocity ratio according to Blasius solution
UCØLES	Compute Coles friction velocity
WAKØR	Compute nacelle wake corrections

<u>Name</u>	<u>Object</u>
WBLEED	Calculate perforated wall bleed
WRITPF	Store updated potential flow solution
XH	Calculate wall length on ID wall
XT	Calculate wall length on OD wall

Description of Subroutines and External Functions

This section describes the subroutines and external functions used in the nacelle portion of the analysis. The source name for the main control routine is called BATCH and has the following two entry points: ALTMN and ØFFLNE. The main program determines the entry point ALTMN or ØFFLNE.

Subroutine ALTMN

Object Controls I/O and calculation of flow.

Options

IREADR=0 Card formatted input
IREADR=1 Loader formatted input
All IØPTØ and IDBGØ options

Entry Points

ALTMN Initial loading of first case
ØFFLNE Not used

List of Symbols

AMACHE	= M_1	, Average inlet Mach number (dimensionless)
BBO	= B_0	, Inlet blockage (dimensionless)
DZ	= ΔZ	, Increment in axial length (ft)
IREADR	=	, Loader format flag
KDSH	= KDS	, Temporary storage for KDS
P1	= P_1	, Average inlet static pressure (psf)
REYH	= N_{Rh}	, Reynolds number based on duct height (dimensionless)
T1	= T_1	, Average inlet static temperature (deg R)
Z	= Z	, Axial length (ft)

Theory

This subroutine controls I/O and the calculation of flow depending on the options selected. A flow chart is shown in figure 16.

Subroutine AMF(AA,AM1,AMG,AM,ACPC,ACPI)

Object Compute isentropic nozzle flow

Options

AMG < 1 Subsonic solution
 AMG > 1 Supersonic solution

List of Symbols

AA	= A/A_1	, Area ratio
AAI	= $(A/A_1)^\nabla$, ∇^{th} guess for area ratio
ACPC	= C_p	, Pressure coefficient
ACPI	= C_{pI}	, Incompressible pressure coefficient
AM	= M	, Mach number
AMF	= F(M)	, Function name
AMG	= $M^{(G)}$, 1st guess for Mach number
AMI	= M_2^∇	, ∇^{th} guess for Mach number
AM1	= M_1	, Mach number at station 1
AP2	= P_o/P_1	, Static pressure at station 1
AP2	= P_o/P_2	, Static pressure at station 2
C1	= $\gamma-1/2$	$\left. \begin{array}{l} \\ \\ \\ \\ \end{array} \right\} \text{Constants in Iteration}$
C2	= $\frac{1}{2} \frac{\gamma+1}{\gamma-1}$	
C3	= $M_1 / (1 + \frac{\gamma-1}{2} M_1^2)^{\left(\frac{1}{2} \frac{\gamma+1}{\gamma-1} \right)}$	
C4	= $(\gamma+1)$	
C5	= $1 + \frac{\gamma-1}{2} (M^{(i)})^2$	

$$\begin{aligned}
C6 &= \gamma/\gamma-1 & \left(\frac{1}{2} \frac{\gamma+1}{\gamma-1} \right) \\
C7 &= M_1 \frac{(1 + \frac{\gamma-1}{2})}{(1 + \frac{\gamma-1}{2} M_1^2)} \left(\frac{1}{2} \frac{\gamma+1}{\gamma-1} \right) & \left. \vphantom{\frac{(1 + \frac{\gamma-1}{2})}{(1 + \frac{\gamma-1}{2} M_1^2)}} \right\} \text{ Constants in Iteration} \\
DAAI &= (dA/dM)^{\nabla} & , \text{ Derivative} \\
DAMI &= \Delta M & , \text{ Correction to Mach number} \\
ITER &= \nabla & , \text{ Iteration counter}
\end{aligned}$$

Theory

Given the area ratio A/A_1 and the inlet Mach number M_1 , find the exit Mach number M , the pressure coefficient C_p , and the incompressible coefficient C_{pI} . The exit Mach number M is determined from the one-dimensional isentropic flow relations using Newton's method for determining roots of nonlinear equations. Thus, we setup the iteration cycle

$$(A/A_1)^{\nu} = \frac{C_3}{M^{\nu}} \left(1 + \frac{\gamma-1}{2} (M^{\nu})^2 \right)^{\frac{1}{2} \frac{\gamma+1}{\gamma-1}} \quad (1)$$

$$\left[\frac{d(A/A_1)}{dM} \right]^{\nu} = \left(\frac{A}{A_1} \right)^{\nu} \left\{ \frac{C_4 M^{\nu}}{C_5} - \frac{1}{M^{\nu}} \right\} \quad (2)$$

$$\Delta M = (A/A_1 - (A/A_1)^{\nu}) / \frac{d}{dM} (A/A_1) \quad (3)$$

$$M^{\nu+1} = M^{\nu} + \Delta M \quad (4)$$

When $|\Delta M| < 10^{-5}$ the iteration has converged and the pressure coefficient may be computed.

$$\frac{P_0}{P_1} = \left(1 + \frac{\gamma-1}{2} M_1^2 \right)^{\frac{\gamma}{\gamma-1}} \quad (5)$$

$$C_{pI} = 1 - \left(\frac{A_1}{A} \right)^2 \quad (6)$$

$$C_p = \frac{(P/P_0 - P_1/P_0)}{1 - P_1/P_0} \quad (7)$$

Subroutine AMFLØ (AA, AM1, AMG, AM, ACPC, ACPI)

Object Calculate Mach number from area ratio

Variables

AA	A/A	Area ratio
ACPC	C _{PC}	Compressible pressure coefficient
ACPI	C _{PI}	Incompressible pressure coefficient
AM	M	Mach number
AMG		Flag
AM1	M ₁	Mach number at station 1

Theory

The Mach number can be calculated from

$$\frac{A}{A_1} = \frac{M_1}{M} \left(\frac{1 + \frac{\gamma-1}{2} M^2}{1 + \frac{\gamma-1}{2} M_1^2} \right)^{\frac{\gamma+1}{2(\gamma-1)}} \quad (1)$$

using Newton's iteration. With M known,

$$C_{PI} = 1 - \left(\frac{A_1}{A} \right)^2 \quad (2)$$

$$\frac{P_T}{P_1} = \left[1 + \frac{\gamma-1}{2} M_1^2 \right]^{\frac{\gamma}{\gamma-1}} \quad (3)$$

$$\frac{P_T}{P} = \left[1 + \frac{\gamma-1}{2} M^2 \right]^{\frac{\gamma}{\gamma-1}} \quad (4)$$

$$C_{PC} = \left(\frac{P}{P_T} - \frac{P_1}{P_T} \right) / \left(1 - \frac{P_1}{P_T} \right) \quad (5)$$

AMG < Subsonic root of (1)

AMG > Supersonic root of (1)

Function AMU(T)

Object Compute molecular viscosity

Options

None

List of Symbols

AMU = μ/μ_r , Ratio of molecular viscosity (dimensionless)

T = Θ , Static temperature ratio (dimensionless)

Theory

The molecular viscosity is computed according to Sutherland's formula (Ref. 6). The working fluid is assumed to be air. Accordingly,

$$\frac{\mu}{\mu_r} = \Theta^{3/2} \frac{1 + 198.0/T_r}{\Theta + 198.0/T_r} \quad (1)$$

Subroutine BLDOUT

Object Write (or read) blade parameters on drum

Entry Points BLDIN
 BLDOUT
 BLDIND
 BLDOUT
 BLDBK

List of Symbols

STR1, STR3, STR5, STR7, ISTR8 blade parameters (dimensional)

STR2, STR4, STR6 blade parameters (nondimensional)

Theory

Blade parameters for each row of blades are stored on a drum. This routine will read or write onto that drum.

Main Program BATCH

Object Main program

Variables None

Theory

The main programs calls only subroutines TITLE and ALTMN

Subroutine BILINE (L, RB1, ZB1, RB2, ZB2)

Object

Calculate neighboring points on output line

Options

None

Variables

L , Point number

RB1, ZB1 = \bar{R}_1, \bar{Z}_1 , Point at L-1

RB2, ZB2 = \bar{R}_2, \bar{Z}_2 , Point at L

Theory

The points are read from an input table.

Subroutine BLDGEØ

Object

Locate blade centerline in (n,s) coordinates

Options

IØPT2 = 0	No blades in duct
= 1	Blades in duct

List of Symbols

CØMMON BLØCK Variables

Theory

This subroutine uses subroutine FLINE to find the centerline in the (n,s) coordinates. Thus the input data from the blade stacking plane is transformed to the duct plane using subroutine TRBLD and stored in the input data line data block BLNE (I,2) used by subroutine FLINE. The output (n,s) coordinates are then stored in the blade data array CONST(I,L). At the completion of this calculation, the location of the upstream and downstream blade force calculation surfaces are determined by calling subroutine SLETE.

Subroutine BLKDAT

Object Load fixed constants to program.

Options

None

List of Symbols

ACHI	= χ	, 0.016 (dimensionless)
AKAPPA	= K	, 0.41 (dimensionless)
APLUS	= A^+	, 26.0 (dimensionless)
CPR	= C_{pr}	, 5997. ($\text{ft}^2/\text{sec}^2/\text{deg R}$)
CVR	= C_{vr}	, 4283. ($\text{ft}^2/\text{sec}^2/\text{deg R}$)
EP	= e	, 2.7182818 (dimensionless)
GAMMA	= γ	, 1.4 (dimensionless)
GASR	= R	, 1714. ($\text{ft}^2/\text{sec}^2/\text{deg R}$)
GRAVR	= g	, 32.2 (ft/sec^2)
PI	= π	, 3.1415926
PRESR	= P_r	, 2117. ($\text{ft}^2/\text{sec}^2/\text{deg R}$)
PRL	= P_{rL}	, 0.72 (dimensionless)
PRT	= P_{rt}	, 0.90 (dimensionless)
RHØR	= ρ_r	, 0.00238 (slugs/ft^3)
SNDR	= C_r	, 1116.0 (ft/sec)
TEMPR	= T_r	, 519.0 (deg R)
TI	= t	, 0.01745329 (dimensionless)
VISCR	= μ_r	, 0.37×10^{-6} ($\text{slug}/\text{ft}/\text{sec}$)

Values of parameter's defined in COMMON/PARAM/ are also included for IBM and CDC computer programs.

Subroutine BLKRED (UNIT, RECSIZ, ADDR, BEGREC, NRECS)

Object

Reads NREC 'records' from file 'UNIT' beginning with record BEGREC. NRECS records are stored as a single block, beginning at ADDR. The Univac 1100 library I/O routine NTRAN is used in this subroutine.

Variables

UNIT	=	logical unit#	(Integer)
RECSIZ	=	record size in words	(Integer)
BEGREC	=	first record to read	(Integer)
NRECS	=	# of logical records to read	(Integer)
ADDR	=	beginning address to store the NRECS & RECSIZ records read	

Theory

BLKRED (with entry BLKWRT) was developed to allow NTRAN compatibility with ANSI standard DEFINE FILE I/O operations. In particular, a call to BLKRED with NRECS = 1 is identical to a random access fortran read.

In order to simulate DEFINE FILE I/O, it is necessary for BLKRED to maintain a list of pointers into the various disk files. The pointer list, DSKLOC, is in a common block |UNITS| which must be allocated in a static (root) segment. The location pointer and read size are used to position the disk for I/O access. After the I/O access, the pointer is positioned accordingly.

BLKRED will issue a diagnostic message and cause program termination if either of two abnormal conditions are detected.

- 1) the record # is negative
- 2) NTRAN returns on error status less than zero (see UNIVAC FORTRAN V library routine NTRAN description on UNIVAC ASCII FORTRAN routine NTRAN\$ description)

Subroutine BLPARM

Object Calculate boundary layer parameters from viscous solution.

Options II = 1 Calculate hub boundary layer
 II = 2 Calculate tip boundary layer

List of Symbols

BLC(1, I)	= U_{∞}	Freestream velocity
BLD(2, I)	= Π	Static pressure
BLP(3, I)	= T_0	Total temperature
BLP(4, I)	= T	Static temperature
BLP(5, I)	= M	Mach number
BLP(6, I)	= U_s	Streamwise velocity
BLP(7, I)	= ρ	Density
BLP(8, I)	= Y	Distance from hub
BLP(9, I)	= Δ^*/Δ_1	Displacement thickness ratio
BLP(10, I)	= θ^*/θ_1	Momentum thickness ratio
BLP(11, I)	= Δ^*/θ^*	Shape factor
BLP(12, I)	= N_{θ}	Reynolds number
CF	= C_f	Wall Friction Coefficient

Theory

This subroutines determines the momentum thickness θ^* and the displacement thickness Δ^* where

$$\Delta^* = \int_0^{\infty} \frac{\rho}{\rho_{\infty}} \left(1 - \frac{U}{U_{\infty}} \right) dy$$

$$\theta^* = \int_0^{\infty} \frac{\rho}{\rho_{\infty}} \left(\frac{U}{U_{\infty}} - \frac{U^2}{U_{\infty}^2} \right) dy$$

Function BPLUSR (AKPLUS)

Object Compute the law of wall integration constant for initial profile.

Options None

None

List of Symbols

AKPLUS K_S^+ , Roughness Reynolds number

BPLUSR $B^+(K_S^+)$, Integration constant

Theory

The inner layer turbulence model given in FCOLES was integrated to get the constant of integration. A data correlation for $B^+(K_S^+)$ is then given by

$$B^+(0) = 2.2 \quad , \quad K_S^+ < 4.1270 \quad (1)$$

$$B^+(K_S^+) = -0.81486 - 1.2070 \cdot (\ln K_S - 3.91538) \quad , \quad K_S^+ > 4.1270 \quad (2)$$

Equation (1) indicates that for $K_S^+ < 4.127$, the smooth wall model applies.

Subroutine CALDRM

Object Read inviscid or viscous solution from (drum)

Options

NØPT8 = 0 Read inviscid solution

NØPT8 = 1 Read viscous solution

List of Symbols

F Viscous flow parameters

CINP Inviscid flow parameters

Subroutine CALINV

Object Calculate inviscid flow field solution.

Options

Calculate flow from J = JFIRS, JLAS

IF (IØPT15.NE.0) JFIRS=IØPT15

IF (IØPT16.NE.0) JLAS=IØPT16

Calculate only for IØPT1 = 3 or 4

NOPT5 ≠ 0 Error exit

List of Symbols

Same as CKINPT

Variable store on drum K=1,KL

BINP(1, K)	P_o	, Total pressure (psf)
BINP(2, K)	P	, Static pressure (psf)
BINP(3, K)	α	, Swirl angle (deg)
BINP(4, K)	T_o	, Total temperature (deg R)

Additional Variables

ITERAL	V_α	, Swirl angle iteration number
ERRA	E_α	, Local error in swirl angle
ERRAM	E_{nd}	, Maximum error in swirl angle

Theory

Given the swirl angle α , the analysis is identical to subroutine CKINPT. The calculation of the inviscid flow field requires also the solution of the angular momentum equation which is given by

$$RU_\phi = R_i U_{\phi_i} \quad (1)$$

where RU_ϕ is the angular momentum at an arbitrary station and $R_i U_{\phi_i}$ is the inlet angular momentum which is given. An outer iteration loop is then programmed to solve eqt. (1) to get the swirl angle α . With α known, the inner iteration loop is the same as subroutine CKINPT. This solution is obtained for each streamwise station J = JFIRS, JLAS. The computed solution BINP (4, KL) is stored on a drum.

Function CDS (DDS, DETA)

Object

Calculate Roberts' mesh distortion parameter

Options

None

Input Variables

DDS = Ratio of mesh distortion at wall $\Delta\eta/\Delta n$

DETA = $\Delta\eta$, Mesh size at boundary - uniform mesh
 Δn , Distorted mesh size at wall

Output Variables

CDS c , Roberts' mesh parameter

Theory

$$\text{Let } c = 1/2 + \epsilon \quad (1)$$

Then Roberts' transformation can be written

$$\phi = \left(\frac{1+\epsilon}{\epsilon} \right)^{(2\Delta\eta-1)} \quad (2)$$

$$\Delta n = \frac{(1+\epsilon)\phi - \epsilon}{1 + \phi} \quad (3)$$

$$\Delta n = \Delta\eta / \text{DDS} \quad (4)$$

Eq. (2) through (4) can be solved iteratively for ϵ as follows:

$$\epsilon = 0 \quad (5)$$

$$\phi = \frac{\Delta n + \epsilon}{1 + \epsilon - \Delta n} \quad (6)$$

$$\epsilon = \left[\phi \frac{1}{2\Delta\eta-1} - 1 \right]^{-1} \quad (7)$$

Subroutine CDS (Cont'd)

Convergence occurs when

$$\left| \frac{\epsilon^{\nu+1} - \epsilon^{\nu}}{\epsilon^{\nu}} \right| < 1\text{E}-04 \quad (8)$$

Subroutine CKINPT

Object Check input data for radial equilibrium

Options

IØPT1 \neq 4 Do not calculate

NØPT5 \neq 0 Error exit

IØPT5 = 2 FØRCE data equals FLØWIN data

IJ = 1 Inlet flow data

IB = 2 Force data

INEX = 1 Upstream data

INEX = 2 Downstream data

IDBG13 = 1 Debug printout

WFLØW = 0 Static pressure check only

WFLØW > 0 Pressure check and weight flow iteration

List of Symbols

ERR ϵ , Error in interaction

EPS ϵ_0 , Minimum error

FG(2, K) $\phi(2)$, Equation 4

FG(4, K) $\phi(2)$, Equation 5

ITER V , Iteration number

PHMAX , Maximum pressure possible

PSI1, PSI2 ψ_1^v, ψ_2^v , Upper and lower bound air stream function

WF W^{v^2} , Weight flow v^{th} iteration

WFLØW W , Input weight flow

WMAX W_{max} , Maximum weight flow possible

WMIN	W_{\min}	, Minimum weight flow possible
XL	X_L	, Lower bound on X
XM	X_M	, X for choked flow
XU	X_U	, Upper bound on X
X1	X_1^u, X_2^u	, Iterative values for X
PSIHT, PSIT	ψ_T, ψ_T^u	, Value of stream function

Theory

Input data for the total pressure, static pressure, swirl angle, and total temperature must satisfy the continuity equation, and the radial momentum equation. If these equations are not satisfied, the static pressure is adjusted. The solution of these equations can be obtained by a transformation of variables. Let

$$X = \left(\frac{\Pi}{\Pi_0} \right)^{\frac{\gamma-1}{\gamma}} \quad (1)$$

and

$$a(\eta) = 2 \left\{ -\frac{1}{XV} \frac{\partial V}{\partial n} \cos^2 \alpha + \frac{1}{XR} \frac{\partial R}{\partial n} \sin^2 \alpha \right\} \quad (2)$$

then the radial momentum equation becomes

$$\frac{dX}{d\eta} + \left[a(\eta) + \frac{\gamma-1}{\gamma} \frac{d}{d\eta} (\ln \Pi_0) \right] X = a(\eta) \quad (3)$$

which is an ordinary first order "linear" equation. The solution is given by

$$\phi(\eta) = \exp \left\{ \int_0^\eta a(\gamma) d\gamma + \frac{\gamma-1}{\gamma} \ln \left(\frac{\Pi_0}{\Pi_{0H}} \right) \right\} \quad (4)$$

$$\Phi(\eta) = \int_0^\eta a(\gamma) \phi(\gamma) d\gamma \quad (5)$$

$$X = (X_0 + \Phi(\eta)) / \phi(\eta) \quad (6)$$

where X_0 is the hub static pressure ratio. The continuity equation becomes

$$\frac{d\Psi}{d\eta} = \frac{\Pi_0 G \cos \alpha}{M_r V \sqrt{\Theta_0}} X^{\frac{1}{\gamma-1}} (1-X)^{1/2} \quad (7)$$

and

$$W(\eta) = 2\pi \rho_r c_r r_r^2 g \Psi(\eta) \quad (8)$$

The constant X_0 is determined by the boundary condition

$$W(1) = W \quad (9)$$

using an iteration scheme described below.

First let us examine the function

$$f(X) = X^{\frac{1}{\gamma-1}} (1-X)^{1/2} \quad (10)$$

$f(X)$ has a maximum at

$$X = X_m = \frac{2}{\gamma+1} \quad (11)$$

Hence from equation (1)

$$\frac{\Pi_M}{\Pi_0} = \left(\frac{2}{\gamma+1}\right)^{\frac{\gamma}{\gamma-1}} \quad (12)$$

Equation (12) is precisely the condition for choked flow when $M = 1$. Substitution of equation (12) into equation (10) yields an a priori condition for the maximum weight flow possible (i.e., the choked flow condition). For a subsonic solution we then have the condition

$$\frac{2}{\gamma+1} < X < 1 \quad (13)$$

Furthermore, it is noted that we can find a priori X_0 such that

$$\begin{aligned} \frac{2}{\gamma+1} &< X_L < X_0 < X_U < 1 \\ f(X_L) &< f(X_M) \\ f(X_0) &> 0 \end{aligned} \quad (14)$$

by substituting equation (6) into equation (10). Thus X_L and X_U are the bounds for choosing subsonic solutions with no reverse flow. The iteration scheme then consists of narrowing the bounds of X_L and X_U until convergence occurs. This procedure is illustrated in figure 17.

$$X^{v+1} = X_1^v + \frac{\Psi - \Psi_1^v}{\Psi_2^v - \Psi_1^v} (X_2^v - X_1^v) \quad (15)$$

$$\text{If } (\Psi^{v+1} < \Psi) \quad X_1^v = X^v; \Psi_1^v = \Psi \quad (16)$$

$$\text{If } (\Psi^{v+1} > \Psi) \quad X_2^v = X^v; \Psi_2^v = \Psi$$

and ψ^v is obtained by integrating equation (7) with $X_0 = X^{v+1}$ substituted into equation (6). Convergence occurs when

$$|X^{v+1} - X^v| < \xi_0 \quad (17)$$

Once X is known, the static pressure is obtained from (1) and substituted for the input static pressure.

Subroutine C00R(JS,KS)

Object Controls logic in determining coordinates and interpolates coordinates streamwise.

Options

I0PT9=0 Computes approximate coordinates
I0PT9#0 Coordinates stored on drum
I0PT9=1 Compute exact coordinate functions and store on drum
I0PT9=3 Read coordinates from drum

List of Symbols

DSTEP = ΔS , Streamwise step size (dimensionless)
DX = ΔX , Interpolation between JS and JS-1 stations
DXNEXT = ΔX_N , Interpolation for next step
JDRUM = , Drum unit number
JS = , JSth station stored on drum
KS = , KSth station interpolated between JS
ZHUB = Z_H , Axial station hub (dimensionless)
ZNEXT = Z_N , Next axial station (dimensionless)
ZTIP = Z_T , Axial station Tip (dimensionless)

Theory

Let the streamwise coordinate S be given by

$$S = \Delta S(JS-1) + dS \cdot (KS-1) \quad (1)$$

where

$$\Delta S = S_L / (JLAST-1) \quad (2)$$

$$dS = \Delta S / KDS \quad (3)$$

Then if station 1 is at JS-1 and station 2 at JS, a simple linear interpolation of the coordinates may be made from those stored on the drum. ZNEXT is the axial location of the KS+1 station.

Subroutine C00P5 (XH, XT, CURVH, CURVT)

Object

Interpolate wall curvature at Station S

Options

None

Variables

XH	$X_H(S)$,	Arc length ID wall (dimensionless)
XT	$X_T(S)$,	Arc length OD wall (dimensionless)
CURVH	$K_H(S)$,	Curvature ID wall (dimensionless)
CURVT	$K_T(S)$,	Curvature OD wall (dimensionless)
RM(3,J)	$X_{HI}(J)$,	Table of X_H (dimensionless)
RM(4,J)	$K_{HI}(J)$,	Table of K_H (dimensionless)
RM(7,J)	$X_{TI}(J)$,	Table of X_T (dimensionless)
RM(8,J)	$K_{TI}(J)$,	Table of K_T (dimensionless)

Theory

The values of $X_H(S)$ and $X_T(S)$ are input. Then the tables are searched and the values of $K_H(S)$, $K_T(S)$ are calculated by linear interpolation.

Subroutine CØØRST

Ojbect Controls flow of coordinate calculation

Options None

List of Symbols

DSTEP	= $\Delta S = DS$, Streamwise step size (dimensionless)
DX	= $\Delta \eta$, Normal coordinate step size (dimensionless)
DY1	= δY	, First derivative (dimensionless)
DY2	= $\delta^2 Y$, Second derivative (dimensionless)
ICK	= 0,1	, Flag; no overlap, overlap
II	= 1,2	, Flag; start integration, continue integration
ISLT1, ISLT2	=	, First slot number, second slot number
IW1,IW2	=	, First slot wall, second slot wall
JCØUNT	=	, Streamwise station counter
KLHØLD	=	, Number of streamlines to interpolate
KN	=	, Number of streamlines to integrate
MSLØT	=	, Slot counter
NSLØT	=	, Total number of slots
RA(I,J)	= R(I,1,J)	, Temporary storage for wall coordinate
X	= X	, Normal coordinate (dimensionless)

X_M	$= X$, Interpolation distance (dimensionless)
X_2	$= X_2$, Midpoint of three point difference (dimensionless)
Y	$= Y$, Function to be interpolated (dimensionless)
Y_1	$= Y(X_1)=Y_1$, Known values of Y (dimensionless)
Y_2	$= Y(X_2)=Y_2$, Known values of Y (dimensionless)
Y_3	$= Y(X_3)=Y_3$, Known values of Y (dimensionless)
Z	$= Z$, Axial distance (dimensionless)
ZZ_1, ZZ_2	$= Z_1, Z_2$, Location of adjacent slots (dimensionless)

Theory

This subroutine controls the calculation flow for the coordinates according to flow chart figure 18. The basic calculation scheme with slots is to calculate the streamlines through successively larger ducts and storing only those coordinates satisfying the condition $(Z_1 \leq Z \leq Z_2)$ as shown in figure 19.

In addition, it was determined that only KN streamlines need be calculated by integration, the remainder up to KL streamlines may be calculated using a parabolic interpolation.

Subroutine CØØR1 (KSS,JSS)

Object Compute approximate coordinate functions.

Theory

This subroutine provides an initial guess from the iterative method described in reference 6 which is used to approximate the coordinate functions and hence determine the numerical grid structure used in the flow analysis.

Subroutine CØØR3(KSS,JSS,LØP)

Object Compute coordinate functions (IØPT9=1,2).

Options

LØP=1 Compute initial constants
LØP=2 Integrate one step
LØP=3 Do not integrate

List of Symbols

AØ	=	A_o	, Inlet height W plane (dimensionless)
ALO	=	α_o	, Inlet angle W plane (dimensionless)
ANO	=	n_o	, Inlet height Z plane (dimensionless)
SLO	=	S_L^o	, Initial coordinate length (dimensionless)
RO	=	r_o	, Inlet radius Z plane (dimensionless)
VO	=	v_o	, Inlet metric scale coefficient (dimensionless)
SO	=	s_o	, Inlet streamwise coordinate (dimensionless)
XBO	=	\tilde{x}_o	, Real part of C_1 (dimensionless)
YBO	=	\tilde{y}_o	, Imaginary part of C_1 (dimensionless)
ZETAO	=	ξ_o	, Constant of integration (real) (dimensionless)
ETAØ	=	η_o	, Constant of integration (imaginary) (dimensionless)

Theory

Using procedures described in reference (6), one can integrate along streamlines to get R, Z, V, S, N at the location of the poles b_I .

Subroutine CØØR4

Object Find Schwartz-Christoffel parameters .

Options

None

List of Symbols

AX(1,J)	=	X_H	, Distance along hub wall (dimensionless)
AX(2,J)	=	X_T	, Distance along tip wall (dimensionless)
AX(3,J)	=	α_H	, Wall angle hub (deg)
AX(4,J)	=	α_T	, Wall angle tip (deg)
AY(1,I,J)	=	S_H^v	, Streamwise coordinate hub (dimensionless)
AY(2,I,J)	=	X_H^v	, Distance along hub wall (dimensionless)
AY(3,I,J)	=	V_H^v	, Metric scale coefficient hub (dimensionless)
AY(4,I,J)	=	R_H^v	, Radius hub (dimensionless)
AY(5,I,J)	=	S_T^v	, Streamwise coordinate tip (dimensionless)
AY(6,I,J)	=	X_T^v	, Distance along tip wall (dimensionless)
AY(7,I,J)	=	V_T^v	, Metric scale coefficient tip (dimensionless)
AY(8,I,J)	=	R_T^v	, Radius tip (dimensionless)
AERR(1,J)	=	$S_H^{v+1} - S_H^v$, Error in S_H (dimensionless)
AERR(2,J)	=	$S_T^{v+1} - S_T^v$, Error in S_T (dimensionless)
AO	=	h_o	, Inlet height W plane (dimensionless)
ALO	=	α_o	, Inlet angle W plane (dimensionless)
ANO	=	n_o	, Inlet height Z plane (dimensionless)
SLO	=	S_L^o	, Initial guess of coordinate length (dimensionless)

RO = r_o , Inlet radius in Z plane (dimensionless)
 VO = V_o , Inlet metric scale coefficient (dimensionless)
 SO = S_o , Inlet streamwise coordinate (dimensionless)
 XBO = \tilde{X}_o , Real part of constant C_1 (dimensionless)
 YBO = \tilde{Y}_o , Imaginary part of constant C_1 (dimensionless)
 ZETAO = ξ_o , Constant of integration (real) (dimensionless)
 ETAO = η_o , Constant of integration (imaginary) (dimensionless)

Theory

The theory to this subroutine is described in reference (1).

Subroutine CPLXL(X1,Y1,XB1,YB1,N1,N2,LØP)

Object Evaluates Schwatz-Christoffel transform.

Options

$$\begin{aligned} \text{LOP}=1 \quad W_Z &= \tilde{X} + i\tilde{Y} = dW/dZ \\ &=2 \quad W_{ZZ} = \tilde{X} + i\tilde{Y} = d^2W/dZ^2 \end{aligned}$$

List of Symbols

N1	=	N ₁	, Product index
N2	=	N ₂	, Product index
N3	=	N ₁ +1	, Product index
X1	=	X	, X coordinate in Z plane
Y1	=	Y	, Y coordinate in Z plane
XB1	=	\tilde{X}	, X coordinate in W _Z plane or W _{ZZ} plane
XB2	=	\tilde{Y}	, Y coordinate in W _Z plane or W _{ZZ} plane

Theory

This subroutine evaluates the real and imaginary parts of the Schwartz-Christoffel transform.

Function DAMU

Object - Find derivative of molecular viscosity with respect to temperature

List of Symbols

T	Temperature
D	Derivative

Theory

The derivative of the molecular viscosity may be expressed as a function of temperature.

$$D = A2 * \left(1.5/T - 1/(T + A1) \right) \quad (1)$$

where

$$A1 = 198./T_f \quad (2)$$

$$A2 = T^{**1.5} * (1 + A1) / (T + A1) \quad (3)$$

Function DRØBRT (C, ETA, LØP)

Object

Compute derivative of Roberts' transformation

Options

LØP = 0 wall - wall boundary
 LØP = 1 wall-freestream boundary
 LØP = -1 freestream-wall boundary

Input Variables

C = C , Distortion parameter
 ETA = η , Input variable
 LØP , Option

Output Variable

DROBRT = $\partial\eta/\partial\eta$, Output variable

Theory

The transform of the Roberts' Stretching for a distorted mesh is given by

$$\frac{\partial \eta}{\partial n} = \left[4 c \ln \left(\frac{c + 1/2}{c - 1/2} \right) \frac{\phi}{(1 + \phi)^2} \right]^{-1} \quad (1)$$

$$\phi = \exp \left[2 \ln \left(\frac{c + 1/2}{c - 1/2} \right) (\eta' - 1/2) \right] \quad (2)$$

where the options are

$$\left. \begin{matrix} \eta' = \eta \\ n = n' \end{matrix} \right\} L\phi P = 0 \quad \left. \begin{matrix} \eta' = \eta/2 \\ n = 2n' \end{matrix} \right\} L\phi P = 1 \quad \left. \begin{matrix} \eta' = (1 + \eta)/2 \\ n = 2n' - 1 \end{matrix} \right\} L\phi P = -1$$

We note that

$$0 \leq \eta' \leq 1.0 \quad 0 \leq n' \leq 1.0 \quad (3)$$

Subroutine DRØUT (UNIT,ADDR,BLØCK)

Object Tape/Drum Read/Write data

Options - Entry Points

DRØUT(UNIT,ADDR,BLØCK)

Write on drum unit UNIT data contained in ADDR containing BLØCK number of words.

DRMIN(UNIT,ADDR,BLØCK)

Read from drum unit UNIT data contained in ADDR containing BLØCK number of words.

DREWND(UNIT)

Rewind drum unit UNIT.

DRMBK1(UNIT,ADDR,BLØCK)

Back space drum one BLØCK and read as in DRMIN.

DRMBK2(UNIT,ADDR,BLØCK)

Back space drum two BLØCK and read as in DRMIN.

DRMEØUF(UNIT)

Write end of file on unit UNIT ('tape only').

TPFILE(UNIT,LFILE)

Find file number LFILE on tape unit UNIT.

Theory

This subroutine is an I/O routine to facilitate conversion of UNIVAC NTRAN I/O routines to other computer systems.

Subroutine DRUTPE(LFILE,JBLØCK,LØPT)

Object Transfers data Drum/Tape or Tape/Drum.

Options

LØPT=1 Transfer data tape to drum
LØPT=2 Transfer data drum to tape

List of Symbols

JBLØCK = , Number of records to copy
JDRUM = , Drum unit number
JTAPE = , Tape unit number
LFILE = , Tape file number

Theory

This subroutine transfers data using subroutine DRØUT.

Subroutine ERPIN(II)

Object Checks normal pressure gradient for viscous flow

Options

II=1 Check inlet station
II=2 Check J-1 station
II=3 Check J station

List of Symbols

ERPIN = ϵ , Error in normal pressure gradient

Theory

At any station in the duct, the normal momentum equation must be satisfied. This subroutine checks the error.

$$\epsilon = \left| \frac{\left[\Pi(1) - \Pi(0) \right] - \int_0^1 \left\{ - \left[\frac{1}{xV} \frac{\partial V}{\partial n} \right] P U_s^2 + \left[\frac{1}{xR} \frac{\partial R}{\partial n} \right] P U_\phi^2 \right\} d_2}{\left[\Pi(1) - \Pi(0) \right]} \right| \quad (1)$$

Function FAMACH (AN)

Object Calculate Mach number from velocity

Variables

AN	V/C_o	Velocity/stagnation speed of sound
FAMACH	M	Mach number

Theory

The Mach number can be calculated from

$$\frac{V}{C_o} = M / \left(1 + \frac{\gamma-1}{2} M^2\right)^{1/2} \quad (1)$$

using Newton's method.

Subroutine FAVER2

Object Solve for mass flow weighted average flow and output parameters.

Options

None

List of Symbols

AAR	=	AR	, Area ratio (dimensionless)
AMA	=	M	, Local Mach number (dimensionless)
AMACHE	=	\bar{M}	, Area average Mach number (dimensionless)
AMFH	=	$(\dot{GM}/V)_H$, Wall bleed hub (dimensionless)
AMFT	=	$(\dot{GM}/V)_T$, Wall bleed tip (dimensionless)
AMG	=	M_{MID}	, Midpoint Mach number (dimensionless)
AMM	=	M_{MAX}	, Maximum Mach number (dimensionless)
ASH	=	A_{SH}	, Surface area hub wall (dimensionless)
AST	=	A_{ST}	, Surface area tip wall (dimensionless)
ATFH	=	$(GQ/V)_H$, Heat flux/length hub (dimensionless)
ATFT	=	$(GQ/V)_T$, Heat flux/length tip (dimensionless)
CFH ϕ	=	C_{FH}^J	, Wall friction coefficient hub (dimensionless)
CFT ϕ	=	C_{FT}^J	, Wall friction coefficient tip (dimensionless)
ϕ	=	1,2,3 for J+1- ϕ station	
CPC	=	Pr/q_1	, Normalizing factor for C_p dimensionless
CPCOMP	=	C_{pC}	, Pressure coefficient (compressible) (dimensionless)
CPJNC	=	C_{pI}	, Pressure coefficient (incompressible) (dimensionless)
DASH1,DASH2	=	ΔA_{SH}	, Area increment hub (dimensionless)

DAST1,DAST2	= ΔA_{ST}	, Area increment tip (dimensionless)
DENTP1, DENTP2	= $\Delta \bar{I}$, Change in entropy (dimensionless)
DISP	= $\bar{\phi}$, Dissipation function (dimensionless)
DPSTI1, DPSTI2	= $\Delta \bar{\psi}$, Increment in mass flow (dimensionless)
DQSH1, DQSH2	= $\Delta \tilde{Q}_{TH}$, Increment in heat flow hub (dimensionless)
DQST1, DQST2	= $\Delta \tilde{Q}_T$, Increment in heat flow tip (dimensionless)
DTHEO1 DTHEO2	= $\Delta \bar{\theta}_O$, Increment in total temperature (dimensionless)
PIO	= Π_O	, Average total pressure (dimensionless)
PIOO	= Π_{OO}	, Average inlet total pressure (dimensionless)
PSI	= $\bar{\psi}$, Mass flow (dimensionless)
PSIO	= $\bar{\psi}_O$, Initial mass flow (dimensionless)
QM	= $1/2(\rho U^2)_{MAX}$, Free stream dynamic pressure (dimensionless)
QSH	= \tilde{Q}_H	, Total heat flow hub (dimensionless)
QST	= \tilde{Q}_T	, Total heat flow tip (dimensionless)
RØM	= ρ_{max}	, Free stream density (dimensionless)
RUM	= $(\rho U)_{MAX}$, Maximum momentum (dimensionless)
THEO	= $\bar{\theta}_O$, Average total temperature (dimensionless)
THEOO	= $\bar{\theta}_{OO}$, Inlet average total temperature (dimensionless)
UM	= U_{MAX}	, Free stream velocity (dimensionless)

Theory

The mass flow weighted average quantity $\bar{\phi}$ is defined by

$$\bar{\phi} = \frac{1}{\bar{\Psi}} \int_0^1 \frac{G P U_s}{V} \phi \, dn \quad (1)$$

where

$$\bar{\Psi} = \int_0^1 \frac{G P U_s}{V} \, dn \quad (2)$$

The area is given by

$$A = \int_0^1 \frac{G}{V} \, dn \quad (3)$$

It is noted that the mass flow weighted averages satisfy certain conditions

$$\frac{d\bar{\Psi}}{dS} = \left(\frac{G\dot{M}}{V} \right)_T + \left(\frac{G\dot{M}}{V} \right)_H \quad (4)$$

$$\frac{d}{dS} (\bar{\Psi} \bar{\Theta}_0) = \left[\frac{G\dot{M}\bar{\Theta}_0}{V} \right]_T + \left[\frac{G\dot{M}\bar{\Theta}_0}{V} \right]_H - \frac{\gamma}{\gamma-1} \left[\left(\frac{GQ}{V} \right)_T - \left(\frac{GQ}{V} \right)_H \right] \quad (5)$$

The entropy is related to the dissipation by

$$\begin{aligned} \frac{d}{dS} (\bar{\Psi} \bar{I}) &= \left(\frac{G\dot{M}\bar{I}}{V} \right)_T + \left(\frac{G\dot{M}\bar{I}}{V} \right)_H + \gamma M_r \int_0^1 \frac{G}{\bar{\Theta} V^2} \left[\Sigma_{ns} E_{ns} + \Sigma_{n\phi} E_{n\phi} + \Phi_R \right] dn \\ &\quad - \frac{\gamma}{\gamma-1} \int_0^1 \frac{GQ}{V\bar{\Theta}^2} \frac{d\bar{\Theta}}{dn} \, dn - \frac{\gamma}{\gamma-1} \left[\left(\frac{GQ}{V\bar{\Theta}} \right)_T - \left(\frac{GQ}{V\bar{\Theta}} \right)_H \right] \end{aligned} \quad (6)$$

Equation (4) states that the change in mass flow is the net flow crossing the wall boundary. Equation (5) states that the change in total energy flux is the net crossing the boundary walls. Thus, for an adiabatic wall, the mass flow weighted average total temperature is constant. Finally, equation (6) states that the change in entropy flux is the net crossing the boundary plus the change due to the dissipation function and heat fluxes. Then using the definition of entropy we have

$$\frac{\bar{\Pi}_{02}}{\bar{\Pi}_{01}} = \left(\frac{\bar{\Theta}_{02}}{\bar{\Theta}_{01}} \right)^{\frac{\gamma}{\gamma-1}} \exp [\bar{I}_2 - \bar{I}_1] \quad (7)$$

and the loss coefficient is given by

$$C_{PL} = \frac{\bar{P}_{01} - \bar{P}_{02}}{\bar{P}_{01} - \bar{P}_1} = \frac{1 - \bar{P}_{02}/\bar{P}_{01}}{1 - \bar{P}_1/\bar{P}_{01}} = \frac{1 - \bar{\Pi}_{02}/\bar{\Pi}_{01}}{1 - \bar{\Pi}_1/\bar{\Pi}_{01}} \quad (8)$$

If we now defined the mass flow weighted averages

$$\bar{\Pi}_0 = a_r \int_0^1 \frac{G}{V} \frac{\Pi^2}{\sqrt{\Theta}} M \left(1 + \frac{\gamma-1}{2} M^2 \right)^{\frac{\gamma}{\gamma-1}} dn \quad (9)$$

$$\bar{\Theta}_0 = a_r \int_0^1 \frac{G}{V} \pi \sqrt{\Theta} M \left(1 + \frac{\gamma-1}{2} M^2 \right) dn \quad (10)$$

$$\bar{\Psi} = a_r \int_0^1 \frac{G}{V} \frac{\pi}{\sqrt{\Theta}} M dn \quad (11)$$

This subroutine also calculates some quantities printed in the summary at the end of the viscous calculation.

The pressure coefficient is defined by

$$\bar{C}_p = \frac{\bar{\Pi} - \bar{\Pi}_i}{\bar{\Pi}_{0i} - \bar{\Pi}_i} \quad (12)$$

An effective area \tilde{A} can be defined as the geometrical area minus the blockage caused by the boundary layer. If we define the freestream as the point of maximum velocity across the duct we have by definition

$$\rho_\infty U_\infty A_{eff} = \dot{m} = (\Psi_T - \Psi_H) N_B \quad (13)$$

Hence, the blockage B is defined as

$$B = 1 - A/A_{eff} = 1 - \dot{m}/(\rho_\infty U_\infty A) \quad (14)$$

The area averaged (effective Mach number) may then be defined by the isentropic flow relations. Thus,

$$\frac{A_{eff}}{A} = \frac{M_{eff}}{M} \left[\frac{1 + \frac{\gamma-1}{2} M_\infty^2}{1 + \frac{\gamma-1}{2} M_{eff}^2} \right]^{\frac{1}{2} \frac{\gamma+1}{\gamma-1}} \quad (15)$$

The effectiveness η of the diffuser is based on an ideal isentropic flow with the mass flow weighted average Mach numbers. Thus, the ideal pressure coefficient is given by

$$C_{PI} = \frac{\tilde{\Pi} - \bar{\Pi}_1}{\bar{\Pi}_{01} - \bar{\Pi}_1} \quad (16)$$

where

$$\frac{\bar{\Pi}_{01}}{\tilde{\Pi}} = \left[1 + \frac{\gamma-1}{2} \tilde{M}^2 \right]^{\frac{\gamma}{\gamma-1}} \quad (17)$$

$$\frac{A}{A_1} = \frac{\bar{M}_1}{\tilde{M}} \left[\frac{1 + \frac{\gamma-1}{2} \tilde{M}^2}{1 + \frac{\gamma-1}{2} \bar{M}_1^2} \right]^{\frac{1}{2} \frac{\gamma+1}{\gamma-1}} \quad (18)$$

Then

$$\eta = \bar{C}_P / C_{PI} \quad (19)$$

The wall friction coefficient is defined as

$$C_f = \Sigma w / \left(\frac{1}{2} P U^2 \right)_{MAX} \quad (20)$$

The wall surface area and heat flow are determined by integrating the equations

$$A_s = \int_0^s \frac{2\pi R}{V} dS \quad (21)$$

$$\tilde{Q}_s = \int_0^s \frac{2\pi R Q}{V} dS \quad (22)$$

using the trapezoid rule.

Function FCØLES (Argument List)

Object Compute Coles velocity profile for boundary layer at initial station.

Options

None

List of Symbols

AK	=	K	, Von Karman constant
APLS	=	A ⁺	, Van Driest constant
API	=	M	, Coles shape factor
AKPL	=	K _S ⁺	, Roughness Reynolds number
DELTA	=		, Boundary layer thickness
DAMP	=	D	, Damping factor
PI	=	π	, 3.14159
Y	=	Y	, Distance from wall
YPLUS	=	Y ⁺	, Universal distance
UPLUS	=	U ⁺	, Universal velocity
FCØLES	=	U _c ⁺	, Coles velocity (output)

Theory

This subroutine integrates the differential equation for the inner layer given by

$$\frac{dU^+}{dy^+} = \frac{2}{1 + [1 + 4K^2 y^{+2} D^2]^{1/2}} \quad (1)$$

with the damping factor, references (7, 8), given by

$$D = 1 - \exp\left(-\frac{Y^+}{A^+}\right) + \left(1 + \frac{K_S^+}{30 Y^+}\right) \exp\left(-2.3 \frac{Y^+}{K_S^+}\right) \quad (2)$$

and adds Coles' wake function (reference 3), given by

$$U_c^+ = U^+ + 2 \frac{\tilde{\pi}}{K} \sin^2 \left(\frac{\pi}{2} \frac{Y}{\delta} \right) \quad (3)$$

Subroutine FCØRCT

Object Correct truncation error

Options None

List of Symbols

AMUW	=	μ_w/M	, Wall value of viscosity (dimensionless)
DU	=	ΔU	, Velocity difference (dimensionless)
ECØR	=	$(\rho U)/(\rho U)_m$, Mass flux ratio (dimensionless)
EMB	=	E_m	, Error in Mach number (dimensionless)
EPB	=	E_p	, Error in static pressure (dimensionless)
ERB	=	E_R	, Error in density (dimensionless)
ETB	=	E_T	, Error in static temperature (dimensionless)
EUB	=	E_U	, Error in velocity (dimensionless)
EUP	=	$E_{U\phi}$, Error in swirl velocity (dimensionless)
EUS	=	E_{US}	, Error in streamwise velocity (dimensionless)
EW	=	E_w	, Strain

Theory

The point-to-point instability described in reference 6 is minimized by recalculating the stresses and heat flux using central differences rather than centered differences.

Subroutine FCPLX

Object Evaluates complex functions for exact coordinate calculation.

Options

LØPT = 1 Compute and store functions and derivatives

LØPT = 2 Compute only derivatives

List of Symbols (Note subscript notation for derivatives used)

N1,N2	=	N_1, N_2
XS	=	S
XN	=	n
XSX	=	$S_x = n_y$
XSX	=	$S_y = n_x$
XD	=	D
XZETS	=	$\xi_S = \eta_n$
XETAS	=	$\eta_S = -\xi_n$
XXS	=	$x_S = y_n$
XYS	=	$y_S = x_n$
XB1	=	$\tilde{X} = \xi_x = \eta_y$
YB1	=	$\tilde{Y} = -\xi_y = \eta_x$
X1	=	x
Y1	=	y
XDB	=	\bar{D}
XNZET	=	n_ξ
XNETA	=	n_η
XV	=	V

XSXX	=	$S_{xx} = n_{xx} = s_{yy}$
XSXY	=	$S_{xy} = n_{yy} = n_{xx}$
XXSS	=	$X_{ss} = y_{ns} = x_{nn}$
XXSN	=	$X_{sn} = y_{nn} = -y_{ss}$
XB2	=	$\bar{X} = \xi_{xx} = \eta_{yx} = -\xi_{xy}$
YB2	=	$\bar{Y} = -\xi_{xy} = -\eta_{yy} = \eta_{xx}$
XZSS	=	$\xi_{ss} = \eta_{sn} = -\xi_{nn}$
XZSN	=	$\xi_{sn} = \eta_{nn} = -\eta_{ss}$
XDBN	=	\bar{D}_n
XDBS	=	\bar{D}_s
XESDN	=	$(\eta_s / \bar{D})_n$
XESDN	=	$(\eta_s / \bar{D})_s$
XZSDN	=	$(\xi_s / \bar{D})_n$
XZSDS	=	$(\xi_s / \bar{D})_s$
XVN	=	v_n
XVS	=	v_s
XESS	=	η_{ss}
XESN	=	η_{sn}
XDIS	=	D_s
XDIN	=	D_n

Theory

The theory for evaluating the complex functions and all derivatives is derived in reference (6). With the use of orthogonality relations which are implicit in the theory of complex function, the functions and derivatives may be evaluated. It is noted that this subroutine was programmed to accept multiple sources in the z plane, although only one is used in the present calculation. The derived functions calculated in this subroutine are listed as follows:

$$S = \sum_{I=1}^{NS} \frac{A_I}{2} \ln [(X-b_I)^2 + y^2] \quad (1)$$

$$n = \sum_{I=1}^{NS} A_I \tan^{-1} [y/(X-b_I)] \quad (2)$$

$$S_x = \sum_{I=1}^{NS} \frac{A_I (X-b_I)}{[(X-b_I)^2 + y^2]} \quad (3)$$

$$S_y = \sum_{I=1}^{NS} \frac{A_I y}{[(X-b_I)^2 + y^2]} \quad (4)$$

$$S_{xx} = \sum_{I=1}^{NS} \frac{A_I}{[(X-b_I)^2 + y^2]} \left\{ 1 - \frac{2(X-b_I)^2}{[(X-b_I)^2 + y^2]} \right\} \quad (5)$$

$$S_{yy} = - \sum_{I=1}^{NS} \frac{A_I 2y(X-b_I)}{[(X-b_I)^2 + y^2]} \quad (6)$$

$$D = -(S_x^2 + S_y^2) \quad (7)$$

$$X_s = -S_x/D \quad (8)$$

$$Y_s = -S_y/D \quad (9)$$

$$\xi_s = \xi_x X_s + \xi_y Y_s \quad (10)$$

$$\eta_s = \eta_x X_s + \eta_y Y_s \quad (11)$$

$$V = \frac{1}{[\xi_s^2 + \xi_n^2]^{1/2}} \quad (12)$$

$$D_s = -[2 S_y (S_{yx} X_s + S_{yy} Y_s) + 2 S_x (S_{xx} X_s + S_{xy} Y_s)] \quad (13)$$

$$D_n = -[2 S_y (S_{yx} X_n + S_{yy} Y_n) + 2 S_x (S_{xx} X_n + S_{xy} Y_n)] \quad (14)$$

$$X_{ss} = -\left[\frac{S_{xx} X_s + S_{xy} Y_s}{D} - \frac{S_x D_s}{D^2} \right] \quad (15)$$

$$X_{sn} = -\left[\frac{(S_{xx} X_n + S_{xy} Y_n)}{D} - \frac{S_x D_n}{D^2} \right] \quad (16)$$

$$\xi_{ss} = \xi_x X_{ss} + \xi_{xx} X_s^2 + 2 \xi_{xy} Y_s X_s + \xi_y Y_{ss} + \xi_{yy} Y_s^2 \quad (17)$$

$$\xi_{sn} = \xi_x X_{sn} + \xi_y Y_{sn} + (\xi_{yy} - \xi_{xx}) Y_s X_s + \xi_{xy} (X_s^2 - Y_s^2) \quad (18)$$

$$V_s = -V^3 / [\xi_s \xi_{ss} + \xi_n \xi_{ns}] \quad (19)$$

$$V_n = -V^3 / [\xi_s \xi_{sn} + \xi_n \xi_{nn}] \quad (20)$$

Numerical accuracy can be significantly improved by ordering the way in which sums and products are made. As an example, the first equation, equation (1), may be written

$$\begin{aligned} S &= \sum_{I=1}^{NS} A_I \left\{ |X - b_I| \left[1 + \left(\frac{y}{X - b_I} \right)^2 \right]^{1/2} \right\} & |X - b_I| > |y| \\ &= \sum_{I=1}^{NS} A_I \left\{ |y| \left[1 + \left(\frac{X - b_I}{y} \right)^2 \right]^{1/2} \right\} & |y| > |X - b_I| \end{aligned}$$

Thus the square root of the sum of squares of $O(1)$ and $S = O(|X - b_I|)$. This rule has been applied to all equations by extracting the order of magnitude of the term from each calculation.

Subroutine FETA (B, ETA, AN, DEDN, D2EDN)

Object

Calculate distorted mesh to be used in Subroutine P01S

Options

B = 0	Uniform mesh (no stretching)
B > 0	Tanh stretching

Variables

B		, Constant
ETA	η	, Transformed Normal Coordinate
AN	n	, Normal Coordinate
DEDN	$\partial \eta / \partial n$	
D2EDN	$\partial^2 \eta / \partial n^2$	

Theory

This subroutine calculates the distorted mesh that will be used in calculation by subroutine PØIS. The transformation is given by

$$\left. \begin{aligned} \eta &= \tanh [Bn] / \tanh [B] & B > 0 \\ \eta &= n & B = 0 \end{aligned} \right\} \quad (1)$$

Subroutine FINTG (IKL)

Object Integrate equations for potential flow.

Options

IKL = Number of streamlines

List of Symbols

IKL , Number of streamlines

Theory

Four simultaneous ordinary differential equations are integrated using a third order Runge-Kutta numerical integration method. These equations are given in FCPLX and denoted as

$$\left. \begin{aligned} \frac{dx}{ds} &= x_s(x, y) \\ \frac{dy}{ds} &= y_s(x, y) \\ \frac{d\xi}{ds} &= \xi_s(x, y) \\ \frac{d\eta}{ds} &= \eta_s(x, y) \end{aligned} \right\} \quad (1)$$

The Runge-Kutta formulas applied to the first equation are

$$\left. \begin{aligned} B_{11} &= \Delta S x_s(x, y) \\ B_{12} &= \Delta S x_s(x + B_{11}/2, y + B_{21}/2) \\ B_{13} &= \Delta S x_s(x + 2B_{12} - B_{11}, y + 2B_{22} - B_{21}) \end{aligned} \right\} \quad (2)$$

$$x(s + \Delta S) = x(s) + (B_{11} + 4B_{12} + B_{13})/6 \quad (3)$$

Subroutine FLOWIN

Object	Setup inlet flow.
--------	-------------------

Options

IØPT1 = 1 Compute inlet flow

If $(T_o = 0)$ $P_o = P_r$ and $T_o = T_r$

IØPT1 = 2 Read inlet flow

If ($T_o > 10.$) Normalize with T_r and P_r

List of Symbols

BINP(I,J,K) , Interpolated from BINPUT(IH,J,L)

Theory $IOPT1=1$

For this option the freestream flow is assumed to be isentropic with a constant freestream Mach number M_s and wall boundary layers defined by power-law velocity profiles. Since the swirling flow must be in radial equilibrium, the normal momentum equations must be satisfied together with isentropic relationships of pressure ratio and temperature ratio.

Neglecting curvature in the meridional plane

$$\frac{\partial \Pi}{\partial n} = \frac{\gamma}{R} \frac{\partial R}{\partial n} \Pi M_{\phi}^2 \quad (1)$$

where

$$M_{\phi}^2 = M^2 - M_s^2 \quad (2)$$

$$M^2 = \frac{2}{\delta - 1} \left[\left(\frac{\Pi_0}{\Pi} \right)^{\frac{\gamma-1}{\gamma}} - 1 \right] \quad (3)$$

Equation (1) can be integrated with

$$M(0) = M_S / \cos(\alpha_H) \quad (4)$$

and

$$\frac{\Pi_0}{\Pi(0)} = \left[1 + \frac{\gamma-1}{2} M(0)^2 \right] \frac{\gamma}{\gamma-1} \quad (5)$$

as initial conditions using a Runge-Kutta method.

For a given displacement thickness and velocity profile power law, wall boundary layers can be added, assuming collateral boundary layers, such that α is unchanged. Then

$$\Delta = (1+n) \Delta^* \quad (6)$$

$$\frac{U}{U_\infty} = \left(\frac{y}{\Delta} \right)^{1/n_2} \quad (7)$$

and

$$\frac{\Theta}{\Theta_\infty} = 1 + \sqrt[3]{P_{RL}} \frac{\gamma-1}{2} M_\infty^2 \left[1 - \left(\frac{U}{U_\infty} \right)^2 \right] + \frac{\Theta_w - \Theta_{AW}}{\Theta_\infty} \left[1 - \frac{U}{U_\infty} \right] \quad (8)$$

Finally, the inlet mass flow and reference velocity are determined as follows

$$u_r = \frac{N_B}{A} \int_0^1 \frac{G}{V} P U_s \frac{d\eta}{X} \quad (9)$$

$$\dot{w} = g \rho_r u_r a_r A \quad (10)$$

Theory IØPT1=2

For this option, the input flow is calculated from experimental input data. The input variables selected are spanwise location, total pressure, static pressure, flow angle, and total temperature, since these are the primary measured variables. A simple linear interpolation is used so that for any variable ϕ ,

$$\phi(\gamma(\eta)) = \phi(\gamma_1) + [\phi(\gamma_2) - \phi(\gamma_1)] \left[\frac{\gamma(\eta) - \gamma_1}{\gamma_2 - \gamma_1} \right] \quad (11)$$

The flow variables are calculated from equations 1 through 7.

If ($T_\infty > 10$), it is assumed that pressure and temperature are given in (psf) and deg R, respectively, and the flow is normalized accordingly. If δ^* is given, it is assumed that boundary layers should be added accordingly to the velocity profile power law above. Finally, the weight flow and reference velocity are determined from equations 9 and 10. A flow chart of this subroutine is presented in figure 20.

Subroutine FNØRM

Object Normalize input variables .

Options

None

List of Symbols

All variables in ~~COMMON~~ blocks

Theory

All input variables are normalized according to the List of Symbols.

Subroutine FØRCE/PRØP

Object Compute blade forces

Options

NØPPF = 1 Radial, axial, and swirl blade forces are defined in propeller portion of program.

NØPPF = 0 Radial, axial, and swirl blade forces are read from input.

List of Symbols

FRCI(N, 1)	Blade force (radial direction)/span
FRCI(N, 2)	Blade force (phi direction)/span (dimensionless)
FRCI(N, 3)	Blade force (axial direction)/span (nondimension)
FRC(N, 1)	Blade force (radial direction)/span (nondimension)
FRC(N, 2)	Blade force (phi direction)/span (nondimension)
FRC(N, 3)	Blade force (axial direction)/span (nondimensional)
FØRC(3, K)	Blade force (stream direction)/volume (nondimensional)
FØRC(4, K)	Blade force (swirl)/volume (nondimensional)
FLØC(5, N)	cosine of θ
FLØC(6, N)	sine of θ
K	Index of η coordinate
N	Index of points along propeller centerline

Theory

This subroutine is used to calculate the streamwise and swirl blade components for each streamline. It is assumed that the normal component is small. The process has two steps.

- (1st) Calculation of radial, axial, and phi blade force components for each streamline by using linear interpolation of blade points.
- (2nd) Converting radial, axial, phi blade force components to streamwise and swirl blade forces.

Subroutine FØRCL

Object Compute local blade force.

Options None

List of Symbols

GAP = G , Strut gap (dimensionless)

ZLE = Z_{LE} , Location of leading edge (dimensionless)

ZTE = Z_{TE} , Location of trailing edge (dimensionless)

Theory

The chordwise distribution of blade loading(force/volume) is defined by

$$q_s = \frac{\mu_E}{P_{r_T}} \quad v \frac{\partial}{\partial s} (C_p T) \quad (1)$$

$$q_\phi = \frac{\mu_E}{P_{r_T}} \quad \frac{1}{r} \frac{\partial}{\partial \phi} (C_p T) \quad (2)$$

$$I - I_r = C_p \ln \left(\frac{I}{I_r} \right) - \ln \left(\frac{P}{P_r} \right) \quad (3)$$

In this subroutine, the chordwise loading is assumed uniform.

Function FTHIK (Z,IS,LØP)

Object Compute blade thickness distribution.

Options

IS=1 NASA 5 digit series distribution.
IS=4 Input thickness distribution.
IS=7 65-A series thickness distribution.
LØP=1 FTHIK = t/t_{\max}
LØP=2 FTHIK = $d(t/t_{\max})/d(x/c)$

List of Symbols

$Z = x/c$, Fractional chordwise distance.

$FTHIK = t/t_{\max}$, Ratio of thickness to maximum thickness of blade.

Theory

A thickness distribution of the form

$$t/t_{\max} = 1.4845 Z^{\frac{1}{2}} - .63 Z - 1.758Z^2 + 1.4215 Z^3 - .5075Z^4 \quad (1)$$

is used to represent a NASA 5 digit series distribution (IS=1).

For a NASA 65A series distribution or for any arbitrary distribution (IS=4) table data is used to represent the distribution.

Subroutine GBLADE

Object Compute Blade Geometry

Options None

List of Symbols

ALPHS	α	, Stagger angle to axis (deg)
CHRD	B	, (Local) blade chord (dimensionless)
GAP	G	, Gap between blades (dimensionless)
IRT		, Index Counter
ISHAPE		, Blade shape (Option)
NBLADE		, Number of blades in one row
NRW		, Number of blade rows
NUM		, Number of points along blade centerline
PHIC	ϕ_c	, Blade camber
RCLH	R_{CLH}	, Hub radius of blade centerline
RCLT	R_{CLT}	, Tip radius of blade centerline
SLD	σ	, Solidity
THICK	t	, Local blade thickness
THICKN	t_n	, Blade thickness
THIKM	t/B	, Maximum thickness/chord
ZBAR	\bar{z}	, Axial position with respect to blade
ZCL	z_{CL}	, Blade axial centerline
ZCLX	z_{CLX}	, Axial distance to blade centerline
ZKK		, Fractional distance along chordline
ZLE	z_{LE}	, Blade leading edge

ZTE	Z_{TE}	, Blade trailing edge
CONST(1, L)	R_L	, Radius (input data)
CONST(2, L)	α_L	, Stagger angle (input data)
CONST(3, L)	B_L	, Chord (input data)
CONST(4, L)	$(t/B)_L$, Thickness to chord ratio (input data)
CONST(5, L)	ϕ_L	, Camber angle (input data)
CONST(6, L)	Z_{CL}	, Axial distance (input data)
Q(2, L)	R	, Radius
Q(13, L)	G	, Gap
Q(14, L)	$\partial G / \partial n$, Normal derivative of blade surface
Q(15, L)	$\partial G / \partial s$, Streamwise derivative of blade surface

Theory

This module interpolates blade data with respect to the radius of blades in order to obtain local blade information. The following parameters are interpolated; α , B, t/B , ϕ_c , and Z_{CL} . The blade thickness is then calculated in FTHIK and used to determine G, $\partial G / \partial n$ and $\partial G / \partial s$. A flow chart is given in Fig. 21.

Subroutine GDUCT

Object Compute Duct shape

Options

IOPT3=1 Straight annular duct
IOPT3=2 Read duct shape
IOPT3=3 Straight-wall diffuser
IOPT3=4 NACA curved-wall diffuser

List of Symbols

(As needed by user)

Theory

This subroutine is used to prescribe the duct shape $r_H(Z)$, $r_T(Z)$, wall bleed $\dot{m}_H(Z)$, $\dot{m}_T(Z)$, and wall temperature $T_H(Z)$, $T_T(Z)$, as required. Since these functions are input, the programmer may write a subroutine for this purpose or read the required information according to IOPT3. In addition, the subroutine computes the reference radius and normalizes the variables r and T . The variable \dot{m} is normalized in Subroutine FLOWIN when U_r is calculated.

Input/Output

The user may program any duct shape and wall boundary conditions as required. The output of this subroutine must be $(R(I,K,J), I=1,3; K=1,2, J=1,JL)$ and $Z1$. Note that all variables are normalized as shown in the sample subprogram described in the Subroutine GDUCT listing and that equally spaced spanwise stations are used. The flowchart (figure 22) should be followed in programming.

Subroutine GEOMCL

Object Calculate coordinates of lifting line.

Options

None

List of Symbols

AL	=	A_L	, Slope of lifting line
AM	=	A_M	, Slope of coordinate line
AN1, AN2	=	N_1, N_2	, N coordinate of grid
ANI, ANI1	=	N_I, N_{I-1}	, N coordinate of lifting line intersection with grid
ANL	=	N_L	, N coordinate of input point of lifting line
R1, R2	=	R_1, R_2	, R coordinate of grid line
RI, RI1	=	R_I, R_{I-1}	, R coordinate of lifting line intersection with grid
RL	=	R_L	, R coordinate of lifting line input
S1, S2	=	S_1, S_2	, S coordinate of grid
SI, SI1	=	S_I, S_{I-1}	, S coordinate of lifting line intersection with grid
SSL	=	S_L	, S coordinate of lifting line input point
Z1, Z2	=	Z_1, Z_2	, Z coordinate of grid line
ZI, ZI1	=	Z_I, Z_{I-1}	, Z coordinate of lifting line intersection with grid
CONS(1,L)	=	R_L	, Lifting line radius (Local)
CONS(2,L)	=	α_L	, Stagger angle (Local)
CONS(3,L)	=	B_L	, Chord (Local)
CONS(4,L)	=	$(t/B)_L$, Thickness/chord (local)
CONS(6,L)	=	Z_{CL}	, Lifting Line Axial Distance (local)

CONS(8,L)	n_L	Lifting line normal locations
CONS(9,L)	S_L	Lifting line streamwise location

Theory

The equation for the lifting line passing through the points (L, L-1) is approximated by a line given by

$$Z = Z_{L-1} + A_L (R - R_{L-1}) \quad (1)$$

where the slope is given by

$$A_L = (Z_L - Z_{L-1}) / (R_L - R_{L-1}) \quad (2)$$

The streamline coordinate system forms a box around the L-1 mesh point (see figure 23) given by the points (1), (2), (3), (4). If it is assumed that point (5) is known; the object is to find point (6) by successively checking each side of the mesh to determine if the lifting line crosses. Let the index I = 1, 4 represent each side of the box. Then a straight line is passed through the pair of points

I	Points	
1	(2), (1)	$n_1 - S$ varies
2	(3), (2)	$S_2 - n$ varies
3	(4), (3)	$n_2 - S$ varies
4	(1), (4)	$S_1 - n$ varies

The equation of the straight line approximating the lifting line is given by

$$Z = Z_1 + A_M \cdot (R - R_1) \quad (3)$$

$$A_M = (Z_2 - Z_1) / (R_2 - R_1)$$

Then the intersection of the lifting line with the coordinate line is given by

$$R_I = (Z_{L-I} - A_L \cdot R_{L-I} - Z_I + A_M R_I) / (A_M - A_L) \quad (4)$$

$$Z_I = [(Z_{L-I} - A_L \cdot R_{L-I}) \cdot A_M - (Z_I - A_M \cdot R_I) \cdot A_L] / (A_M - A_L) \quad (5)$$

provided

$$A_M - A_L \neq 0 \quad (6)$$

From figure (23) R, Z will intersect inside the mesh if:

$$R_1 \leq R_I \leq R_2 \text{ or } R_2 \leq R_I \leq R_1 \quad (7)$$

and

$$Z_1 \leq Z_I \leq Z_2 \text{ or } Z_2 \leq Z_I \leq Z_1 \quad (8)$$

For $I = 1$ and 3 , n is constant and S varies. Thus

$$\begin{aligned} S_I &= S_1 + (R_I - R_1) / (R_2 - R_1) (S_2 - S_1) \\ n_I &= n_1 \text{ if } I = 1 \\ n_I &= n_2 \text{ if } I = 3 \end{aligned} \quad (9)$$

Likewise for $I = 2$ and 4 , S is constant and n varies. Thus

$$\begin{aligned} n_I &= n_1 + (R_I - R_1) / (R_2 - R_1) (n_2 - n_1) \\ S_I &= S_2 \text{ if } I = 2 \\ S_I &= S_1 \text{ if } I = 4 \end{aligned} \quad (10)$$

Then R_I, Z_I, S_I, n_I is known for point (6)

From figure 18, it can be seen that if

$$R_{I-1} \leq R_L \leq R_I \quad (11)$$

R_L lies within the grid (1), (2), (3), (4), and L should be advanced. Both n and S vary along the lifting line. If (R_L, Z_L) lies within the grid then n_L, S_L can be determined by the relations

$$\begin{aligned} S_L &= S_I + (S_I - S_{I-1}) / (R_I - R_{I-1}) (R_L - R_{L-1}) \\ n_L &= n_{I-1} + (n_I - n_{I-1}) / (R_I - R_{I-1}) (R_L - R_{L-1}) \end{aligned} \quad (12)$$

This procedure can then be repeated for $L = 2, \text{NUM}$

Subroutine INITQ

Object

Initialize data file parameters for Q array

Option

None

Variables

BLOCK(1)	JSTEP	, Block (record number)
Q(1,K)	R	, Radius (dimensionless)
Q(2,K)	Z	, Axial distance (dimensionless)
Q(3,K)	$\partial R / \partial n$, Derivative
Q(4,K)	$\partial R / \partial s$, Derivative
Q(5,K)	$(\cos \theta)_{\text{axi}}^2$, Axisymmetric flow angle
Q(6,K)	V	, Metric coefficient (dimensionless)
* Q(7,K)	$\partial V / \partial n = (K_s + \Delta K_s)$, Curvature of streamline
Q(8,K)	$\partial V / \partial s$, Curvature of potential line
Q(9,K)	X	, Distance along streamline (dimensionless)
Q(10,K)	Y	, Duct height (dimensionless)
Q(11,K)	Y/Y_T	, Normalized duct height
Q(12,K)	A	, Duct Area (dimensionless)
Q(13,K)	G	, Gap (dimensionless)
Q(14,K)	$\partial G / \partial n$, Derivative
Q(15,K)	$\partial G / \partial s$, Derivative
Q(16,K)	$\partial \eta / \partial n$, Transformation of normal coordinate

Subroutine INITQ (Cont'd)

Variables (Cont'd)

Q(17,K)		, Not used
Q(18,K)	n	, Normal coordinate (dimensionless)
Q(19,K)	η	, Transformed coordinate
K = 1, KL		
QPARM(1)	r_r	, Reference radius, (ft)
QPARM(2)		, Not used
QPARM(3)	JL	, Number of streamwise steps
QPARM(4)	KL	, Number of streamlines

Theory

This subroutine initializes the independent variable array BLOCK which is stored on a disc file and sets all parameters QPARM required by the calculation.

* Note that Q(7,K) stores either K_s or $K_s + \Delta K_s$.

Subroutine INTFRE

Object

Initialize freestream conditions

Options

None

List of Symbols

See COMMON BLOCKS

Theory

Data read from file NDRUM is used to set up the freestream conditions for subroutine PØIS.

Subroutine LØADRR

Object Loader formatted input

Options

NØPT8=0 Continue reading input

NØPT8=1 Stop reading input

List of Symbols

See EQUIVALENCE ARRAYS in subroutine listings.

Theory

This method of reading input permits the changing of one or more input variables. The remaining input variables remain the same as the previous case.

Subroutine MINVRT(A,B,N)

Object Invert NxN matrix.

Options

None

List of Symbols

A = \bar{A} , Augmented \bar{A} matrix
 B = \bar{B} , Augmented \bar{B} matrix (\bar{A}^{-1}) matrix
 N , Number of equations (rows)
 M , Number of columns

Theory

The \bar{A} matrix is inverted using the Gauss-Jordan elimination procedure. First the augmented $\bar{A}_{\sim}(N, M)$ is formed including the identity matrix,

$$\bar{A}_{\sim} = (A \ I) \quad (1)$$

Then the following revision formula is used

$$b_{I-1, J-1} = a_{I, J} - a_{I, I} a_{I, I} / a_{I, I} \quad \begin{cases} 1 < I \leq N \\ 1 < J \leq M \end{cases} \quad (2)$$

$$b_{N, J-1} = a_{I, J} / a_{I, I} \quad 1 < J \leq M \quad (3)$$

Note that the \bar{B} matrix has one less column than the \bar{A}_{\sim} matrix. Then the substitution is made

$$a_{IJ} = b_{IJ} \quad \begin{matrix} 1 \leq I \leq N \\ 1 \leq J \leq M-1 \end{matrix} \quad (4)$$

and repeated until the \bar{B} matrix is an NxN or the \bar{A}^{-1} matrix.

Subroutine MYTIME

Object Dummy time trap routine

Subroutine ØUTPUT

Object

Print title page

Option

None

List of Symbols

None

Theory

This subroutine prints the title page which records all modifications, dates, and references to changes incorporated into the ADD code.

Subroutine PERFNA

Object Compute viscous nacelle drag

Options

None

List of Symbols

AREAM	=	A_{\max}	, Maximum cross-sectional area
CDFR	=	C_{DF}	, Friction drag coefficient
CDPR	=	C_{DP}	, Pressure drag coefficient
DFR	=	D_F	, Friction drag (lb)
QREF	=	Q_r	, Reference dynamic pressure (psf)
RMAX	=	R_{\max}	, Maximum radius of nacelle
AVE(9,1)	=	P_1	, Initial mass flow average density
AVE(4,1)	=	U_1	, Initial mass flow average velocity
P	=	P	, Static pressure
P1,P2	=	Π_1, Π_2	, Static pressure (P/P_r) at prescribed stations
R	=	R	, Local radius
R1,R2	=	R_1, R_2	, Nacelle radius (r_1/r_r) of prescribed stations
S	=	S	, Streamwise coordinates
S1,S2	=	S_1, S_2	, Streamwise coordinate at prescribed stations

Theory

In terms of dimensionless variables used in the analysis, the friction and pressure drag are given by:

$$D_f = 2\pi r_r^2 \rho_r u_r^2 \int_{S_1}^{S_2} R \sum_{ns} \frac{\partial R}{\partial n} ds \quad (1)$$

$$D_p = 2\pi r_r^2 P_r \left\{ \int_{s_1}^{s_2} R \Pi \frac{\partial R}{\partial S} ds + \Pi_1 \frac{R_1^2}{2} - \Pi_2 \frac{R_2^2}{2} \right\} \quad (2)$$

The corresponding coefficients are given by

$$C_{DP} = D_p / (A_{MAX} Q_r) \quad (3)$$

$$C_{DF} = D_f / (A_{MAX} Q_r) \quad (4)$$

where

$$A_{MAX} = \pi r_r^2 R_{MAX}^2 \quad (5)$$

$$Q_r = 1/2 \rho_r u_r^2 \bar{\rho}_1 \bar{u}_1^2 \quad (6)$$

Subroutine PERFN2

Object Compute inviscid nacelle drag

Options

None

List of Symbols

DPR	=	D_p	, Pressure drag
P	=	P	, Static Pressure
P1,P2	=	P_1, P_2	, Static pressure (P/P_r) at prescribed stations
R1, R2	=	R_1, R_2	, Nacelle radius (r_1/r_r) at prescribed stations.
S	=	S	, Streamwise coordinate.
S1,S2	=	S_1, S_2	, Streamwise coordinate at prescribed station.

Theory

In terms of the dimensionless variables used in the analysis, the pressure drag is given by;

$$D_p = 2\pi r_r^2 P_r \left\{ \int_{S_1}^{S_2} R \Pi \frac{\partial R}{\partial S} ds + \Pi_1 \frac{R_1^2}{2} - \Pi_2 \frac{R_2^2}{2} \right\} \quad (1)$$

Subroutine PØIS (RESM,ITER)

Object

Solve Poisson equation

Option

IDBGP = 0 No debug printout
 = 1 Printout residuals
 = 2 Print solution

List of Symbols

P(K,J) = ψ , Stream function (dimensionless)

F(K,J) = , Coefficient (1/ \underline{PG}) (dimensionless)

PSI(K) = $\tilde{\psi}$, Iterative guess for J

ITER = ν , Iteration counter

RLX , Relaxation factor

RESMAX = ϵ_{MAX} , Maximum residual accepted

RESDM = ϵ_M , Maximum residual/J station

RESM = ϵ , Maximum residual/sweep

Theory

The solution algorithm is described in Reference 1.

References

1. Anderson, O. L. and D. E. Edwards: Extension to an Analysis of Turbulent Swirling Compressible Flow in Axisymmetric Ducts, NASA Contract NAS3-21853, 1981, UTRC Report R81-914720.

Subroutine PØISCF

Object

- (1) Set of coefficients of $\nabla^2 \psi = 0$
- (2) Set boundary conditions on ψ
- (2) Set initial guess for ψ

Options

- IDBG17 = 0 Compressible Flow
 = 1 Incompressible Flow
- IDBGT = 0 No debug test case
 = 1 Debug test case
- IDBGP = 0 No debug test printout
 = 1 Debug printout

Variables

Q(I,K)		, Coordinate functions
FIV(I,L,K)		, Dependent variables for inviscid flow
P(K)	= ψ_K^J	, Stream function at station J
A(K)	= $GP/V/(d\eta/dn)$, Coefficient for $\partial\psi/\partial\eta$
F(K)	= $1/G/P$, Coefficient of $\nabla^2 \psi$
G(K)	= $V/G/P$, Coefficient for velocity calculation
R(K)	= P	, Density ratio (ρ/ρ_r)
T(K)	= Θ	, Temperature ratio (T/T_r)
V(K)	= V	, Metric coefficient dimensionless
GAP	= G	, Gap (g/r_r)
VMET	= V	, Metric coefficient (dimensionless)
RHØ	= P	, Density ratio (ρ/ρ_r)
TEM	= Θ	, Temperature ratio (T/T_r)
USO	= U_{so}	, Upstream constant velocity (u_o/u_r)

Subroutine PØISCF (Cont'd)

USINF	$U_{s\infty}$,Free stream axial velocity ($u_{s\infty}/u_r$)
UPINF	$U_{\phi\infty}$,Free stream tangential velocity $u_{\phi\infty}/u_r$
PSIKL	ψ_{∞}	,Free stream stream function (dimensionless)
TEMINF	θ_{∞}	,Free stream static temperature ratio (T/T_r)
RHOINF	P_{∞}	,Free stream density ratio (ρ/ρ_r)
AMINF	M_{∞}	,Free stream Mach number
PTINF	Π_{∞}	,Free stream total pressure ratio (P_0/P_r)
BLK		,See COMMON/SPCGD/

Theory

This subroutine does the following steps

- (1) Reads coordinate Q file and solution FIV file
- (2) Interpolates the solution to the (η, S) grid
- (3) Calculates the coefficient $F = 1/PG$
- (4) Calculates coefficients BLK for streamline curvature calculation
- (5) Sets boundary condition on ψ
- (6) Calculates initial guess for ψ
- (7) Stores F, BLK, P on disk files

The initial guess is given by the inviscid solution obtained from CALINV. The boundary conditions are given by:

$$\psi(0,s) = 0 \quad (1)$$

$$\psi(1,s) = \psi_{\infty} \quad (2)$$

$$\psi(\eta,0) = U_{s0} \int_0^{\eta} \left(\frac{GP}{V} / \frac{d\eta}{dn} \right)_{s=0} d\eta \quad (3)$$

$$\psi(\eta,s_L) = U_{s0} \int_0^{\eta} \left(\frac{GP}{V} / \frac{d\eta}{dn} \right)_{s=s_L} d\eta \quad (4)$$

Subroutine PØISØN

Object

Calculate axisymmetric streamline curvature

Options

IØPT7	=	0	No curvature corrections
	=	1	Curvature correction
IDBG15	=	0	Use input KL streamlines
	>	0	Use IDBG15 streamlines

List of Symbols

IRHØ	,Density iteration counter
ITERL	,Maximum number of iterations
KHØLD	,No. ADD code streamlines
KL	,No. SCURVA streamlines
RESMAX	,Maximum residual for convergence

Theory

This subroutine is a calling subroutine for subroutines INTFRE, PØISCF, PØIS, and SCURVA.

Subroutine QINTER

Object

Interpolate curvature from PØIS mesh to SØLVI mesh

Options

None

List of Symbols

Q(J,K)

Coordinate functions

Theory

After the curvature and flow angle has been calculated from the potential flow solution, this subroutine interpolates to obtain values at the numerical grid points which will be used in the SØLVI calculation.

Subroutine READPF(J,JJ)

Object

Read P and F files in NIST word blocks

Option

None

List of Symbols

J	J	,Record number
JJ	JJ	,Record number in block N
N	N	,Block number
F	F	,Coefficients of $\nabla^2 \psi = 0$
P	ψ	,Stream function (dimensionless)
NST	= 25	,Number of records per block
NBK		,Number of words to move pointer
NIST		,Number of words per block
NFDRM	= 23	,Coefficient file number F array
NL		,Last block number
NBIST		,Number of words for two records
NMOVE		,Number of words to move pointer

Theory

The entire F and P arrays cannot be kept in core at the same time so that the I/O is arranged to keep fixed blocks in core (Fig. 1). Let (J,K) be a point on the computational mesh and (JJ,KK) the corresponding point in core. Let each record be the Jth line with the number of words in the record given by

$$K = 1, IST$$

If there are NST records per block, then these are NIST words per block,

$$NIST = NST \times IST$$

Subroutine READPF(J,JJ) (Cont'd)

Theory (Cont'd)

The solution algorithm requires overlapping blocks as shown on Fig. 1.
Hence we have the block number

$$N = (J-2)/(NST-2) + 1$$

and the JJ point in core is given by

$$JJ + J - (N-1) \times (NST-2)$$

This subroutine is coded so that a new block is ready only when $N = NL$.

Subroutine READPG(J,JJ)

Object

Read variable for curvature calculation

Options

None

List of Symbols

J	= J	,Record number
JJ	= JJ	,Record number in block N
N		,Block number
G		,Streamline coordinate data (see COMMON/SPCFD/)
P		,Stream function
NST	= 25	,Number of records per block
NBK		,Number of words to move pointer
NIST		,Number of words per P block
NGDRM	= 25	,Unit number of G array
NPDRM	= 24	,Unit number for P array
NL		,Last P block number
NBIST		,No. words for 2 P records
NGIST		,No. words for 2 G records
NGL		,Last G record number

Theory

This subroutine reads the P file according to Subroutine READPF but reads only the Jth G record which is kept in core.

Function RØBRTS(C,ETA,LØP)

Object

Compute distorted mesh using Roberts' transformation

Options

LØP = 0 Wall - wall boundary
 = 1 Wall-free stream boundary
 = -1 Free stream-wall boundary

List of Symbols

C = C ,Distortion parameter
 ETA = η ,Input variable (uniform mesh)
 LØP = ,Option

Output Variable

RØBRTS = n ,Output variable

Theory

The Roberts' transformation for a distorted mesh on both sides is given by

$$n' = \frac{(c+1/2) \exp\left[2 \ln\left(\frac{c+1/2}{c-1/2}\right) (\eta'-1/2)\right] - (c-1/2)}{1 + \exp\left[2 \ln\left(\frac{c+1/2}{c-1/2}\right) (\eta'-1/2)\right]} \quad (1)$$

where

$$0 \leq \eta' \leq 1.0 \quad 0 \leq n' \leq 1.0 \quad (2)$$

For the different options we have

$$\left. \begin{matrix} \eta' = \eta \\ n = n' \end{matrix} \right\} LØP = 0 \quad (3)$$

$$\left. \begin{matrix} \eta' = \eta/2 \\ n = 2n' \end{matrix} \right\} LØP = 1 \quad (4)$$

$$\left. \begin{matrix} \eta' = (1+\eta)/2 \\ n = 2n' - 1 \end{matrix} \right\} LØP = -1 \quad (5)$$

Subroutine RØUND

Object Round corners on straight wall ducts.

List of Symbols

XM , Axial location
IWALL , Indicates Hub or Tip Wall
DX , Stepsize in x direction

Theory

In subroutine GDUCT, if the option IØPT3 = 8 is used then a straight wall is constructed between initial data points. Thus in order to remove discontinuity between wall segments this subroutine is used to round or smooth out the discrete representations of the wall in order for it to appear smooth.

Subroutine SLETE(KSSLE,KSSTE)

Object Find blade control surfaces.

Options

None.

List of Symbols

KSSLE,KSSTE , Leading edge and trailing edge index
SLE,STE , Leading and trailing edge coordinates (dimensionless)
ZLEH,ZLET , Axial distance hub leading and trailing edge (dimensionless)
ZTEH,ZTET , Axial distance tip leading and trailing edge (dimensionless)

Theory

The intersection of the leading and trailing edge of the blade with the hub and tip casing are obtained from Subroutine GBLADE. Then the coordinates of the hub and tip boundaries are searched until the proper value of streamwise

coordinates for the leading edge and trailing edge of the blade are found. The coordinate index KSSLE is located just upstream of the blade and the coordinate KSSTE is located just downstream of the blade.

Subroutine SCURVA (IDBU,KHØLD)

Object

Calculate curvature from potential flow solution

Options

IDBU = 0 Update density
> 0 Print SCURVA solution, update curvature

Variables

KHØLD		,No. ADD code streamlines
KL		,No. SCURVA streamlines
Q(J,K)		,Coordinate functions
P(K)	ψ_k^J	,Stream function a station J (dimensionless)
G(K)	G	,Coefficient for velocity calculation
R(K)	P	,Density Ratio (P/P_r) (dimensionless)
US	U_s	,Streamwise velocity (dimensionless)
UN	U_n	,Normal velocity (dimensionless)
U	U	,Total velocity (dimensionless)
COSTH	$\cos^2(\theta)$, (Cosine) ² of flow angle θ
CURV	$\frac{\partial V}{\partial n}$,Curvature of streamline (dimensionless)

Theory

Once the potential flow solution has been obtained from subroutine PØIS, this subroutine will calculate the flow angle and streamline curvature according to Ref. (1).

References

1. Anderson, O.L. and D. E. Edwards, Extension to an Analysis of Turbulent Swirling Compressible Flow in Asixymmetric Ducts, NASA Contract No. NAS3-21851, 1981, UTRC Report R81-914720.

Subroutine SM00TH (X,J,JX,XB,YB,JXB,JXK)

Object Least squares spline fit smoothing for geometry

Options

None

List of Symbols

JX		, Number of input points
JXB		, Number of output points
JXK		, Number of spline knots
X(J)	= X_J	, Input points abscissa
Y(J)	= Y_J	, Input points ordinate
XB(J)	= \bar{X}_J	, Output points abscissa
YB(J)	= \bar{Y}_J	, Output points ordinate
YPP(J)	= Y_J	, Second derivative of Y(X)
CK(I,J)	= C(I,J)	
YK(I)	= Y_K	, Spline coefficients
A(I),B(I)	= A_I, B_I	, Constants of Integration

Theory

This subroutine computes the second derivative of the input vector Y(X). With the use of the standard math package ISML routines, (reference 9) it then fits a least square spline to the second derivative with JXK movable knots. The spline equations are then integrated analytically to obtain the output solution vector $\bar{Y}(\bar{X})$ at JXB points. Subroutine SM00TH uses ISML routines ICSFKU, ICSFKV, UERTST.

Subroutine SØLVI

Object Integrate equations of motion for viscous flow.

Options

None

List of Symbols

AA(I,J)	=	a_{IJ}	, Element of $\bar{\bar{A}}$ matrix
AB(I,J)	=	b_{IJ}	, Element of $\bar{\bar{B}}$ matrix
AC(I,J)	=	c_{IJ}	, Element of $\bar{\bar{C}}$ matrix
AD(I,J)	=	d_{IJ}	, Element of $\bar{\bar{D}}$ matrix
ADI(I,J)	=	$(d_{IJ}^{-1})_K$, Element of $\bar{\bar{D}}^{-1}$ matrix
AE(I,J,K)	=	e_{IJ}	, Element of $\bar{\bar{E}}^k$ matrix
AQ(I)	=	q_I	, Element of $\bar{\bar{Q}}$ matrix
AZ(I,K)	=	z_I^K	, Element of $\bar{\bar{Z}}^k$ matrix
CFPH	=	$C_{f\phi H}$, Stress coefficient hub ($2\epsilon_{n\phi}/(\bar{P}_1 \bar{U}_1^2)$)
CFPT	=	$C_{f\phi T}$, Stress coefficient tip ($-2\epsilon_{n\phi}/(\bar{P}_1 \bar{U}_1^2)$)
CFST	=	C_{fSH}	, Stress coefficient hub ($2\epsilon_{ns}/(\bar{P}_1 \bar{U}_1^2)$)
CFST	=	C_{fST}	, Stress coefficient tip ($-2\epsilon_{ns}/(\bar{P}_1 \bar{U}_1^2)$)
DAYE	=	$1/4(\bar{\rho} U_1^2)$, Mean inlet dynamic pressure (dimensionless)
EENTP	=	$E(I)$, Truncation error (π)
ENREF	=	\bar{I}_1	, Mean inlet entropy
EPRES	=	$E(\pi)$, Truncation error (π)
ERØTH	=	$\epsilon(P\theta)$, Truncation error ($P\theta$)
ERØUS	=	$\epsilon(PU_S)$, Truncation error (PU_S)

EUPUP	= $E(U_\phi^2)$, Truncation error (U_ϕ^2)
EUSUS	= $E(U_s^2)$, Truncation error (U_s^2)
PIREF	= $\bar{\Pi}_1$, Mean inlet reference pressure (dimensionless)
PIO	= Π_o	, Total pressure (dimensionless)
PRCEF	= C_p	, Local pressure coefficient (dimensionless)
PSIH1, PSIH2	= ψ_H^J, ψ_H^{J-1}	, Wall stream function (hub) (dimensionless)
PSIT1, PSIT2	= ψ_T^J, ψ_T^{J-1}	, Wall stream function (tip) (dimensionless)
QAVE	= $\bar{P}\bar{U}_S(\bar{\theta}_o - \bar{\theta})$, Inlet energy flux (dimensionless)
QWALH	= $P_H U_H^{*3}$, Energy flux (hub) (dimensionless)
QWALT	= $P_T U_T^{*3}$, Energy flux (tip) (dimensionless)
QPLUS	= $Q/(P U^{*3})$, Universal heat flux (dimensionless)
SIG	= ϵ	, Stress (dimensionless)
SIGWH	= ϵ_{WH}	, Wall stress (hub) (dimensionless)
SIGWT	= ϵ_{WT}	, Wall stress (tip) (dimensionless)
STAH	= S_{tH}	, Stanton number (hub) $Q_H/[\bar{P}\bar{U}_S(\bar{\theta}_o - \bar{\theta})]$
STAT	= S_{tT}	, Stanton number (tip) $Q_T/[\bar{P}\bar{U}_S(\bar{\theta}_o - \bar{\theta})]$
THETAO	= θ_o	, Total temperature (dimensionless)
TPLUS	= τ^+	, Universal stress (dimensionless)
TWH, TWT	= θ_H, θ_T	, Wall temperature (hub, tip) (dimensionless)
U	= U	, Magnitude of velocity (dimensionless)
UPLUS	= U^+	, Universal velocity (dimensionless)
USH, UST	= U_H^*, U_T^*	, Friction velocity (hub, tip) (dimensionless)

XMACH = M , Mach number (dimensionless)
YPLUS = Y^+ , Universal distance (dimensionless)
Z = Z , Axial distance (dimensionless)
ZZ = Z_s , Axial distance to next slot (dimensionless)

Theory

The equations of motion are solved using the method derived in reference 6. A flow diagram is shown in Fig. 24.

Subroutine STRESI

Object Compute initial stress distribution

Options

LOP=1 Store inlet flow stress

LOP≠1 Do not store inlet flow stress

List of Symbols

See COMMON block variables in subroutine listings.

Theory

The initial stress and heat flux distribution is computed from

$$\Sigma_{ns} = \left(\frac{\mu_T}{\mu_r} \right) \frac{E_{ns}}{N_R} \quad (1)$$

$$\Sigma_{n\phi} = \left(\frac{\mu_E}{\mu_r} \right) \frac{E_{n\phi}}{N_R} \quad (2)$$

$$Q = - \frac{1}{N_R P_{RE}} \left(\frac{\mu_E}{\mu_r} \right) V \frac{\partial \Theta}{\partial \eta} \quad (3)$$

Subroutine STRT

Object Find inlet flow location

Option

None

List of Symbols

ZINLET , Axial inlet flow location

SINLET , Streamwise inlet flow location

INLET , Counter

Theory

Once the axial location of the inlet flow is determined the streamwise location may be found since the axial location at each point in the coordinate system is paired with its streamwise coordinate.

Subroutine TPRINT

Object Calls CPU time.

Subroutine TURB

Object Compute turbulent viscosity

Options

NØPT=0 Initial turbulence model
 NØPT=1 Subsequent turbulence model

List of Symbols

AMUE	$= \mu_T / \mu_r$, Turbulent viscosity (dimensionless)
AMUER(K)	$= (\mu_{T\infty} / \mu_r)$, Freestream turbulent viscosity (dimensionless)
AMUM	$= \mu_\infty / \mu_r$, Freestream molecular viscosity (dimensionless)
AMUW	$= \mu_w / \mu_r$, Wall value of molecular viscosity (dimensionless)
AMUWK	$= (\mu / \mu_r)_{K+1/2}$, Molecular viscosity (dimensionless)
AMUO	$= (\mu_{T\infty} / \mu_\infty)$, Maximum freestream viscosity (dimensionless)
DELO	$= \Delta_\infty$, Displacement thickness (dimensionless)
DU	$= \Delta U$, Velocity finite-difference (dimensionless)
DUDZ	$= dU/dZ$, Velocity derivative (dimensionless)
E	$= E$, Rate of strain (dimensionless)
EM	$= E_\infty$, Strain freestream (dimensionless)
EMH, EMT	$= E_{\infty H}, E_{\infty T}$, Strain hub, tip, edge of inner layer (dimensionless)
ENP	$= E_{n\phi}$, Swirl rate of strain (dimensionless)
ENS	$= E_{ns}$, Streamwise rate of strain (dimensionless)
EW	$= E_w$, Wall rate of strain (dimensionless)
PHI	$= \phi$, Turbulence model function (dimensionless)
RHØM	$= \rho_\infty$, Density freestream (dimensionless)

SIGWH	= Σ_{wh}	, Wall stress (hub) (dimensionless)
SIGWK	= Σ_{wk}	, Wall stress (inner layer) (dimensionless)
SIGWT	= Σ_{wt}	, Wall stress (tip) (dimensionless)
TPLUS1, TPLUS2	= T_1^+, T_2^+	, Universal wall stress (dimensionless)
UK(K)	= U_K	, Magnitude of velocity (dimensionless)
UM	= U_∞	, Freestream velocity (dimensionless)
USTARH, USTART	= U_H^*, U_T^*	, Friction velocity (hub, tip) (dimensionless)
Y	= Y	, Distance across duct (dimensionless)
YK	= $Y_{k+1/2}$, Distance across duct (dimensionless)
YMH, YMT	= Y_H, Y_T	, Distance to inner layer (hub, tip) (dimensionless)
YPLUS1, YPLUS2	= Y_1^+, Y_2^+	, Universal distance (dimensionless)

Theory

The turbulence model is described in reference (1) and the resulting equations are described below. Let the eddy viscosity be described by a continuous function

$$\frac{\mu_E}{\mu_r} = \phi E \quad (1)$$

where

$$E = \sqrt{E_{ns}^2 + E_{n\phi}^2} \quad (2)$$

and

$$\phi = \rho_w N_R (\kappa y)^2 \left\{ 1 - \exp \left[\frac{-y + \sqrt{\tau^+}}{A^+} \right]^2 \right\} \text{ (inner layer)} \quad (3)$$

$$\phi = \frac{X N_R \rho_{\infty} U_{\infty} \Delta^*}{E_M} \quad (\text{outer layer}) \quad (4)$$

where \tilde{y} is the distance from the wall

$$\tilde{y} = |y - y_w| \quad (5)$$

A matching point for the inner layer and outer layer exists for each wall denoted Y_H and Y_T and with a corresponding strain E_H and E_T . Then for the outer layer

$$E_M = E_H + \frac{E_T - E_H}{Y_T - Y_H} (y - y_H) \quad (6)$$

The turbulent viscosity and thermal conductivity is given by

$$\frac{\mu_T}{\mu_r} = \frac{\mu}{\mu_r} + \frac{\mu_E}{\mu_r} \quad (7)$$

$$\frac{1}{P_{RE}} \frac{\mu_r}{\mu_r} = \frac{1}{P_{rL}} \frac{\mu}{\mu_r} + \frac{1}{P_{RT}} \frac{\mu_E}{\mu_r} \quad (8)$$

The turbulent flow properties can be calculated at station J-1 because the flow field is known. For station J, it is noted that the turbulent viscosity is a strong function of stress, thus from equation (1),

$$\left(\frac{\mu_E}{\mu_r} \right)^2 = N_R \phi \Sigma \quad (9)$$

where

$$\Sigma = \sqrt{\Sigma_{ns}^2 + \Sigma_{n\phi}^2} \quad (10)$$

Hence,

$$\left(\frac{\mu_T}{\mu_r} \right)^J = \left(\frac{\mu_T}{\mu_r} \right)^{J-1} + \left[\frac{\partial}{\partial \Sigma} \left(\frac{\mu_E}{\mu_r} \right) \right]^{J-1} (\Sigma^J - \Sigma^{J-1}) \quad (11)$$

$$\left(\frac{1}{P_{RE}} \frac{\mu_r}{\mu_r} \right)^J = \left(\frac{1}{P_{RE}} \frac{\mu_r}{\mu_r} \right)^{J-1} + \left[\frac{\partial}{\partial \Sigma} \left(\frac{\mu_E}{\mu_r} \right) \right]^{J-1} (\Sigma^J - \Sigma^{J-1}) \quad (12)$$

and

$$\left[\frac{\partial}{\partial \Sigma} \left(\frac{\mu_E}{\mu_r} \right) \right]^{J-1} = \frac{N_R}{2E^{J-1}} \quad (13)$$

Finally, it is noted that at the initial station $\tau^+(Y^+)$ in equation 3 is not known, therefore, $\tau^+ = 1$ is assumed.

Function UBLAS

Object Calculate velocity ratio according to the Blasius solution for the initial flow.

Options

None

Theory

The velocity ratio is determined by interpolations of data block containing Blasius solution to the flow past an axisymmetric shape (reference 10).

Function UCØLES (Argument List)

Object Find friction velocity for the initial profile from Coles law

Options

None

List of Symbols

AK	= k	, Von Karman constant (dimensionless)
ANUW	= ν_w	, Kinematic viscosity (ft ² /sec)
DELT	= δ	, Boundary layer thickness (ft)
DELTS	= δ^*	, Displacement thickness (ft)
DERR	= dE/dU*	, Slope of error function (dimensionless)
ERR	= E	, Error function (dimensionless)
ERRM	= ϵ	, Convergence criteria (dimensionless)
ITER	= μ	, Iterate
ITERL	= μ	, Maximum number of iterations
UINF	= U_∞	, Freestream velocity (ft/sec)
US	= $(U^*)^\nu$, Guess for friction velocity (ft/sec)
US1 /	= $(U^*)^1$, Initial guess for U* (ft/sec)

Theory

The friction velocity is obtained from Coles law using Newton's method

$$E^\mu = \frac{U_\infty}{(U^*)^\mu} - \left\{ \frac{1}{\kappa} \ln \left[\frac{\delta (U^*)^\mu}{\nu_w} \right] + \frac{2.2}{\mu} + 2 \left[\frac{\delta^*}{\delta} \frac{U_\infty}{(U^*)^\mu} - 1 \right] \right\} \quad (1)$$

$$\left(\frac{dE}{dU^*} \right)^\mu = \left(\frac{2\delta^*}{\delta} - 1 \right) \frac{U_\infty}{(U^*)^\mu} - \frac{1}{\kappa} \frac{\nu_w}{\delta^* (U^*)^\mu} \quad (2)$$

$$(U^*)^{\mu+1} = (U^*)^{\mu} - \epsilon^{\mu} / \left(\frac{d\epsilon}{dU^*} \right)^{\mu} \quad (3)$$

Convergence occurs when

$$|\epsilon^{\mu}| < \epsilon \quad (4)$$

Subroutine WAKCØR

Object Compute nacelle wake corrections.

Options

None

List of Symbols

AM1,AM2	=	M_{k-1}, M_k	, Inviscid flow Mach number
DRL	=	ΔR_L	, Radial wake correction
DZL	=	ΔZ_L	, Axial wake correction
ETA	=	η	, Normal coordinate
G(1,J,L)	=	ψ_L	, Wake distance (radians)
G(2,J,L)	=	$\Delta\psi$, Tangential wake correction
G(3,J,L)	=	$\partial\psi/\partial s$, Partial derivative
G(4,J,L)	=	$\partial\Delta\psi/\partial s$, Partial derivative
G(5,J,L)	=	ΔR	, Radial wake correction
G(6,J,L)	=	ΔZ	, Axial wake correction
RL	=	R_L	, Radial location of lifting line streamline
SL	=	S_L	, S coordinate of lifting line streamline
S2,S1	=	S_J, S_{J-1}	, S coordinate of mesh
TØT1,TØT2	=	$(T_o/T)_{K-1}, (T_o/T)_K$, Total to static temperature ratio
T1, T2	=	T_{K-1}, T_K	, Static temperature
U1, U2	=	U_{K-1}, U_K	, Inviscid flow velocity
US1, US2	=	$U_{S_{K-1}}, U_{S_K}$, Inviscid flow streamwise velocity
UP1, UP2	=	$U_{\phi_{K-1}}, U_{\phi_K}$, Inviscid flow tangential velocity
VL	=	V_L	, Metric scale coefficient of L^{th} streamline

ZL , Axial distance Lth streamline
J , Index of S coordinate
K , Index of N coordinate
L , Index of Lth streamline

Theory

To obtain the corrections to the wake geometry due to the nacelle's presence in the flow field, this subroutine integrates the following equations. (formulted in reference 1).

$$\tilde{\Psi}(S_J, R_L) = \Omega \int_{S_L}^{S_J} \frac{ds}{U_S V} \quad (1)$$

$$\Delta \tilde{\Psi}(S_J, R_L) = \int_{S_L}^{S_J} \frac{U \phi}{R U_S} \frac{ds}{V} \quad (2)$$

using the trapezoid rule along the streamlines passing through the point (R_L, Z_L) or (S_L, n_L). The remaining wake corrections are given by

$$\Delta R_L = R_L(S_J) - R_L \quad (3)$$

$$\Delta Z_L = Z_L(S_J) - Z_L(S_L) - \frac{U_\infty}{\Omega} \Psi \quad (4)$$

Labeled Common Blocks Used in The Nacelle Portion

Included herein is an alphabetical list of the labeled common blocks used in the nacelle portion of the analysis and a description of each variable used in them.

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
ACONS (Blade Data - Dimensionalized)	CONSTI (1, L) = R _{CL}	Radius of propeller lifting line
	CONSTI (2, L) = α _s	Stagger angle
	CONSTI (3, L) = B	Chord
	CONSTI (4, L) = t/B	Thickness
	CONSTI (5, L)	Not used
	CONSTI (6, L) = Z _{CL}	Axial location of propeller lifting line

Subroutine WBLEED

Object

Calculate perforated wall bleed

Options

IØPT18 = 0 No wall bleed
 = 1 Tip wall bleed
 = 2 Hub wall bleed
 = 3 Tip/hub wall bleed

PCHEK > 1.0 Flow enters tunnel
 < 1.0 Flow leaves tunnel

Input Variables

AHAS = A_h/A_s Ratio of hole area to surface area
CDISH = C Discharge coefficient
PTP = P_{TP} Plenum total pressure
TTP = T_T Plenum total temperature

Internal Variables

AMTU = M_{TU} Tunnel Mach number
GAMMA = γ Ratio of specific heats
GASR = R Gas constant
PS = P Static pressure (psfa)
PT = P_T Total pressure (psfa)
PSTU = P_{TU} Tunnel static pressure (psfa)
PTTU = P_{TTU} Tunnel total pressure (psfa)
TSTU = T_{TU} Tunnel static temperature (deg R)
TTTU = T_{TTU} Tunnel total temperature (deg R)
RHØR = ρ_r Reference density (slug/ft³)
USR = u_r Reference velocity (ft/sec)
PRESR = P_r Reference pressure (psfa)

Internal Variables (Cont'd)

TEMPR	= T_r	Reference temperature (deg R)
SGN	± 1	Sign convention

Output Variables

RH(9,J)	= $(\rho U_n)_H$	Mass bleed hub wall (slugs/ft ² /sec)
RT(9,J)	= $(\rho U_n)_T$	Mass bleed tip wall (slugs/ft ² /sec)

Theory

If one treats a single hole in a perforated wall as an orifice, then the mass flow can be derived in terms of the plenum stagnation conditions and the local static pressure inside the tunnel Holman (Ref. 1). Then an expression for the mass flow added to the tunnel flow is given by

$$(\rho U_n)_w = C \frac{A_h}{A_s} \frac{\gamma P_T}{\sqrt{\gamma R T_T}} \left(\frac{P_T}{P}\right)^{-\frac{1+\gamma}{2\gamma}} \left\{ \frac{2}{\gamma-1} \left[\left(\frac{P_T}{P}\right)^{\frac{\gamma-1}{\gamma}} - 1 \right] \right\}^{1/2} \quad (1)$$

where P_T and T_T are the plenum conditions, P is the local tunnel static pressure, A_h/A_s is the ratio of the hole area to surface area, and C the effective discharge coefficient which is a property of the perforated wall. If the tunnel static pressure is greater than the plenum total pressure, the mass flow bleed is out of the tunnel. Under these conditions, P_T and T_T are taken from the wind tunnel conditions, and P is the plenum pressure which is assumed known.

The mass flow bleed is related to the stream function by

$$-\frac{\partial \Psi}{\partial s} = \frac{G}{V} \frac{(\rho U_n)_w}{\rho_r U_r} \quad (2)$$

Equations (1) and (2) provide the boundary condition for a perforated wall relating two dependent variables ψ and P in terms of the characteristics of the perforated wall and the plenum conditions.

The program checks the options according to the table below.

	O.D. Wall	I.D. Wall
$PCHEK = P_{TP}/P_{STU} > 1.0$ set $P_T = P_{TP}$ $P = P_{STU}$ $T_T = T_{TP}$	SGN = -1.0	+1.0
$PCHEK = P_{TP}/P_{STU} < 1.0$ set $P_T = P_{STU}$ $P = P_{TP}$ $T_T = T_{STU}$	SGN = 1.0	-1.0

Reference

1. Holman, J. P.: Experimental Methods for Engineers. McGraw-Hill Book Co., New York. 1966.

Subroutine WRITPF(JJ)

Object

Store updated potential flow solution.

Options

None

List of Symbols

JJ	,JJth station in core
NST	,No. records per block
NIST	,No. words per block
NPDRM = 24	,Unit number
P	,Stream function

Theory

The stream function array P(JJ, KK) is arranged in core as described in subroutine READPF, Fig. 1. When an iterative sweep of one block is complete, the new updated solution is written on a disk file. This occurs when JJ = NST-1.

Function XH(J)

<u>Object</u>	Calculate wall length on ID wall
---------------	----------------------------------

Variables

J	Wall point no.
---	----------------

XH	ΔX_H	Wall length
----	--------------	-------------

Theory

$$\Delta X_H = ((R_{HJ} - R_{HJ-1})^2 + \Delta Z^2)^{1/2}$$

Function XT(J)

<u>Object</u>	Calculate wall length on OD wall
---------------	----------------------------------

Variables

J	Wall point no.
---	----------------

XT	ΔX_T	Wall length
----	--------------	-------------

Theory

$$\Delta X_T = ((R_{TJ} - R_{TJ-1})^2 + (Z_{TJ} - Z_{TJ-1})^2)^{1/2}$$

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
ACØNS (Blade Data - Dimensional)	CØNSTI (7, L)	Not used
	ØMEGZI = Ω	Propeller rotational velocity
	NUM	Number of blade rows
	L = 1, 2	
ACØNX (Blade Data - Nondimensional)	CØNST (1, L)	Radius of propeller lifting line (dimensionless)
	CØNST (2, L)	Stagger angle (dimensionless)
	CØNST (3, L)	Chord (dimensionless)
	CØNST (4, L)	Thickness
	CØNST (5, L)	Not used
	CØNST (6, L)	Axial location of lifting line (dimensionless)
	CØNST (7, L)	Not used
	CØNST (8, L)	Normal location of lifting line
	CØNST (9, L)	Streamwise location of lifting line
	L = 1,2	
	ØMEGZ	Rotational velocity (dimensionless)
	NUMX	Number of propellers
	DPSI(K)	Radial coordinate (dimensionless)
ADPS (Coordinate for Slot Calcula- tions)	K = 1, KL	
AINV (Store Inviscid Flow Variables)	CINP (1, K)	Total pressure inviscid flow
	CINP (2, K)	Static pressure inviscid flow
	CINP (3, K)	Swirl angle

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
	CINP (4, K)	Total temperature inviscid flow
	K = 1, KL	
AKK (Complex Coordinate)	M1	Flags for DEBUG printout
	M2	See Subroutine FCPLX
AMATRX (Matrix Inversion)	AD(I,J) = d_{IJ}	Element of D matrix
	ADI(I,J) = d_{IJ}^{-1}	Element of D^{-1} matrix
APLOT (Store Variables for Plotting)	W(1, J) = Z_H	Axial distance (hub) (dimensionless)
	W(2, J) = Z_T	Axial distance (tip) (dimensionless)
	W(3, J) = C_{PH}	Pressure coefficient (hub) (dimensionless)
	W(4, J) = C_{PT}	Pressure coefficient (tip) (dimensionless)
	W(5, J) = C_{FSH}	Friction coefficient (hub) (dimensionless)
	W(6, J) = C_{FST}	Friction coefficient (tip) (dimensionless)
BCPLX (Complex Variables)	A(1,I) = A_i	Source strength (dimensionless)
	A(2,I) = b_i	Location of pole (dimensionless)
	A(3,I) = α_i	Wall angle change (deg)
	A(4,I) = r_i	Radius in z plane (dimensionless)
	A(5,I) = ϕ_i	Angle in z plane (radians)
	A(6,I) = \bar{X}_i	Relative x distance in z plane (dimensionless)

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
BCPLX (Complex Variables)	$A(7,I) = \bar{Y}_i$	Relative Y distance in z plane (dimensionless)
	$B(1,I,K) = \Delta S X_s$	Change in coordinate x (dimensionless)
	$B(2,J,K) = \Delta S Y_s$	Change in coordinate y (dimensionless)
	$B(3,I,K) = \Delta S \xi_s$	Change in coordinate ξ (dimensionless)
	$B(4,I,K) = \Delta S \eta_s$	Change in coordinate η (dimensionless)
	$X(1,K) = S$	Streamwise coordinate (dimensionless)
	$X(2,K) = n$	Normal coordinate (dimensionless)
	$X(3,K) = X$	X coordinate in z plane (dimensionless)
	$X(4,K) = Y$	Y coordinate in z plane (dimensionless)
	$X(5,K) = \xi$	ξ - coordinate in w plane (dimensionless)
	$X(6,K) = \eta$	η - coordinate in w plane (dimensionless)
	$X(7,K) = \xi_s$	Streamwise derivative of ξ (dimensionless)
	$X(8,K) = \eta_s$	Streamwise derivative of η (dimensionless)

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
	$X(9,K) = X(S+\Delta S)$	Coordinates at station $S+\Delta S$
	$X(10,K) = Y(S+\Delta S)$	Coordinates at station $S+\Delta S$
	$X(11,K) = \xi(S+\Delta S)$	Coordinates at station $S+\Delta S$
	$X(12,K) = \eta(S+\Delta S)$	Coordinates at station $S+\Delta S$
	$X(13,K) = Y$	Metric scale coefficients (dimensionless)
	$X(14,K) = \xi_{ss}$	Second derivative of ξ (dimensionless)
	$X(15,K) = \xi_{sn}$	Cross derivative of ξ (dimensionless)
	$X(16,K) = V_n$	Normal derivative of V (dimensionless)
	$X(17,K) = V_s$	Streamwise derivative of V (dimensionless)
BLEED (wall bleed)		
	$AHAS = A_h/A_s$	Ratio of hole area to surface area
	$CDISH = C$	Discharge coefficient
	$PTP = P_{TP}$	Plenum total pressure
	$TTP = T_T$	Plenum total temperature
BTHIK		
	KBLADE	, Number of points
	$XK(I) = X_I$, Fractional chordwise distance
	$YK(I) = Y_I$, Thickness/Chord
	$I = 1, KBLADE$	

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
CCPLX (Parameters for Complex Trans- form)	$NPTS = N_p$	Number of singularities in complex transformation
	$NS\emptyset UR C = N_s$	Number of sources in z plane
	$\emptyset R D E R 1 = 0_1$	Absolute magnitude of largest term
	$\emptyset R D E R 2 = 0_2$	Absolute magnitude of largest term
	$\emptyset R D E R 3 = 0_3$	Absolute magnitude of largest term
	$SLO = S_{LO}$	Length of streamwise coordinate
	$XDS = S$	Step size for complex integra- tion
	$XDN = S$	Step size for complex integra- tion

COMMON BLOCK NAME
(OBJECT)

VARIABLE NAME

DESCRIPTION OF
VARIABLES

CINF (Parameters
for Poisson Equation)

AMINF = M_∞

Freestream Mach number

AN(K) = n_k

Transverse coordinate

DEDN(K) = $(dn/dn)_k$

Transverse coordinate stretching

D2EDN(K) = $(d^2n/dn^2)_k$

Transverse coordinate stretching

PINF = Π_∞

Freestream static pressure
(dimensionless)

PSIKL = ψ_∞

Freestream stream function
(dimensionless)

PTINF = Π_∞

Freestream total pressure
(dimensionless)

RHØINF = P_∞

Freestream density
(dimensionless)

RØTINF = $P_{o\infty}$

Freestream total density
(dimensionless)

TEMINF = Θ_∞

Freestream static temperature
(dimensionless)

TTINF = $\Theta_{o\infty}$

Freestream total temperature
(dimensionless)

UINF = U_∞

Freestream velocity
(dimensionless)

UPINF = $U_{\phi\infty}$

Freestream tangential velocity
(dimensionless)

USINF = $U_{s\infty}$

Freestream streamwise velocity
(dimensionless)

UVO = U_o

Reference velocity
(dimensionless)

VVO = V_o

Reference metric coefficient

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
CØNST (Flow Constants)	ACHI = χ	Clauser constant (0.016)
	AKAPPA = K	von Karman constant (0.41)
	APLUS = A^+	van Driest constant (26.0)
	CPR = C_{pr}	Specific heat at constant pressure (5997.0 ft ² /sec ² /deg R)
	CVR = C_{vr}	Specific heat at constant volume (3283.0 ft ² /sec ² /deg R)
	EP = O e	2.7182818
	GAMMA = α	Ratio of specific heats (1.4)
	GASR = R -	Gas constant (1714.0 ft ² /sec ² /deg R)
	GRAVR	Gravitational constants (32.2 ft/sec ²)
	PI = π	3.1415926
	PRESR = P_r	Reference static pressure (psfa)
	PRL = Pr_L	Prandtl number laminar 0.70
	PRT = Pr_T	Prandtl number turbulent 0.72
	RHØR = P_r	Reference density (slugs/ft ³)
	SNDR = C_r	Reference speed of sound (1116.0 ft/sec)
	TEMPR = Tr	Reference temperature (deg Rankine)
	TI	(0.1745329 radians/deg)
	VISCR = μ_r	Reference molecular viscosity (0.370 x 10 ⁻⁶)

<u>COMMON BLOCK NAME (OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF VARIABLES</u>
CØRE (Coordinate Functions)	$Q(1,K) = R$	Radius (dimensionless)
	$Q(2,K) = Z$	Axial distance (dimensionless)
	$Q(3,K) = \partial R / \partial n$	Normal derivative of radius (dimensionless)
	$Q(4,K) = \partial R / \partial S$	Streamwise derivative of radius (dimensionless)
	$Q(5,K) = \partial^2 R / \partial n / \partial S$	Second derivative of radius (dimensionless)
	$Q(6,K) = V$	Metric scale coefficient (dimensionless)
	$Q(7,K) = \partial V / \partial n$	Curvature of potential line (dimensionless)
	$Q(8,K) = \partial V / \partial S$	Curvature of streamline (dimensionless)
	$Q(9,K) = \partial^2 V / \partial n / \partial S$	Second derivative of metric scale coefficient (dimensionless)
	$Q(10,K) = Y$	Physical distance across duct (dimensionless)
	$Q(11,K) = Y / Y_T$	Fractional distance across duct (dimensionless)
	$Q(12,K) = A$	Area between adjacent stream- lines (dimensionless)
	$Q(13,K) = G$	Gap between blade surfaces (dimensionless)
	$Q(14,K) = \partial G / \partial n$	Normal derivative of blade surface (dimensionless)

COMMON BLOCK NAME
(OBJECT)

VARIABLE NAME

DESCRIPTION OF
VARIABLES

$Q(15,K) = \partial G / \partial S$

Streamwise derivative of blade
surface (dimensionless)

$Q(16,K) = \partial \eta / \partial n$

Transform of normal coordinate
(dimensionless)

$Q(17,K) = \partial^2 \eta / \partial n^2$

Second derivative (dimensionless)

$Q(18,K) = n$

Normal coordinate (dimensionless)

$Q(19,K) = \eta$

Transformed normal coordinate
(dimensionless)

$K = 1, KL$

Number of streamlines (dimensionless)

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
CORE 2* (Wall Value of Coordinate Functions)	$R\phi(1,K) = R$	Radius (dimensionless)
	$R\phi(2,K) = dR/dZ$	Derivative of radius (dimensionless)
	$R\phi(3,K) = d^2R/dZ^2$	Second derivative of radius (dimensionless)
	$R\phi(4,K) = Z$	Axial distance (dimensionless)
	$R\phi(5,K) = V$	Metric scale coefficient (dimensionless)
	$R\phi(6,K) = dY/dS$	Derivative of metric scale coefficient (dimensionless)
	$R\phi(7,K) = Y_T$	Distance across duct (dimensionless)
	$R\phi(8,K) = S$	Streamwise coordinate (dimensionless)
	$R\phi(9,K) = \dot{m}$	Mass flow bleed (dimensionless)
	$R\phi(10,K) = \Theta_W$	Wall temperature (dimensionless)
	$R\phi S(I) = R\phi(I,K)$	Dummy Storage Vector

* Note: Actually three arrays defined where ϕ takes on the value H, M, T

$\phi = H$, Hub wall

$= M$, Mean line

$= T$, Tip wall

DERIV (Force Functions)	$DF(1,K) = \left[H_s / XV \right]_{K-1/2}^J$	Streamwise blade force/volume (dimensionless)
	$DF(2,K) = \left[H_\phi / XV \right]_{K-1/2}^J$	Tangential blade force/volume (dimensionless)
	$DF(3,K) = \left[\phi_B / XV \right]_{K-1/2}^J$	Total pressure loss/volume (dimensionless)

<u>COMMON BLOCK NAME (OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF VARIABLES</u>
	$DF(4,K) = \left[X \right]_{K-\frac{1}{2}}^J$	Coordinate distortion (dimensionless)
	$DF(5,K) = \left[\frac{H}{s} / XV \right]_{K-\frac{1}{2}}^{J-1}$	Streamwise blade force/volume (dimensionless)
	$DF(6,K) = \left[\frac{H_\phi}{\phi} / XV \right]_{K-\frac{1}{2}}^{J-1}$	Tangential blade force/volume (dimensionless)
	$DF(7,K) = \left[\frac{\phi_B}{\phi} / XV \right]_{K-\frac{1}{2}}^{J-1}$	Total pressure loss/volume (dimensionless)
	$DF(8,K) = \left[X \right]_{K-\frac{1}{2}}^{J-1}$	Coordinate distortion (dimensionless)
DRED1 (Store Flow Variables)	BLØCK (I)	Grid structure variables
	$I1 = 19 * KL + 35$	
	$I = 1, I1$	
DRED2 (Store Flow Variables)	BLØCK1 (I)	Grid structure variables
	$I1 = 19 * KL + 35$	
	$I = 1, I1$	
DUCØUT (Wall Coordinates)	$R(1,1,J) = R_T(Z_J)$	Radius of hub (dimensionless)
	$R(2,1,J) = R_H(Z_J)$	Radius of tip (dimensionless)
	$R(1,2,J) = \overset{\circ}{m}_T(Z_J)$	Mass flow of tip bleed (dimensionless)
	$R(2,2,J) = \overset{\circ}{m}_H(Z_J)$	Mass flow of hub bleed (dimensionless)
	$R(1,3,J) = \Theta_H(Z_J)$	Wall temperature of tip (dimensionless)
	$R(2,3,J) = \Theta_T(Z_J)$	Wall temperature of hub (dimensionless)
	$R(1,4,J) = Z_J$	Axial location of hub
	$R(2,4,J) = Z_J$	Axial location of tip

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
DUCTIN (Input Functions)	BINI(L) = BINPUT(I,J,K)	, see COMMON/SPIØ/
	I = 1,5	
	J = 1,2	
	K = 1,KLL	
	L = 5*(K-1)+I+(J-1)*5*KLL	
	DUCTI(I) I = 1,15	, Arbitrary duct geometry parameters
	RD1I(L) = R(1,1,L)*RADR	, Tip wall coordinates (ft)
	RD2I(L) = R(1,2,L)*RADR	, Hub wall coordinates (ft)
	ZD1I(L) = R(1,4,L)*RADR	, Tip wall coordinates (ft)
	ZD2I(L) = R(2,4,L)*RADR	, Hub wall coordinates (ft)
	L = 1, JL	
DUCTIX (Input Functions)	AINI (L) = AINDUCT (I,J,K)	, See COMMON/SPIØX/
	L = 1, JL	, Number of Streamwise stations
EBLAD (Blade Row Parameter)	NRØW	, Maximum number of propeller Rows
	LRØW	, Indicates propeller row
	LBLD	, Not used
	NBLADE	, Number of blades in propeller row

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
FCØR (Truncation Error Estimates)	EAP = $E_{U\phi}$	Error in swirl velocity (dimensionless)
	EAS = E_{US}	Error in streamwise velocity (dimensionless)
	EEN = E_I	Error in entropy (dimensionless)
	EPO = E_{P0}	Error in total pressure (dimensionless)
	ESI = E_ψ	Error in stream function (dimensionless)
	ETO = E_{T0}	Error in total temperature (dimensionless)

COMMON BLOCK NAME (OBJECT)		VARIABLE NAME		DESCRIPTION OF VARIABLES
FIVC (Inviscid Flow Variables I/O)	FIV(1,L,K)	=	ψ	Stream function (dimensionless)
	FIV(2,L,K)	=	U_s	Streamwise velocity (dimensionless)
	FIV(3,L,K)	=	U_ϕ	Tangential velocity (dimensionless)
	FIV(4,L,K)	=	Π	Static pressure (dimensionless)
	FIV(5,L,K)	=	I	Entropy (dimensionless)
	FIV(6,L,K)	=	Θ	Static temperature (dimensionless)
	FIV(7,L,K)	=	P	Density (dimensionless)
	FIV(8,L,K)	=	M	Mach number
	FIV(9,L,K)	=		
	FIV(10,L,K)	=		
	L=1	@	J-1 station	
	L=2	@	J station	
	L=3	@	J+1 station	
	K=1,KL		streamlines	
	FIPARM(1)	=	ρ_r	Reference density (slugs/ft ³)
	FIPARM(2)	=	T_r	Reference temperature (deg R)
	FIPARM(3)	=	P_r	Reference pressure (psfa)
	FIPARM(4)	=	g	Gravitational constant (ft/sec ²)
	FIPARM(5)	=	μ_r	Reference viscosity (slugs/ft/sec)
	FIPARM(6)	=	C_p	Specific heat constant pressure (ft ² /sec ² /deg)
	FIPARM(7)	=	C_v	Specific heat constant volume (ft ² /sec ² /deg)
	FIPARM(8)	=	R	Gas constant (ft ² /sec ² /deg)

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
FIPARM(9)	= Pr_T	Prandtl number (turbulent)
FIPARM(10)		
FIPARM(11)	= u_r	Reference velocity (ft/sec)
FIPARM(12)	NØPT7	Number of stations stored in inviscid solver
FIPARM(13)		
FIPARM(14)	IØPT15	First station
FIPARM(15)	IØPT16	Last station

COMMON BLOCK NAME (OBJECT)	VARIABLE NAME	DESCRIPTION OF VARIABLES
FLAGS (Flags)	NØPTØ $\phi = 1, 28$	Flags to regulate calculation flow (see subroutines)
FLØWI (Flow Input Functions)	FG(1,K) = α	Inlet swirl angle (deg)
	FG(2,K) = Π_o	Inlet stagnation pressure (dimensionless)
	FG(3,K) = Θ_o	Inlet stagnation temperature (dimensionless)
	FG(4,K) = M	Inlet Mach number (dimensionless)
	FG(5,K) = P_o	Inlet stagnation density (dimensionless)
	FG(6,K) = U	Inlet magnitude of velocity (dimensionless)
FØRS (Blade Force Variables)	K = 1, KL	Number of streamlines
	FØRC(1,K) = H_s	Streamwise force/area (dimensionless)
	FØRC(2,K) = H_ϕ	Swirl force/area (dimensionless)
	FØRC(3,K) = Ξ_s	Streamwise force/span (dimensionless)
	FØRC(4,K) = Ξ_ϕ	Swirl force/span (dimensionless)
	FØRC(5,K) = Φ_B	Blade dissipation/area (dimensionless)
	FORC(6,K) =	Blade dissipation/span (dimensionless)

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
FORS2 (Blade Force Variables)		
	$FF(1,I,K) = \hat{M}$	Inviscid Mach number (dimensionless)
	$FF(2,I,K) = \hat{\Pi}$	Inviscid static pressure (dimensionless)
	$FF(3,I,K) = \hat{\theta}$	Inviscid static temperature (dimensionless)
	$FF(4,I,K) = \hat{\theta}_o$	Inviscid total temperature (dimensionless)
	$FF(5,I,K) = \hat{\Pi}_o$	Inviscid total pressure (dimensionless)
	$FF(6,I,K) = \hat{p}$	Inviscid density (dimensionless)
	$FF(7,I,K) = \hat{U}_S$	Inviscid streamwise velocity (dimensionless)
	$FF(8,I,K) = \hat{U}_\phi$	Absolute swirl velocity (dimensionless)
	$FF(9,I,K) = \hat{W}_\phi$	Relative swirl velocity (dimensionless)
	$FF(10,I,K) = \hat{U}_B$	Blade velocity (dimensionless)
	$FF(11,I,K) = \hat{\alpha}$	Absolute angle to axis (deg)
	$FF(12,I,K) = \hat{\beta}$	Relative angle to axis (deg)
	$FF(13,I,K) = \hat{I}$	Inviscid flow entropy (dimensionless)
	$FF(14,I,K) = \hat{U}$	Magnitude of relative inviscid flow velocity (dimensionless)

(Continued)

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
FORS2 (Blade Force Variables)		
	$FF(15,I,K) = \hat{Z}_B$	Loss coefficient (dimensionless)
	$FF(15,2,K) = \Delta \hat{I}_B$	Blade entropy rise (dimensionless)
	$FF(16,I,K) = \hat{\psi}$	Stream function (dimensionless)
	$FF(17,1,K) = C_L$	Lift coefficient (dimensionless)
	$FF(17,2,K) = C_D$	Drag coefficient (dimensionless)
	$I = 1$	Upstream of blade row
	$I = 2$	Downstream of blade row
	$K = 1, KL$	Number of streamlines

<u>COMMON BLOCK NAME</u> (<u>OBJECT</u>)	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
FUNC (Dependent Flow Variables)	K = 1, KL	Number of streamlines (dimensionless)
	F(1,I,K) = ψ	Stream function (dimensionless)
	F(2,I,K) = U_S	Streamwise velocity (dimensionless)
	F(3,I,K) = U_ϕ	Swirl velocity (dimensionless)
	F(4,I,K) = Π	Static pressure (dimensionless)
	F(5,I,K) = I	Entropy (dimensionless)
	F(6,I,K) = θ	Static temperature (dimensionless)
	F(7,I,K) = P	Density (dimensionless)
	F(8,I,K) = Σ_{ns}	Streamwise stress (dimensionless)
	F(9,I,K) = $\Sigma_{n\phi}$	Swirl stress (dimensionless)
INTINP (Integer Input Variables)	F(10,I,K) = Q	Heat flux (dimensionless)
	I = 1	Inlet conditions
	I = 2	S=S
	I = 3	S=S+dS
	K = 1, KL	Number of streamlines
	IØPTØ = 1, 17	Input/Output options
	IDBGØ = 1, 23	Debug printout options
	ISHAPE	Blade shape option
	JL	Number of streamwise stations
	KDS	Number of steps per streamwise station
	KL	Number of streamlines

<u>COMMON BLOCK NAME</u> <u>(OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF</u> <u>VARIABLES</u>
	KLL	Number of input data streamlines
	NB	Number of blades

INTPAR (Parameter
Variables)

These variables are treated as PARAMETER statements in UNIVAC programs and as integer variables in IBM or CDC programs.

Parameters for Solution Arrays

```

PARAMETER IST = 100
PARAMETER IS  = 100
PARAMETER NEQ = 10
PARAMETER NBCH = 5
PARAMETER NBCT = 5
PARAMETER NBH1 = NBCH+1 = 6
PARAMETER NEQD = 2*NEQ = 20

```

Parameters for Slots

```

PARAMETER ISLOT = 15
PARAMETER ISLOT2 = 2*ISLOT = 30
PARAMETER IS1 = 6*ISLOT+2 = 92
PARAMETER IS2 = 2*IS+IS1 = 292

```

Parameters for Coordinate Arrays

```

PARAMETER ISM = 19*IST = 1900
PARAMETER ISL = ISM+35 = 1935
PARAMETER IS3 = ISM+2 = 1902
PARAMETER IS4 = IS3+10 = 1912
PARAMETER IS5 = IS4+10 = 1922
PARAMETER IS6 = IS5+10 = 1932

```

Parameters for Matrix Inversion

```

PARAMETER KKLP = 30
PARAMETER LNGT0 = NEQ*NEG*KKLP+NEQ*KKLP = 3300
PARAMETER LNGT1 = NEQ*NEQ*KKLP+1 = 3001
PARAMETER LNGT2 = 2*LNGT0 = 6600
PARAMETER LNGT3 = 3*IST*NEQ = 3000

```

COMMON BLOCK NAME
(OBJECT)

VARIABLE NAME

DESCRIPTION OF
VARIABLES

Parameters for Force Variables

PARAMETER IFFS = 34*IST = 3400

Parameters for Smooth

PARAMETER ISSD = 20

PARAMETER ISSD1 = ISSD+1 = 21

PARAMETER ISSD2 = ISSD1+ISSD = 41

PARAMETER ISSD3 = ISSD2+ISSD = 61

REALIN (Real

Input Variables)

ACI	= χ	Clauser constant
AKI	= κ	von Karman constant
ALP1	= α_1	Inlet swirl angle hub (deg to z axis)
AMS1	= M_1	Inlet Mach number (dimensionless)
ANH	= n_H	Power law of hub boundary layer
ANT	= n_T	Power law of tip boundary layer
API	= A^+	van Driest constant
CPRI	= C_{P_r}	Specific heat constant pressure (ft ² /sec ² /deg R)
CVRI	= C_{V_r}	Specific heat constant volume (ft ² /sec ² /deg R)
DDS	=	Mesh distortion parameter
DSHI	= δ_H^*	Displacement thickness hub (ft)
DSTI	= δ_T^*	Displacement thickness tip (ft)
PRES0	= P_{01}	Inlet stagnation pressure
PRLI	= P_{RL}	Prandtl number laminar
PRTI	= P_{RT}	Prandtl number turbulent

<u>COMMON BLOCK NAME (OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF VARIABLES</u>
REALIX (Real Input Variables)	TEMPO = T_{01}	Inlet stagnation temperature (deg R)
	VISCRI = μ_r	Molecular viscosity reference (lb/sec ft ³)
	ALPHSI = α_{CH}	Blade stagger angle hub (deg to z axis)
	ALPSMI = α_{CM}	Blade stagger angle mid (deg to z axis)
	ALPSTI = α_{CT}	Blade stagger angle tip (deg to z axis)
	CØRDHI = B_H	Blade chord hub (ft)
	CØRDMI = B_μ	Blade chord midpoint (ft)
	CØRDTI = B_T	Blade chord tip (ft)
	PHICHI = ϕ_{CH}	Blade camber hub (deg)
	PHICMI = ϕ_{CM}	Blade camber midpoint (deg)
	PHICTI = ϕ_{CT}	Blade camber tip (deg)
	RCLHI = r_{CLH}	Hub radius of blade centerline (ft)
	RCLMI = r_{CLM}	Midpoint radius of blade center- line (ft)
	RCLTI = r_{CLT}	Tip radius of blade centerline (ft)
	THIKHI = t_H/B_H	Blade thickness to chord ratio hub (dimensionless)

<u>COMMON BLOCK NAME (OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF VARIABLES</u>
	THIKMI = t_M/B_M	Blade thickness to chord ratio midpoint (dimensionless)
	THIKTI = t_T/B_T	Blade thickness to chord ratio tip (dimensionless)
	ZCLHI = Z_{CLH}	Blade Axial location of centerline (Hub)
	ZCLMI = Z_{CLM}	Blade axial location of centerline (Midpoint)
	ZCLTI = Z_{CLT}	Blade axial location of centerline (Tip)
	ZCLI = Z_{CL}	Blade centerline location (ft)
SPCFD (Variables in Poisson Equation)	F(K,J) = $1/(P V)_K^J$	Coefficients of Poisson equation
	P(K,J) = ψ_K^J	Stream function
SPCGD (Variables for Streamline Curvature)	F(K) = $1/(P V)_K$	Coefficient of Poisson equation
	G(K) = $V/(G)_K$	Coefficient for velocity
	P(K) = ρ_K	Density ratio (ρ/ρ_r)
	T(K) = T_K	Temperature ratio (T/T_r)
	V(K) = V_K	Metric coefficient
SPIØ (Flow Variables)	AVE(1,J) = \bar{Z}	Average axial location (dimensionless)
	AVE(2,J) = AR	Area ratio (dimensionless)
	AVE(3,J) = ψ	Mass flow (dimensionless)
	AVE(4,J) = \bar{U}_S	Average streamwise velocity (dimensionless)
	AVE(5,J) = \bar{U}_\emptyset	Average swirl velocity (dimensionless)

COMMON BLOCK NAME
(OBJECT)

VARIABLE NAME

DESCRIPTION OF
VARIABLES

AVE(6,J) = Π	Average entropy (dimensionless)
AVE(7,J) = \bar{I}	Average entropy (dimensionless)
AVE(8,J) = $\bar{\theta}$	Average static temperature (dimensionless)
AVE(9,J) = $\bar{\rho}$	Average density (dimensionless)
AVE(10,J) = \bar{M}	Average Mach number (dimensionless)
AVE(11,J) = $\bar{\Pi}_0$	Average total pressure (dimensionless)
AVE(12,J) = $\bar{\theta}_0$	Average total temperature (dimensionless)
AVE(13,J) = \bar{C}_p	Average pressure coefficient (dimensionless)
AVE(14,J) = \bar{C}_{p_1}	Average total pressure loss (dimensionless)
AVE(15,J) = Z	Diffuser effectiveness (dimensionless)
AVE(16,J) = B	Blockage (dimensionless)
AVE(17,J) = \bar{M} J = 1, J L	Area average Mach number (dimensionless)
BINPUT(1,J,K) = Y	Spanwise location (dimensionless)
BINPUT(2,J,K) = Π_0	Total pressure (lb/ft ² abs)
BINPUT(3,J,K) = Π	Static pressure (lb/ft ² abs)
BINPUT(4,J,K) = α	Swirl angle (deg to axis)

<u>COMMON BLOCK NAME (OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF VARIABLES</u>
	BINPUT(5,J,K) = Θ_o	Total temperature (deg R)
	J = 1	Inlet flow
	J = 2	Exit flow
	K = 1, KLL	Number of spanwise stations
SPIØX (Flow Variables)	AINPUT(1,J,K) = γ	Spanwise location (dimensionless)
	AINPUT(2,J,K) = Π_o	Total pressure (lb/ft ² abs)
	AINPUT(3,J,K) = Π	Static pressure (lb/ft ² abs)
	AINPUT(4,J,K) = α	Swirl angle (deg to axis)
	AINPUT(5,J,K) = Θ_o	Total temperature (deg R)
	J = 1	Upstream of blade row (dimensionless)
	J = 2	Downstream of blade row (dimensionless)
	K = 1, KLL	Number of spanwise stations
STRMES (Poisson Stretching Parameter)	BPØIS = B	Stretching parameter
	BPØISI = B_I	Input stretching parameter

COMMON BLOCK NAME (OBJECT)	VARIABLE NAME		DESCRIPTION OF VARIABLES
STRES (Functions of Orthogonal Coordinates)	G(1,K)	$= \left[\frac{G}{V} \right]_{K-\frac{1}{2}}^J$	
	G(2,K)	$= \left[XY \right]_{K-\frac{1}{2}}^J$	
	G(3,K)	$= \left[G(XV) \right]_{K-\frac{1}{2}}^J$	
	G(4,K)	$= \left[\frac{1}{XV} \frac{\partial V}{\partial n} \right]_{K-\frac{1}{2}}^J$	
	G(5,K)	$= \left[\frac{1}{XR} \frac{\partial R}{\partial n} \right]_{K-\frac{1}{2}}^J$	
	G(6,K)	$= \left[\frac{1}{XR} \frac{\partial R}{\partial S} \right]_{K-\frac{1}{2}}^J$	
	G(7,K)	$= \left[\frac{V}{XG} \frac{\partial}{\partial n} \left(\frac{G}{V} \right) \right]_{K-\frac{1}{2}}^J$	
	G(8,K)	$= \left[\frac{V}{XG} \frac{\partial}{\partial n} \left(\frac{G}{V} \right) - \frac{1}{XY} \frac{\partial V}{\partial n} \right]_{K-\frac{1}{2}}^J$	
	G(9,K)	$= \left[\frac{V}{XG} \frac{\partial}{\partial n} \left(\frac{G}{V} \right) - \frac{1}{XR} \frac{\partial R}{\partial n} \right]_{K-\frac{1}{2}}^J$	
SVARB (Parameters and Variables)	G(9+I,K)	$= G(I,K) @ J-1, I=1,9$	
	K = 1, KL		
	ALPHS	= α	Stagger angle to axis (deg)
	ALPLUM	=	Not used in this version
	AMACHR	= M_r	Reference Mach number (dimensionless)
	AMACH1	= \bar{M}_1	Average inlet Mach number (dimensionless)
	AMPLUM	=	Not used in this version
	AMPLUS	= M^+	Mass flow bleed parameter (dimensionless)
	APRES1	= \bar{P}_1	Average inlet static pressure (dimensionless)
	AREA1	= A_1	Inlet area (ft ²)
	AREAR	= A_r	Reference area (ft ²)

COMMON BLOCK NAME
(OBJECT)

VARIABLE NAME

DESCRIPTION OF
VARIABLES

ATEMP1	= \bar{T}_1	Average inlet static pressure (dimensionless)
CHØRD	= B	Local strut chord (dimensionless)
DETA	= $\Delta\eta$	Step size in normal coordinate (dimensionless)
DMPULS	= Δm^+	Step size in asymptotic constant table (m^+) (dimensionless)
DPLUSM	= Δp^+	Step size in asymptotic constant table (p^+) (dimensionless)
DS	= ΔS	Streamwise step size between stations (dimensionless)
DSH	= Δ_H^*	Displacement thickness hub (dimensionless)
DSS	= dS	Streamwise step size (dimensionless)
DST	= Δ_T^*	Displacement thickness tip (dimensionless)
DZ	= ΔZ	Axial step size (dimensionless)
DYNP1	= Q_1	Average inlet dynamic pressure (dimensionless)
GAP	= G	Gap between blades (dimensionless)
GMR1	= $(\gamma^{-1})M_r^2$	
GMR2	= γM_r^2	
JLAST	=	Number of streamwise stations
JLPTS	=	Number of input wall points
JSEP	=	Number of stations to last calculated point
KMH	=	Hub matching point

COMMON BLOCK NAME
(OBJECT)

VARIABLE NAME

DESCRIPTION OF
VARIABLES

KMT	=	Tip matching point
KMO	=	Not used in this version
KSEP	=	Not used in this version
LM	=	Size of table of constants for inner layer (dimensionless)
LMM	=	Midpoint of table of constants for inner layer (dimensionless)
PHIC	= ϕ_c	Blade camber (deg)
PLUSM	=	Not used in this version
PPLUS	= P^+	Pressure gradient parameter (dimensionless)
RADR	= r_r	Reference radius of blade centerline (dimensionless)
REY	= N_R	Reynolds number $P_r R_r U_r / U_r$
RHØR	= P_r	Reference density (slugs/ft ³)
SL	= S_L	Length of duct in streamline coordinates (dimensionless)
SØLD	= σ	Solidity (dimensionless)
THICK	= t	Local blade thickness (dimensionless)
USTARH	= U_H^*	Friction velocity hub (dimensionless)
USTART	= U_T^*	Friction velocity tip (dimensionless)
USR	= U_r	Reference radius (dimensionless)
WFLØ	=	Weight flow (lb/sec)
YPLUSM	=	Matching point for table asymptotic constants (dimensionless)

COMMON BLOCK NAME
(OBJECT)

VARIABLE NAME

DESCRIPTION OF
VARIABLES

SVARBX (Blade
Variables)

ZLE	=	Axial location of blade trailing edge (dimensionless)
ZTE	=	Axial location of blade leading edge (dimensionless)
Zl	=	Duct axial length (dimensionless)
ALPSH	= α_H	Hub stagger angle to axis (deg)
ALPSM	= α_M	Midpoint stagger angle to axis (deg)
ALPST	= α_T	Tip stagger angle to axis (deg)
CHØRDH	= B_H	Blade chord hub (dimensionless)
CHØRDM	= B_M	Blade chord midpoint (dimensionless)
CHØRDT	= B_T	Blade chord tip (dimensionless)
PHICH	= ϕ_{CH}	Blade camber - hub (deg)
PHICM	= ϕ_{CM}	Blade camber - midpoint (deg)
PHICT	= ϕ_{CT}	Blade camber - tip (deg)
RCLM	= R_{CLM}	Midpoint radius of blade center (dimensionless)
RCLT	= R_{CLT}	Tip radius of blade centerline (dimensionless)
RCLH	= R_{CLH}	Midpoint radius of blade center (dimensionless)
THICKH	= t_H	Blade thickness hub (dimensionless)
THICKM	= t_M	Blade thickness midpoint (dimensionless)
THICKT	= t_T	Blade thickness tip (dimensionless)

<u>COMMON BLOCK NAME (OBJECT)</u>	<u>VARIABLE NAME</u>	<u>DESCRIPTION OF VARIABLES</u>
	ZCLH = Z_{CLH}	Hub axial location of blade center line
	ZCLM = Z_{CLM}	Midpoint axial location of blade centerline
	ZCLT = Z_{CLT}	Tip axial location of blade centerline
	ZCL = Z_{CL}	Axial distance to blade centerline (dimensionless)
TITLIN (Input Title)	TITLE(12)	Any alphanumeric characters
TURBS (Turbulent Viscosity and Conductivity)	DHF(1,K) = $\frac{\partial}{\partial z} \left(\frac{\mu_E}{\mu_J} \right)^{J-1}_{K-\frac{1}{2}}$	Derivative of viscosity
	DHF(2,K) = $(\mu_T/\mu_r)^{J-1}_{K-\frac{1}{2}}$	Turbulent viscosity (dimensionless)
	DPF(1,K) =	
	DPF(2,K) = $\left(\frac{1}{P_{RE}} \frac{\mu_r}{\mu_r} \right)^{J-1}_{K-\frac{1}{2}}$	Turbulent conductivity (dimensionless)
	K = 1, KL	

List of Flags NØPTØ

<u>Flag Name</u>	<u>Purpose</u>
NØPT1=0	Setup initial flow
NØPT1=1	Calculate flow at station J
NØPT2=1	Adiabatic wall
NØPT2=2	Wall heat transfer
NØPT3=1	Compute and store coordinate functions
NØPT3=2	Compute local coordinate functions
NØPT4=0	Duct with centerbody
NØPT4=1	Duct with no centerbody
*NØPT5=0	Continue calculating
NØPTS>0	Stop calculating
NØPT6	Not used
NØPT7=1	Flow separated from tip wall
NØPT7=2	Flow separated from hub wall
NØPT8=0	Read inviscid flow variables
NØPT8=1	Read viscous flow variables
NØPT9=0	Full complex function calculation
NØPT9=1	Shorten complex function calculation
NØPT10=	Counts number of cases calculated
NØPT11=0	Computer graphics I/O
NØTP11=1	Batch I/O

*NØPT5 is given a value to locate error in program
In addition, a diagnostic message is printed.

NØPT13	FCPLX flag
NØPT14=0	UNIVAC
NØPT14=1	IBM
NØTP15=0	Integrate along S to obtain streamline
NØPT15=1	Integrate along n to obtain streamline
NØPT16	Station counter
NØPT17=0	No blade force calculation
NØPT17=1	Compute blade force
NØPT18=0	Turbulent flow
NØPT18=1	Laminar flow
NØPT19=INFL1	NFLO iteration in subroutine FLØWIN
NØPT20=0	Optimize KDS
NØPT20=1	Fix KDS
NØPT21=0	Greater than critical Reynolds number
NØPT21=1	Less than critical Reynolds number
NØPT22=0	Stator
NØPT22=1	Rotor
NØPT22=2	Propeller

APPENDIX A

Sample Input Setups

The input data to three sample cases is shown in this section to demonstrate how the input data must be structured in order for the PANPER analysis program to operate correctly. To illustrate the setup of the data input for certain modes of operation of the PANPER program, three different setups are shown. The three setups are:

- (1) Isolated Propeller Configuration
- (2) Combined Propeller-Nacelle Configuration
- (3) Combined Coaxial Propeller-Nacelle Configuration

The job control language (JCL) and the sample data input for each of these configurations are shown in Tables (II), (III), and (IV), respectively. The JCL commands are for a UNIVAC 1110 operating system. An isolated nacelle configuration is essentially the same as the second configuration (Table III) with the appropriate changes in the mode control input and the removal of the propeller input data.

ORIGINAL PAGE IS
OF POOR QUALITY

TABLE II

JCL AND INPUT DATA SETUP FOR ISOLATED
PROPELLER CONFIGURATION

ASG.T 1	1	2392..2857..3673..4490..5306..6122..6939..7755
ASG.T 2	2	.8571..9388..9796..1.0
ASG.T 3	3	.2861..2307..2980..3004..2977..2926..2891..2829
ASG.T 4	4	.2697..2357..1895..1017
ASG.T 5	5	10VC
ASG.T 6	6	12
ASG.T 7	7	2392..2857..3673..4490..5306..6122..6939..7755
ASG.T 8	8	.8571..9388..9796..1.0
ASG.T 9	9	.212..111..07..052..04..033..028..025
ASG.T 10	10	.022..021..0205..02
ASG.T 11	11	VOVD
ASG.T 12	12	4
ASG.T 13	13	4
ASG.T 14	14	4
ASG.T 15	15	4
ASG.T 16	16	4
ASG.T 17	17	4
ASG.T 18	18	4
ASG.T 19	19	4
ASG.T 20	20	4
ASG.T 21	21	4
ASG.T 22	22	4
ASG.T 23	23	4
ASG.T 24	24	4
ASG.T 25	25	4
ASG.T 26	26	4
ASG.T 27	27	4
ASG.T 28	28	4
ASG.T 29	29	4
ASG.T 30	30	4
ASG.T 31	31	4
ASG.T 32	32	4
ASG.T 33	33	4
ASG.T 34	34	4
ASG.T 35	35	4
ASG.T 36	36	4
ASG.T 37	37	4
ASG.T 38	38	4
ASG.T 39	39	4
ASG.T 40	40	4
ASG.T 41	41	4
ASG.T 42	42	4
ASG.T 43	43	4
ASG.T 44	44	4
ASG.T 45	45	4
ASG.T 46	46	4
ASG.T 47	47	4
ASG.T 48	48	4
ASG.T 49	49	4
ASG.T 50	50	4
ASG.T 51	51	4
ASG.T 52	52	4
ASG.T 53	53	4
ASG.T 54	54	4
ASG.T 55	55	4
ASG.T 56	56	4
ASG.T 57	57	4
ASG.T 58	58	4
ASG.T 59	59	4
ASG.T 60	60	4
ASG.T 61	61	4
ASG.T 62	62	4
ASG.T 63	63	4
ASG.T 64	64	4
ASG.T 65	65	4
ASG.T 66	66	4
ASG.T 67	67	4
ASG.T 68	68	4
ASG.T 69	69	4
ASG.T 70	70	4
ASG.T 71	71	4
ASG.T 72	72	4
ASG.T 73	73	4
ASG.T 74	74	4
ASG.T 75	75	4
ASG.T 76	76	4
ASG.T 77	77	4
ASG.T 78	78	4
ASG.T 79	79	4
ASG.T 80	80	4
ASG.T 81	81	4
ASG.T 82	82	4
ASG.T 83	83	4
ASG.T 84	84	4
ASG.T 85	85	4
ASG.T 86	86	4
ASG.T 87	87	4
ASG.T 88	88	4
ASG.T 89	89	4
ASG.T 90	90	4
ASG.T 91	91	4
ASG.T 92	92	4
ASG.T 93	93	4
ASG.T 94	94	4
ASG.T 95	95	4
ASG.T 96	96	4
ASG.T 97	97	4
ASG.T 98	98	4
ASG.T 99	99	4
ASG.T 100	100	4
ASG.T 101	101	4
ASG.T 102	102	4
ASG.T 103	103	4
ASG.T 104	104	4
ASG.T 105	105	4
ASG.T 106	106	4
ASG.T 107	107	4
ASG.T 108	108	4
ASG.T 109	109	4
ASG.T 110	110	4
ASG.T 111	111	4
ASG.T 112	112	4
ASG.T 113	113	4
ASG.T 114	114	4
ASG.T 115	115	4
ASG.T 116	116	4
ASG.T 117	117	4
ASG.T 118	118	4
ASG.T 119	119	4
ASG.T 120	120	4
ASG.T 121	121	4
ASG.T 122	122	4
ASG.T 123	123	4
ASG.T 124	124	4
ASG.T 125	125	4
ASG.T 126	126	4
ASG.T 127	127	4
ASG.T 128	128	4
ASG.T 129	129	4
ASG.T 130	130	4
ASG.T 131	131	4
ASG.T 132	132	4
ASG.T 133	133	4
ASG.T 134	134	4
ASG.T 135	135	4
ASG.T 136	136	4
ASG.T 137	137	4
ASG.T 138	138	4
ASG.T 139	139	4
ASG.T 140	140	4
ASG.T 141	141	4
ASG.T 142	142	4
ASG.T 143	143	4
ASG.T 144	144	4
ASG.T 145	145	4
ASG.T 146	146	4
ASG.T 147	147	4
ASG.T 148	148	4
ASG.T 149	149	4
ASG.T 150	150	4
ASG.T 151	151	4
ASG.T 152	152	4
ASG.T 153	153	4
ASG.T 154	154	4
ASG.T 155	155	4
ASG.T 156	156	4
ASG.T 157	157	4
ASG.T 158	158	4
ASG.T 159	159	4
ASG.T 160	160	4
ASG.T 161	161	4
ASG.T 162	162	4
ASG.T 163	163	4
ASG.T 164	164	4
ASG.T 165	165	4
ASG.T 166	166	4
ASG.T 167	167	4
ASG.T 168	168	4
ASG.T 169	169	4
ASG.T 170	170	4
ASG.T 171	171	4
ASG.T 172	172	4
ASG.T 173	173	4
ASG.T 174	174	4
ASG.T 175	175	4
ASG.T 176	176	4
ASG.T 177	177	4
ASG.T 178	178	4
ASG.T 179	179	4
ASG.T 180	180	4
ASG.T 181	181	4
ASG.T 182	182	4
ASG.T 183	183	4
ASG.T 184	184	4
ASG.T 185	185	4
ASG.T 186	186	4
ASG.T 187	187	4
ASG.T 188	188	4
ASG.T 189	189	4
ASG.T 190	190	4
ASG.T 191	191	4
ASG.T 192	192	4
ASG.T 193	193	4
ASG.T 194	194	4
ASG.T 195	195	4
ASG.T 196	196	4
ASG.T 197	197	4
ASG.T 198	198	4
ASG.T 199	199	4
ASG.T 200	200	4
ASG.T 201	201	4
ASG.T 202	202	4
ASG.T 203	203	4
ASG.T 204	204	4
ASG.T 205	205	4
ASG.T 206	206	4
ASG.T 207	207	4
ASG.T 208	208	4
ASG.T 209	209	4
ASG.T 210	210	4
ASG.T 211	211	4
ASG.T 212	212	4
ASG.T 213	213	4
ASG.T 214	214	4
ASG.T 215	215	4
ASG.T 216	216	4
ASG.T 217	217	4
ASG.T 218	218	4
ASG.T 219	219	4
ASG.T 220	220	4
ASG.T 221	221	4
ASG.T 222	222	4
ASG.T 223	223	4
ASG.T 224	224	4
ASG.T 225	225	4
ASG.T 226	226	4
ASG.T 227	227	4
ASG.T 228	228	4
ASG.T 229	229	4
ASG.T 230	230	4
ASG.T 231	231	4
ASG.T 232	232	4
ASG.T 233	233	4
ASG.T 234	234	4
ASG.T 235	235	4
ASG.T 236	236	4
ASG.T 237	237	4
ASG.T 238	238	4
ASG.T 239	239	4
ASG.T 240	240	4
ASG.T 241	241	4
ASG.T 242	242	4
ASG.T 243	243	4
ASG.T 244	244	4
ASG.T 245	245	4
ASG.T 246	246	4
ASG.T 247	247	4
ASG.T 248	248	4
ASG.T 249	249	4
ASG.T 250	250	4
ASG.T 251	251	4
ASG.T 252	252	4
ASG.T 253	253	4
ASG.T 254	254	4
ASG.T 255	255	4
ASG.T 256	256	4
ASG.T 257	257	4
ASG.T 258	258	4
ASG.T 259	259	4
ASG.T 260	260	4
ASG.T 261	261	4
ASG.T 262	262	4
ASG.T 263	263	4
ASG.T 264	264	4
ASG.T 265	265	4
ASG.T 266	266	4
ASG.T 267	267	4
ASG.T 268	268	4
ASG.T 269	269	4
ASG.T 270	270	4
ASG.T 271	271	4
ASG.T 272	272	4
ASG.T 273	273	4
ASG.T 274	274	4
ASG.T 275	275	4
ASG.T 276	276	4
ASG.T 277	277	4
ASG.T 278	278	4
ASG.T 279	279	4
ASG.T 280	280	4
ASG.T 281	281	4
ASG.T 282	282	4
ASG.T 283	283	4
ASG.T 284	284	4
ASG.T 285	285	4
ASG.T 286	286	4
ASG.T 287	287	4
ASG.T 288	288	4
ASG.T 289	289	4
ASG.T 290	290	4
ASG.T 291	291	4
ASG.T 292	292	4
ASG.T 293	293	4
ASG.T 294	294	4
ASG.T 295	295	4
ASG.T 296	296	4
ASG.T 297	297	4
ASG.T 298	298	4
ASG.T 299	299	4
ASG.T 300	300	4
ASG.T 301	301	4
ASG.T 302	302	4
ASG.T 303	303	4
ASG.T 304	304	4
ASG.T 305	305	4
ASG.T 306	306	4
ASG.T 307	307	4
ASG.T 308	308	4
ASG.T 309	309	4
ASG.T 310	310	4
ASG.T 311	311	4
ASG.T 312	312	4
ASG.T 313	313	4
ASG.T 314	314	4
ASG.T 315	315	4
ASG.T 316	316	4
ASG.T 317	317	4
ASG.T 318	318	4
ASG.T 319	319	4
ASG.T 320	320	4
ASG.T 321	321	4
ASG.T 322	322	4
ASG.T 323	323	4
ASG.T 324	324	4
ASG.T 325	325	4
ASG.T 326	326	4
ASG.T 327	327	4
ASG.T 328	328	4
ASG.T 329	329	4
ASG.T 330	330	4
ASG.T 331	331	4
ASG.T 332	332	4
ASG.T 333	333	4
ASG.T 334	334	4
ASG.T 335	335	4
ASG.T 336	336	4
ASG.T 337	337	4
ASG.T 338	338	4
ASG.T 339	339	4
ASG.T 3		

UCL AND INPUT DATA FOR COAXIAL
PROPELLER-NACELLE CONFIGURATION

8. F.720C/TRK/250
9. ACOMP.
10. D.650000/TRK
11. D.650000/TRK
12. D.650000/TRK
13. D.650000/TRK
14. D.650000/TRK
15. D.650000/TRK
16. D.650000/TRK

QASG. Y 1
QASG. Y 2
QASG. Y 3
QASG. Y 4
QASG. Y 30
QUSE 20,8COMP.
QPACK PANPER
QXUY,RZ PANPER,PROPF2

```

1 0
INPUT
STN
COMPRS 1.0
WANNAC 1.
WAKEOP 1.
DEBUG 1.0
CONNECT 1.0

```

ROCASI	1.0	367
ROCAS2	1.0	367
EVAAED	1.0	005
WORCOR	1.0	005
SKINOP	1.0	49
STACK	1.0	49
CASCAD	1.0	2
WKIAS	461	2
OPM	740	2

RAO1	1.020833
RAO2	1.020833
PROPNM	2.0
BLADEN	4.0
VIMOM2	-25.0
VIMOM1	-17.0
DENSITY	.000736
SOUND	973.0
TEMP	1490.0

THEYTA1	59.0
THEYTA2	56.0
UPSI	11.25
REV	1.0
ZHUB	.2
END	
BLADE	
12	

XSB 2392..2857..3673..4490.
 ZSB 026..0308..0336..0301..
 YSB 0675..0899..123..1432..
 XMC 1.

2MC
02045
VMC
12999
END
WARDAT
AIRN
12

THE
2
22392..2857..3673..4490..
08571..9388..9796..1.C
070..17..764..14..040..1.
223..1.23..1.23..1.23..1.
223..1.23..1.23..1.23..1.

11:08:51.708413:0011:08

UCL
15
1392.2957.3671.4490.5306.6122.6935.7755
-571.9380.77961.0
-167.2253.060075.170.188.160.115
-084.025.010.008
300
1392.2957.3671.4490.5306.6122.6935.7755

0571.9358..9796.1.0
 0863.2933..9901.0
 0922.2251..9904.
 0997.2337..1895..1017
 100C
 12
 3392.2857..3673.4480.5306..6122..6939.7755
 0571.9358..9796.1.0
 1121.1137..7045.04.033..028..025

0.022..021..0205..02
UNES
1
392..2977..3673..4400..5306..6122..6939..7755
5711..9738..7661.0
6867..7763..5647..9715..9769..981C..9823
5742..981..9811.0
SUM

1	192	2457	1673	4900	5306	6122	6919	7755
2	192	2457	1673	4900	5306	6122	6919	7755
3	192	2457	1673	4900	5306	6122	6919	7755
4	192	2457	1673	4900	5306	6122	6919	7755
5	192	2457	1673	4900	5306	6122	6919	7755
6	192	2457	1673	4900	5306	6122	6919	7755
7	192	2457	1673	4900	5306	6122	6919	7755
8	192	2457	1673	4900	5306	6122	6919	7755
9	192	2457	1673	4900	5306	6122	6919	7755
10	192	2457	1673	4900	5306	6122	6919	7755
11	192	2457	1673	4900	5306	6122	6919	7755
12	192	2457	1673	4900	5306	6122	6919	7755
13	192	2457	1673	4900	5306	6122	6919	7755
14	192	2457	1673	4900	5306	6122	6919	7755
15	192	2457	1673	4900	5306	6122	6919	7755
16	192	2457	1673	4900	5306	6122	6919	7755
17	192	2457	1673	4900	5306	6122	6919	7755
18	192	2457	1673	4900	5306	6122	6919	7755
19	192	2457	1673	4900	5306	6122	6919	7755
20	192	2457	1673	4900	5306	6122	6919	7755
21	192	2457	1673	4900	5306	6122	6919	7755
22	192	2457	1673	4900	5306	6122	6919	7755
23	192	2457	1673	4900	5306	6122	6919	7755
24	192	2457	1673	4900	5306	6122	6919	7755
25	192	2457	1673	4900	5306	6122	6919	7755
26	192	2457	1673	4900	5306	6122	6919	7755
27	192	2457	1673	4900	5306	6122	6919	7755
28	192	2457	1673	4900	5306	6122	6919	7755
29	192	2457	1673	4900	5306	6122	6919	7755
30	192	2457	1673	4900	5306	6122	6919	7755
31	192	2457	1673	4900	5306	6122	6919	7755
32	192	2457	1673	4900	5306	6122	6919	7755
33	192	2457	1673	4900	5306	6122	6919	7755
34	192	2457	1673	4900	5306	6122	6919	7755
35	192	2457	1673	4900	5306	6122	6919	7755
36	192	2457	1673	4900	5306	6122	6919	7755
37	192	2457	1673	4900	5306	6122	6919	7755
38	192	2457	1673	4900	5306	6122	6919	7755
39	192	2457	1673	4900	5306	6122	6919	7755
40	192	2457	1673	4900	5306	6122	6919	7755
41	192	2457	1673	4900	5306	6122	6919	7755
42	192	2457	1673	4900	5306	6122	6919	7755
43	192	2457	1673	4900	5306	6122	6919	7755
44	192	2457	1673	4900	5306</			

12
13
14
15
16
17
18
19
20
21
22
23
24
25
26
27
28
29
30
31
32
33
34
35
36
37
38
39
40
41
42
43
44
45
46
47
48
49
50
51
52
53
54
55
56
57
58
59
60
61
62
63
64
65
66
67
68
69
70
71
72
73
74
75
76
77
78
79
80
81
82
83
84
85
86
87
88
89
90
91
92
93
94
95
96
97
98
99
100
101
102
103
104
105
106
107
108
109
110
111
112
113
114
115
116
117
118
119
120
121
122
123
124
125
126
127
128
129
130
131
132
133
134
135
136
137
138
139
140
141
142
143
144
145
146
147
148
149
150
151
152
153
154
155
156
157
158
159
160
161
162
163
164
165
166
167
168
169
170
171
172
173
174
175
176
177
178
179
180
181
182
183
184
185
186
187
188
189
190
191
192
193
194
195
196
197
198
199
200
201
202
203
204
205
206
207
208
209
210
211
212
213
214
215
216
217
218
219
220
221
222
223
224
225
226
227
228
229
230
231
232
233
234
235
236
237
238
239
240
241
242
243
244
245
246
247
248
249
250
251
252
253
254
255
256
257
258
259
260
261
262
263
264
265
266
267
268
269
270
271
272
273
274
275
276
277
278
279
280
281
282
283
284
285
286
287
288
289
290
291
292
293
294
295
296
297
298
299
300
301
302
303
304
305
306
307
308
309
310
311
312
313
314
315
316
317
318
319
320
321
322
323
324
325
326
327
328
329
330
331
332
333
334
335
336
337
338
339
340
341
342
343
344
345
346
347
348
349
350
351
352
353
354
355
356
357
358
359
360
361
362
363
364
365
366
367
368
369
370
371
372
373
374
375
376
377
378
379
380
381
382
383
384
385
386
387
388
389
390
391
392
393
394
395
396
397
398
399
400
401
402
403
404
405
406
407
408
409
410
411
412
413
414
415
416
417
418
419
420
421
422
423
424
425
426
427
428
429
430
431
432
433
434
435
436
437
438
439
440
441
442
443
444
445
446
447
448
449
450
451
452
453
454
455
456
457
458
459
460
461
462
463
464
465
466
467
468
469
470
471
472
473
474
475
476
477
478
479
480
481
482
483
484
485
486
487
488
489
490
491
492
493
494
495
496
497
498
499
500
501
502
503
504
505
506
507
508
509
510
511
512
513
514
515
516
517
518
519
520
521
522
523
524
525
526
527
528
529
530
531
532
533
534
535
536
537
538
539
540
541
542
543
544
545
546
547
548
549
550
551
552
553
554
555
556
557
558
559
560
561
562
563
564
565
566
567
568
569
570
571
572
573
574
575
576
577
578
579
580
581
582
583
584
585
586
587
588
589
590
591
592
593
594
595
596
597
598
599
600
601
602
603
604
605
606
607
608
609
610
611
612
613
614
615
616
617
618
619
620
621
622
623
624
625
626
627
628
629
630
631
632
633
634
635
636
637
638
639
640
641
642
643
644
645
646
647
648
649
650
651
652
653
654
655
656
657
658
659
660
661
662
663
664
665
666
667
668
669
670
671
672
673
674
675
676
677
678
679
680
681
682
683
684
685
686
687
688
689
690
691
692
693
694
695
696
697
698
699
700
701
702
703
704
705
706
707
708
709
710
711
712
713
714
715
716
717
718
719
720
721
722
723
724
725
726
727
728
729
730
731
732
733
734
735
736
737
738
739
740
741
742
743
744
745
746
747
748
749
750
751
752
753
754
755
756
757
758
759
760
761
762
763
764
765
766
767
768
769
770
771
772
773
774
775
776
777
778
779
780
781
782
783
784
785
786
787
788
789
790
791
792
793
794
795
796
797
798
799
800
801
802
803
804
805
806
807
808
809
810
811
812
813
814
815
816
817
818
819
820
821
822
823
824
825
826
827
828
829
830
831
832
833
834
835
836
837
838
839
840
841
842
843
844
845
846
847
84

```

END
BLADE
12
X58
23921.2857..3673..4490..5306..6122..6939..7755
258
X58
026.0308..0336..0301..0211..0103..0024..-0000
258

```

```

0675..0899..123..1432..1410..114..0689..000666..
XMC
1.
2.
3.
4.
5.
6.
7.
8.
9.
10.
11.
12.
13.
14.
15.
16.
17.
18.
19.
20.
21.
22.
23.
24.
25.
26.
27.
28.
29.
30.
31.
32.
33.
34.
35.
36.
37.
38.
39.
40.
41.
42.
43.
44.
45.
46.
47.
48.
49.
50.
51.
52.
53.
54.
55.
56.
57.
58.
59.
60.
61.
62.
63.
64.
65.
66.
67.
68.
69.
70.
71.
72.
73.
74.
75.
76.
77.
78.
79.
80.
81.
82.
83.
84.
85.
86.
87.
88.
89.
90.
91.
92.
93.
94.
95.
96.
97.
98.
99.
100.
101.
102.
103.
104.
105.
106.
107.
108.
109.
110.
111.
112.
113.
114.
115.
116.
117.
118.
119.
120.
121.
122.
123.
124.
125.
126.
127.
128.
129.
130.
131.
132.
133.
134.
135.
136.
137.
138.
139.
140.
141.
142.
143.
144.
145.
146.
147.
148.
149.
150.
151.
152.
153.
154.
155.
156.
157.
158.
159.
160.
161.
162.
163.
164.
165.
166.
167.
168.
169.
170.
171.
172.
173.
174.
175.
176.
177.
178.
179.
180.
181.
182.
183.
184.
185.
186.
187.
188.
189.
190.
191.
192.
193.
194.
195.
196.
197.
198.
199.
200.
201.
202.
203.
204.
205.
206.
207.
208.
209.
210.
211.
212.
213.
214.
215.
216.
217.
218.
219.
220.
221.
222.
223.
224.
225.
226.
227.
228.
229.
230.
231.
232.
233.
234.
235.
236.
237.
238.
239.
240.
241.
242.
243.
244.
245.
246.
247.
248.
249.
250.
251.
252.
253.
254.
255.
256.
257.
258.
259.
260.
261.
262.
263.
264.
265.
266.
267.
268.
269.
270.
271.
272.
273.
274.
275.
276.
277.
278.
279.
280.
281.
282.
283.
284.
285.
286.
287.
288.
289.
290.
291.
292.
293.
294.
295.
296.
297.
298.
299.
300.
301.
302.
303.
304.
305.
306.
307.
308.
309.
310.
311.
312.
313.
314.
315.
316.
317.
318.
319.
320.
321.
322.
323.
324.
325.
326.
327.
328.
329.
330.
331.
332.
333.
334.
335.
336.
337.
338.
339.
340.
341.
342.
343.
344.
345.
346.
347.
348.
349.
350.
351.
352.
353.
354.
355.
356.
357.
358.
359.
360.
361.
362.
363.
364.
365.
366.
367.
368.
369.
370.
371.
372.
373.
374.
375.
376.
377.
378.
379.
380.
381.
382.
383.
384.
385.
386.
387.
388.
389.
390.
391.
392.
393.
394.
395.
396.
397.
398.
399.
400.
401.
402.
403.
404.
405.
406.
407.
408.
409.
410.
411.
412.
413.
414.
415.
416.
417.
418.
419.
420.
421.
422.
423.
424.
425.
426.
427.
428.
429.
430.
431.
432.
433.
434.
435.
436.
437.
438.
439.
440.
441.
442.
443.
444.
445.
446.
447.
448.
449.
450.
451.
452.
453.
454.
455.
456.
457.
458.
459.
460.
461.
462.
463.
464.
465.
466.
467.
468.
469.
470.
471.
472.
473.
474.
475.
476.
477.
478.
479.
480.
481.
482.
483.
484.
485.
486.
487.
488.
489.
490.
491.
492.
493.
494.
495.
496.
497.
498.
499.
500.
501.
502.
503.
504.
505.
506.
507.
508.
509.
510.
511.
512.
513.
514.
515.
516.
517.
518.
519.
520.
521.
522.
523.
524.
525.
526.
527.
528.
529.
530.
531.
532.
533.
534.
535.
536.
537.
538.
539.
540.
541.
542.
543.
544.
545.
546.
547.
548.
549.
550.
551.
552.
553.
554.
555.
556.
557.
558.
559.
560.
561.
562.
563.
564.
565.
566.
567.
568.
569.
570.
571.
572.
573.
574.
575.
576.
577.
578.
579.
580.
581.
582.
583.
584.
585.
586.
587.
588.
589.
590.
591.
592.
593.
594.
595.
596.
597.
598.
599.
600.
601.
602.
603.
604.
605.
606.
607.
608.
609.
610.
611.
612.
613.
614.
615.
616.
617.
618.
619.
620.
621.
622.
623.
624.
625.
626.
627.
628.
629.
630.
631.
632.
633.
634.
635.
636.
637.
638.
639.
640.
641.
642.
643.
644.
645.
646.
647.
648.
649.
650.
651.
652.
653.
654.
655.
656.
657.
658.
659.
660.
661.
662.
663.
664.
665.
666.
667.
668.
669.
670.
671.
672.
673.
674.
675.
676.
677.
678.
679.
680.
681.
682.
683.
684.
685.
686.
687.
688.
689.
690.
691.
692.
693.
694.
695.
696.
697.
698.
699.
700.
701.
702.
703.
704.
705.
706.
707.
708.
709.
710.
711.
712.
713.
714.
715.
716.
717.
718.
719.
720.
721.
722.
723.
724.
725.
726.
727.
728.
729.
730.
731.
732.
733.
734.
735.
736.
737.
738.
739.
740.
741.
742.
743.
744.
745.
746.
747.
748.
749.
750.
751.
752.
753.
754.
755.
756.
757.
758.
759.
760.
761.
762.
763.
764.
765.
766.
767.
768.
769.
770.
771.
772.
773.
774.
775.
776.
777.
778.
779.
780.
781.
782.
783.
784.
785.
786.
787.
788.
789.
790.
791.
792.
793.
794.
795.
796.
797.
798.
799.
800.
801.
802.
803.
804.
805.
806.
807.
808.
809.
810.
811.
812.
813.
814.
815.
816.
817.
818.
819.
820.
821.
822.
823.
824.
825.
826.
827.
828.
829.
830.
831.
83
```

VAKUAT
AIXN

12 92.207.386.490.5306..6122...693%..7755
2571.6386.996.%
.231.123.1.23.1.23.1.23.1.
1.2.1.2.1.2.1.2.1.2.1.

[illegible]

1	2392	2657	3673	4490	5306	6122	6935	7755
2	3388	4066	4800	5500	6166	6800	7400	8000
3	8600	9166	9700	10200	10666	11100	11500	11866
4	12200	12666	13100	13500	13866	14200	14500	14866
5	15200	15666	16100	16500	16866	17200	17500	17866
6	18400	18866	19300	19700	20066	20400	20700	21066
7	21800	22266	22700	23100	23466	23800	24100	24466
8	25000	25366	25700	26000	26366	26700	27000	27366
9	27800	28166	28500	28800	29166	29500	29800	30166
10	30600	30966	31300	31600	31966	32300	32600	32966
11	33400	33766	34100	34400	34766	35100	35400	35766
12	36200	36566	36900	37200	37566	37900	38200	38566
13	39400	39766	40100	40400	40766	41100	41400	41766
14	42600	42966	43300	43600	43966	44300	44600	44966
15	46200	46566	46900	47200	47566	47900	48200	48566
16	49800	50166	50500	50800	51166	51500	51800	52166
17	53800	54166	54500	54800	55166	55500	55800	56166
18	58200	58566	58900	59200	59566	59900	60200	60566
19	62600	62966	63300	63600	63966	64300	64600	64966
20	67400	67766	68100	68400	68766	69100	69400	69766
21	72200	72566	72900	73200	73566	73900	74200	74566
22	77000	77366	77700	78000	78366	78700	79000	79366
23	81800	82166	82500	82800	83166	83500	83800	84166
24	88600	88966	89300	89600	89966	90300	90600	90966
25	94000	94366	94700	95000	95366	95700	96000	96366
26	100000	100366	100700	101000	101366	101700	102000	102366
27	106000	106366	106700	107000	107366	107700	108000	108366
28	112000	112366	112700	113000	113366	113700	114000	114366
29	118000	118366	118700	119000	119366	119700	120000	120366
30	124000	124366	124700	125000	125366	125700	126000	126366
31	130000	130366	130700	131000	131366	131700	132000	132366
32	136000	136366	136700	137000	137366	137700	138000	138366
33	142000	142366	142700	143000	143366	143700	144000	144366
34	148000	148366	148700	149000	149366	149700	150000	150366
35	154000	154366	154700	155000	155366	155700	156000	156366
36	160000	160366	160700	161000	161366	161700	162000	162366
37	166000	166366	166700	167000	167366	167700	168000	168366
38	172000	172366	172700	173000	173366	173700	174000	174366
39	178000	178366	178700	179000	179366	179700	180000	180

ORIGINAL PAGE IS
OF POOR QUALITY

[illegible]

APPENDIX B

Example of PANPER Analysis Program Output

The purpose of this appendix is to give an example of the printout that is output from the PANPER analysis program for the case. The case which is used to demonstrate this printout is the analysis of a nacelle-propeller configuration (Table III). This type of configuration was used as a test case in reference 1. The entire printout from this sample case will not be included in this appendix but rather specific areas of the printout are listed in order to illustrate the output of the various tasks that the program performs. Printout will be shown for the following tasks:

- (1) Main Program Heading and Output of Initial Propeller Input Data
- (2) Output of the Options and Input Data used in Nacelle Analysis
- (3) Output of the Nacelle Geometry
- (4) Output of the Inviscid Flow Solution (At Axial Station $ZH = .76489$)
- (5) Output of the Lifting Line Noninduced Inflow Conditions
- (6) Output of the Options and Reference Data used in Propeller Analysis
- (7) Output of Selected Intermediate Calculation Results for the Propeller Analysis
- (8) Output of the Propeller Performance Results
- (9) Output of the Propeller Blade Forces
- (10) Output of the Nacelle Viscous Flow Solution (At Axial Station $ZH = .76489$)

1
2
3
4
5
6
7
8
9
10
11
12
13
14
15
16
17
18
19
20
21
22
23
24
25
26
27
28
29
30
31
32
33
34
35
36
37
38
39
40
41
42
43
44
45
46
47
48
49
50
51
52
53
54
55
56
57
58
59
60
61
62
63
64
65
66
67
68
69
70
71
72
73
74
75
76
77
78
79
80
81
82
83
84
85
86
87
88
89
90
91
92
93
94
95
96
97
98
99
100
101
102
103
104
105
106
107
108
109
110
111
112
113
114
115
116
117
118
119
120
121
122
123
124
125
126
127
128
129
130
131
132
133
134
135
136
137
138
139
140
141
142
143
144
145
146
147
148
149
150
151
152
153
154
155
156
157
158
159
160
161
162
163
164
165
166
167
168
169
170
171
172
173
174
175
176
177
178
179
180
181
182
183
184
185
186
187
188
189
190
191
192
193
194
195
196
197
198
199
200
201
202
203
204
205
206
207
208
209
210
211
212
213
214
215
216
217
218
219
220
221
222
223
224
225
226
227
228
229
230
231
232
233
234
235
236
237
238
239
240
241
242
243
244
245
246
247
248
249
250
251
252
253
254
255
256
257
258
259
260
261
262
263
264
265
266
267
268
269
270
271
272
273
274
275
276
277
278
279
280
281
282
283
284
285
286
287
288
289
290
291
292
293
294
295
296
297
298
299
300
301
302
303
304
305
306
307
308
309
310
311
312
313
314
315
316
317
318
319
320
321
322
323
324
325
326
327
328
329
330
331
332
333
334
335
336
337
338
339
340
341
342
343
344
345
346
347
348
349
350
351
352
353
354
355
356
357
358
359
360
361
362
363
364
365
366
367
368
369
370
371
372
373
374
375
376
377
378
379
380
381
382
383
384
385
386
387
388
389
390
391
392
393
394
395
396
397
398
399
400
401
402
403
404
405
406
407
408
409
410
411
412
413
414
415
416
417
418
419
420
421
422
423
424
425
426
427
428
429
430
431
432
433
434
435
436
437
438
439
440
441
442
443
444
445
446
447
448
449
450
451
452
453
454
455
456
457
458
459
460
461
462
463
464
465
466
467
468
469
470
471
472
473
474
475
476
477
478
479
480
481
482
483
484
485
486
487
488
489
490
491
492
493
494
495
496
497
498
499
500
501
502
503
504
505
506
507
508
509
510
511
512
513
514
515
516
517
518
519
520
521
522
523
524
525
526
527
528
529
530
531
532
533
534
535
536
537
538
539
540
541
542
543
544
545
546
547
548
549
550
551
552
553
554
555
556
557
558
559
560
561
562
563
564
565
566
567
568
569
570
571
572
573
574
575
576
577
578
579
580
581
582
583
584
585
586
587
588
589
590
591
592
593
594
595
596
597
598
599
600
601
602
603
604
605
606
607
608
609
610
611
612
613
614
615
616
617
618
619
620
621
622
623
624
625
626
627
628
629
630
631
632
633
634
635
636
637
638
639
640
641
642
643
644
645
646
647
648
649
650
651
652
653
654
655
656
657
658
659
660
661
662
663
664
665
666
667
668
669
670
671
672
673
674
675
676
677
678
679
680
681
682
683
684
685
686
687
688
689
690
691
692
693
694
695
696
697
698
699
700
701
702
703
704
705
706
707
708
709
710
711
712
713
714
715
716
717
718
719
720
721
722
723
724
725
726
727
728
729
730
731
732
733
734
735
736
737
738
739
740
741
742
743
744
745
746
747
748
749
750
751
752
753
754
755
756
757
758
759
760
761
762
763
764
765
766
767
768
769
770
771
772
773
774
775
776
777
778
779
780
781
782
783
784
785
786
787
788
789
790
791
792
793
794
795
796
797
798
799
800
801
802
803
804
805
806
807
808
809
810
811
812
813
814
815
816
817
818
819
820
821
822
823
824
825
826
827
828
829
830
831
832
833
834
835
836
837
838
839
840
84

JANUARY 1979

FOR NASA LEWIS RESEARCH CENTER
CONTRACT NAS3-20961

UTRC PROJECT MANAGER: A. J. LANDGREBE (203-727-7358)
COMPUTER PROGRAM DEVELOPERS: T. A. EGOLF, PRINCIPAL INVESTIGATOR (203-727-7108) - PROPELLER
O. L. ANDERSON, PRINCIPAL INVESTIGATOR (203-727-7224) - NACELLE
D. E. EDWARDS (203-727-7207) - NACELLE

NASA PROJECT MANAGER: L. J. BOBER (216-433-4000 EXT. 5520)

THIS COMPUTER PROGRAM CALCULATES THE PROPELLER-NACELLE INTERFERENCE DUE TO BOTH UNPROLLOADED AND LOADED FLOW FIELDS. NACELLE PRESSURE AND VISCOUS DRAG ON THE PROPELLER WAS DEVELOPED USING A PROPELLER-NACELLE INTERFERENCE APPLICATION TO HIGH-SPEED PROPELLER (PROP-FAN) CONFIGURATIONS. AND AN AXISYMMETRIC, COMPRESSED, INVISCID OR VISCOUS NACELLE LIFTING LINE PREScribed WAKE MODULE, AND AN AXISYMMETRIC, COMPRESSED, INVISCID OR VISCOUS NACELLE WAKE MODULE CAN BE APPLIED, INTERACTING OR INDEPENDENTLY WITH SINGLE OR COAXIAL, COUNTER-ROTATING PROPELLERS WITH SUSCEPT BLADES OPERATING WITH OR WITHOUT THE PRESENCE OF A WIND TUNNEL WALL. A DATA BANK OF ISOLATED AND CASCADED AIRFOIL DATA FOR TYPICAL PROP-FAN AIRFOIL SECTIONS IS INCLUDED.

SWITCH NUPPF = 1
FOR THIS MODE OF OPERATION,
THE AERODYNAMIC CHARACTERISTICS OF A MACELLE AND
PROPELLER ARE ANALYZED. (SPECIFICALLY, A.D.D. CODE
AND PROPELLER LIFTING LINE CODE ARE OPERATED COUPLED
SEQUENTIALLY).

PRINTOUT OF INITIAL INPUT DATA AS READ IN

INPUT	1000000+02
WARM	.1000000+01
BUG	.1000000+01
MAKEOP	.1000000+01
COMPAS	.1000000+01
CHECK	.1000000+01
DETECT	.1000000+00
TYPEF	.1670000+00
EVALRD	.1000000+00
VARBOP	.1000000+01
WORMOP	.5000000-02
SIMTOP	.1000000+00
TACK	.2500000+00
CASCAD	.1000000+01
RULUPL	.0000000+
TRUCTI	.0000000+
TRUCIL	.0000000+
SOLVEM	.0000000+
CSWAKE	.0000000+
COFLOW	.0000000+
VRTAS	.0000000+
ROOM	.5213000+03
DENSITY	.8440000+04
SOUND	.1111800+04
RFNSTRY	.1850000-02

Y VECTOR=	.97960+00	.10000+01	.99560+00	.99650+00	.99720+00	.99780+00	.99810+00	.99830+00	.99850+00	.99900+00
URVN	.99190+00	.99460+00								
12 INTERPOLATION STATIONS	.99910+00	.99920+00								
X VECTOR=	.23920+00	.28570+00	.36730+00	.44900+00	.53060+00	.61220+00	.69390+00	.77550+00	.85710+00	.93880+00
Y VECTOR=	.97960+00	.10000+01	.30100+00	.25000+00	.21600+00	.18800+00	.16500+00	.14800+00	.13300+00	.11900+00
VOVN	.11400+00	.10900+00								
12 INTERPOLATION STATIONS										
X VECTOR=	.23920+00	.28570+00	.36730+00	.44900+00	.53060+00	.61220+00	.69390+00	.77550+00	.85710+00	.93880+00
Y VECTOR=	.97960+00	.10000+01	.30100+00	.25000+00	.21600+00	.18800+00	.16500+00	.14800+00	.13300+00	.11900+00

ORIGINAL PAGE 13
OF POOR QUALITY

(2) Output of the Options and Input Data used in Nacelle Analysis

PROPFAN MODEL 1 BASELINE

CASE NO. 012979- 1

OPTIONS USED

IOPT1 = 3 COMPUTE INLET FLOW
IOPT2 = 3 CASCADE PREDICTED ZB AND ALPHA2 FOR BLADE FORCE CALCULATION
IOPT3 = 2 INPUT DUCT SHAPE AND WALL CONDITIONS
AT 81 MESH POINTS
IOPT4 = -1 PRINT EVERY IOPT4 STATIONS
IOPT5 = 0 UPSTREAM=INLET, DOWNSTREAM=EXIT
IOPT9 = 3 READ 100 RECORDS ON FILE
SOLUTION NOT STORED ON TAPE LFILE=0
100 MESH POINTS INTERPOLATED FROM 81 INPUT POINTS

MESH PARAMETERS

MESH DISTORTION PARAMETER DDS = 15296.556
NUMBER OF MESH POINTS ACROSS DUCT KL = 45
NUMBER OF MESH POINTS ALONG DUCT JL = 100
NUMBER OF STEPS PER STATION KUS = 5
MATCHING POINT KMD = 2

INLET FLOW PARAMETERS

MS1 = .7920 DSH = .0006 FT.
ALP1 = .00 DEG. DST = .0010 FT.
ANH = 10.00
ANT = 10.00

PERFORMANCE POINT

WFL0 = 2446.59 LB/SEC
WFL1 = .1672*08
WFL2 = 834.36 PSF ABS.
WFL3 = .792
WFL4 = 1628.36 PSF ABS.
WFL5 = 512.66 DEG. R
WFL6 = 8449.00 RPM
WFL7 = .1713*08
WFL8 = .0281

REFERENCE CONDITIONS

PRESR = 2117.00 PSF ABS.
TEMPR = 519.00 DEG. RANKIN
RHOR = .00238 SLUGS/FT**3
CP = 5997.00 FT**2/DEG.
VISC = 370.06 SLUG/FT**SEC.
AKAPPA = .4000
AKHI = .0160

TURBULENCE PARAMETERS

APLUS = 26.00
PRT = .900

PROPFAN MODEL 1 BASELINE

STRUT GEOMETRY

STRUT CENTER LINE NUMBER OF STRUTS BLADE SHAPE	ZCL = 3.262 FT. NBLADE = 8 ISHAPE =	CHORD(FT.)	THICK/CHORD	ZCL1(FT.)
ALPS(180.0)		286	.212	3.204
77.608		.290	.111	3.204
76.298		.298	.070	3.203
73.518		.300	.045	3.200
70.118		.298	.040	3.203
67.168		.293	.033	3.217
63.878		.269	.028	3.236
60.669		.263	.025	3.266
57.529		.270	.022	3.298
54.448		.236	.021	3.335
51.648		.190	.021	3.361
50.248		.102	.020	3.384
49.568				

ORIGINAL PAGE IS
OF POOR QUALITY

(3) Output of the Nacelle Geometry

DUCT GEOMETRY AND WALL CONDITIONS

DUCT(1) =	5.4167	DUCT(2) =	20.0000	DUCT(3) =	0.0000	DUCT(4) =	0.0000	DUCT(5) =	0.0000	TEMPH
DUCT(6) =	0.0000	DUCT(7) =	0.0000	DUCT(8) =	0.0000	DUCT(9) =	0.0000	DUCT(10) =	0.0000	
DUCT(11) =	0.0000	DUCT(12) =	0.0000	DUCT(13) =	0.0000	DUCT(14) =	0.0000	DUCT(15) =	0.0000	
ZT	0.0000	RT	MBT	TEMPT	ZH	RH	MBH			
• 54714-01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 0.0000	• 15352-01	• 0.0000	• 0.0000	• 0.0000	
• 10943+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 54714-01	• 15930-01	• 0.0000	• 0.0000	• 0.0000	
• 16414+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 10943+00	• 17086-01	• 0.0000	• 0.0000	• 0.0000	
• 21866+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 16414+00	• 17663-01	• 0.0000	• 0.0000	• 0.0000	
• 27357+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 21866+00	• 18238-01	• 0.0000	• 0.0000	• 0.0000	
• 32828+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 27357+00	• 18613-01	• 0.0000	• 0.0000	• 0.0000	
• 38300+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 32828+00	• 19387-01	• 0.0000	• 0.0000	• 0.0000	
• 43771+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 38300+00	• 19961-01	• 0.0000	• 0.0000	• 0.0000	
• 49243+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 43771+00	• 20539-01	• 0.0000	• 0.0000	• 0.0000	
• 54714+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 49243+00	• 21113-01	• 0.0000	• 0.0000	• 0.0000	
• 60186+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 54714+00	• 21692-01	• 0.0000	• 0.0000	• 0.0000	
• 65657+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 60186+00	• 22272-01	• 0.0000	• 0.0000	• 0.0000	
• 71128+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 65657+00	• 22854-01	• 0.0000	• 0.0000	• 0.0000	
• 76600+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 71128+00	• 23436-01	• 0.0000	• 0.0000	• 0.0000	
• 82071+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 76600+00	• 24018-01	• 0.0000	• 0.0000	• 0.0000	
• 87543+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 82071+00	• 24597-01	• 0.0000	• 0.0000	• 0.0000	
• 93014+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 87543+00	• 25173-01	• 0.0000	• 0.0000	• 0.0000	
• 98485+00	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 93014+00	• 25744-01	• 0.0000	• 0.0000	• 0.0000	
• 10396+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 98485+00	• 26312-01	• 0.0000	• 0.0000	• 0.0000	
• 10943+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 10396+01	• 26879-01	• 0.0000	• 0.0000	• 0.0000	
• 11490+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 10943+01	• 27448-01	• 0.0000	• 0.0000	• 0.0000	
• 12037+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 11490+01	• 28023-01	• 0.0000	• 0.0000	• 0.0000	
• 12584+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 12037+01	• 28606-01	• 0.0000	• 0.0000	• 0.0000	
• 13131+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 12584+01	• 29196-01	• 0.0000	• 0.0000	• 0.0000	
• 13679+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 13131+01	• 29792-01	• 0.0000	• 0.0000	• 0.0000	
• 14226+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 13679+01	• 30386-01	• 0.0000	• 0.0000	• 0.0000	
• 14773+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 14226+01	• 30973-01	• 0.0000	• 0.0000	• 0.0000	
• 15320+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 14773+01	• 31546-01	• 0.0000	• 0.0000	• 0.0000	
• 15867+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 15320+01	• 32103-01	• 0.0000	• 0.0000	• 0.0000	
• 16414+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 15867+01	• 32648-01	• 0.0000	• 0.0000	• 0.0000	
• 16961+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 16414+01	• 33192-01	• 0.0000	• 0.0000	• 0.0000	
• 17509+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 16961+01	• 33742-01	• 0.0000	• 0.0000	• 0.0000	
• 18056+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 17509+01	• 34314-01	• 0.0000	• 0.0000	• 0.0000	
• 18603+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 18056+01	• 34913-01	• 0.0000	• 0.0000	• 0.0000	
• 19150+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 18603+01	• 35538-01	• 0.0000	• 0.0000	• 0.0000	
• 19697+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 19150+01	• 36178-01	• 0.0000	• 0.0000	• 0.0000	
• 20244+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 19697+01	• 36809-01	• 0.0000	• 0.0000	• 0.0000	
• 20791+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 20244+01	• 37411-01	• 0.0000	• 0.0000	• 0.0000	
• 21339+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 20791+01	• 37965-01	• 0.0000	• 0.0000	• 0.0000	
• 21886+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 21339+01	• 38471-01	• 0.0000	• 0.0000	• 0.0000	
• 22433+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 21886+01	• 38948-01	• 0.0000	• 0.0000	• 0.0000	
• 22980+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 22433+01	• 39444-01	• 0.0000	• 0.0000	• 0.0000	
• 23527+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 22980+01	• 39999-01	• 0.0000	• 0.0000	• 0.0000	
• 24074+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 23527+01	• 40655-01	• 0.0000	• 0.0000	• 0.0000	
• 24621+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 24074+01	• 41377-01	• 0.0000	• 0.0000	• 0.0000	
• 25169+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 24621+01	• 42033-01	• 0.0000	• 0.0000	• 0.0000	
• 25716+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 25169+01	• 42731-01	• 0.0000	• 0.0000	• 0.0000	
• 26263+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 25716+01	• 43476-01	• 0.0000	• 0.0000	• 0.0000	
• 26810+01	• 39088+01	• 0.0000	• 0.0000	• 0.0000	• 26263+01	• 58067-01	• 0.0000	• 0.0000	• 0.0000	

ORIGINAL PAGE
OF POOR QUALITY

27357+01	39088+01	00000	27357+01	00000	91182-01	00000	00000	00000
27904+01	39088+01	00000	27904+01	00000	11778+00	00000	00000	00000
28451+01	39088+01	00000	28451+01	00000	11885+00	00000	00000	00000
28998+01	39088+01	00000	28998+01	00000	11987+00	00000	00000	00000
29545+01	39088+01	00000	29545+01	00000	12094+00	00000	00000	00000
30092+01	39088+01	00000	30092+01	00000	12195+00	00000	00000	00000
30639+01	39088+01	00000	30639+01	00000	12296+00	00000	00000	00000
31187+01	39088+01	00000	31187+01	00000	12397+00	00000	00000	00000
31734+01	39088+01	00000	31734+01	00000	12498+00	00000	00000	00000
32281+01	39088+01	00000	32281+01	00000	12599+00	00000	00000	00000
32828+01	39088+01	00000	32828+01	00000	12600+00	00000	00000	00000
33375+01	39088+01	00000	33375+01	00000	12701+00	00000	00000	00000
33922+01	39088+01	00000	33922+01	00000	12802+00	00000	00000	00000
34469+01	39088+01	00000	34469+01	00000	12903+00	00000	00000	00000
35016+01	39088+01	00000	35016+01	00000	13004+00	00000	00000	00000
35563+01	39088+01	00000	35563+01	00000	13105+00	00000	00000	00000
36110+01	39088+01	00000	36110+01	00000	13206+00	00000	00000	00000
36657+01	39088+01	00000	36657+01	00000	13307+00	00000	00000	00000
37204+01	39088+01	00000	37204+01	00000	13408+00	00000	00000	00000
37751+01	39088+01	00000	37751+01	00000	13509+00	00000	00000	00000
38298+01	39088+01	00000	38298+01	00000	13610+00	00000	00000	00000
38845+01	39088+01	00000	38845+01	00000	13711+00	00000	00000	00000
39392+01	39088+01	00000	39392+01	00000	13812+00	00000	00000	00000
39939+01	39088+01	00000	39939+01	00000	13913+00	00000	00000	00000
40486+01	39088+01	00000	40486+01	00000	14014+00	00000	00000	00000
41033+01	39088+01	00000	41033+01	00000	14115+00	00000	00000	00000
41580+01	39088+01	00000	41580+01	00000	14216+00	00000	00000	00000
42127+01	39088+01	00000	42127+01	00000	14317+00	00000	00000	00000
42674+01	39088+01	00000	42674+01	00000	14418+00	00000	00000	00000
43221+01	39088+01	00000	43221+01	00000	14519+00	00000	00000	00000
43768+01	39088+01	00000	43768+01	00000	14620+00	00000	00000	00000
44315+01	39088+01	00000	44315+01	00000	14721+00	00000	00000	00000
44862+01	39088+01	00000	44862+01	00000	14822+00	00000	00000	00000
45409+01	39088+01	00000	45409+01	00000	14923+00	00000	00000	00000
45956+01	39088+01	00000	45956+01	00000	15024+00	00000	00000	00000
46503+01	39088+01	00000	46503+01	00000	15125+00	00000	00000	00000
47050+01	39088+01	00000	47050+01	00000	15226+00	00000	00000	00000
47597+01	39088+01	00000	47597+01	00000	15327+00	00000	00000	00000
48144+01	39088+01	00000	48144+01	00000	15428+00	00000	00000	00000
48691+01	39088+01	00000	48691+01	00000	15529+00	00000	00000	00000
49238+01	39088+01	00000	49238+01	00000	15630+00	00000	00000	00000
49785+01	39088+01	00000	49785+01	00000	15731+00	00000	00000	00000
50332+01	39088+01	00000	50332+01	00000	15832+00	00000	00000	00000
50879+01	39088+01	00000	50879+01	00000	15933+00	00000	00000	00000
51426+01	39088+01	00000	51426+01	00000	16034+00	00000	00000	00000
51973+01	39088+01	00000	51973+01	00000	16135+00	00000	00000	00000
52520+01	39088+01	00000	52520+01	00000	16236+00	00000	00000	00000
53067+01	39088+01	00000	53067+01	00000	16337+00	00000	00000	00000
53614+01	39088+01	00000	53614+01	00000	16438+00	00000	00000	00000
54161+01	39088+01	00000	54161+01	00000	16539+00	00000	00000	00000

UPSTREAM STATION = 49 DUMNS IREAM STATION = 59
BEGIN INVISCID FLOW CALCULATION
77.2840
TIME

(4) Output of the Inviscid Flow Solution (At Axial Station ZH = .76489)

GAP AVERAGE INVISCID FLOW									
JJ=	50	ZH=	.76489	ZT=	.76159	KH=	.04532	RT=	1.00000
Y	0.0000	PT	1690.57368	ALP	577.00000	IT			
	.07143	P	1673.01753	.00000	577.00000				
	.14246	2462.72000	1655.75549	.00000	577.00000				
	.21429	2462.72000	1649.59288	.00000	577.00000				
	.28571	2462.72000	1638.07289	.00000	577.00000				
	.35714	2462.72000	1633.78140	.00000	577.00000				
	.42857	2462.72000	1632.21742	.00000	577.00000				
	.50000	2462.72000	1630.74451	.00000	577.00000				
	.57143	2462.72000	1630.10506	.00000	577.00000				
	.64286	2462.72000	1629.47581	.00000	577.00000				
	.71429	2462.72000	1628.84656	.00000	577.00000				
	.78571	2462.72000	1628.21731	.00000	577.00000				
	.85714	2462.72000	1627.58806	.00000	577.00000				
	.92857	2462.72000	1626.95881	.00000	577.00000				
	1.00000	2462.72000	1626.32956	.00000	577.00000				
INVISCID PRESSURE COEF. ON WALL = .87002-01									
MACH	.75320	TEMP	518.17921	VEL	839.93848	VELS	.00000	U	263.90769
	.76416		516.63549		850.88895		.00000	UR	194.38176
	.77492		515.10631		861.59911		.00000		135.91215
	.78568		513.52402		868.51500		.00000		100.98718
	.79644		511.94174		875.51535		.00000		77.59070
	.80720		510.35945		882.51572		.00000		59.71539
	.81796		508.77716		889.51609		.00000		48.76025
	.82872		507.19487		896.51646		.00000		38.31864
	.83948		505.61258		903.51683		.00000		31.42630
	.85024		504.03029		910.51720		.00000		24.56722
	.86099		502.44800		917.51757		.00000		19.13954
	.87175		500.86571		924.51794		.00000		13.89547
	.88251		499.28342		931.51831		.00000		9.07613
	.89327		497.70113		938.51868		.00000		4.49054
	.90403		496.11884		945.51905		.00000		.00000
	.91479		494.53655		952.51942		.00000		
	.92555		492.95426		959.51979		.00000		
	.93631		491.37197		966.52016		.00000		
	.94707		489.78968		973.52053		.00000		
	.95783		488.20739		980.52090		.00000		
	.96859		486.62510		987.52127		.00000		
	.97935		485.04281		994.52164		.00000		
	.99011		483.46052		1001.52201		.00000		
	1.00087		481.87823		1008.52238		.00000		
	1.01163		480.29594		1015.52275		.00000		
	1.02239		478.71365		1022.52312		.00000		
	1.03315		477.13136		1029.52349		.00000		
	1.04391		475.54907		1036.52386		.00000		
	1.05467		473.96678		1043.52423		.00000		
	1.06543		472.38449		1050.52460		.00000		
	1.07619		470.80220		1057.52497		.00000		
	1.08695		469.21991		1064.52534		.00000		
	1.09771		467.63762		1071.52571		.00000		
	1.10847		466.05533		1078.52608		.00000		
	1.11923		464.47304		1085.52645		.00000		
	1.12999		462.89075		1092.52682		.00000		
	1.14075		461.30846		1099.52719		.00000		
	1.15151		459.72617		1106.52756		.00000		
	1.16227		458.14388		1113.52793		.00000		
	1.17303		456.56159		1120.52830		.00000		
	1.18379		454.97930		1127.52867		.00000		
	1.19455		453.39701		1134.52904		.00000		
	1.20531		451.81472		1141.52941		.00000		
	1.21607		450.23243		1148.52978		.00000		
	1.22683		448.65014		1155.53015		.00000		
	1.23759		447.06785		1162.53052		.00000		
	1.24835		445.48556		1169.53089		.00000		
	1.25911		443.90327		1176.53126		.00000		
	1.26987		442.32098		1183.53163		.00000		
	1.28063		440.73869		1190.53200		.00000		
	1.29139		439.15640		1197.53237		.00000		
	1.30215		437.57411		1204.53274		.00000		
	1.31291		435.99182		1211.53311		.00000		
	1.32367		434.40953		1218.53348		.00000		
	1.33443		432.82724		1225.53385		.00000		
	1.34519		431.24495		1232.53422		.00000		
	1.35595		429.66266		1239.53459		.00000		
	1.36671		428.08037		1246.53496		.00000		
	1.37747		426.49808		1253.53533		.00000		
	1.38823		424.91579		1260.53570		.00000		
	1.39899		423.33350		1267.53607		.00000		
	1.40975		421.75121		1274.53644		.00000		
	1.42051		420.16892		1281.53681		.00000		
	1.43127		418.58663		1288.53718		.00000		
	1.44203		417.00434		1295.53755		.00000		
	1.45279		415.42205		1302.53792		.00000		
	1.46355		413.83976		1309.53829		.00000		
	1.47431		412.25747		1316.53866		.00000		
	1.48507		410.67518		1323.53903		.00000		
	1.49583		409.09289		1330.53940		.00000		
	1.50659		407.51060		1337.53977		.00000		
	1.51735		405.92831		1344.54014		.00000		
	1.52811		404.34602		1351.54051		.00000		
	1.53887		402.76373		1358.54088		.00000		
	1.54963		401.18144		1365.54125		.00000		
	1.56039		399.59915		1372.54162		.00000		
	1.57115		398.01686		1379.54199		.00000		
	1.58191		396.43457		1386.54236		.00000		
	1.59267		394.85228		1393.54273		.00000		
	1.60343		393.26999		1400.54310		.00000		
	1.61419		391.68770		1407.54347		.00000		
	1.62495		390.10541		1414.54384		.00000		
	1.63571		388.52312		1421.54421		.00000		
	1.64647		386.94083		1428.54458		.00000		
	1.65723		385.35854		1435.54495		.00000		
	1.66799		383.77625		1442.54532		.00000		
	1.67875		382.19396		1449.54569		.00000		
	1.68951		380.61167		1456.54606		.00000		
	1.70027		379.02938		1463.54643		.00000		
	1.71103		377.44709		1470.54680		.00000		
	1.72179		375.86480		1477.54717		.00000		
	1.73255		374.28251		1484.54754		.00000		
	1.74331		372.70022		1491.54791		.00000		
	1.75407		371.11793		1498.54828		.00000		
	1.76483		369.53564		1505.54865		.00000		
	1.77559		367.95335		1512.54902		.00000		
	1.78635		366.37106		1519.54939		.00000		
	1.79711		364.78877		1526.54976		.00000		
	1.80787		363.20648		1533.55013		.00000		
	1.81863		361.62419		1540.55050		.00000		
	1.82939		360.04190		1547.55087		.00000		
	1.84015		358.45961		1554.55124		.00000		
	1.85091		356.87732		1561.55161		.00000		
	1.86167		355.29503		1568.55198		.00000		
	1.87243		353.71274		1575.55235		.00000		
	1.88319		352.13045		1582.55272		.00000		
	1.89395		350.54816		1589.55309		.00000		
	1.90471		348.96587		1596.55346		.00000		
	1.91547		347.38358		1603.55383		.00000		
	1.92623		345.80129		1610.55420		.00000		
	1.93699		344.21900		1617.55457		.00000		
	1.94775		342.63671		1624.55494		.00000		
	1.95851		341.05442		1631.55531		.00000		
	1.96927		339.47213		1638.55568		.00000		
	1.98003		337.88984		1645.55605		.00000		
	1.99079		336.30755		1652.55642		.00000		
	2.00155		334.72526		1659.55679		.00000		
	2.01231		333.14297		1666.55716		.00000		
	2.02307		331.56068		1673.55753		.00000		
	2.03383		329.97839		1680.55790		.00000		
	2.04459		328.39610		1687.55827		.00000		
	2.05535		326.81381		1694.55864		.00000		
	2.06611		325.23152		1701.55901		.00000		
	2.07687		323.64923		1708.55938		.00000		
	2.08763		322.06694		1715.55975		.00000		
	2.09839		320.48465		1722.56012		.00000		
	2.10915		318.90236		1729.56049		.00000		
	2.11991		317.32007		1736.56086		.00000		
	2.13067		315.73778		1743.56123		.00000		
	2.14143		314.15549		1750.56160		.00000		

ORIGINAL PAGE IS
OF POOR QUALITY

260

(6) Output of the Options and Reference Data used in Propeller Analysis

 * UNITED TECHNOLOGIES RESEARCH CENTER : PRESCRIBED WAKE PROP-FAN PROGRAM *

PROGRAM INPUT SUMMARY

PROPELLER MODELING OPTIONS

1 SKEWED FLOW SKIN FRICTION DRAG ADDITION
 1 COMPRESSIBLE WAKE EFFECTS USED
 1 MACH CORRECTION (FORM) CORRECTION USED
 0 NON LINEAR SOLUTION USED
 0 DIRECT SOLUTION TECHNIQUE USED
 0 NO COMPRESSIBILITY CORRECTION ON BOUND VORTEX
 0 UNIFORM WAKE MODEL APPLIED ONLY FOR SEGMENT MACH>1
 1 NACELLE EFFECTS ON WAKE USED
 1 HSD CASCADE CORRECTION USED ON ISOLATED AIRFOIL DATA
 1 CASCADE AIRFOIL DATA PACKAGE USED INBOARD OF .367 R

NO. WAKE ROLLUP FOR PROPELLER 1

FREE STREAM CONDITIONS:

V = 520.4321 KNOTS SPEED OF SOUND = 1109.2038 FPS DENSITY = .0018532 SLUGS/CU FT

COMMON PROPELLER OPERATING CHARACTERISTICS:

NO. OF PROPELLERS = 1 NO. OF BLADES = 8. RPM = 8440.00 AXIAL DISPLACEMENT BETWEEN PROPELLERS = .00000 (NDN)
 BLADE AND WAKE GEOMETRY OPERATING PARAMETERS:

NO. OF INFLOW STATIONS = 11. POS. OF LIFTING LINE W.R.T. LEAD. EDGE = .250 (NDN) AZI. INCREMENT = 15.00 DEG. NO. OF WAKE REVS = 2.
 PERCENT CHORD FOR MACH CONE INTERSECTION TEST = 100.0000

PROPELLER CHARACTERISTICS FOR PROPELLER 1

BLADE RADIUS = 1.021 FT HUB TORQUE = .000 FT-LBS INITIAL COLLECTIVE = 58.51 DEG. END CASCADE REGION = .3670 (NDN)
 VIMOM = -25.79 FPS

BOUNDARY NO.	1	2	3	4	5	6	7	8	9	10	11	12
X/RADIUS	.2390	.2857	.3673	.4490	.5306	.6122	.6939	.7755	.8571	.9388	.9796	1.0000
Y/RADIUS	.0552	.0560	.0585	.0632	.0685	.0492	.0274	.0035	.0429	.0894	.1248	.1546
Z/RADIUS	.0191	.0180	.0157	.0133	.0095	.0046	.0010	.0001	.0030	.0108	.0181	.0243

ORIGINAL PAGE IS
 OF POOR QUALITY

BLADE STATIONS
FOR INFLOW SOLN.
BLADE CHORD (FT)
PITCH INCREMENT
THICKNESS RATIO NO.
AIRFOIL SERIES NO.

BLADE STATIONS	1	2	3	4	5	6	7	8	9	10	11	12
FOR INFLOW SOLN.	124	3265	4081	4898	5714	6520	7347	8160	8980	9592	10998	11998
BLADE CHOREMENT	2883	3944	2992	4296	5252	2900	2866	2760	2580	2244	1510	960
PITCH INCREMENT	18	469	13	296	7	755	281	2542	2388	1564	803	1510
THICKNESS RATIO	154	479	13	104	036	230	033	023	021	021	021	021
DESIGN CL	23	23	23	23	23	23	23	23	23	23	23	23
DESIGN CL	319	159	014	050	107	178	136	089	043	016	002	002
V/A / V/D	10259	10272	10419	10500	10500	10505	10456	10473	10473	10456	10422	10422
V/R / V/G	3523	3176	2708	2314	1990	1739	1515	1306	1143	1046	1012	1012
ADVANCE RATIO	31378	31708	31866	32114	32114	32139	31980	32034	32038	31964	31873	31873
INFLOW MACH #	8216	8216	8335	8319	8319	8319	8342	8354	8354	8330	8303	8303
SENSITIVITY	9453	9513	9506	9517	9559	9585	9637	9646	9654	9681	9702	9702
SPEED OF SOUND RATIO	9898	9900	9899	9901	9910	9915	9927	9928	9930	9935	9940	9940

TIME TO COMPUTE INITIAL DATA IS .37 SEC

PROGRAM OUTPUT FOR PROPELLER PERFORMANCE ITERATION NUMBER 1

TABLE OF BLADE GEOMETRY QUANTITIES FOR THETA OF 58.50900 DEGREES FOR PROPELLER 1

SEGMENT CENTERS			SEGMENT BOUNDARIES			SEGMENT BOUNDARIES			SEGMENT BOUNDARIES		
AXIAL	DISP.	LAG	AXIAL	DISP.	LAG	AXIAL	DISP.	LAG	AXIAL	DISP.	LAG
0.571	0.132	0.8770	0.570	0.129	0.8770	0.570	0.129	0.8770	0.570	0.129	0.8770
0.556	0.156	0.8770	0.557	0.156	0.8770	0.557	0.156	0.8770	0.557	0.156	0.8770
0.535	0.194	0.8770	0.536	0.194	0.8770	0.536	0.194	0.8770	0.536	0.194	0.8770
0.523	0.231	0.8770	0.524	0.231	0.8770	0.524	0.231	0.8770	0.524	0.231	0.8770
0.541	0.271	0.8770	0.542	0.271	0.8770	0.542	0.271	0.8770	0.542	0.271	0.8770
0.541	0.311	0.8770	0.542	0.311	0.8770	0.542	0.311	0.8770	0.542	0.311	0.8770
0.541	0.351	0.8770	0.542	0.351	0.8770	0.542	0.351	0.8770	0.542	0.351	0.8770
0.541	0.391	0.8770	0.542	0.391	0.8770	0.542	0.391	0.8770	0.542	0.391	0.8770
0.541	0.431	0.8770	0.542	0.431	0.8770	0.542	0.431	0.8770	0.542	0.431	0.8770
0.541	0.471	0.8770	0.542	0.471	0.8770	0.542	0.471	0.8770	0.542	0.471	0.8770
0.541	0.511	0.8770	0.542	0.511	0.8770	0.542	0.511	0.8770	0.542	0.511	0.8770
0.541	0.551	0.8770	0.542	0.551	0.8770	0.542	0.551	0.8770	0.542	0.551	0.8770
0.541	0.591	0.8770	0.542	0.591	0.8770	0.542	0.591	0.8770	0.542	0.591	0.8770
0.541	0.631	0.8770	0.542	0.631	0.8770	0.542	0.631	0.8770	0.542	0.631	0.8770
0.541	0.671	0.8770	0.542	0.671	0.8770	0.542	0.671	0.8770	0.542	0.671	0.8770
0.541	0.711	0.8770	0.542	0.711	0.8770	0.542	0.711	0.8770	0.542	0.711	0.8770
0.541	0.751	0.8770	0.542	0.751	0.8770	0.542	0.751	0.8770	0.542	0.751	0.8770
0.541	0.791	0.8770	0.542	0.791	0.8770	0.542	0.791	0.8770	0.542	0.791	0.8770
0.541	0.831	0.8770	0.542	0.831	0.8770	0.542	0.831	0.8770	0.542	0.831	0.8770
0.541	0.871	0.8770	0.542	0.871	0.8770	0.542	0.871	0.8770	0.542	0.871	0.8770
0.541	0.911	0.8770	0.542	0.911	0.8770	0.542	0.911	0.8770	0.542	0.911	0.8770
0.541	0.951	0.8770	0.542	0.951	0.8770	0.542	0.951	0.8770	0.542	0.951	0.8770
0.541	0.991	0.8770	0.542	0.991	0.8770	0.542	0.991	0.8770	0.542	0.991	0.8770
0.541	1.031	0.8770	0.542	1.031	0.8770	0.542	1.031	0.8770	0.542	1.031	0.8770
0.541	1.071	0.8770	0.542	1.071	0.8770	0.542	1.071	0.8770	0.542	1.071	0.8770
0.541	1.111	0.8770	0.542	1.111	0.8770	0.542	1.111	0.8770	0.542	1.111	0.8770
0.541	1.151	0.8770	0.542	1.151	0.8770	0.542	1.151	0.8770	0.542	1.151	0.8770
0.541	1.191	0.8770	0.542	1.191	0.8770	0.542	1.191	0.8770	0.542	1.191	0.8770

(7) Output of Selected Intermediate Calculation Results for the Propeller

```
X,Y,Z FOR MACH CONE DEFINITION= 1.00000 -0.08534 -0.10016
```

[illegible][illegible]

DETAILED VELOCITY RELATED OUTPUT(EXCLUDING INDUCED VELOCITY TERMS												
TIME TO CAL. RELATIVE GEOMETRY ETC. IS .00000 SEC												
L= 1 IP= 1												
VTOT	=	981.869	989.436	1014.927	1082.913	1071.184	1105.559	1140.491	1184.132	1231.041	1266.464	1284.562
ALVRAD	=	3152	2620	2344	1949	1632	1381	1167	0969	0815	0725	0692
ALVPHI	=	2415	2281	2362	2424	2481	2531	2581	2621	2658	2681	2692
ALVAXL	=	9178	9119	9017	8843	8617	8347	8053	7769	7479	7249	6982
ALVPHAL	=	0233	0304	0676	0764	0877	0917	0962	0939	0917	0843	0739
SKEW	=	18.4849	15.9401	11.6573	13.2050	19.0538	23.7496	27.7017	30.9191	33.0780	43.0535	56.7081
VC	=	3170	2743	2016	2278	3401	4013	4632	5122	5442	6077	8334
VS	=	9482	9604	9772	9707	9368	9121	8822	8551	8355	7286	5473
VN	=	0221	0485	0662	0762	0823	0839	0851	0806	0768	0762	0771

TIME TO CAL. RELATIVE GEOMETRY ETC. IS .00000 SEC

PROPELLER 1

[illegible]

ORIGINAL PAGE IS
OF POOR QUALITY

●●● PROPELLER PERFORMANCE ●●●

BLADE SPANWISE VARYING QUANTITIES

ROTOR POSITION 1 PROPELLER 1

SEGMENT NUMBER	X	CHORD	LOCATION	RADIUS	BLADE ELEMENT
1	263	CHORD	LOCATION	RADIUS	BLADE ELEMENT
2	288	TOVERC			
3	1545	THICKNESS	RATIO		
4	1544	THICKNESS	RATIO		
5	1546	THICKNESS	RATIO		
6	1546	THICKNESS	RATIO		
7	1546	THICKNESS	RATIO		
8	1546	THICKNESS	RATIO		
9	1546	THICKNESS	RATIO		
10	1546	THICKNESS	RATIO		
11	1546	THICKNESS	RATIO		
12	1546	THICKNESS	RATIO		
13	1546	THICKNESS	RATIO		
14	1546	THICKNESS	RATIO		
15	1546	THICKNESS	RATIO		
16	1546	THICKNESS	RATIO		
17	1546	THICKNESS	RATIO		
18	1546	THICKNESS	RATIO		
19	1546	THICKNESS	RATIO		
20	1546	THICKNESS	RATIO		
21	1546	THICKNESS	RATIO		
22	1546	THICKNESS	RATIO		
23	1546	THICKNESS	RATIO		
24	1546	THICKNESS	RATIO		
25	1546	THICKNESS	RATIO		
26	1546	THICKNESS	RATIO		
27	1546	THICKNESS	RATIO		
28	1546	THICKNESS	RATIO		
29	1546	THICKNESS	RATIO		
30	1546	THICKNESS	RATIO		
31	1546	THICKNESS	RATIO		
32	1546	THICKNESS	RATIO		
33	1546	THICKNESS	RATIO		
34	1546	THICKNESS	RATIO		
35	1546	THICKNESS	RATIO		
36	1546	THICKNESS	RATIO		
37	1546	THICKNESS	RATIO		
38	1546	THICKNESS	RATIO		
39	1546	THICKNESS	RATIO		
40	1546	THICKNESS	RATIO		
41	1546	THICKNESS	RATIO		
42	1546	THICKNESS	RATIO		
43	1546	THICKNESS	RATIO		
44	1546	THICKNESS	RATIO		
45	1546	THICKNESS	RATIO		
46	1546	THICKNESS	RATIO		
47	1546	THICKNESS	RATIO		
48	1546	THICKNESS	RATIO		
49	1546	THICKNESS	RATIO		
50	1546	THICKNESS	RATIO		
51	1546	THICKNESS	RATIO		
52	1546	THICKNESS	RATIO		
53	1546	THICKNESS	RATIO		
54	1546	THICKNESS	RATIO		
55	1546	THICKNESS	RATIO		
56	1546	THICKNESS	RATIO		
57	1546	THICKNESS	RATIO		
58	1546	THICKNESS	RATIO		
59	1546	THICKNESS	RATIO		
60	1546	THICKNESS	RATIO		
61	1546	THICKNESS	RATIO		
62	1546	THICKNESS	RATIO		
63	1546	THICKNESS	RATIO		
64	1546	THICKNESS	RATIO		
65	1546	THICKNESS	RATIO		
66	1546	THICKNESS	RATIO		
67	1546	THICKNESS	RATIO		
68	1546	THICKNESS	RATIO		
69	1546	THICKNESS	RATIO		
70	1546	THICKNESS	RATIO		
71	1546	THICKNESS	RATIO		
72	1546	THICKNESS	RATIO		
73	1546	THICKNESS	RATIO		
74	1546	THICKNESS	RATIO		
75	1546	THICKNESS	RATIO		
76	1546	THICKNESS	RATIO		
77	1546	THICKNESS	RATIO		
78	1546	THICKNESS	RATIO		
79	1546	THICKNESS	RATIO		
80	1546	THICKNESS	RATIO		
81	1546	THICKNESS	RATIO		
82	1546	THICKNESS	RATIO		
83	1546	THICKNESS	RATIO		
84	1546	THICKNESS	RATIO		
85	1546	THICKNESS	RATIO		
86	1546	THICKNESS	RATIO		
87	1546	THICKNESS	RATIO		
88	1546	THICKNESS	RATIO		
89	1546	THICKNESS	RATIO		
90	1546	THICKNESS	RATIO		
91	1546	THICKNESS	RATIO		
92	1546	THICKNESS	RATIO		
93	1546	THICKNESS	RATIO		
94	1546	THICKNESS	RATIO		
95	1546	THICKNESS	RATIO		
96	1546	THICKNESS	RATIO		
97	1546	THICKNESS	RATIO		
98	1546	THICKNESS	RATIO		
99	1546	THICKNESS	RATIO		
100	1546	THICKNESS	RATIO		
101	1546	THICKNESS	RATIO		
102	1546	THICKNESS	RATIO		
103	1546	THICKNESS	RATIO		
104	1546	THICKNESS	RATIO		
105	1546	THICKNESS	RATIO		
106	1546	THICKNESS	RATIO		
107	1546	THICKNESS	RATIO		
108	1546	THICKNESS	RATIO		
109	1546	THICKNESS	RATIO		
110	1546	THICKNESS	RATIO		
111	1546	THICKNESS	RATIO		
112	1546	THICKNESS	RATIO		
113	1546	THICKNESS	RATIO		
114	1546	THICKNESS	RATIO		
115	1546	THICKNESS	RATIO		
116	1546	THICKNESS	RATIO		
117	1546	THICKNESS	RATIO		
118	1546	THICKNESS	RATIO		
119	1546	THICKNESS	RATIO		
120	1546	THICKNESS	RATIO		
121	1546	THICKNESS	RATIO		
122	1546	THICKNESS	RATIO		
123	1546	THICKNESS	RATIO		
124	1546	THICKNESS	RATIO		
125	1546	THICKNESS	RATIO		
126	1546	THICKNESS	RATIO		
127	1546	THICKNESS	RATIO		
128	1546	THICKNESS	RATIO		
129	1546	THICKNESS	RATIO		
130	1546	THICKNESS	RATIO		
131	1546	THICKNESS	RATIO		
132	1546	THICKNESS	RATIO		
133	1546	THICKNESS	RATIO		
134	1546	THICKNESS	RATIO		
135	1546	THICKNESS	RATIO		
136	1546	THICKNESS	RATIO		
137	1546	THICKNESS	RATIO		
138	1546	THICKNESS	RATIO		
139	1546	THICKNESS	RATIO		
140	1546	THICKNESS	RATIO		
141	1546	THICKNESS	RATIO		
142	1546	THICKNESS	RATIO		
143	1546	THICKNESS	RATIO		
144	1546	THICKNESS	RATIO		
145	1546	THICKNESS	RATIO		
146	1546	THICKNESS	RATIO		
147	1546	THICKNESS	RATIO		
148	1546	THICKNESS	RATIO		
149	1546	THICKNESS	RATIO		
150	1546	THICKNESS	RATIO		
151	1546	THICKNESS	RATIO		
152	1546	THICKNESS	RATIO		
153	1546	THICKNESS	RATIO		
154	1546	THICKNESS	RATIO		
155	1546	THICKNESS	RATIO		
156	1546	THICKNESS	RATIO		
157	1546	THICKNESS	RATIO		
158	1546	THICKNESS	RATIO		
159	1546	THICKNESS	RATIO		
160	1546	THICKNESS	RATIO		
161	1546	THICKNESS	RATIO		
162	1546	THICKNESS	RATIO		
163	1546	THICKNESS	RATIO		
164	1546	THICKNESS	RATIO		
165	1546	THICKNESS	RATIO		
166	1546	THICKNESS	RATIO		
167	1546	THICKNESS	RATIO		
168	1546	THICKNESS	RATIO		
169	1546	THICKNESS	RATIO		
170	1546	THICKNESS	RATIO		
171	1546	THICKNESS	RATIO		
172	1546	THICKNESS	RATIO		
173	1546	THICKNESS	RATIO		
174	1546	THICKNESS	RATIO		
175	1546	THICKNESS	RATIO		
176	1546	THICKNESS	RATIO		
177	1546	THICKNESS	RATIO		
178	1546	THICKNESS	RATIO		
179	1546	THICKNESS	RATIO		
180	1546	THICKNESS	RATIO		
181	1546	THICKNESS	RATIO		
182	1546	THICKNESS	RATIO		
183	1546	THICKNESS	RATIO		
184	1546	THICKNESS	RATIO		
185	1546	THICKNESS	RATIO		
186	1546	THICKNESS	RATIO		
187	1546	THICKNESS	RATIO		
188	1546	THICKNESS	RATIO		
189	1546	THICKNESS	RATIO		
190	1546	THICKNESS	RATIO		
191	1546	THICKNESS	RATIO		
192	1546	THICKNESS	RATIO		
193	1546	THICKNESS	RATIO		
194	1546	THICKNESS	RATIO		
195	1546	THICKNESS	RATIO		
196	1546	THICKNESS	RATIO		
197	1546	THICKNESS	RATIO		
198	1546	THICKNESS	RATIO		
199	1546	THICKNESS	RATIO		
200	1546	THICKNESS	RATIO		
201	1546	THICKNESS	RATIO		
202	1546	THICKNESS	RATIO		
203	1546	THICKNESS	RATIO		
204	1546	THICKNESS	RATIO		
205	1546	THICKNESS	RATIO		
206	1546	THICKNESS	RATIO		
207	1546	THICKNESS	RATIO		
208	1546	THICKNESS	RATIO		
209	1546	THICKNESS	RATIO		
210	1546	THICKNESS	RATIO		
211	1546	THICKNESS	RATIO		
212	1546	THICKNESS	RATIO		
213	1546	THICKNESS	RATIO		
214	1546	THICKNESS	RATIO		
215	1546	THICKNESS	RATIO		
216	1546	THICKNESS	RATIO		
217	1546	THICKNESS	RATIO		
218	1546	THICKNESS	RATIO		
219	1546	THICKNESS	RATIO		
220	1546	THICKNESS	RATIO		
221	1546	THICKNESS	RATIO		
222	1546	THICKNESS	RATIO		
223	1546	THICKNESS	RATIO		
224	1546	THICKNESS	RATIO		
225	1546	THICKNESS	RATIO		
226	1546	THICKNESS	RATIO		
227	1546	THICKNESS	RATIO		
228	1546	THICKNESS	RATIO		
229	1546	THICKNESS	RATIO		
230	1546	THICKNESS	RATIO		
231	1546	THICKNESS	RATIO		
232	1546	THICKNESS	RATIO		
233	1546	THICKNESS	RATIO		
234	1546	THICKNESS	RATIO		
235	1546	THICKNESS	RATIO		
236	1546	THICKNESS	RATIO		
237	1546	THICKNESS	RATIO		
238	1546	THICKNESS	RATIO		
239	1546	THICKNESS	RATIO		
240	1546	THICKNESS	RATIO		
241	1546	THICKNESS	RATIO		
242	1546	THICKNESS	RATIO		
243	1546	THICKNESS	RATIO		
244	1546	THICKNESS	RATIO		
245	1546	THICKNESS	RATIO		
246	1546	THICKNESS	RATIO		
247	1546	THICKNESS	RATIO		
248	1546	THICKNESS	RATIO		
249	1546	THICKNESS	RATIO		
250	1546	THICKNESS	RATIO		
251	1546	THICKNESS	RATIO		
252	1546	THICKNESS	RATIO		
253	1546	THICKNESS	RATIO		
254	1546	THICKNESS	RATIO		
255	1546	THICKNESS	RATIO		
256	1546	THICKNESS	RATIO		
257	1546	THICKNESS	RATIO		
258	1546	THICKNESS	RATIO		
259	1546	THICKNESS	RATIO		
260	1546	THICKNESS	RATIO		
261	1546	THICKNESS	RATIO		
262	1546	THICKNESS	RATIO		
263	1546	THICKNESS	RATIO		
264	1546	THICKNESS	RATIO		
265	1546	THICKNESS	RATIO		
266	1546	THICKNESS	RATIO		
267	1546	THICKNESS	RATIO		
268	1546	THICKNESS	RATIO		
269	1546	THICKNESS	RATIO		
270	1546	THICKNESS	RATIO		
271	1546	THICKNESS	RATIO		
272	1546	THICKNESS	RATIO		
273	1546	THICKNESS	RATIO		
274	1546	THICKNESS	RATIO		
275	1546	THICKNESS	RATIO		
276	1546	THICKNESS	RATIO		
277	1546	THICKNESS	RATIO		
278	1546	THICKNESS	RATIO		
279	1546	THICKNESS	RATIO		
280	1546	THICKNESS	RATIO		
281	1546	THICKNESS	RATIO		
282	1546	THICKNESS	RATIO		
283	1546	THICKNESS	RATIO		
284	1546	THICKNESS	RATIO		
285	1546	THICKNESS	RATIO		
286	1546	THICKNESS	RATIO		
287	1546	THICKNESS	RATIO		
288	1546	THICKNESS	RATIO		
289	1546	THICKNESS	RATIO		
290	1546				

CIRCULATION, FT SU/SEC.	-1.57	6.71	18.13	29.35	53.77	68.50	83.02	87.26	93.16
PHI	-910	-2.414	-1.217	-3.536	-3.618	-3.732	-3.127	-2.764	-3.474
BLADE ELEMENT ANGLE OF ATTACK, DEG.	1.305	1.337	1.501	1.800	2.280	2.420	3.117	3.577	3.627
MACH NUMBER	1.0123	.9851	.9828	1.0042	.9598	.9507	.9948	1.0390	1.1174
BLADE ELEMENT MACH NUMBER	.9620	.9648	.9735	.9835	.9124	.8715	.8825	.8928	.9032
SECTION DENSITY RATIO	.98881	.99005	.98950	.99014	.99102	.99154	.99266	.99282	.99352
TYPICAL MACH COEFFICIENT	.94530	.95125	.95156	.95170	.95593	.95851	.96389	.96465	.96809
LIFT COEF. (BLADE ELEMENT)	1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000
CL	.0101	.0431	.1132	.1816	.3684	.5086	.6376	.7094	.8044
DRAG COEF. (BLADE ELEMENT)	.0075	.0061	.0234	.037	.0187	.0257	.0453	.0638	.0898
MIN. GRAD. COEFF. (BLADE ELEMENT)	.0072	.0059	.0234	.0378	.0116	.0064	.0074	.0062	.0053
POWER COEFFICIENT GRADIENT	-.0372	.0206	.0484	.1957	.4822	.6930	.9649	.8518	.5745
POWER COEFFICIENT GRADIENT	-.0248	.1655	.5748	1.0848	2.0592	2.8474	3.9913	4.7944	5.5848

ORIGINAL PAGE IS
OF POOR QUALITY

BLADE SPANWISE VARYING QUANTITIES
ROTOR POSITION 1 PROPELLER 1

SEGMENT NUMBER	X	11
X-WISE LOCATION /BLADE RADIUS	CHORD	.1994
CHORD/RADIUS (BLADE ELEMENT)	CINP	.083
THICKNESS RATIO (INPUT)	TOVERC	.151
THICKNESS RATIO (BLADE ELEMENT)	THK	.0203
DESIGN LIFT COEF (INPUT)	DESCLP	.0362
DESIGN LIFT COEF (BLADE ELEMENT)	DESCLP	.00854
SECTION CASCADE SOLIDITY	SIGMAX	.01530
GEOL. ANG. BETWEEN C AND PH (DEG)	THETAG	.106
BLADE ELEMENT BLADE ANGLE, DEG.	THETAB	68.039
SECTION LENGTH / BLADE RADIUS	DS	9.51
SECTION LENGTH / BLADE RADIUS	DX	.037
AXIAL INDUCED VELOCITY, FPS	UIZ	.020
TANGENTIAL INDUCED VELOCITY, FPS	UIT	-9.965
RADIAL INDUCED VELOCITY, FPS	UIR	62.540
NORMAL INDUCED VELOCITY, FPS	VIN	-6.270
CHORDWISE INDUCED VELOCITY, FPS	VIC	-54.732
SPANWISE INDUCED VELOCITY, FPS	VIS	13.660
TOTAL CHORDWISE VELOCITY, FPS	VN	-29.456
TOTAL SPANWISE VELOCITY, FPS	VC	62.50
INPUT RADIAL VELOCITY, FPS	VS	-88.98
INPUT TANGENTIAL VELOCITY, FPS	UR	1041.35
INPUT AXIAL VELOCITY, FPS	UT	896.69
RESULTANT VELOCITY, FPS	U2	915.38
SKREW ANGLE (BLADE ELEMENT), DEG	VIT	1248.55
CIRCULATION, FT SQ/SEC.	SKEM	58.63
BL. ELEMENT INFL. ANG. OF ATTACK, DEG.	GAMMA	8.93
MACH NUMBER	PHI	-4.307
BLADE ELEMENT MACH NUMBER	ALPHA	5.206
SECTION SPEED OF SOUND RATIO	CMACH	1.1325
SECTION DENSITY RATIO	SMACH	.6248
TIP MACH CONE CORRECTION	SOUN	.9395
LIFT COEF. (BLADE ELEMENT)	DENS	.97021
DRAG COEF. (BLADE ELEMENT)	K-CONE	.495
MIN. DRAG COEF. (BLADE ELEMENT)	CL	.3042
	CD	.0364
	CD	.0054

THRUST COEFFICIENT GRADIENT	UCI/UX	.1471
POWER COEFFICIENT GRADIENT	DCP/UX	.6451

BLADE CHARACTERISTICS

THRUST PER BLADE, LBS	T/B	30.0
TORQUE PER BLADE, FT-LBS	U/B	42.8
POWER PER BLADE, FT-LB/SEC	P/B	.3781+05
HORSEPOWER PER BLADE, HP	HP/B	68.7

INSTANTANEOUS TOTAL PROPELLER PERFORMANCE FOR PROPELLER POSITION 1

THRUST, LBS	239.98	POWER, FT-LB/SEC	.3025+06	HORSEPOWER	549.95
-------------	--------	------------------	----------	------------	--------

ORIGINAL PAGE IS
OF POOR QUALITY

INTEGRATED PROPELLER CHARACTERISTICS FOR PROPELLER 1

THRUST, LBS	340.0	THRUST COEFFICIENT	CT	1.3767	FORWARD VELOCITY	VMT	520.4
TORQUE, FT-LBS	342.2	POWER COEFFICIENT	CP	1.6530	ADVANCE RATIO	J	3.059
PROFILE TORQUE	18.9	EFFICIENCY	CT*J/CP	.6969	REFERENCE BLADE ANGLE		59.338
INDUCED TORQUE	323.3						
POWER, FT-LBS/SEC	3025.06						
HORSEPOWER, HP	550.0						
MOM. INDUCED VEL. FPS	-21.97						
NACELLE PRESSURE DRAG, LBS	-43.11	NACELLE PRESSURE DRAG COEFF.			CDPR		-.06766
NACELLE FRICTION DRAG, LBS	-43.11	NACELLE FRICTION DRAG COEFF.			CUFR		-.00000
COMBINED NACELLE DRAG, LBS	-43.11	COMBINED NACELLE DRAG COEFF.			CONAC		-.06766
NACELLE AND PROPELLER THRUST, LBS	253.09	NACELLE AND PROPELLER THRUST COEFFICIENT					.44432
NACELLE AND PROPELLER POWER, FT-LBS/SEC	3025.06	NACELLE AND PROPELLER POWER COEFFICIENT					1.65301
NACELLE AND PROPELLER HORSEPOWER, HP	550.0						
NACELLE AND PROPELLER EFFICIENCY	.8221						

FORCE PER BLADE PER UNIT SPAN

PROPELLER 1

	RADIAL	TANGENTIAL	AXIAL
RS = .263	.5243+00	.2347+01	-.2900+01
RS = .409	.1136+01	-.1257+02	-.1609+01
RS = .572	.9226+00	-.3481+02	.3774+01
RS = .735	.1145+01	-.5494+02	.1527+02
RS = .816	.1056+01	-.8942+02	.3762+02
RS = .899	.3521+00	-.1082+03	.5407+02
RS = .962	-.3518+01	-.1349+03	.7528+02
RS = .994	-.9261+00	-.1458+03	.8960+02
	-.3352+00	-.1048+03	.6692+02
		-.4089+02	.2922+02
		-.1612+02	.1148+02

TIME TO COMPUTE PERFORMANCE IS 1.21 SEC

TIME TO COMPLETE TOTAL PROGRAM: 49.34 SECONDS

(9) Output of the Propeller Blade Forces

FORCE	PRCY(N,2)	FRCIN,3)	FRCIN,1)	FRCIN,2)	FRCIN,3)
.59434+00	.23472+01	-.29003+01	.14454+03	.57082+03	-.70533+03
.43403+00	-.51127+01	-.64567+00	.10555+03	-.12434+02	-.15702+03
.70466+00	-.23697+02	.26914+01	.17137+03	-.57617+02	.65454+03
.10291+01	-.44677+02	.95196+01	.25027+03	-.10914+01	.23151+02
.11152+01	-.72183+02	.26444+02	.25140+03	-.17554+01	.64311+02
.70386+00	-.98833+02	.45645+02	.27122+03	-.24035+01	.11149+01
.61658+00	-.12157+03	.64875+02	.17137+03	-.29599+01	.15728+01
-.25367+01	-.14037+03	.52442+02	.14935+03	-.34137+01	.20043+01
-.22221+01	-.12534+03	.78260+02	-.61690+03	-.30482+01	.19032+01
-.63065+00	-.72667+02	.48069+02	-.54040+03	-.17721+01	.11690+01
.00000	-.28507+02	.20349+02	-.15337+03	-.69326+02	.49486+02
	.00000	.00000	.00000	.00000	.00000

ORIGINAL PAGE IS
OF POOR QUALITY

(10) Output of the Nacell Viscous Flow Solution (At Axial Station ZH = .76489)

268

Y	GAP AVERAGE	FLOW PROPERTIES	NU	LAMB	YPLUS	UPLUS	TPLUS	QPLUS
00000	56493+00	10770+01	14956+01	00000	00000	10000+01	10000+01	00000
26959-06	56325+00	10899+01	15122+01	15096+01	16870+01	10138+00	10138+00	24782+00
60546-07	56536+00	11556+01	15855+01	15156+01	16870+01	10138+01	10138+01	59371+00
13041-04	52677+00	18422+01	24027+01	17846+01	10886+01	10545+01	10545+01	95473+00
25590-05	48920+00	80337+01	22241+01	17846+01	10886+01	10545+01	10545+01	13423+01
55707-05	47850+00	12796+02	28923+02	15113+02	13551+02	10163+00	10163+00	93845+00
12109-04	45396+00	45743+02	32429+02	11249+03	11249+03	84652+00	84652+00	14749+01
29195-03	39451+00	45743+02	51109+02	36700+03	15239+02	73539+00	73539+00	17630+01
50334-04	32194+00	45713+02	51072+02	36700+03	15239+02	73539+00	73539+00	13165+01
21435-03	24195+00	45707+02	51064+02	66060+03	17723+02	31045+00	31045+00	13165+01
43408-03	22489+00	45707+02	51064+02	21316+04	19983+02	10091+00	10091+00	14609+00
43715-03	22333+00	45707+02	51064+02	21316+04	20033+02	33533+02	33533+02	23431+01
15690-02	22600+00	45707+02	51063+02	68387+04	20321+02	27900+03	27900+03	23431+01
30184-02	23114+00	45707+02	51063+02	12197+05	19983+02	47702+03	47702+03	25628+02
24397-02	22479+00	45706+02	51062+02	21630+05	20335+02	93497+03	93497+03	13407+02
11668-01	22523+00	45705+02	51061+02	21630+05	20335+02	93497+03	93497+03	13407+02
33668-01	22426+00	45704+02	51059+02	21630+05	20189+02	17378+03	17378+03	00030+00
50343-01	22002+00	45702+02	51057+02	21630+05	20189+02	17378+03	17378+03	00030+00
11035+00	22144+00	45700+02	51054+02	10506+06	20257+02	25352+03	25352+03	13052+02
23695+00	21844+00	45696+02	51054+02	16702+06	20421+02	27010+03	27010+03	04855+03
47746+00	22038+00	45697+02	51051+02	25061+06	20421+02	14774+03	14774+03	62534+03
21850+00	22185+00	45696+02	51049+02	22494+06	20335+02	17635+04	17635+04	12774+03
13513+01	22020+00	45696+02	51048+02	22494+06	20335+02	17635+04	17635+04	12774+03
28663+01	22015+00	45696+02	51048+02	10662+05	37647+03	33992+02	33992+02	10096+00
21473+00	22147+00	45696+02	51048+02	39526+04	37647+03	33992+02	33992+02	10096+00
22814+01	22183+00	45696+02	51048+02	23822+04	37033+03	14006+02	14006+02	11974+01
26165+01	22183+00	45696+02	51048+02	16105+05	37033+03	14006+02	14006+02	11974+01
30427+01	22130+00	45696+02	51048+02	73484+03	36680+03	13987+01	13987+01	20987+01
20865+01	22089+00	45696+02	51048+02	41201+03	36680+03	13987+01	13987+01	20987+01
31114+01	221704+00	45696+02	51048+02	12442+03	36716+03	37050+03	37050+03	15529+01
31332+01	221704+00	45696+02	51048+02	12442+03	36716+03	37050+03	37050+03	15529+01
31375+01	22134+00	45696+02	51049+02	37999+02	36716+03	37050+03	37050+03	15529+01
31400+01	22462+00	45697+02	51050+02	22141+02	36716+03	37050+03	37050+03	15529+01

APPENDIX C

List of Symbols

a	transformation variable
A	Area, a/r^2 (dimensionless)
$A+$	Van Driest constant (26.0)
a_I, b_I	Schwartz-Christoffel parameters
\bar{A}	Block tridiagonal matrix (dimensionless)
\bar{A}^k	Diagonal block matrix (dimensionless)
B	chord, b/r_r (dimensionless)
\bar{B}^k	Left diagonal block matrix (dimensionless)
C	Speed of sound (ft/sec)
C_{fr}	Wall friction drag coefficient
c_p	Specific heat pressure (ft ² /sec ² /deg R)
C_p	Pressure drag coefficient
c_v	Specific heat volume (ft ² /sec ² /deg R)
D_{Fr}	Friction drag
D_{Pr}	Pressure drag
e_{ns}	Streamwise strain (1/sec)
E_{ns}	Streamwise strain, $r_r e_{ns}/u_r$ (dimensionless)
$e_{n\phi}$	Tangential strain (1/sec)
$E_{n\phi}$	Tangential strain, $r_r e_{n\phi}/u_r$ (dimensionless)
f	force/span
F	Complex potential ($s + in$), body force

g_B	Gap between blades (ft)
G	Gap between blades, g_B/r_r (dimensionless)
h	Duct height
I	Entropy
m	Mass flow (slugs/sec)
M	Mass flow, $m/(N_B r_r^2 p_r U_r)$ (dimensionless)
M	Mach number, U/C (dimensionless)
\dot{m}	Mass flow/area (slugs/ft ² /sec)
m^+	Universal mass flow parameter, $\dot{m}_w/(P_w U^*)$ (dimensionless)
\dot{M}	Mass flow/area, $\dot{m}/(P_r U_r)$ (dimensionless)
n	Normal coordinate (dimensionless)
N_B	Number of blades (dimensionless)
N_R	Reynolds number, $r_r \rho_r U_r / \mu_r$ (dimensionless)
P	Pressure (lb/ft ²)
P_o	Total pressure
Pr_T	Turbulent Prandtl number
Q	Heat flux, $q/(\rho_r U_r C_p T_r)$ (dimensionless)
q_n	Heat flux
r	Radial coordinate
R	Radius, r/r_r (dimensionless)
\mathcal{R}	Gas constant (ft ² /sec ² /deg R)
s	Streamwise coordinate (dimensionless)

S	Streamwise coordinate, $s/(r_r V_r)$ (dimensionless)
St	Stanton number (dimensionless)
T	Temperature (deg R)
T_o	Total temperature
U	Magnitude of velocity or velocity component
U_ϕ	Tangential velocity
U^+	Universal velocity, U/U^* (dimensionless)
U^*	Friction velocity, $\sqrt{\tau_o}/U_r$ (dimensionless)
V	Potential flow velocity (1/V metric scale coefficient)
W	Complex coordinates in duct plan ($r + iz$)
x, y	Distance along S and n coordinates
y^+	Universal distance
z	Axial coordinate
Z	Axial distance, z/r_r (dimensionless)
α	Swirl angle to axis (deg)
γ	Ratio of specific heats, C_p/C_v (dimensionless)
Δ	Boundary layer thickness, δ/r_r (dimensionless)
Δ^*	Displacement thickness, δ^*/r_r (dimensionless)
η	Normal coordinate, $n/(r_r V_r)$ (dimensionless), or Transformed normal coordinate (dimensionless)

θ	Angle of streamline to axis (deg)
Θ	Temperature ratio, T/T_r (dimensionless)
Θ^*	Momentum thickness, Θ^*/T_r (dimensionless)
i	$\sqrt{-1}$
I	Entropy, $(I-I_n)/R$ (dimensionless)
κ	von Karman constant (0.41)
λ	Thermal conductivity (lb/sec/deg R)
μ	Viscosity (slugs/ft/sec)
π	3.14159
Π	Pressure ratio, p/p_r (dimensionless)
ρ	Density (slugs/ft ³)
P	Density ratio, ρ/ρ_r (dimensionless)
Σ_{ns}	Streamwise stress, $T_{ns}/(\rho_r U_r^2)$ (dimensionless)
$\Sigma_{n\phi}$	Tangential stress, $T_{n\phi}/(\rho_r U_r^2)$ (dimensionless)
$\tau_{ns}, \tau_{n\phi}$	Stress components
τ^+	Stress, τ/τ_w (dimensionless)
ϕ	Tangential coordinate (radians)
ϕ_B	Blade dissipation function
χ	Clauser constant (0.016) (dimensionless), or Transformation function, $d\eta/dn$ (dimensionless)
ψ	Stream function (dimensionless)

Matrix Operators

T	Transpose
-1	Inverse

Superscripts

v	Iteration number
-	Mean or average quantity
Λ	Variables for blade force calculation
'	Deviation from mean quantity

Subscripts

0	Stagnation conditions
1	Inlet conditions
2	Upstream of strut blade
3	Downstream of strut blade
A	Adiabatic
E	Effective turbulent
H	Hub conditions
I	Incompressible conditions, singularity index
n	in the direction of the normal
r	Reference conditions, based on standard sea level atmosphere conditions for all thermodynamic quantities. The reference radius r_r is the inlet outer radius, and the velocity is the mean inlet velocity

Subscripts (Cont'd)

s	in the streamwise direction
T	Tip conditions
W	Wall conditions
∞	Free Stream or edge of boundary layer

REFERENCES

1. Egolf, T. A., O. L. Anderson, D. E. Edwards, and A. J. Landgrebe: Analysis for High Speed Propeller-Nacelle Aerodynamic Performance Prediction. Volume I: Theory and Initial Application.*
2. Landgrebe, A. J.: The Wake Geometry of a Hovering Helicopter Rotor and Its Influence on Rotor Performance. Journal of the American Helicopter Society, Vol. 17, No. 4, October 1972. (Also preprint No. 620, 28th Annual National Forum of the American Helicopter Society, May 1972.)
3. Coles, D. E.: The Law of the Wake in the Turbulent Boundary Layer. J. Fluid Mech., Vol. 1, pp. 161-260 (1956).
4. Wislicenus, G. F.: Fluid Mechanics of Turbomachinery. McGraw-Hill Book Co., Inc., 1947.
5. Black, D. M.: Cascade Corrections to Isolated Airfoil Data. Internal Correspondence, Hamilton Standard, ARL401, October 8, 1974.
6. Anderson, O. L.: User's Manual for a Finite-Difference Calculation of Turbulent Swirling Compressible Flow in Axisymmetric Ducts with Struts and Slot Cooled Walls, USAAMRDL-TR-74-50, May 1974.
7. Van Driest, E. R.: On Turbulence Flow Near a Wall. Journal of Aeronautical Sciences, Vol. 23, November 1956.
8. McDonald, H., and R. W. Fish: Practical Calculations of Transitional Boundary Layers. International Journal of Heat and Mass Transfer, Vol. 16, No. 9, pp. 1729-1744, 1973.
9. IMSL Library 2 Reference Manual, Edition 6 C. International Mathematical and Statistical Libraries, Inc., 1977.
10. Schlichting, H.: Boundary Layer Theory. 6th Edn. McGraw-Hill, New York (1968).
11. Mellor, G. L.: A Combined Theoretical and Empirical Method of Axial Compressor Cascade Prediction. Report No. 9, Contract N00019-69-C-0520, Naval Air Systems Command, May 1970.

*Date and NASA Contractor Report number to be filled in later.

REFERENCES (Cont'd.)

12. Bielawa, R. L.: Aeroelastic Analysis for Helicopter Rotor Blades with Time-Variable, Nonlinear Structural Twist and Multiple Structural Redundancy - Mathematical Derivation and User's Manual, NASA CR-2638, October 1976.
13. Johnson, J. A. and R. O. Bullock: Aerodynamic Design of Axial Flow Compressors. NASA SP 36, 1965.

ORIGINAL PAGE IS
OF POOR QUALITY

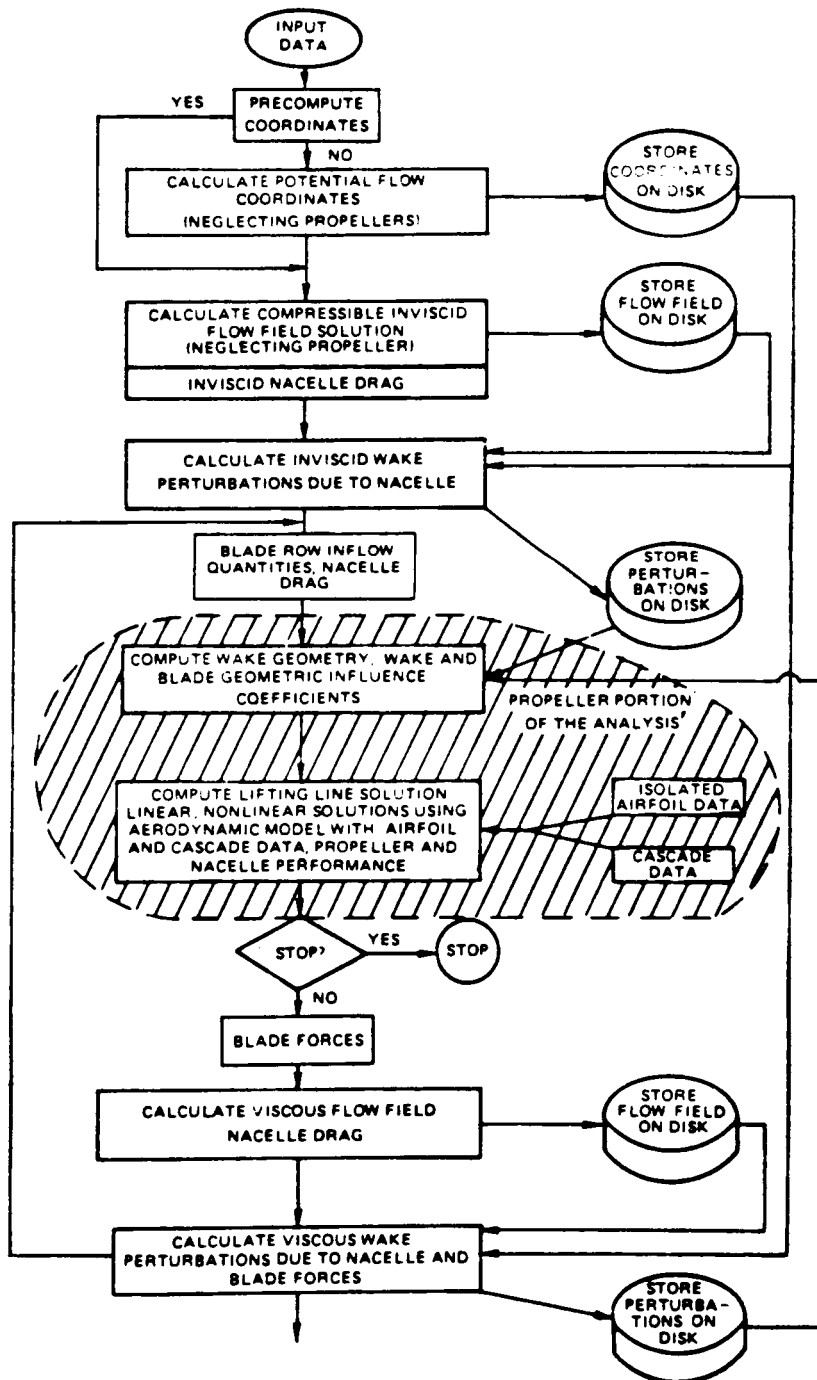


Figure 1. Flow Diagram of the Combined Propeller-Nacelle Analysis

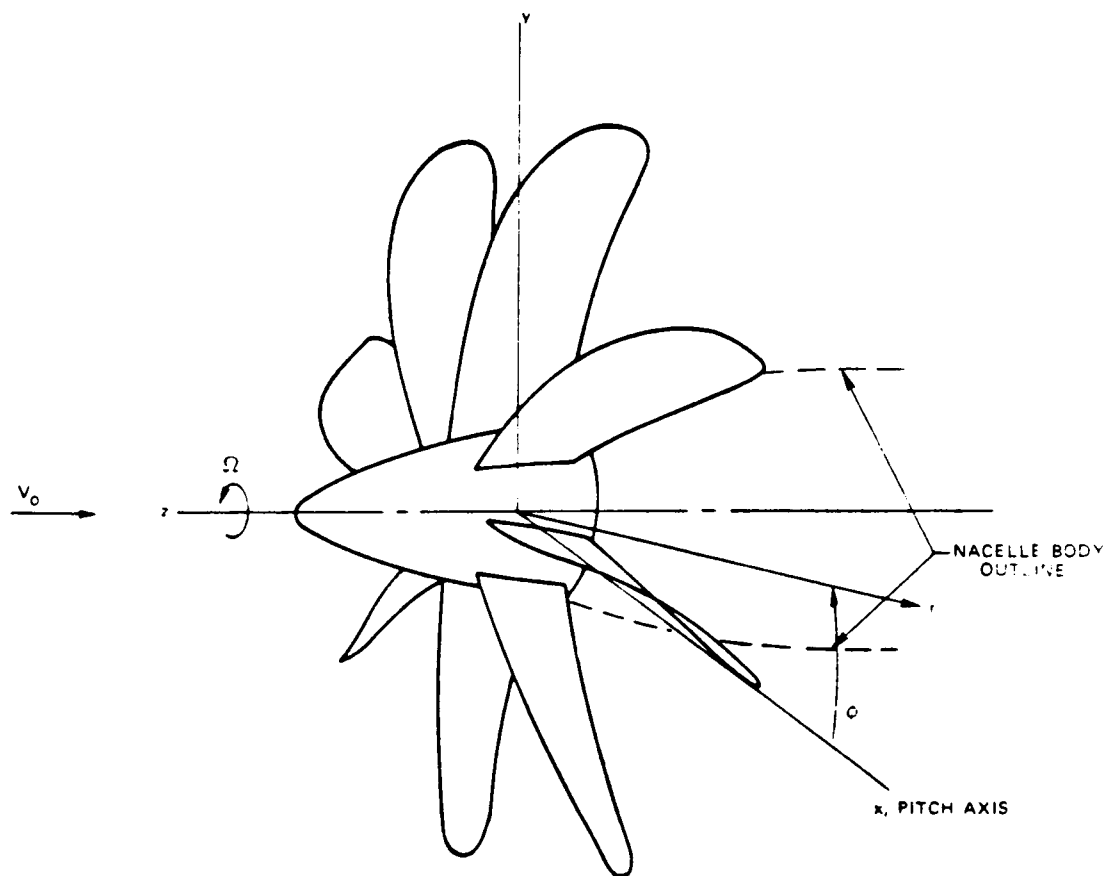
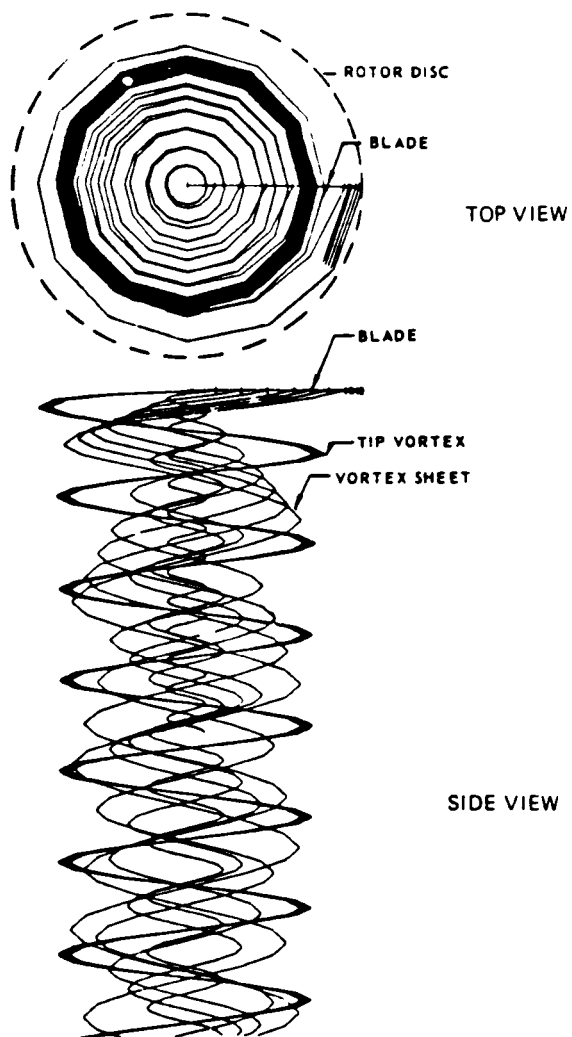


Figure 2. Cylindrical and Cartesian Coordinate Systems for Propeller Geometry

GENERALIZED DISTORTED WAKE



CLASSICAL WAKE

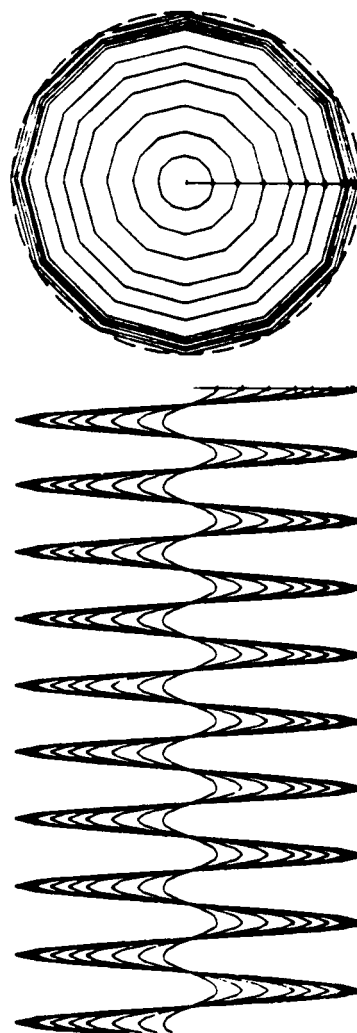


Figure 3. Computer Wake Representation for One Blade of a Hovering Rotor, Classical and Generalized Distorted Wake Models

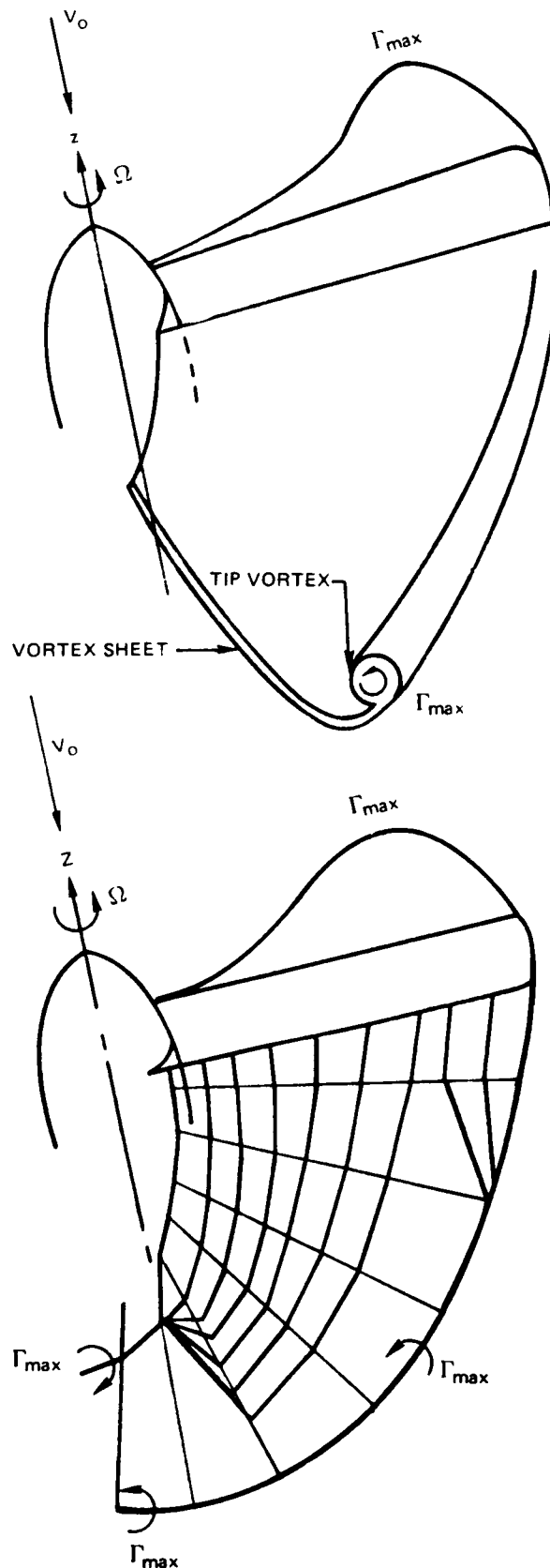


Figure 4. Modeling the Wake Rollup with Discrete Vortices

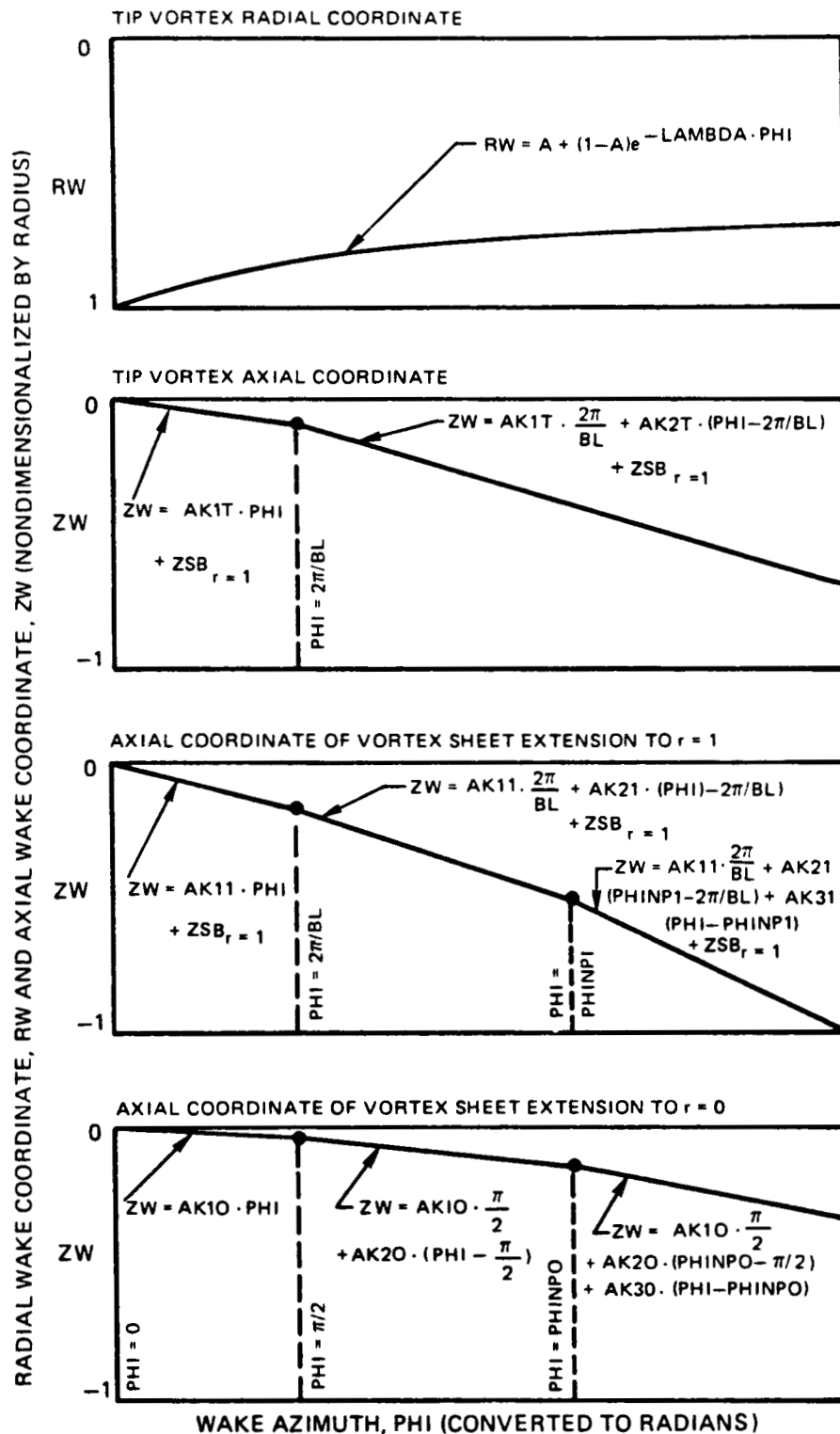
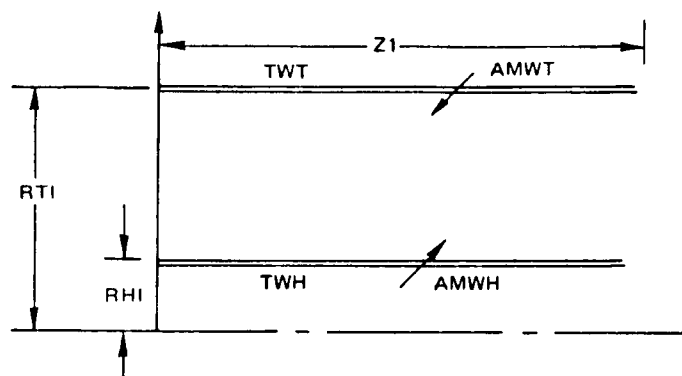
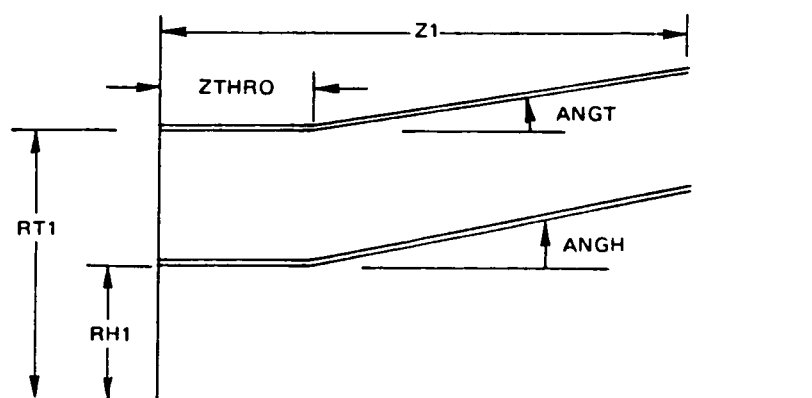


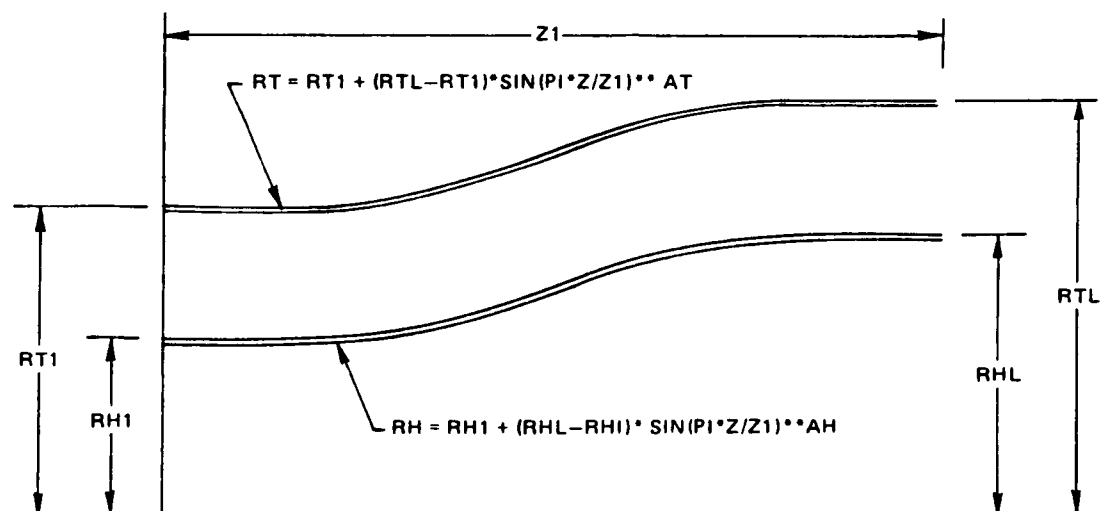
Figure 5. Generalized Wake Geometry Equations Containing Input Wake Constants



IOPT3 = 1 STRAIGHT ANNULAR DUCT



IOPT3 = 3 STRAIGHT WALL ANNULAR DIFFUSER



IOPT3 = 5 CURVED WALL DIFFUSER NO. 1

Figure 6. Preprogrammed Duct Wall Contours

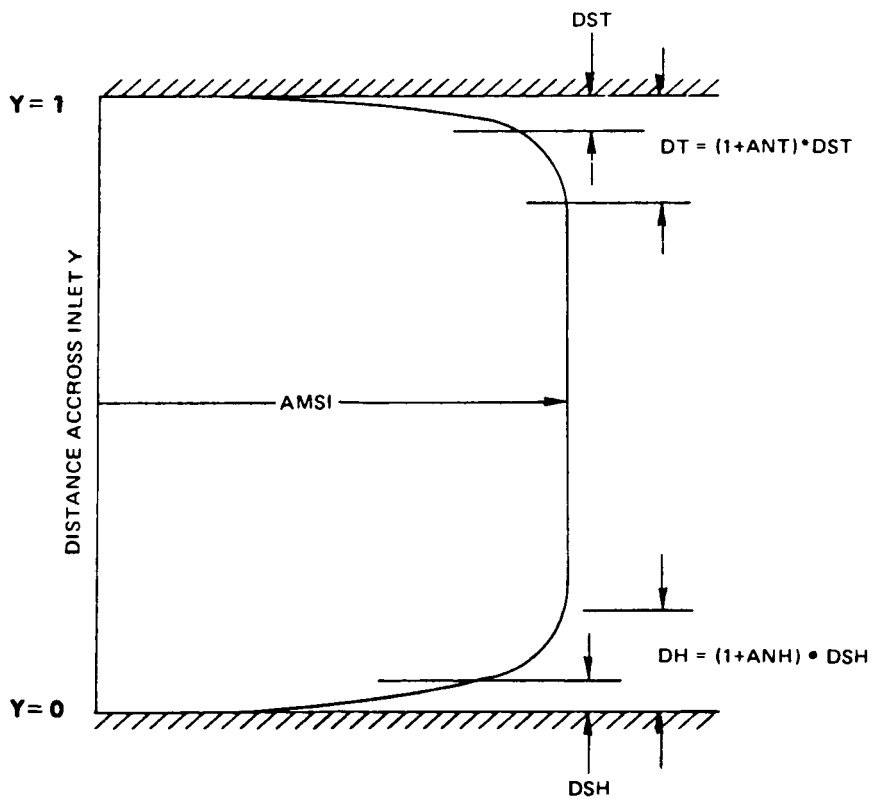


Figure 7. Inlet Flow Distribution

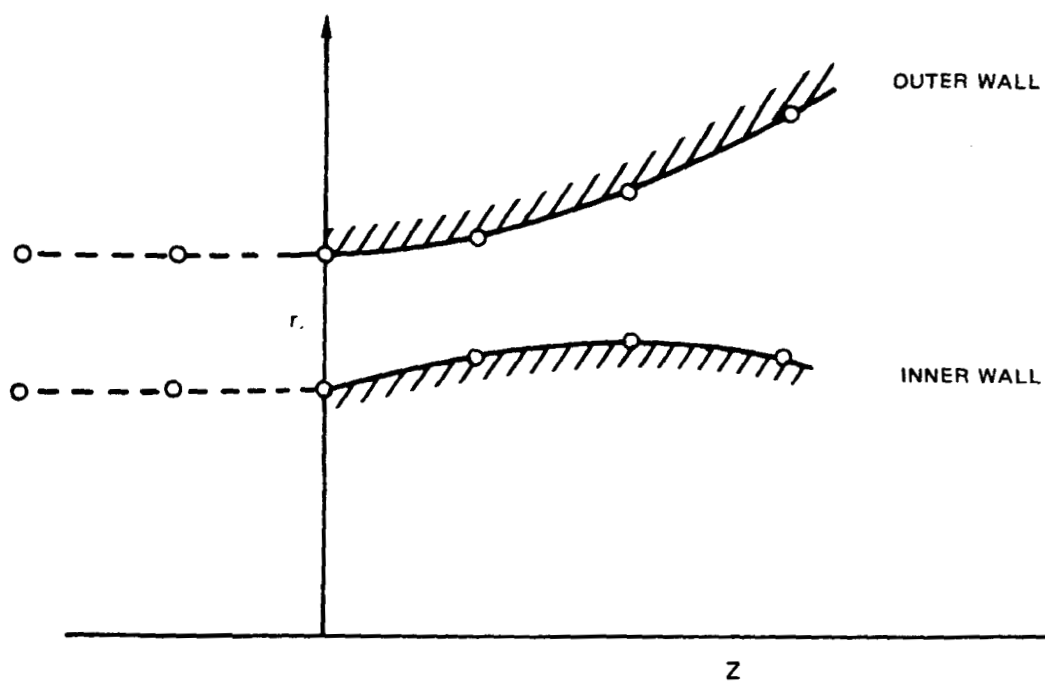


Figure 8. Addition of Straight Annular Channel Inlet

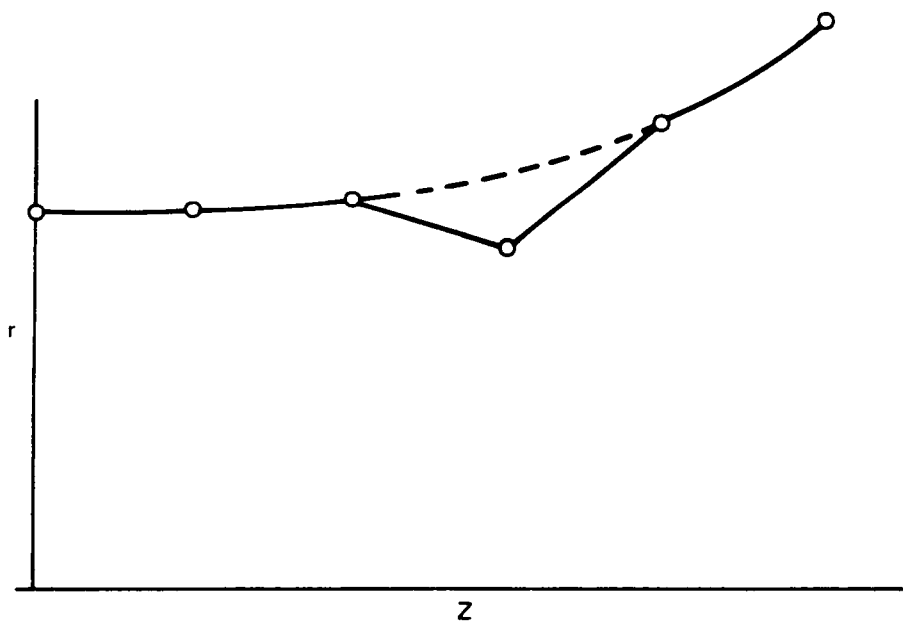


Figure 9. Discontinuous Change in Wall Curvature

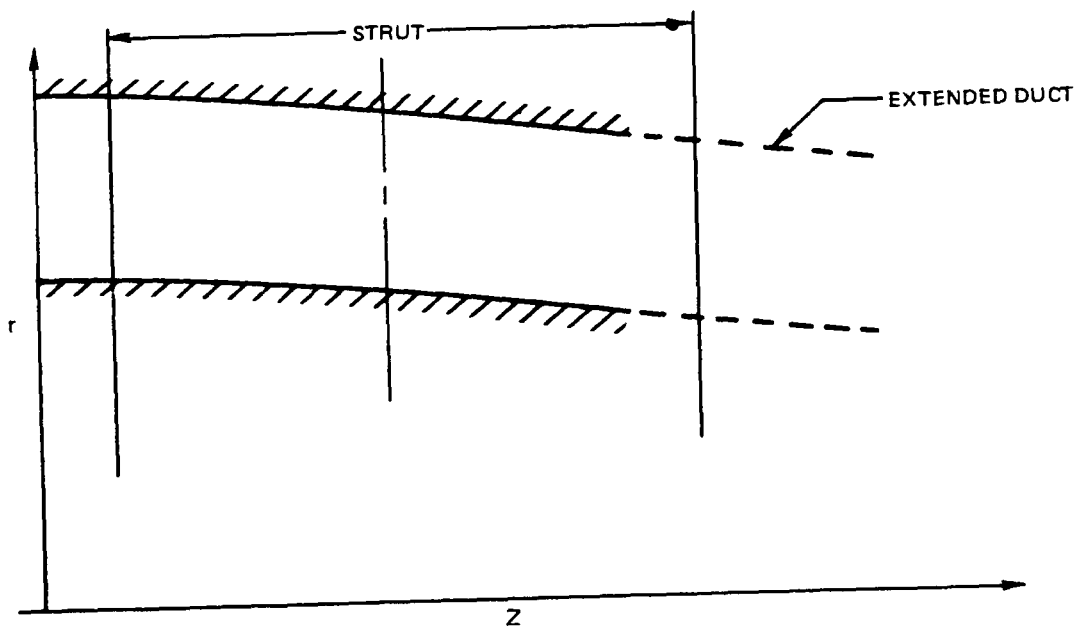


Figure 10. Extended Duct Section

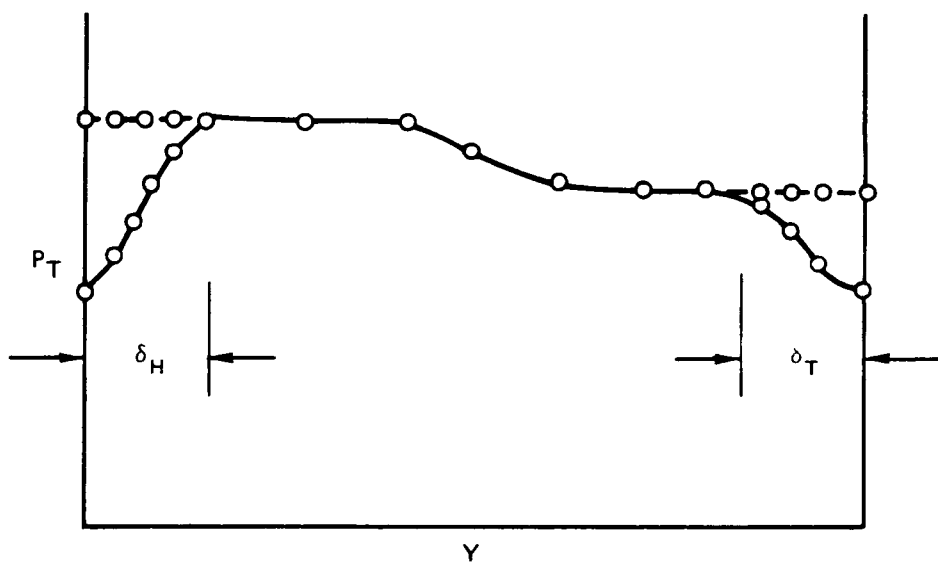


Figure 11. Constructing the Inlet Flow

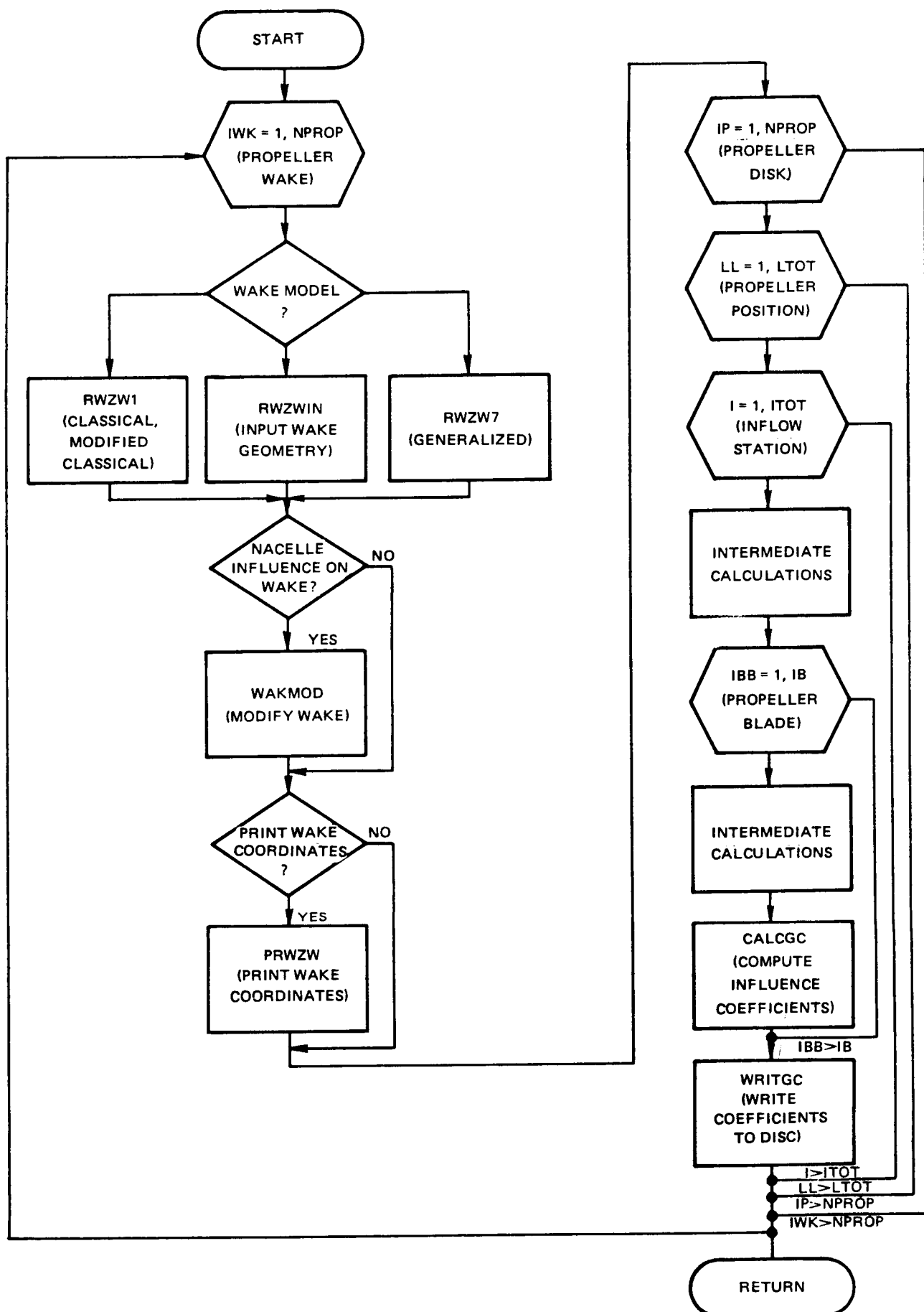


Figure 12. Flow Diagram of Subroutine GCWAKE

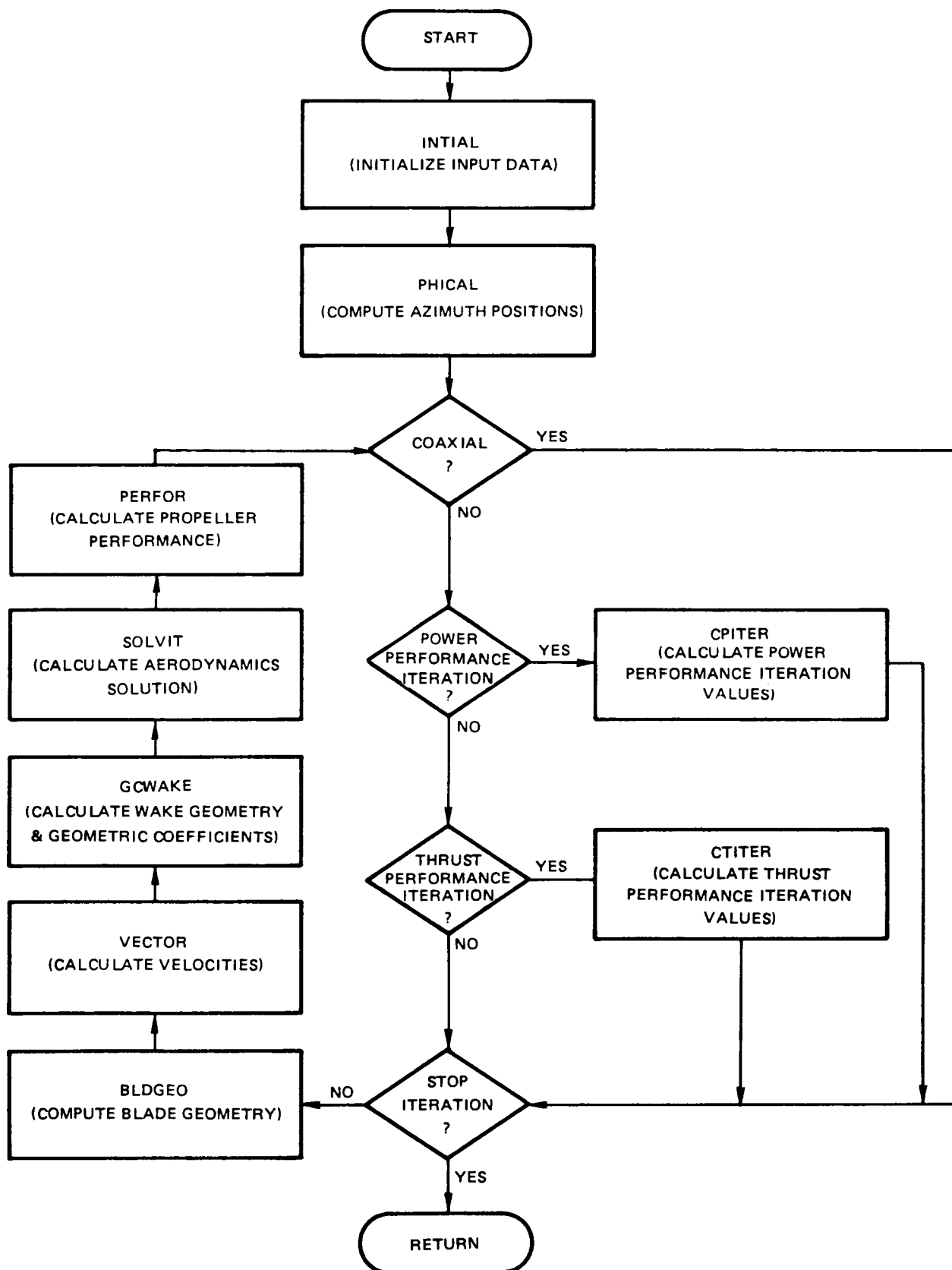


Figure 13. Flow Diagram of Subroutine PROP

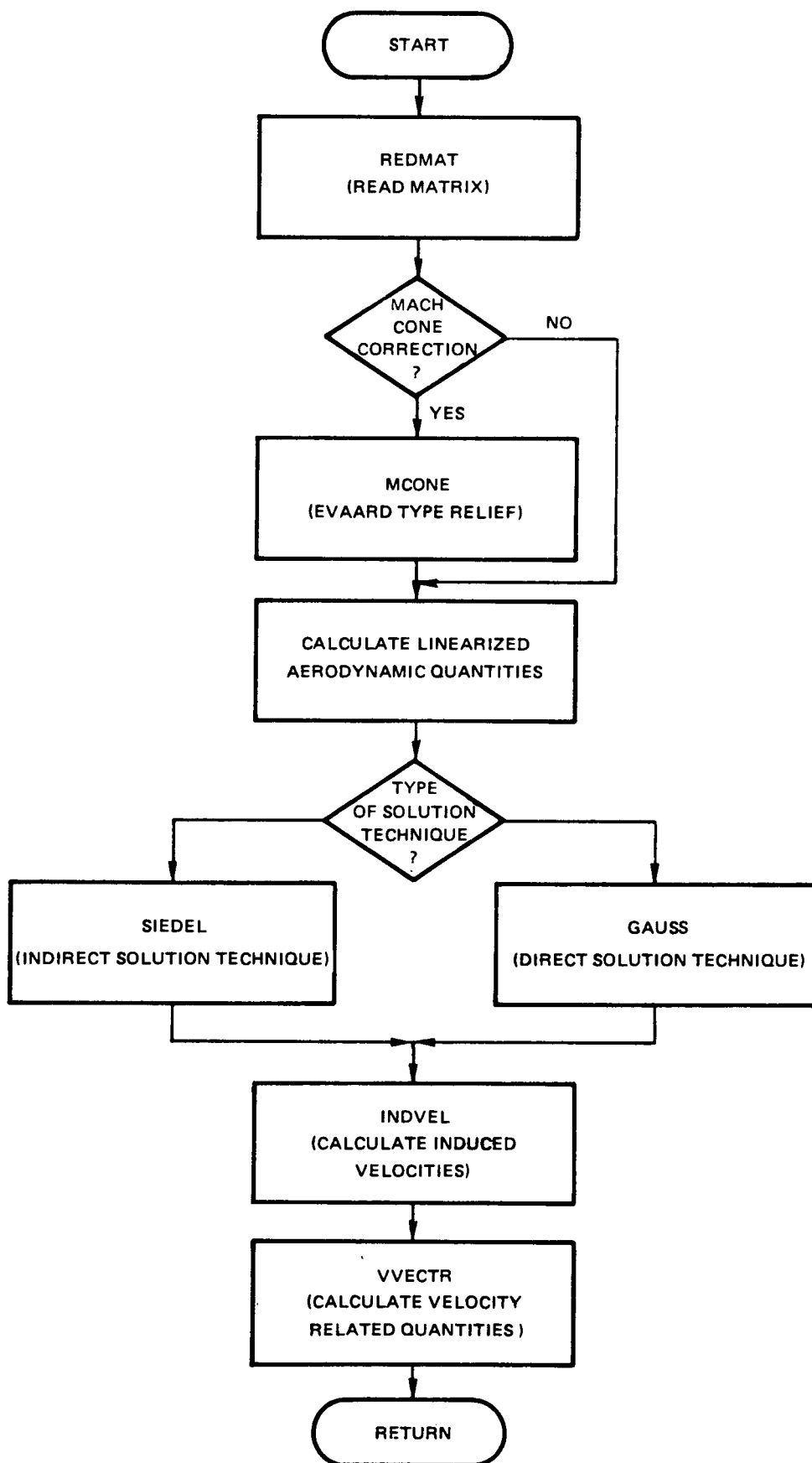


Figure 14. Flow Diagram of Subroutine SOLVEL

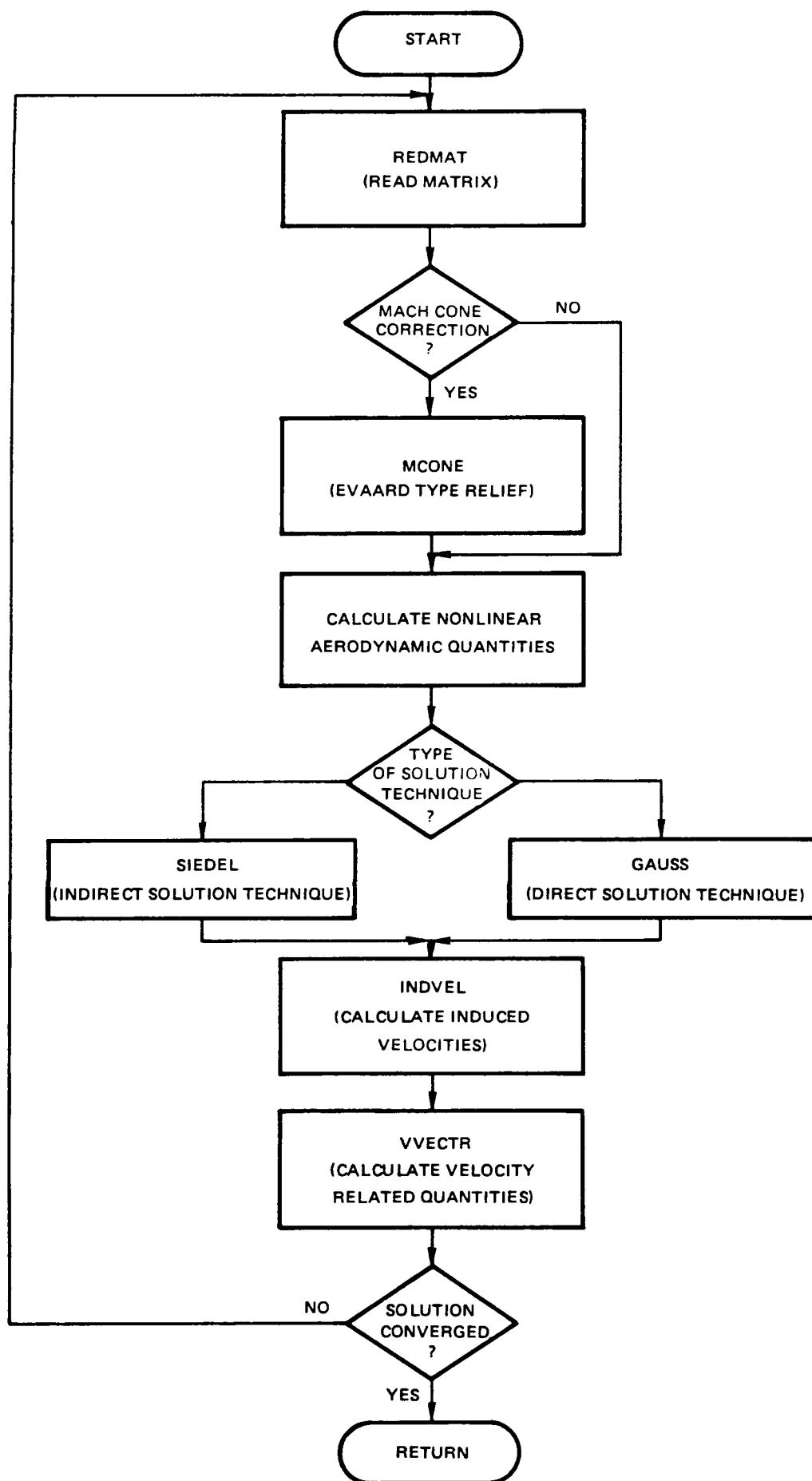


Figure 15. Flow Diagram of Subroutine SOLVEN

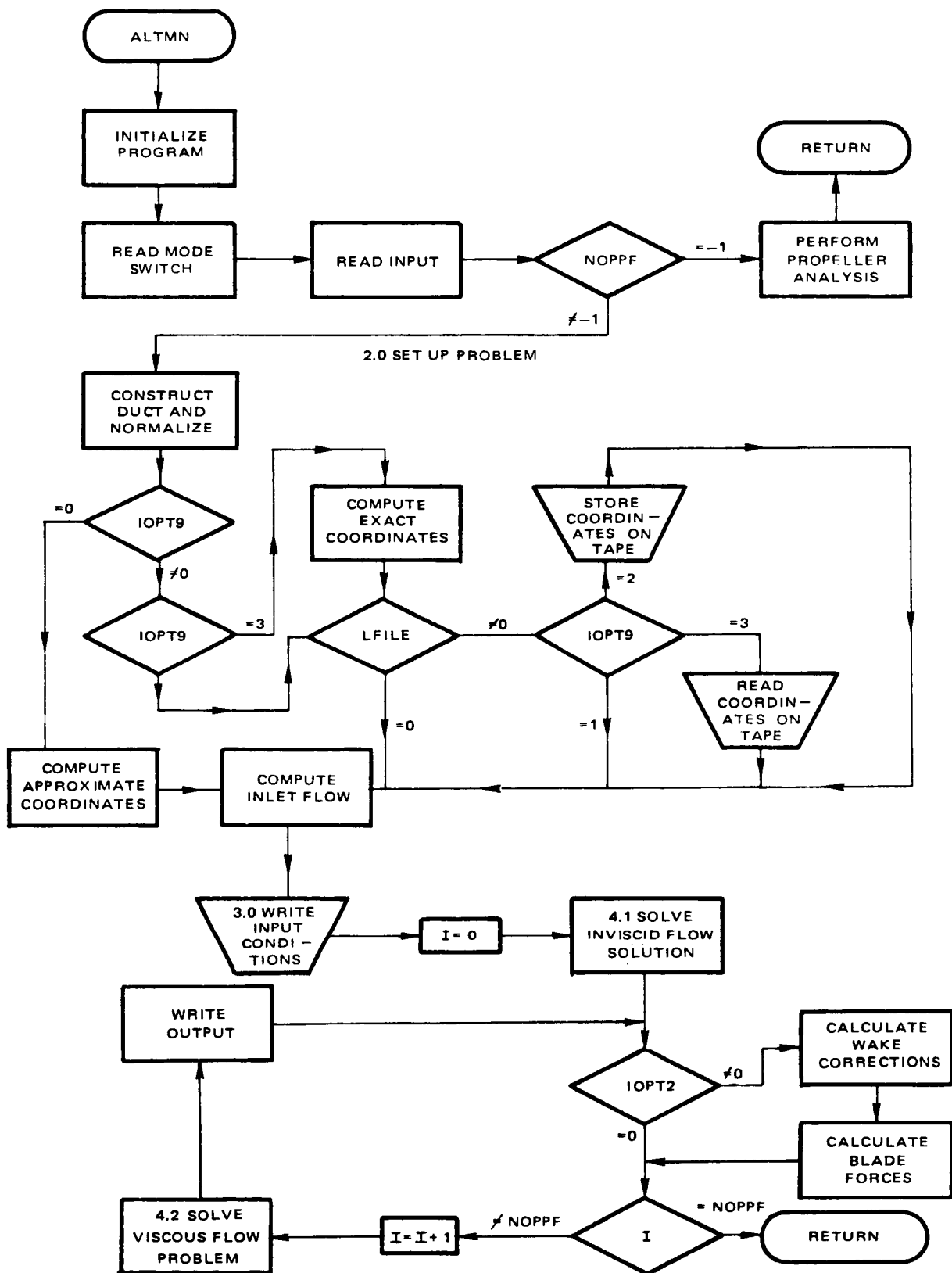
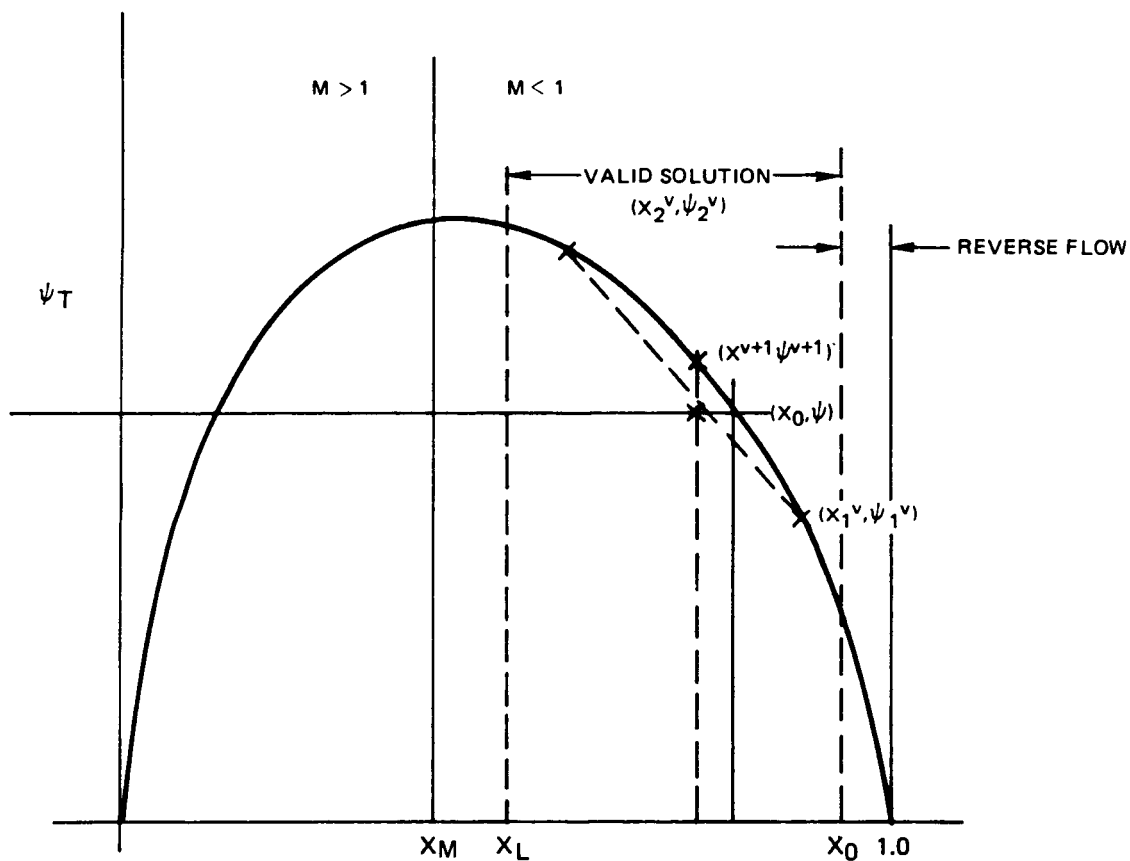


Figure 16. Flow Chart for ALTMN



$$X^{v+1} = X_1^v + \frac{\psi - \psi_1^v}{\psi_2^v - \psi_1^v} (X_2^v - X_1^v)$$

$$\text{IF}(\psi^{v+1} > \psi) \quad X_2^v = X^v; \psi_2^v = \psi$$

$$\text{IF}(\psi^{v+1} < \psi) \quad X_1^v = X^v; \psi_1^v = \psi$$

Figure 17. Iteration Procedure

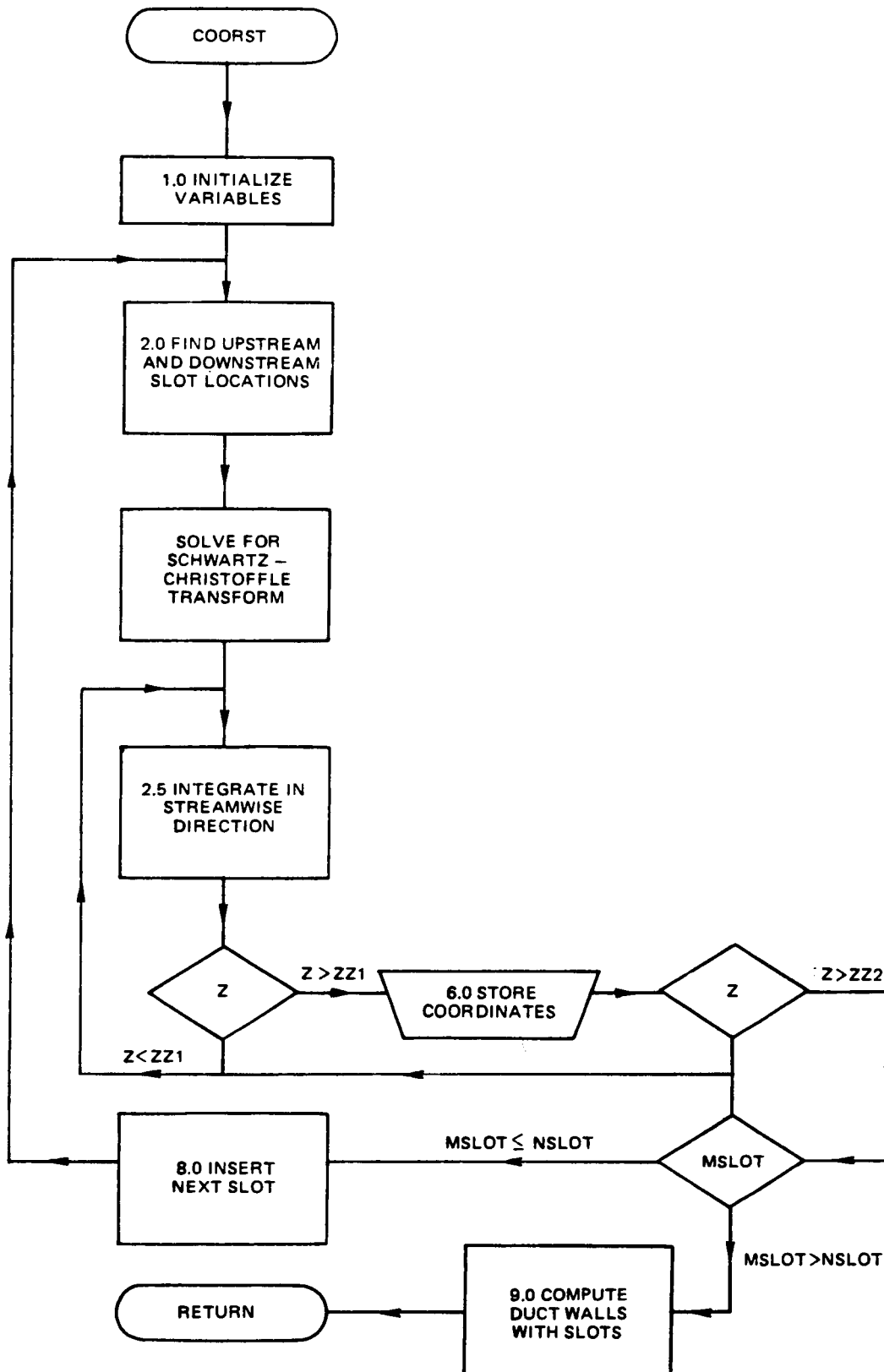


Figure 18. Flow Chart for Subroutine COORST

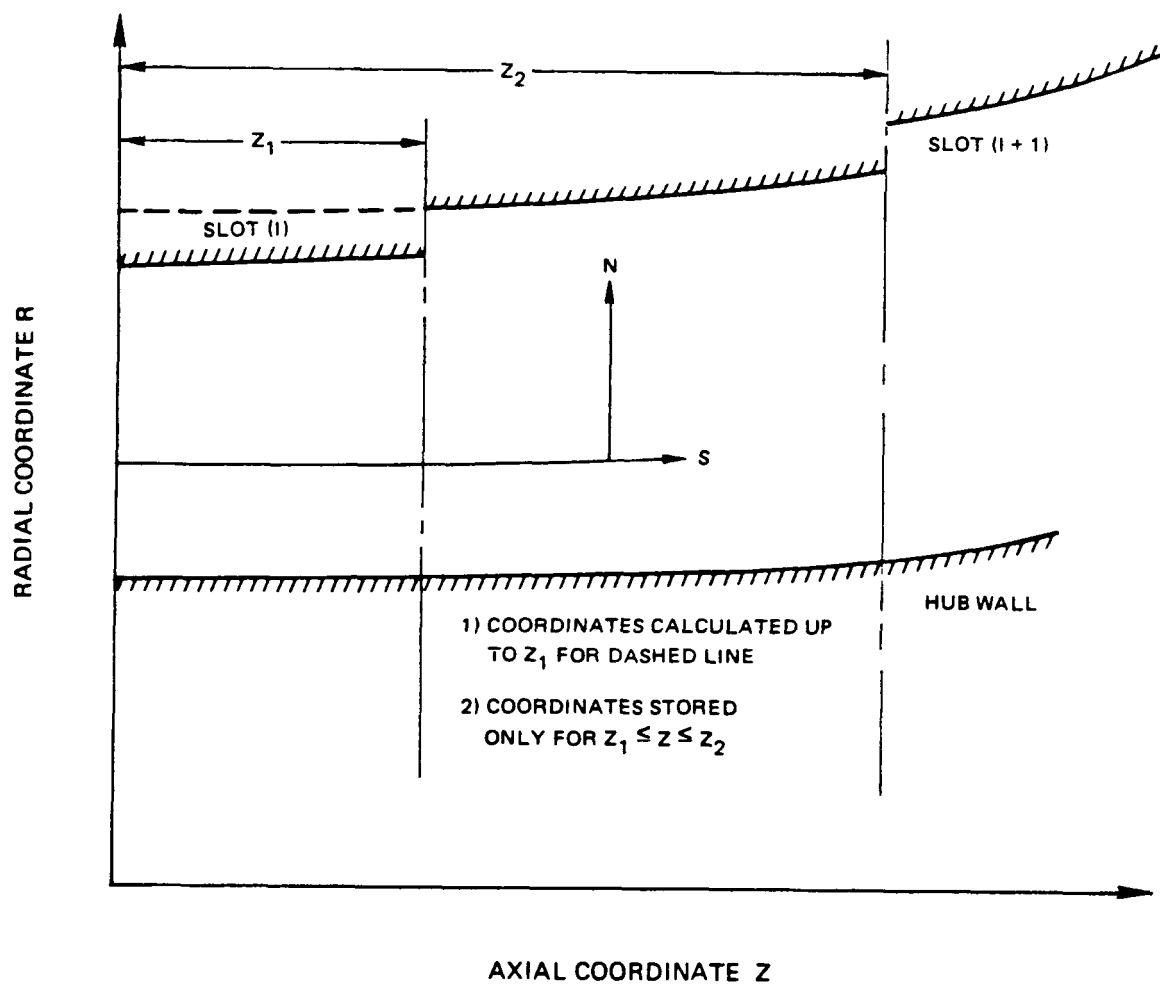


Figure 19. Calculating Ducts with Slots

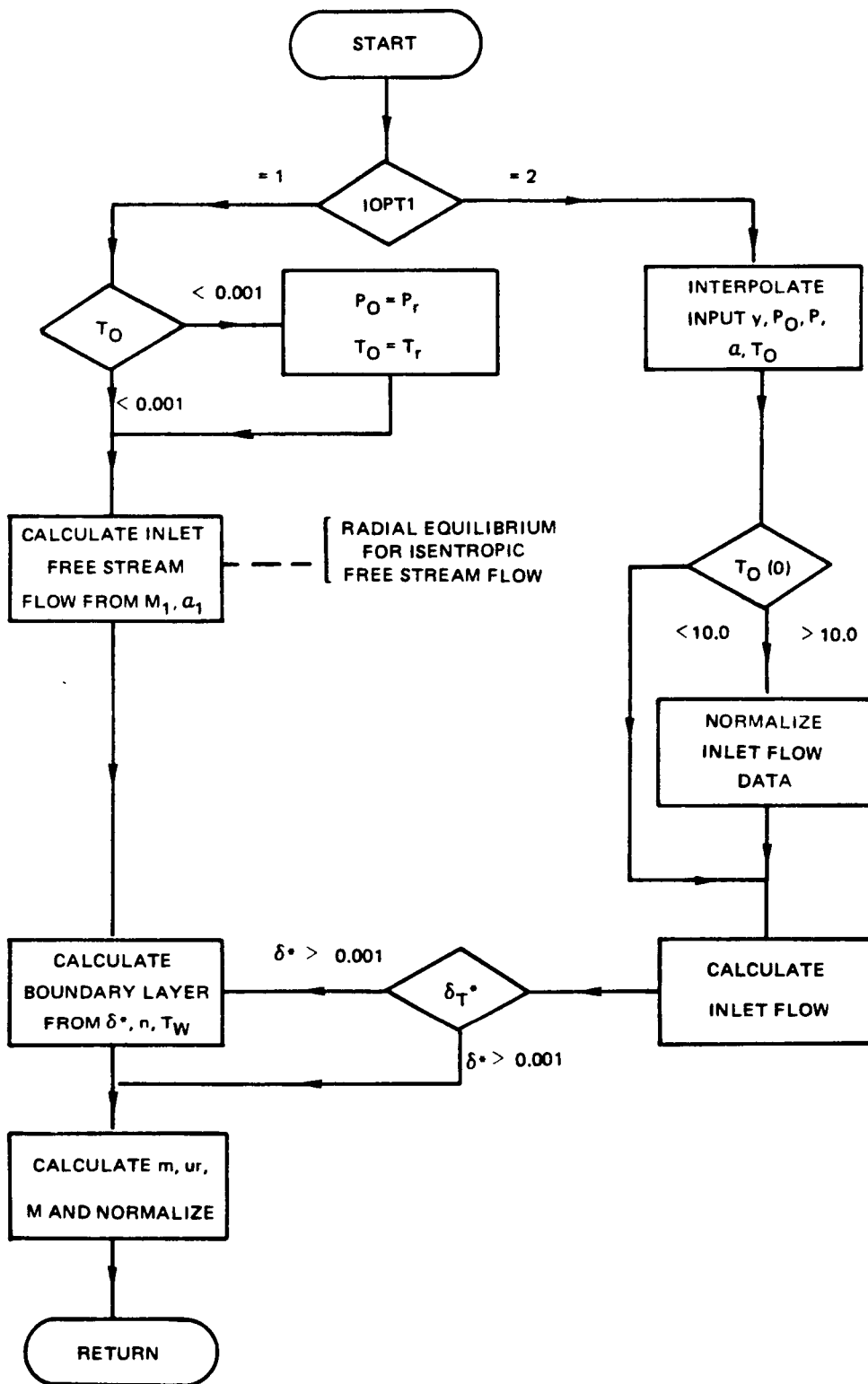


Figure 20. Flow Chart for Subroutine Flowin

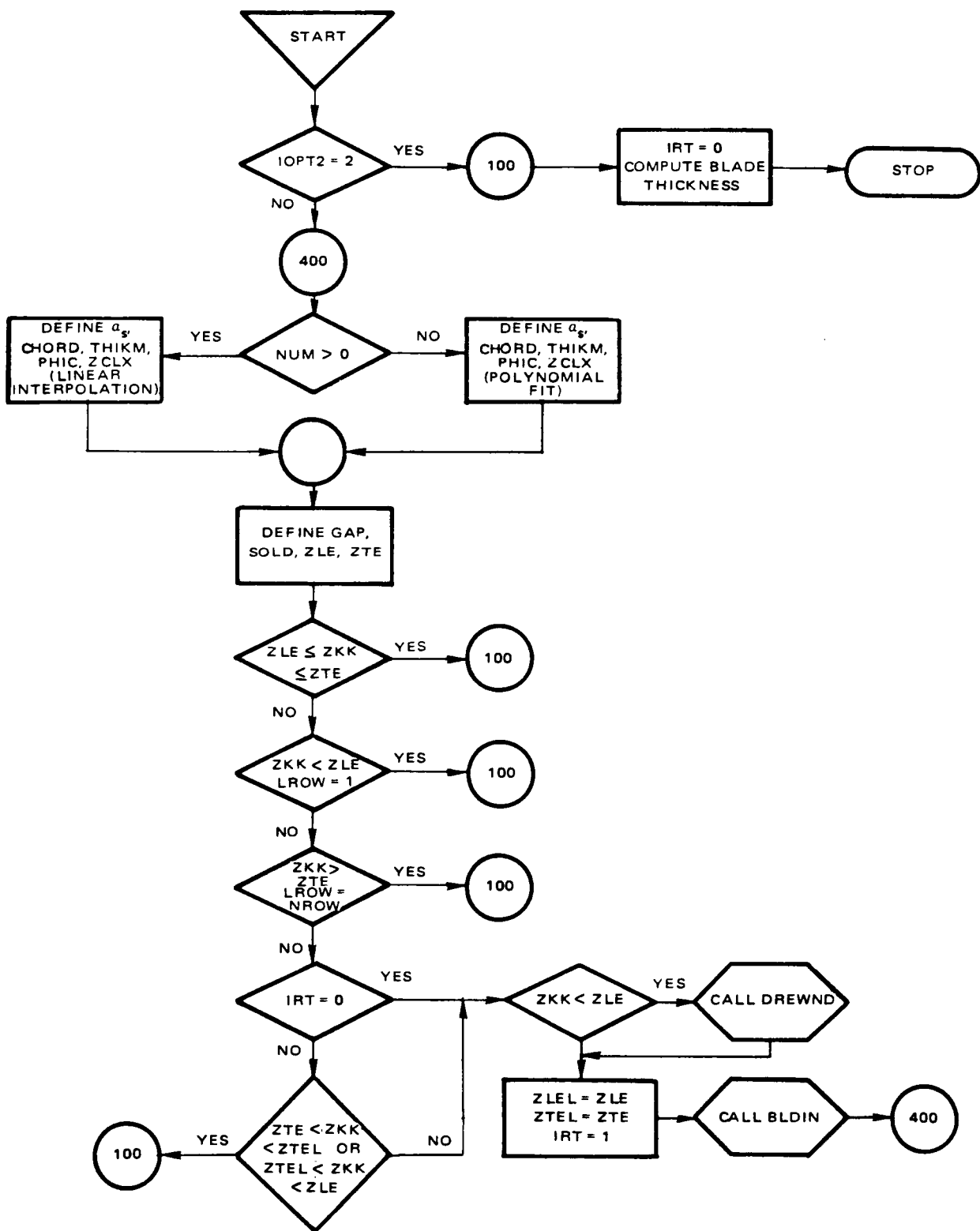


Figure 21. Flow Chart for GBlade

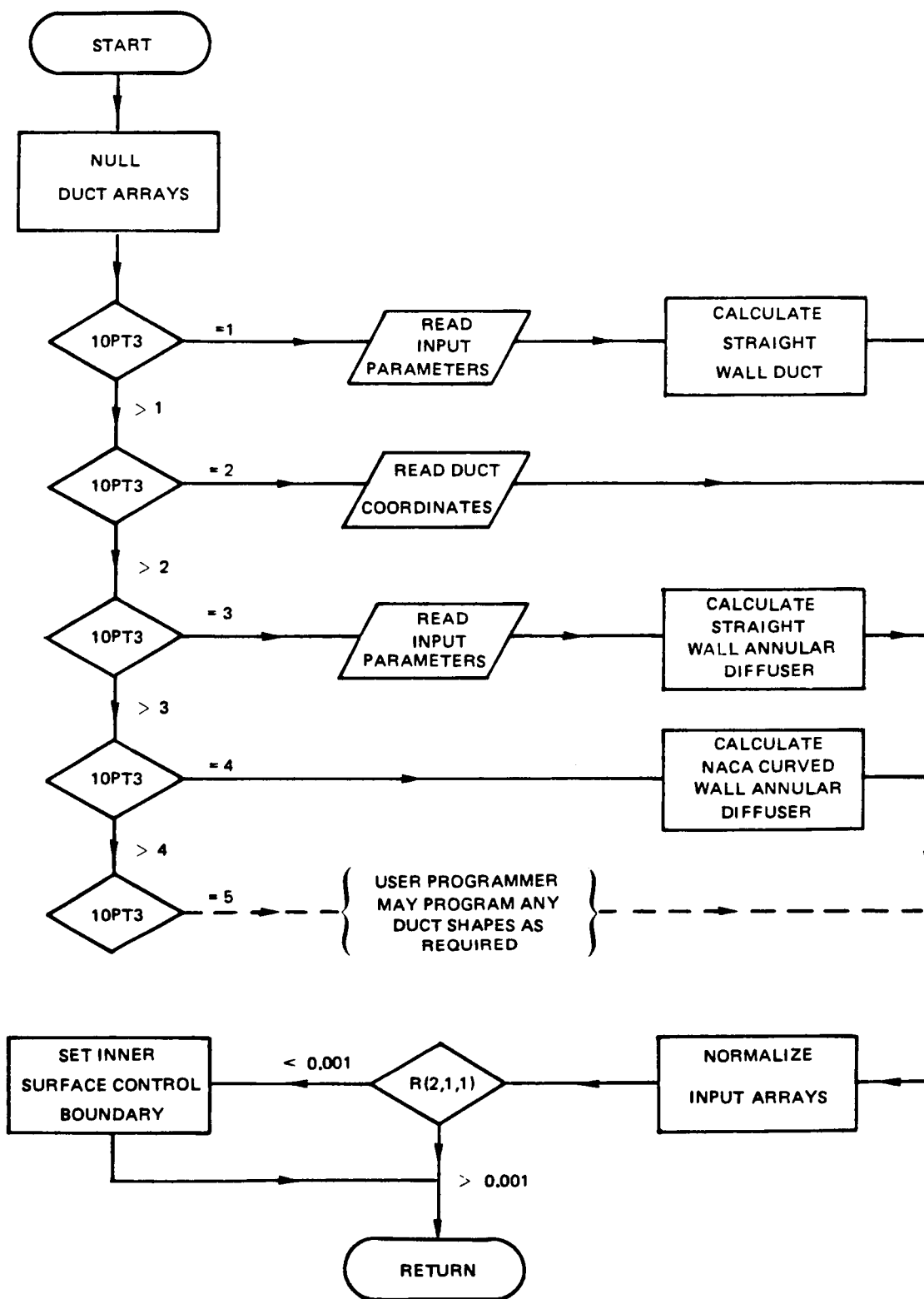


Figure 22. Flow Chart for Subroutine GDuct

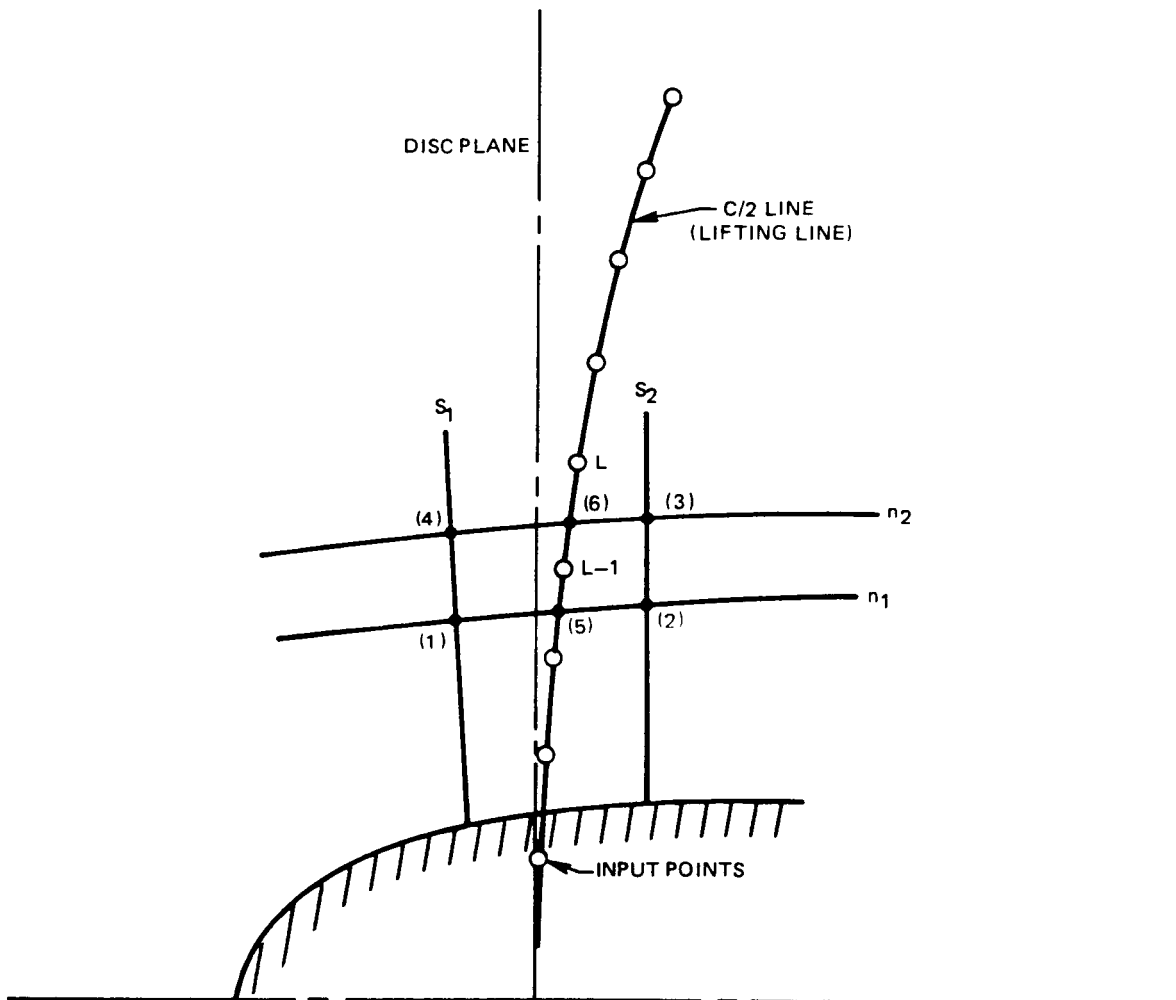


Figure 23. Locating Lifting Line in Streamline Coordinates

Report Documentation Page

1. Report No. NASA CR-4199		2. Government Accession No.		3. Recipient's Catalog No.	
4. Title and Subtitle An Analysis for High Speed Propeller-Nacelle Aerodynamic Performance Prediction Volume II—User's Manual				5. Report Date November 1988	
				6. Performing Organization Code	
7. Author(s) T. Alan Egolf, Olof L. Anderson, David E. Edwards, and Anton J. Landgrebe				8. Performing Organization Report No. None (E-4399)	
				10. Work Unit No. 535-03-01	
9. Performing Organization Name and Address United Technologies Research Center Silver Lane East Hartford, Connecticut 06108				11. Contract or Grant No. NAS3-20961, NAS3-22142, and NAS3-22257	
				13. Type of Report and Period Covered Contractor Report Final	
12. Sponsoring Agency Name and Address National Aeronautics and Space Administration Lewis Research Center Cleveland, Ohio 44135-3191				14. Sponsoring Agency Code	
15. Supplementary Notes Project Managers, Lawrence J. Bober and Christopher E. Hughes, Propulsion Systems Division, NASA Lewis Research Center.					
16. Abstract A user's manual for the computer program developed for the prediction of propeller-nacelle performance reported in "An Analysis for High Speed Propeller-Nacelle Aerodynamic Performance Prediction. Volume I—Theory and Application" is presented. The manual describes the computer program mode of operation requirements, input structure, input data requirements and the program output. In addition, it provides the user with documentation of the internal program structure and software used in the computer program as it relates to the theory presented in Volume I. Sample input data setups are provided along with selected printout of the program output for one of the sample setups.					
17. Key Words (Suggested by Author(s)) Computer code High speed propeller Aerodynamic performance Propfan				18. Distribution Statement Unclassified—Unlimited Subject Category 02	
19. Security Classif. (of this report) Unclassified		20. Security Classif. (of this page) Unclassified		21. No of pages 308	
				22. Price* A14	